

OCTOBER 20-24, 2014. PEKING UNIVERSITY, BEIJING, CHINA



SPIN 2014

The 21st International Spin Physics Symposium

Storage Ring Based EDM Search Achievements and Goals

October 20, 2014 | Andreas Lehrach

RWTH Aachen University & Forschungszentrum Jülich

on behalf of the JEDI collaboration

(Jülich Electric Dipole Moment Investigations)



Outline

Introduction

Motivation for EDM measurements

EDM Measurements in Storage Rings

Principle and methods

Achievements:

- very precise spin tune measurement
- long spin coherence time (SCT)

R&D work for dedicated storage rings

Summary / Outlook

Electric Dipole Moments

\vec{d} : EDM

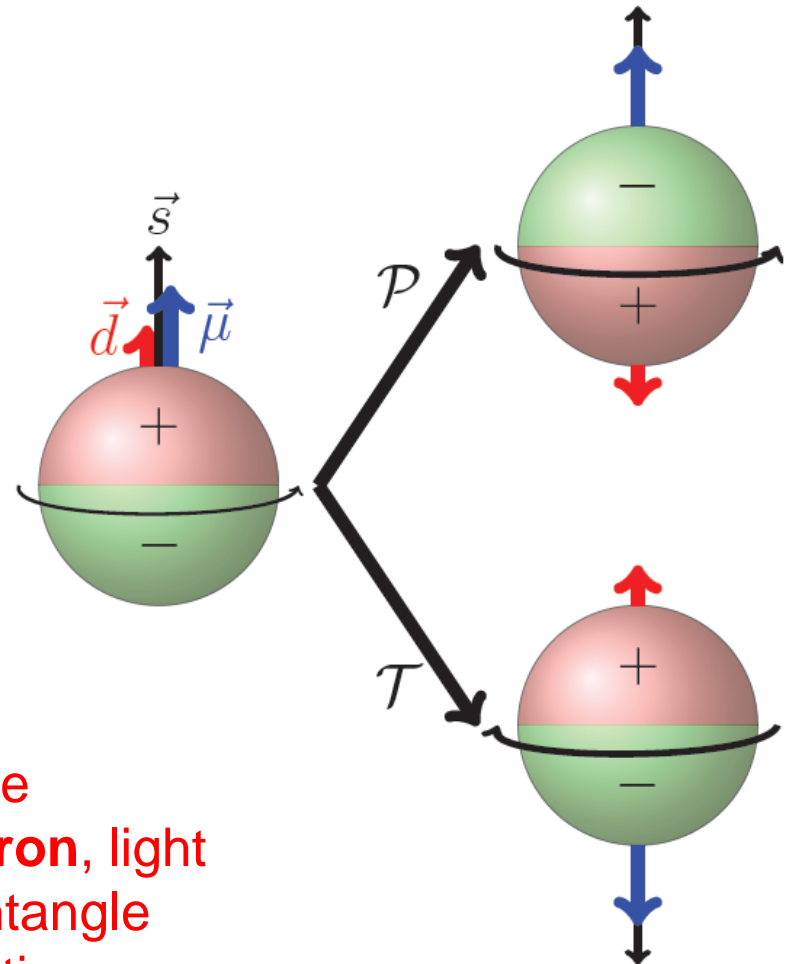
$\vec{\mu}$: magnetic moment

both \parallel to spin

$$H = -\mu\vec{\sigma} \cdot \vec{B} - d\vec{\sigma} \cdot \vec{E}$$

$$\mathcal{T}: H = -\mu\vec{\sigma} \cdot \vec{B} + d\vec{\sigma} \cdot \vec{E}$$

$$\mathcal{P}: H = -\mu\vec{\sigma} \cdot \vec{B} + d\vec{\sigma} \cdot \vec{E}$$



It is important to measure
neutron **and proton and deuteron**, light
nuclei EDMs in order to disentangle
various sources of CP violation.

EDMs are candidates to solve mystery of matter-antimatter asymmetry

Spin Precession with EDM

Equation for spin motion of relativistic particles in storage rings
 for $\vec{\beta} \cdot \vec{B} = \vec{\beta} \cdot \vec{E} = 0$.

The spin precession relative to the momentum direction is given by:

$$\frac{d\vec{S}}{dt} = \vec{\Omega} \times \vec{S}$$

$$\vec{\Omega} = \frac{q}{m} \left\{ \underbrace{G\vec{B} + \left(G - \frac{1}{\gamma^2 - 1} \right) (\vec{v} \times \vec{E})}_{\text{Magnetic Moment}} + \underbrace{\frac{\eta}{2} (\vec{E} + \vec{v} \times \vec{B})}_{\text{Electric Dipole Moment}} \right\}.$$

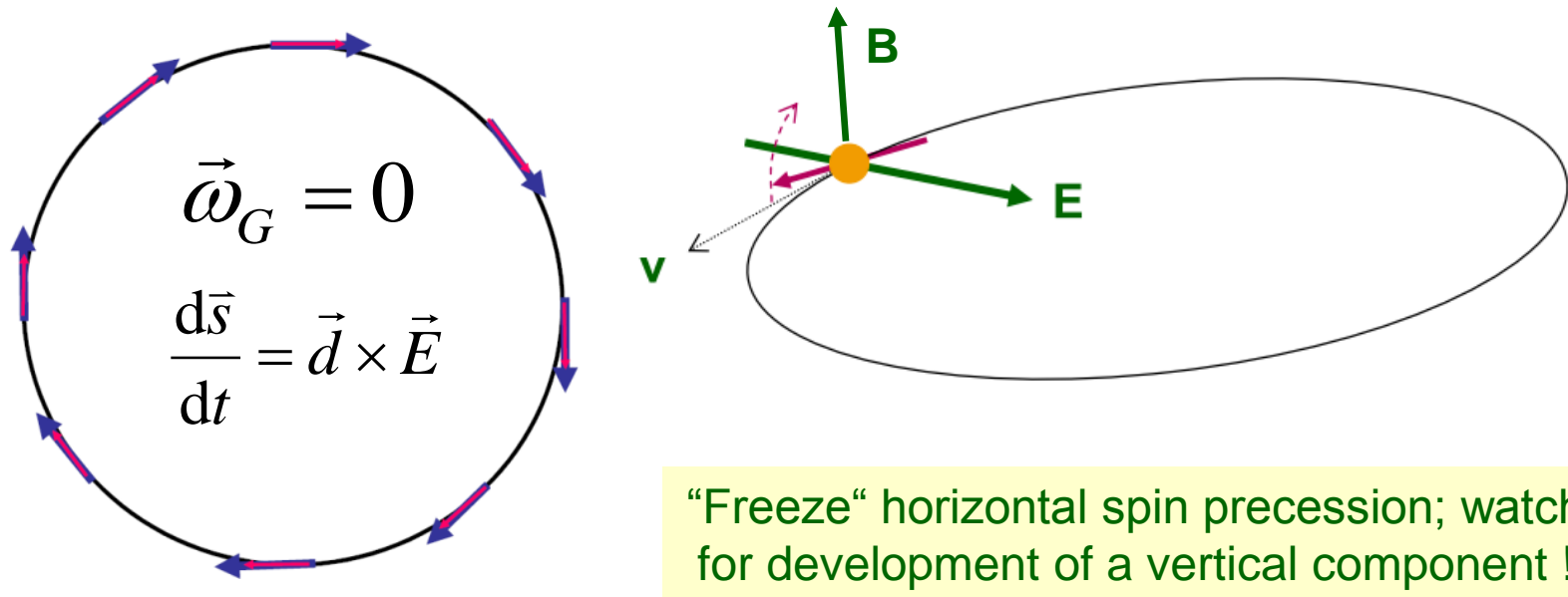
Magnetic Moment

Electric Dipole Moment

$$G = \frac{g-2}{2}, \quad \vec{\mu} = 2(G+1) \frac{q}{2m} \vec{S}, \quad \text{and} \quad \vec{d} = \eta \frac{q}{2m} \vec{S}.$$

Search for Electric Dipole Moments

Approach: EDM search in time development of spin in a storage ring:



A magic storage ring for protons (electrostatic), deuterons, and helium-3

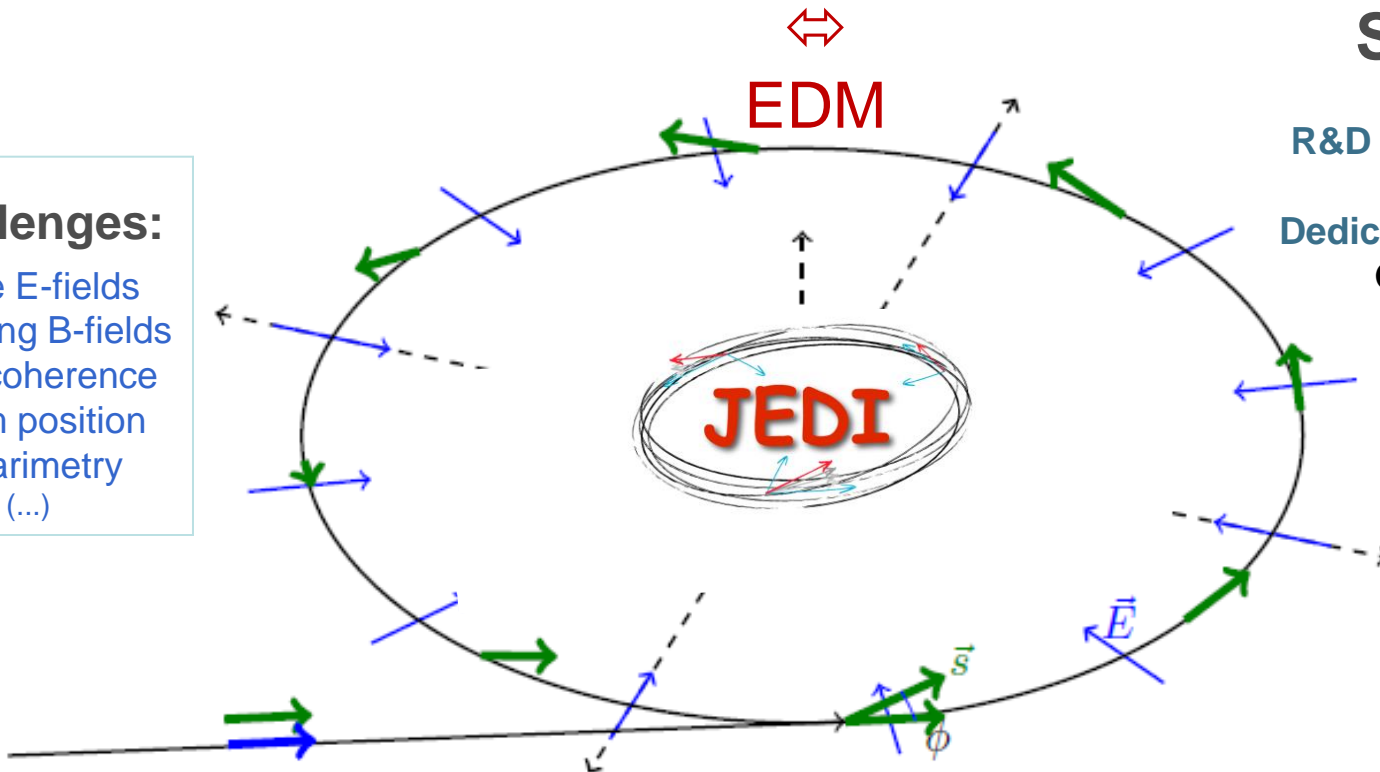
particle	p (GeV/c)	E (MV/m)	B (T)
proton	0.701	16.789	0.000
deuteron	1.000	-3.983	0.160
^3He	1.285	17.158	-0.051

One machine
with $r \sim 30$ m

... measure for buildup of **vertical polarization**

Challenges:

- Huge E-fields
- Shielding B-fields
- Spin coherence
- Beam position
- Polarimetry
- (...)



Step wise:

COSY (PoF-3)
R&D and Precursor Expt.

Dedicated SR (after PoF-3)
Goal: 10^{-29} e·cm

JARA | Jülich Aachen
Research
Alliance

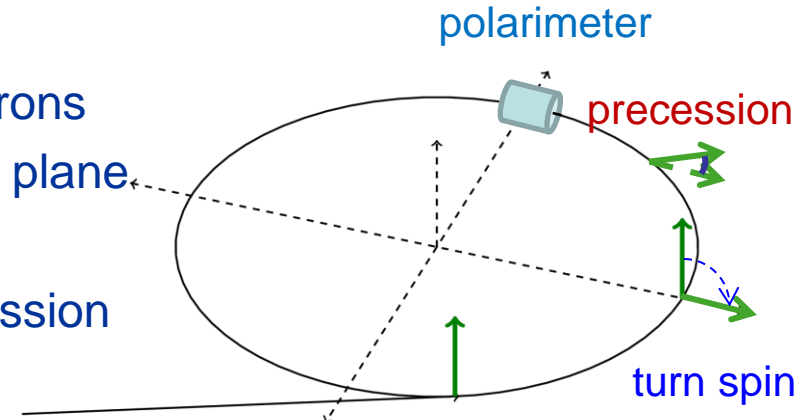
~ 100 members

(Aachen, Bonn, Dubna, Ferrara, Cornell, Jülich, Krakow, Michigan,
St. Petersburg, Minsk, Novosibirsk, Stockholm, Tbilisi, . . .)

12 PhD students from JARA-FAME (**F**orces and **M**atter **E**xperiments)

Experimental Setup for R&D at COSY

- Inject and accelerate vertically polarized deuterons
- Flip spin with help of a RF fields into horizontal plane
- Extract beam slowly (in 100 s) on target
- Measure asymmetry and determine spin precession

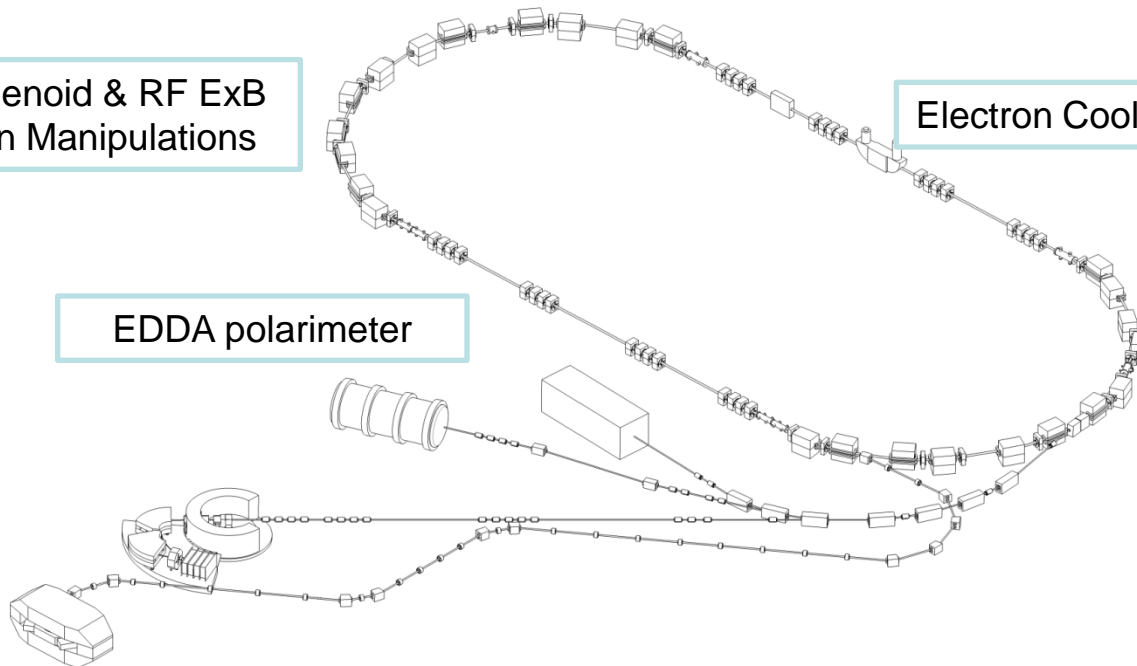


RF Solenoid & RF ExB
for Spin Manipulations

Sextupole magnets

Electron Cooler

EDDA polarimeter



Spin Tune Measurements

Spin vector precesses with $f_{\text{Spin}} = \nu f_{\text{rev}}$ in the horizontal plane

Asymmetry given by:

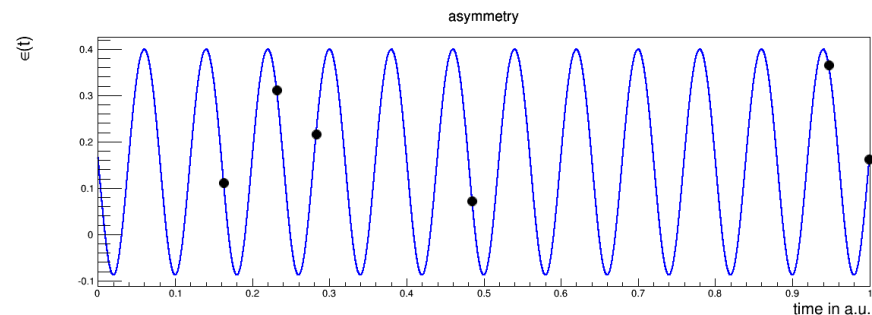
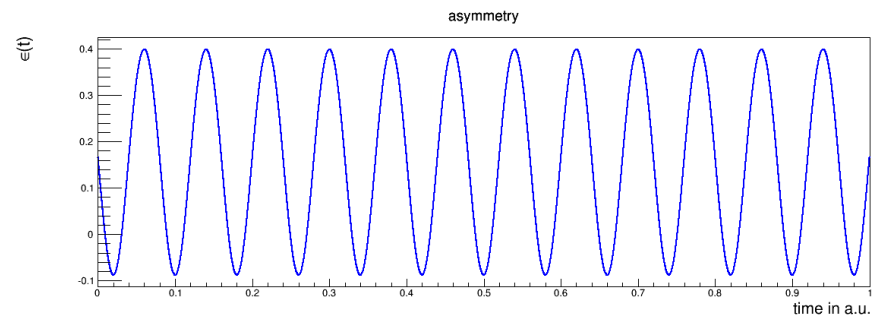
$$\epsilon_V(t) = \frac{N_u - N_d}{N_u + N_d} \approx AP(t) \sin(2\pi\nu f_{\text{rev}}t + \phi)$$

What do we expect ?

- Deuterons, $p = 0.97 \text{ GeV}/c$; $\nu \approx 0.16$, $f_{\text{rev}} = 750 \text{ kHz}$
 - Spin precession frequency: $\nu \cdot f_{\text{rev}} \approx 125 \text{ kHz}$
 - Detector rates: 5 kHz
 - Only every 25th spin revolution is detected
- No direct fit is possible

Time stamp events

Example: every 2nd spin precession is detected

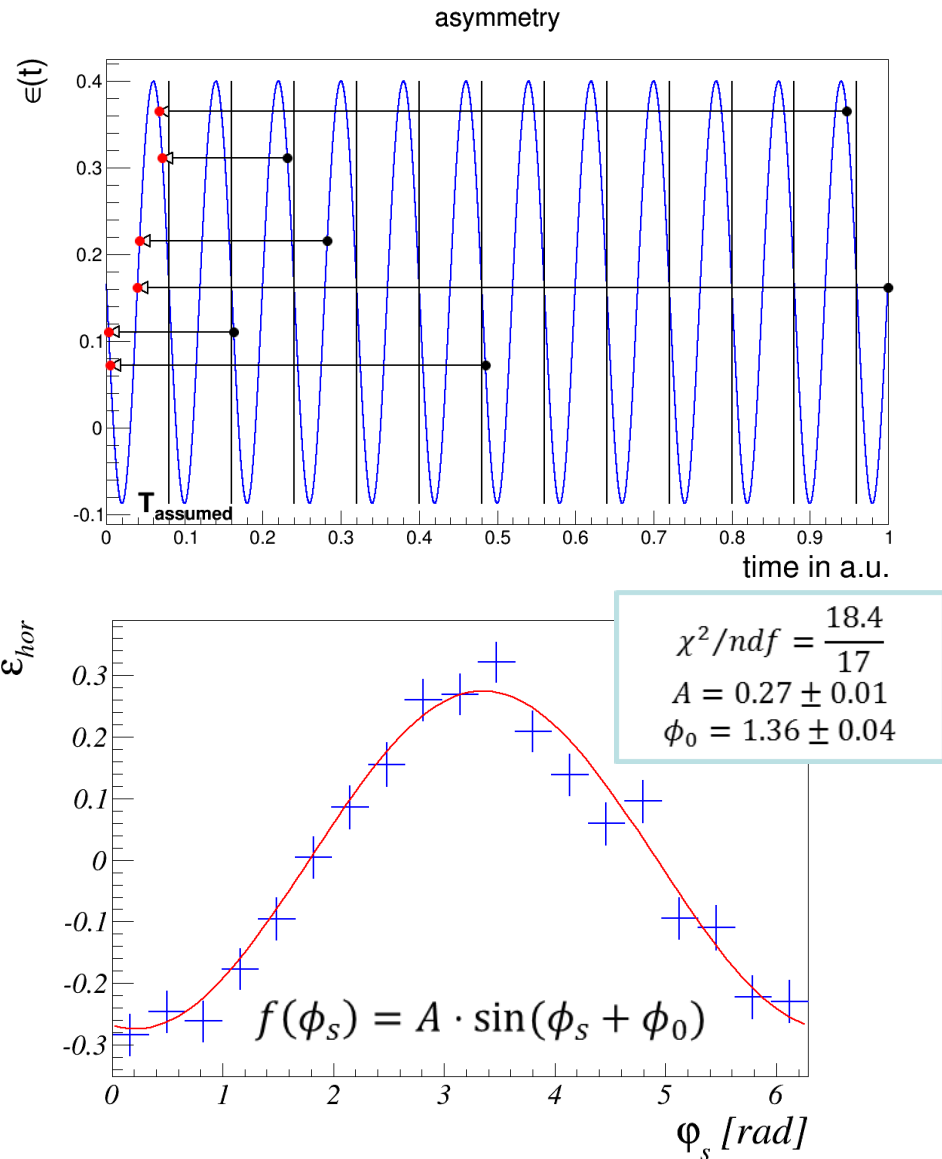


Event Mapping

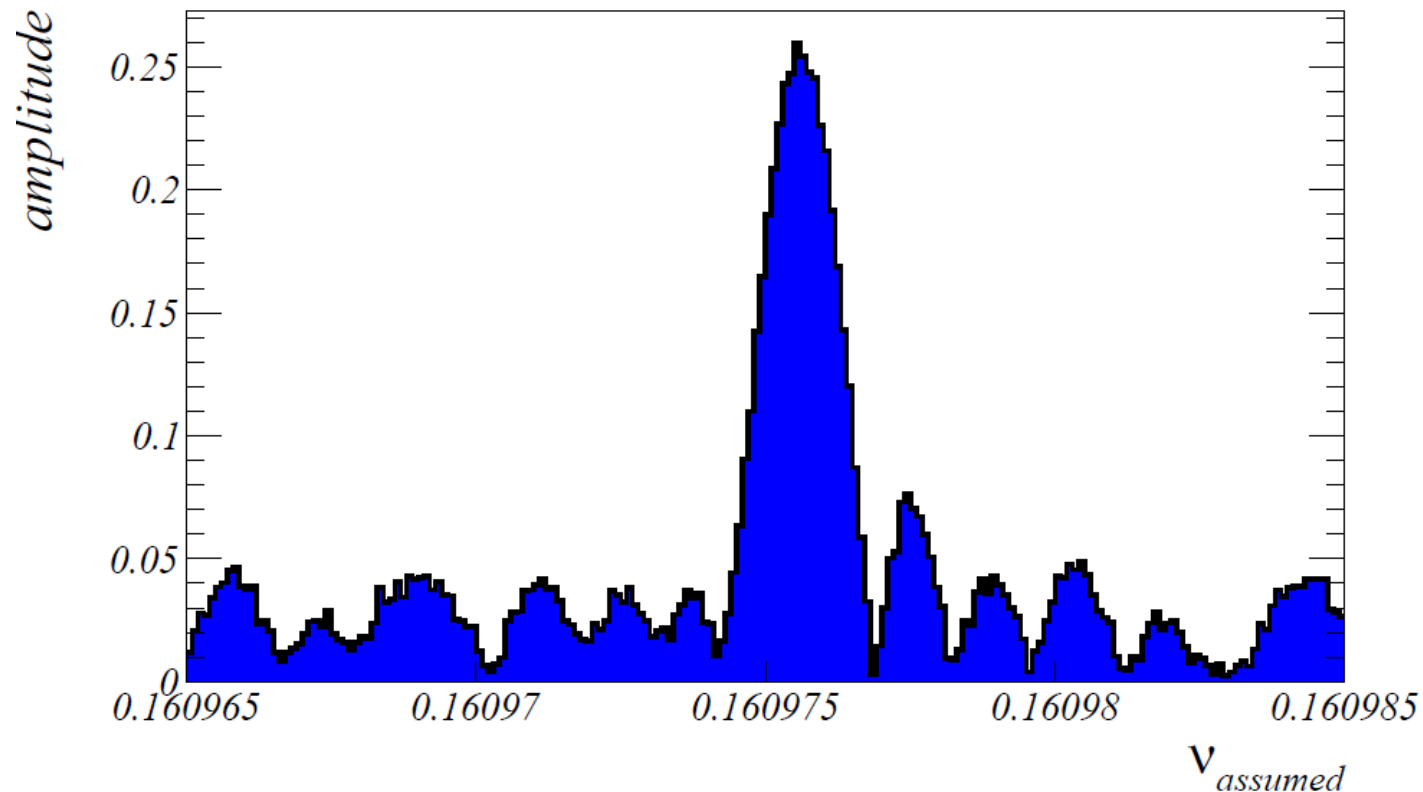
Mapping the events:

- Assume Spin Tune $\nu_{assumed}$
 - $T_{assumed} = \frac{2\pi}{\nu_{assumed} f_{rev}}$
- Map all events of a macroscopic time interval (2s) in first period:
 - $t' = \text{mod}(t, T_{assumed})$
- Fit asymmetry to first period

Extract amplitude $A \propto \text{Polarisation}$



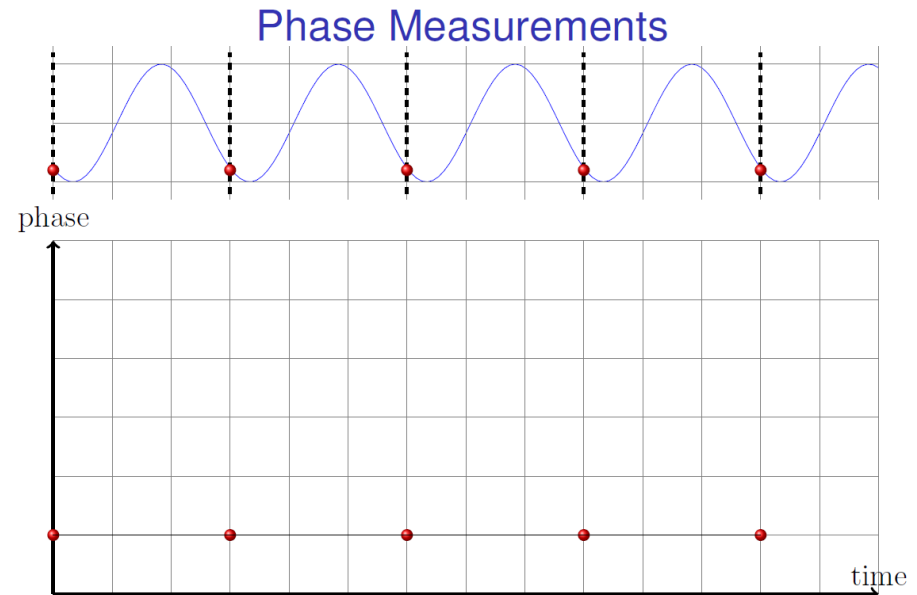
Assumed Spin Tune vs. Amplitude



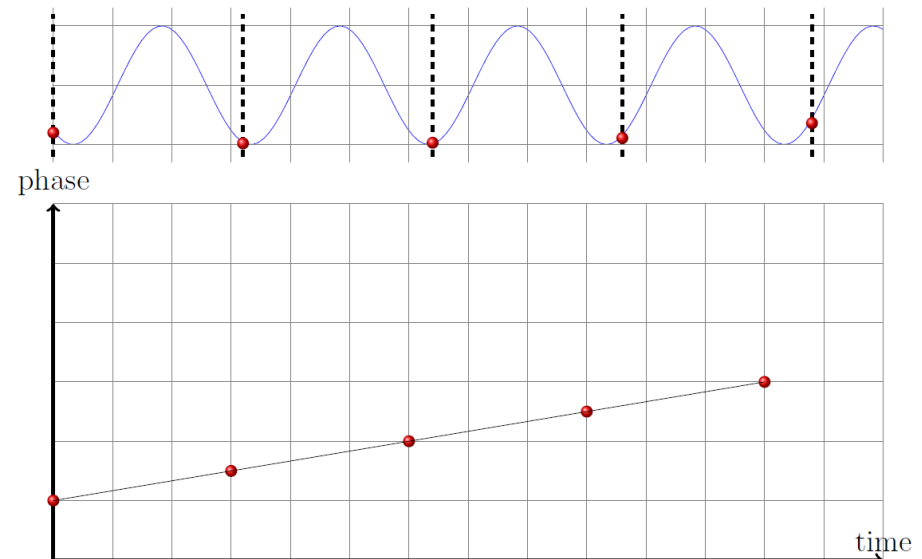
- set $\nu_s = \nu_{max}$ and determine phase in macroscopic time bins of 2s
 $\rightarrow \nu_{max}$ correct spin tune in the macroscopic time intervals of 2sec
- $\nu_{max} = 0.160975 \pm 10^{-6} \rightarrow$ allows for $\sigma_s \approx 10^{-6}$
- now fix spin tune and observe phase vs. time

Spin Phase vs. Time

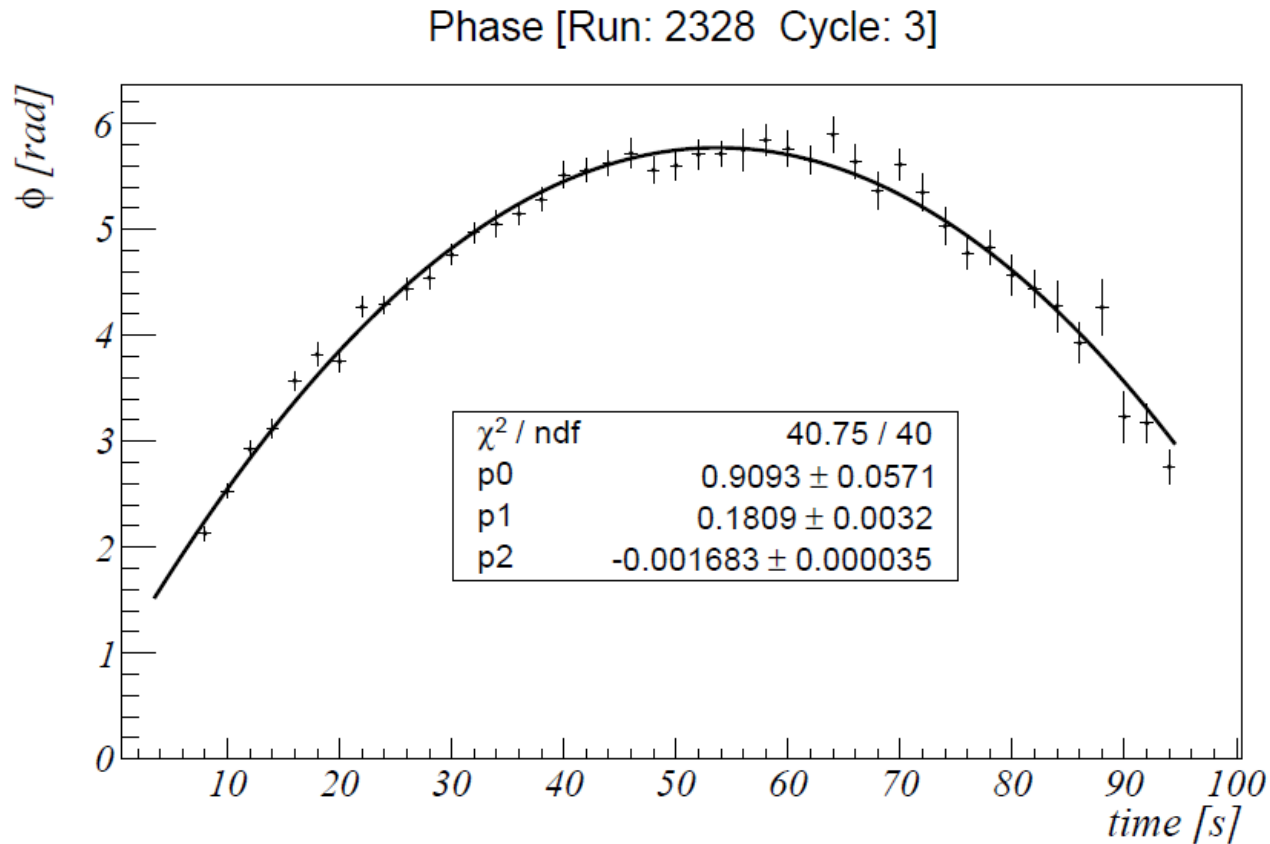
$$v_s = v_{\text{assumed}}$$



$$v_s = v_{\text{assumed}} + \Delta v$$

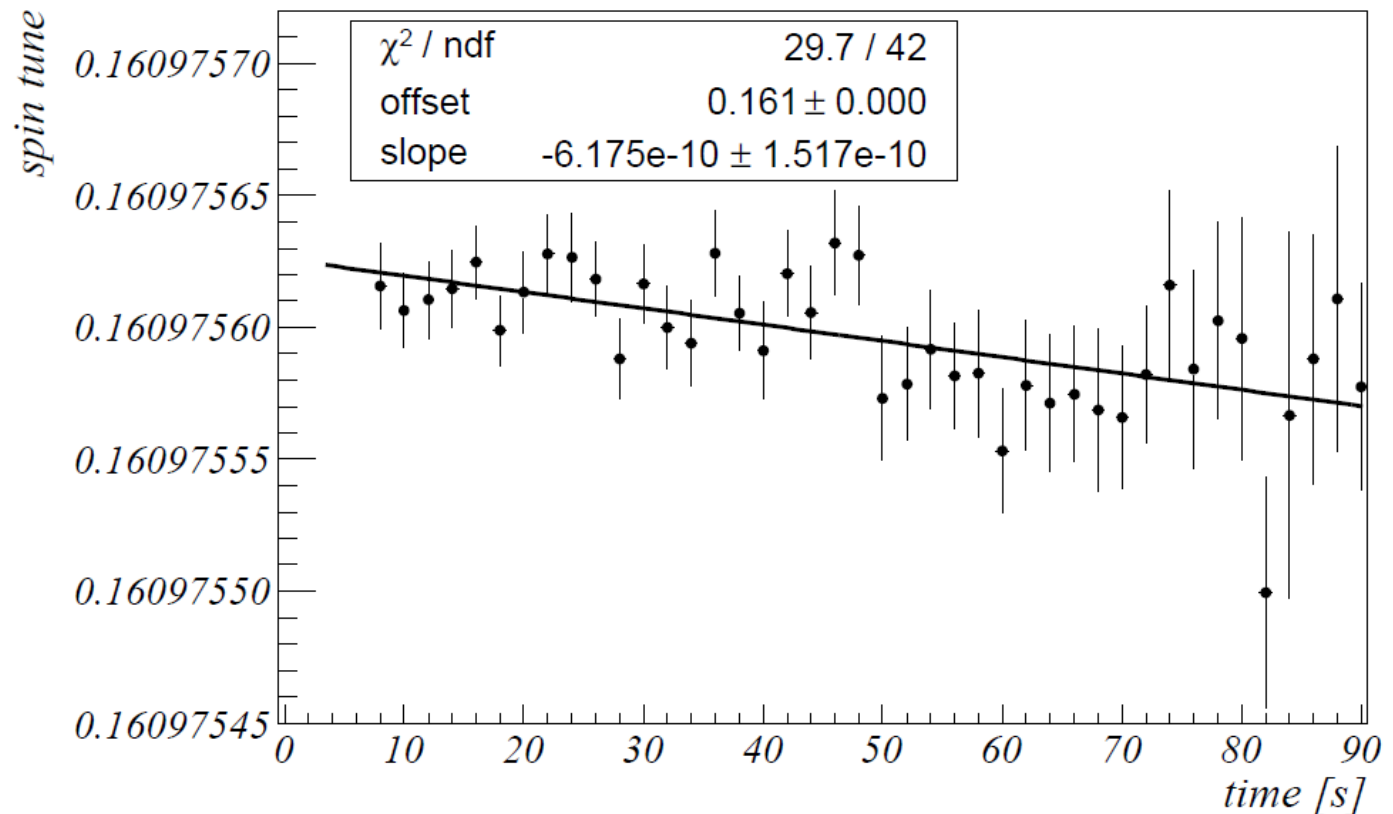


Spin Phase vs. Time



- 1st derivative gives deviation from assumed spin tune

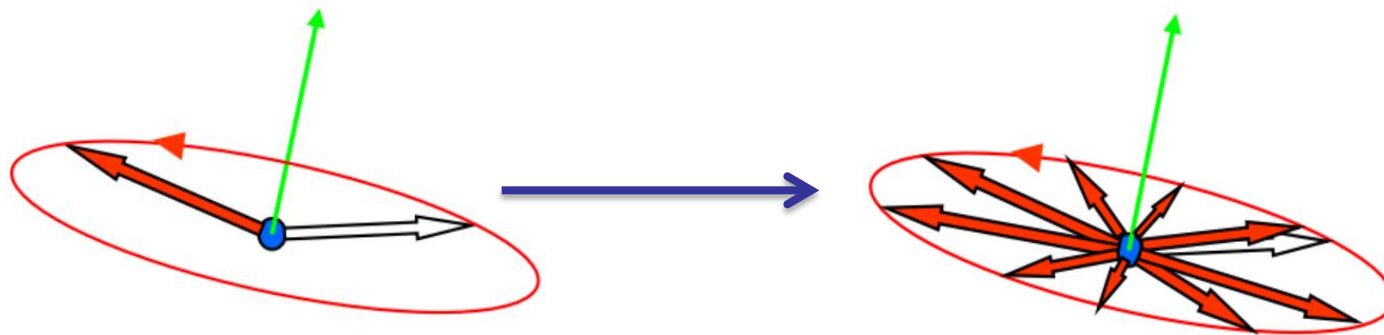
Spin Tune Measurement



- Spin tune ν_s can be determined to 10^{-8} in 2 s
- Average ν_s in cycle (100 s) determined to 10^{-10}
- $\nu_s \approx \gamma G$ varies within one cycle and from cycle to cycle by 10^{-8}

Spin Coherence Time (SCT)

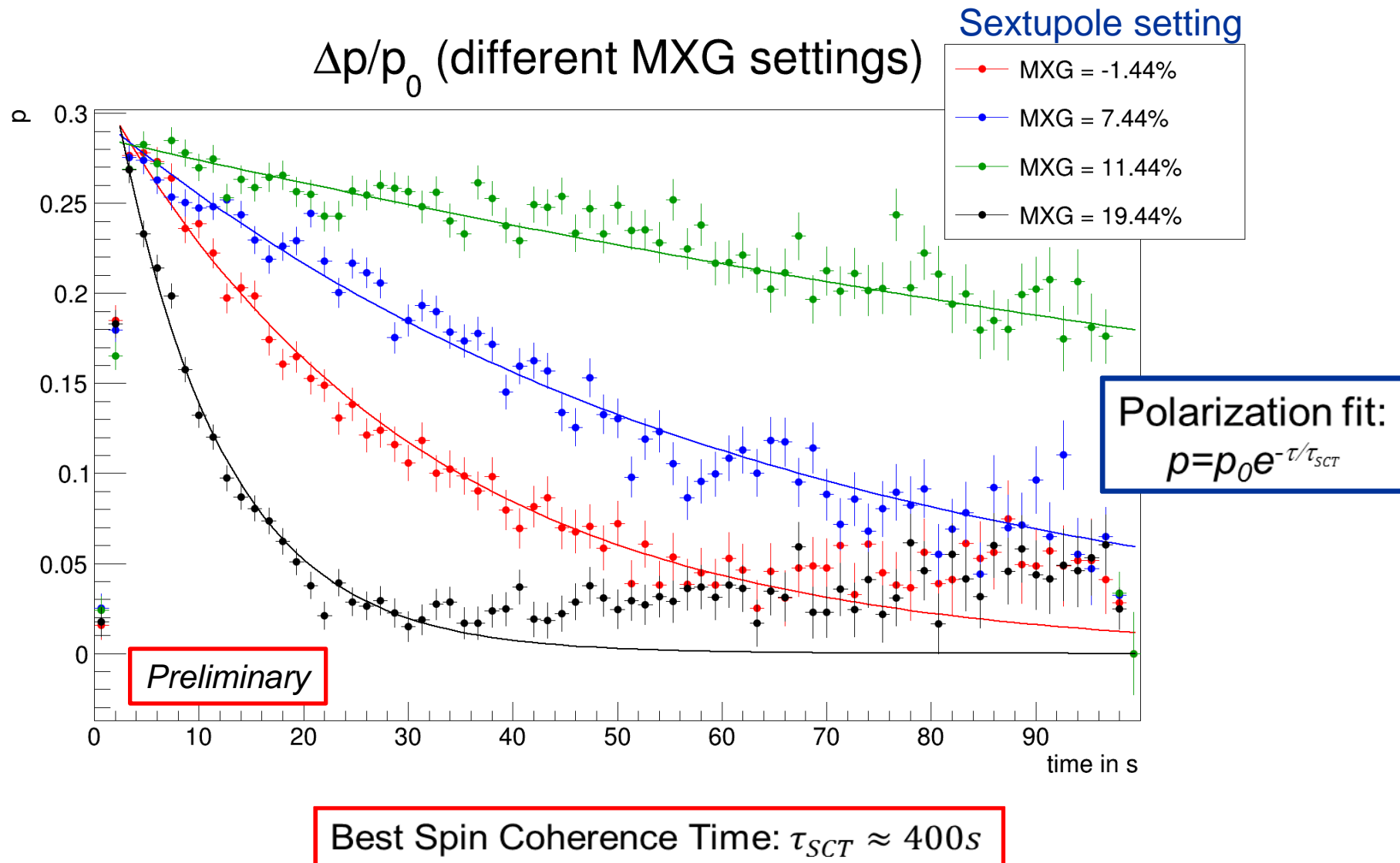
- Statistical sensitivity of EDM proportional to SCT
- Spin precession with $f_s = \gamma G f_{ref} \approx 125$ kHz
- Momentum spread leads to different precession frequencies



Horizontal
Polarization
Vanishes !

- Loss of horizontal polarization \leftrightarrow spin decoherence

Spin Coherence Time (SCT)



Precursor Experiments:

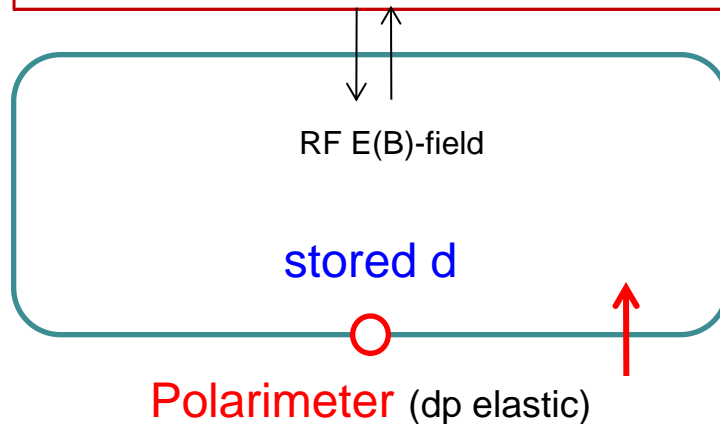
Resonance Method with „magic“ RF Wien filter

Avoids coherent betatron oscillations of beam.

Radial RF-E and vertical RF-B fields to observe spin rotation due to EDM.

Approach pursued for a first direct measurement at COSY.

$$\mathbf{E}^* = \mathbf{0} \Rightarrow \mathbf{E}_R = -\beta \times \mathbf{B}_y \quad \text{„Magic RF Wien Filter“} \quad \text{no Lorentz force} \\ \rightarrow \text{Indirect EDM effect}$$



In-plane
polarization

Observable:

Accumulation of vertical
polarization during spin
coherence time

Investigation of sensitivity and systematic limitations

See talk by
A. Saleev, S. Mey and
S. Chekmenev

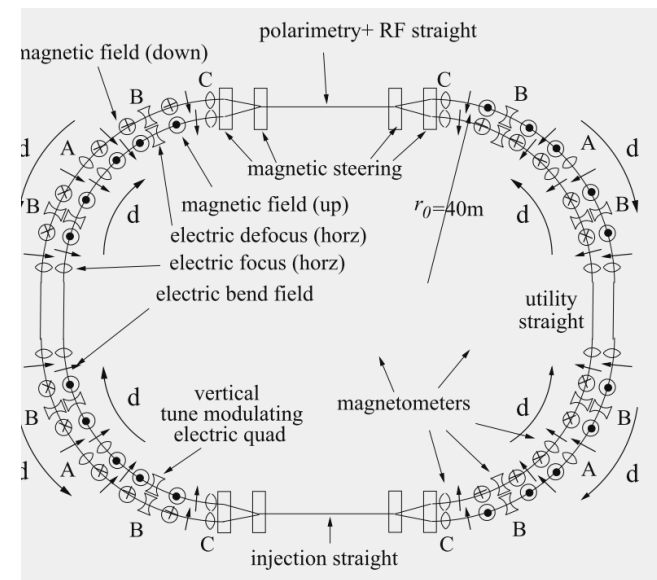
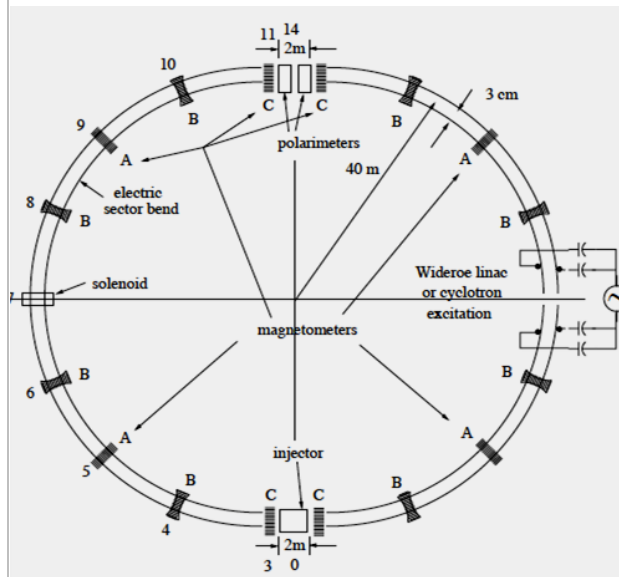
Options:

All-electric ring (proton, electron): only **E-field**

All-in-one ring (proton, deuteron, ^3He): **E- and B-fields**

Challenges:

Huge E-fields
Shielding B-fields
Spin coherence
Beam position
Polarimetry
(...)



srEDM Collaboration

-

JEDI Collaboration

Dedicated precision storage ring

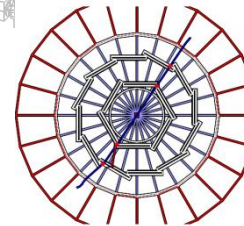
R&D Activities

R&D Activity	Goal	Place / Status
Internal Polarimeter	spin as a function of time Systematic errors < 1 ppm	EDM at COSY
	Full-scale polarimeter	EDM at COSY
Spin Coherence Time	$>10^3$ s	EDM at COSY
Beam Position Monitor	resolution 10 nm, 1 Hz BW 64 BPMs, 10^7 s measurement time → 1 pm (stat.) relative position for single and dual beams (CW-CCW)	CW-CCW beams: RHIC IP Single beams: COSY
E/B-field Deflector	17 MV/m 2 cm plate separation, 0.15-0.5T	Jülich
Spin tracking	Symplectic tracking with RF fields and EDM spin kick	Many places

EDM: Prototyping and Spin Physics



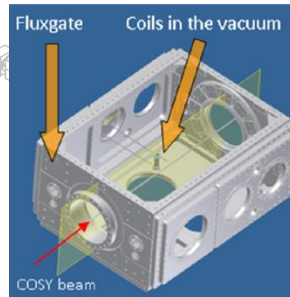
RF ExB Spin Flipper



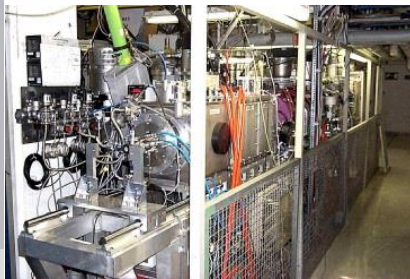
Prototype Polarimeter



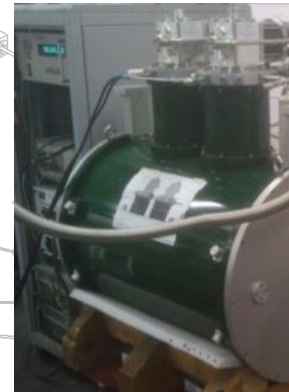
Electrostatic Deflector



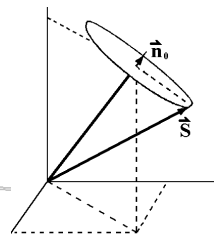
SQUID BPM



Polarized Ion source



Siberian Snake



Beam and Spin Dynamics

Utilized Simulation Programs at Jülich

COSY Infinity (MSU) and MODE (StPSU):

- based on map generation using differential algebra and the subsequent calculation of the spin-orbital motion for an arbitrary particle
- including higher-order nonlinearities, normal form analysis, and symplectic tracking
- an MPI version of COSY Infinity is running on the Jülich supercomputer
- Bench marking with “analog computer” Cooler Synchrotron COSY and other simulation codes

Summary and Outlook

Achievements:

- Spin tune measurement with precision of 10^{-10} in a single cycle
- Long spin coherence time of roughly 400s
- Several spin tracking codes developed

Goals:

- Continue R&D work at COSY
- Pre-cursor experiment at COSY
- R&D work and design study for dedicated EDM storage ring (CDR end of 2018)

See talks by A. SALEEV, S. MEY and S. CHEKMENEV