



# Time Stamping, Spin Tune, Feedback

Volker Hejny Forschungszentrum Jülich





- Reminder: time stamping, how, why?
- Spin tune extraction
- Some outlook: online feedback systems
- Requirements for a future DAQ

Aim: Remind everybody to consider these requirements / measurement goals already at the design stage of the polarimeter / DAQ



## Experiment

### Conditions

• polarized deuteron beam, p = 0.97 GeV/c horizontal precession with  $f_s \approx 120$  kHz event rate  $\approx 5000 \text{ s}^{-1}$  $v_s \approx -0.161 \rightarrow 6$  turns / precession

### **Detector signals**

 $N^{up,down} \propto 1 \pm PA \sin(2\pi \cdot f_s t) = 1 \pm PA \sin(2\pi \cdot v_s n_{turns})$ P: polarisation, A: analysing power

### **Primary goal**

- follow the polarisation vector and extract polarisation w/o knowing the exact precession frequency (different clocks!)
- example:  $\Delta \phi \leq 1$  rad after 1s  $\rightarrow \Delta f_s \leq 0.3$  Hz,  $\Delta \nu \leq 4 \cdot 10^{-7}$



### Measurement



#### COSY RF:

- every 100th signal measured
   → interpolation
- precision in DAQ about 1ns per interval (sine wave → discr.)

#### **Detector signals:**

- turn number since T<sub>0</sub> via COSY RF
- fractional time: distribution within the bunch





### **Measurement**



#### Spin tune:

- timing precision secondary
- counting turns:

$$\varphi_{tot} = 2\pi N_{turn} \nu_s$$
  

$$\varphi_s = \varphi_{tot} \mod 2\pi$$
  

$$\propto 1 + PA \sin (\varphi_s + \Delta \varphi)$$





### **Measurement**



#### Spin tune:



• counting turns:

$$\varphi_{\text{tot}} = 2\pi N_{\text{turn}} \nu_s$$
  

$$\varphi_s = \varphi_{\text{tot}} \mod 2\pi$$
  

$$\propto 1 + PA \sin (\varphi_s + \Delta \varphi)$$

•  $v_s$  not known *a priori*  $\rightarrow$  scanning  $v_s$  for  $\Delta t \approx 1$ s



#### Alternatives: fourier analysis, unbinned likelihood fit

V.Hejny, Time Stamping / Feedback systems



## Improvement of $\sigma_{v_s}$





V.Hejny, Time Stamping / Feedback systems



## **Results: spin tune** $v_s$



- spin tune  $v_s$  can be determined to  $\sigma_{v_s} \approx 10^{-8}$  in  $\Delta t \approx 2s$
- average  $\overline{v_s}$  in 1 cycle ( $\approx 100$ s) determined to  $\sigma_{v_s} \approx 10^{-10}$
- one application: study long term stability of the ring
- future application: dedicated online feedback systems



# **Stability**

### Origin of spin tune drifts? Long term stability of RF systems?



#### After t = 40s: $\Delta t$ (COSY RF, TDC clock) < 100 ns For systematic studies: precise clock with excellent long-term stability needed



## **Feedback systems**

- Spin tune / frequency analysis can be done in real time
- Observables:
  - spin tune
  - small changes in spin tune (phase advances)
  - precise, relative measurement of frequencies: COSY RF, solenoid RF, Wien filter RF, etc.
  - phase relations: spin tune  $\leftrightarrow$  all other oscillators
- Possible objectives:
  - stabilize spin tune by adjusting  $\gamma$  via COSY RF
  - prepare and maintain resonance conditions (solenoid, Wien filter, ...)
  - maintain phase lock between spin tune and other oscillators



## **Possible options**

- Software only, using data stream from DAQ possible issues: decoding, variable latency, influence on DAQ
- FPGA based

advantage: less timing issues, only counting of periods

- a) integrated in DAQ read-out boards possible issues: still relies on DAQ, inter-module communication
- b) stand-alone system
  - possible issues: generation of detector (trigger) signals

# What to keep in mind for a future DAQ



- Time stamping, offline analysis
  - high precision (UTC) time stamps
     (≈ 10<sup>-11</sup> in τ = 1000s, state-of-the-art ?, e.g. GPS based)
     and / or
  - reference oscillator
  - all frequencies (generator, pick up?) in DAQ
- Feedback system
  - online PID, on board / external trigger depending on method
  - frequency generators: freq. and phase smoothly adjustable
- Single, central time base for everything (DAQ, generators) ?