

Towards axion searches with polarized hadron beams and targets at the GSI/FAIR storage rings

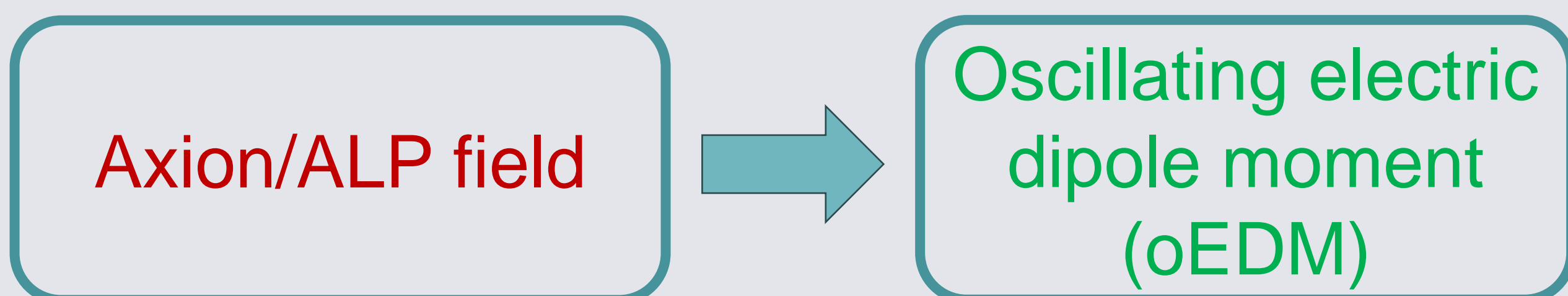
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Motivation

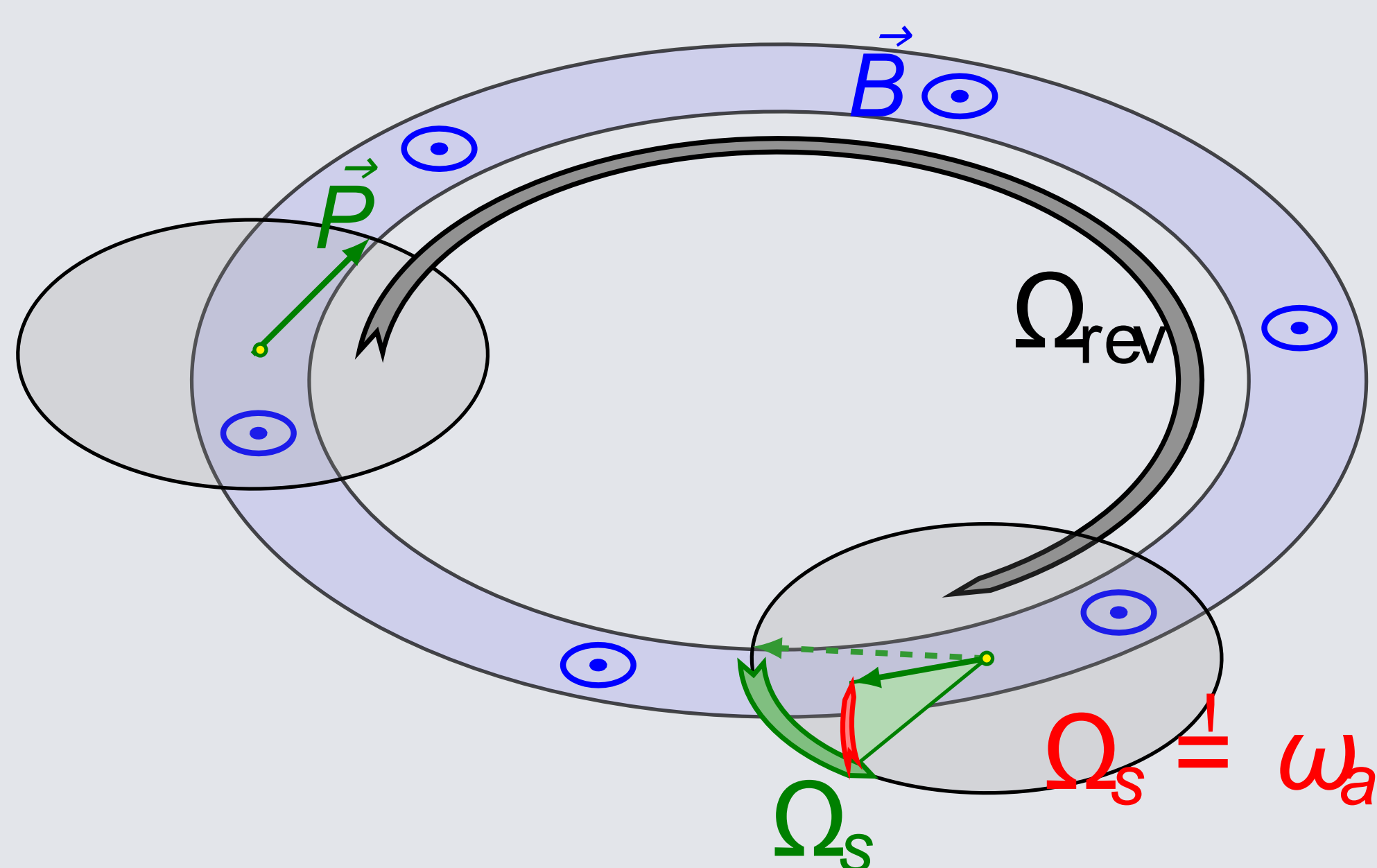
- ❖ polarized hadron beams can be used to explore interactions that are not observable with unpolarized beams.
- ❖ axions are leading particle candidates for dark matter.
- ❖ axion like particles (ALP): similar properties as axions, but ALPs don't solve the strong QCD problem.

- ❖ in storage rings with polarized beams:



- ❖ first proof-of-principle experiment was performed with a polarized deuteron beam at COSY, Forschungszentrum Jülich.

Experimental Method



- ❖ store polarized hadrons.
- ❖ maintain precession in horizontal plane (long SCT).
- ❖ if $m_a c^2 \equiv \hbar \omega_a = \Omega_{MDM} \hbar$, polarization will turn out of the horizontal plane, resulting in a vertical polarization component.
- ❖ vertical polarization can be measured using a carbon target and a polarimeter.
- ❖ axion wind effect enhanced in storage rings when $v \approx c$.
- ❖ $\Omega_{MDM} = \gamma G \Omega_{rev}$, a wide mass range can be covered by:
 - 1) varying the three parameters γ , G and Ω_{rev} ,
 - 2) use additional electric field.

$$\vec{\Omega}_{MDM} = -\frac{q}{m} \left[G \vec{B} - \left(G - \frac{1}{\gamma^2 - 1} \right) \frac{\vec{\beta} \times \vec{E}}{c} \right]$$

References

1. Stoehlker, T., et al. "Towards experiments with polarized beams and targets at the GSI/FAIR storage rings." 19th Workshop on Polarized Sources, Targets and Polarimetry (PSTP2022). 2023.
2. Chang, Seung Pyo, et al. "Axionlike dark matter search using the storage ring EDM method." Physical Review D 99.8 (2019): 083002.
3. Karanth, Swathi, et al. "First Search for Axion-Like Particles in a Storage Ring Using a Polarized Deuteron Beam." Physical Review X 13 (2023): 031004.

Spin Motion in Storage Ring

$$\frac{d\vec{s}}{dt} = (\vec{\Omega}_{MDM} + \vec{\Omega}_{EDM} + \vec{\Omega}_{wind}) \times \vec{s}$$

$$\vec{\Omega}_{MDM} = -\frac{q}{m}, \quad \vec{\Omega}_{EDM} = -\frac{1}{Sh} d c \vec{\beta} \times \vec{B}.$$

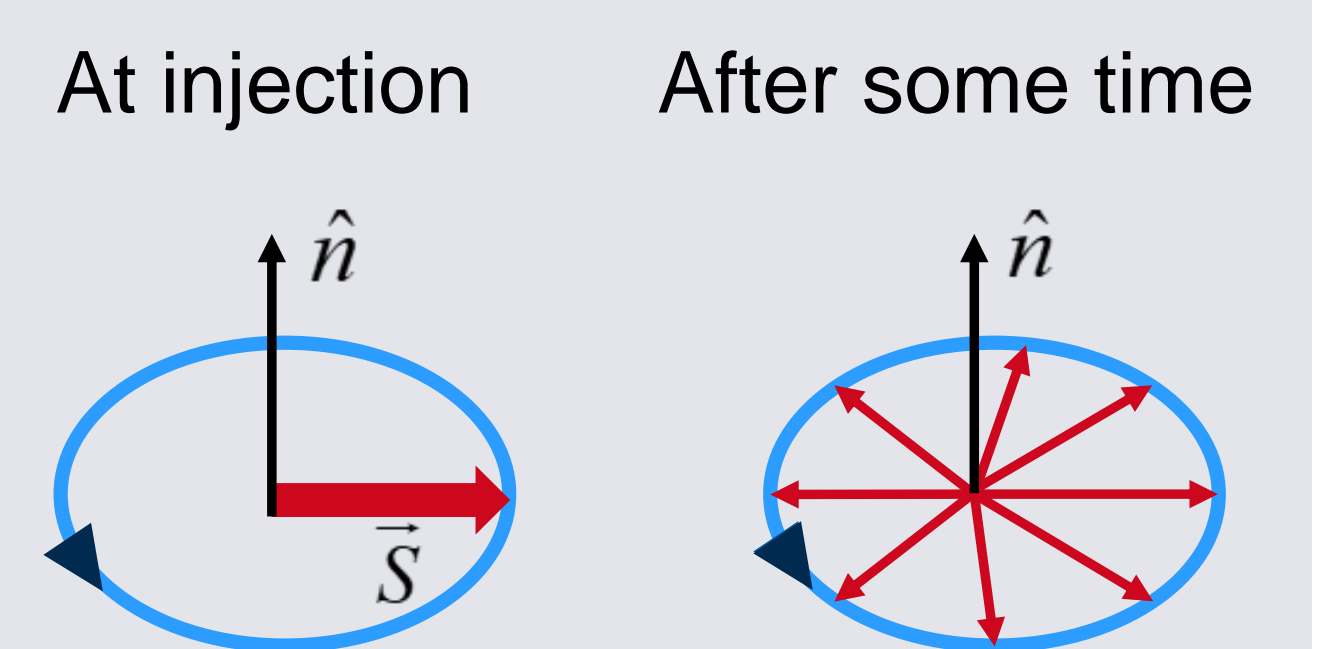
$$d = d_{DC} + d_{AC} \cos(\omega_a t + \varphi_o)$$

oEDM induced by axion field \uparrow

- ❖ spin tune: $\nu_s = G\gamma$.

- ❖ spin tune spread:

$$\Delta\nu_s = G\Delta\gamma = G\gamma\beta^2 \frac{\Delta p}{p} + \dots$$



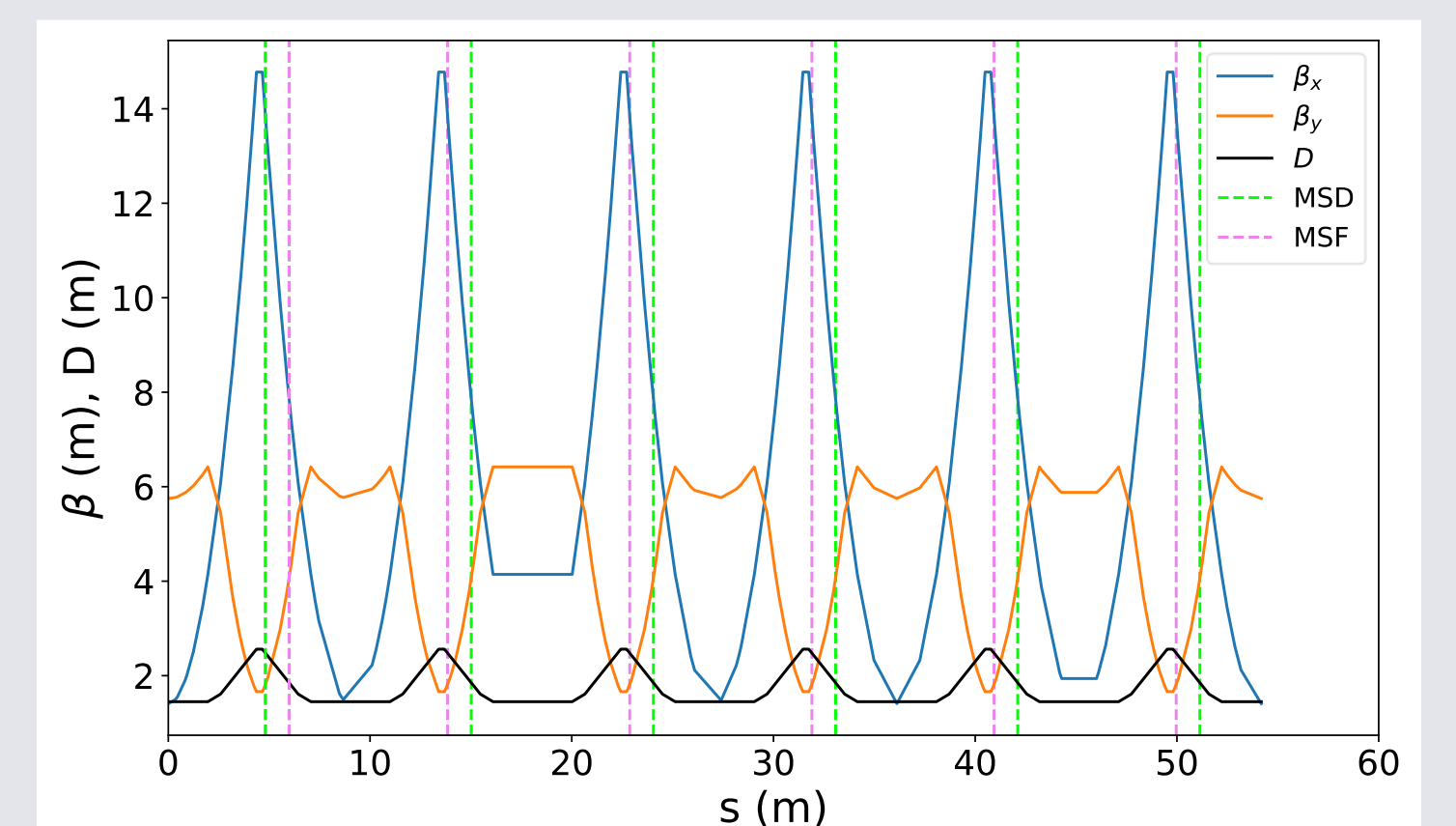
- ❖ spin coherence time (SCT):

SCT = time after total polarization drops to 1/e.

G: the gyromagnetic anomaly.

Simulation

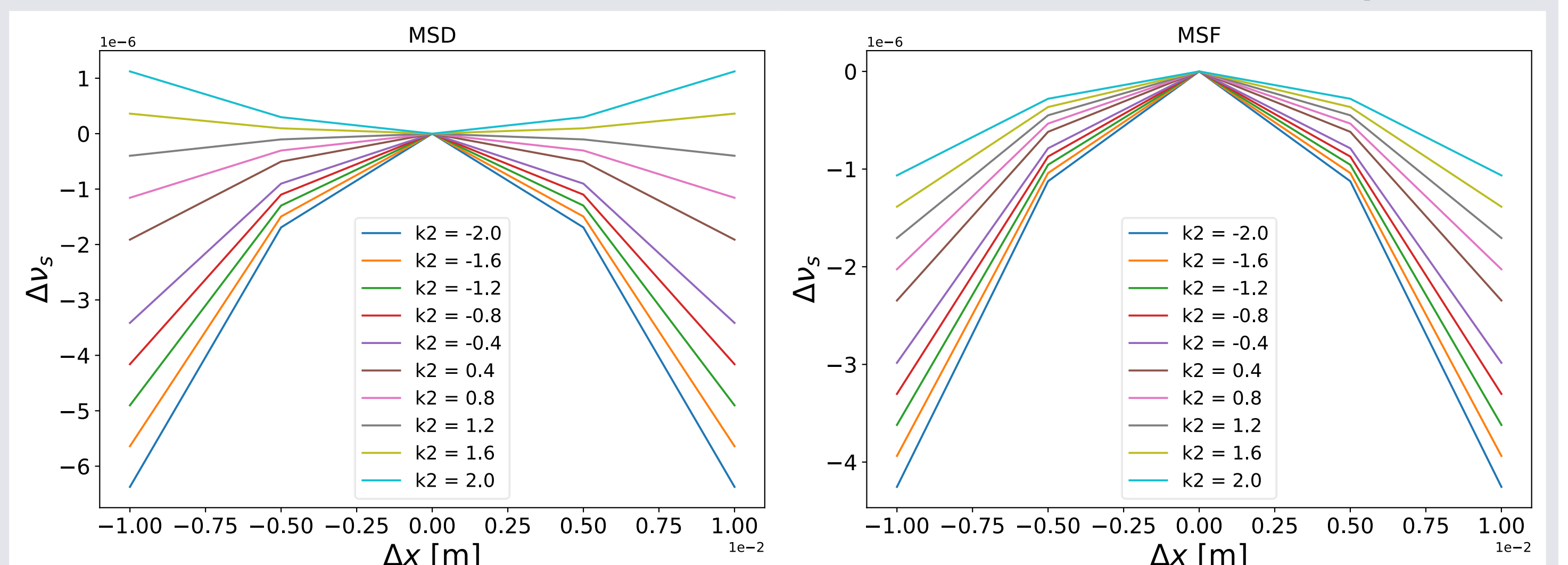
- ❖ CRYRING@ESR.
- ❖ spin tracking using the BMAD software library.
- ❖ betatron tune: $Q_x = Q_y = 2.42$



Two ways to optimize the SCT.

1. sextupole corrections:

$$\frac{1}{SCT} \propto \Delta\nu_s = |A + a_i I_i| \cdot (\Delta x^2) + |B + b_i I_i| \cdot (\Delta y^2) + |C + c_i I_i| \cdot \left(\frac{\Delta p}{p} \right)^2$$



Minimum $\Delta\nu_s$ can be obtained by flattening the parabolas.

→ at least 3 groups of sextupole are needed, and corrections are dependent on energy.

2. zero crossing shift induced by betatron tunes.

Intrinsic spin resonances: $\gamma G = kP \pm Q_y$.

→ unknown betatron tunes.

