



# INJECTION BEAM LINE OPTIMIZATION at COSY

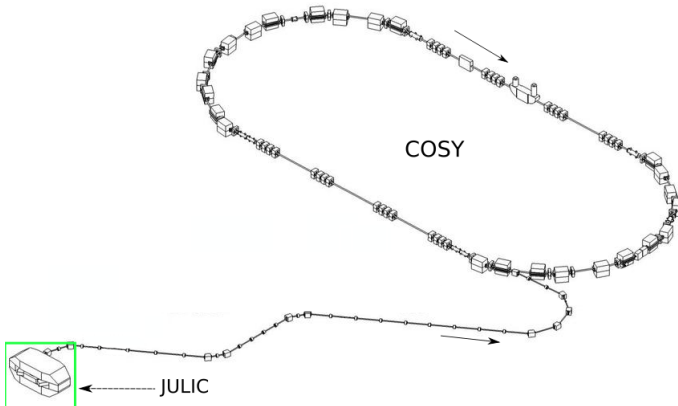
March 6, 2019 | Benat Alberdi (on behalf of JEDI collaboration) | IKP-2, FZ-Juelich

# Outline

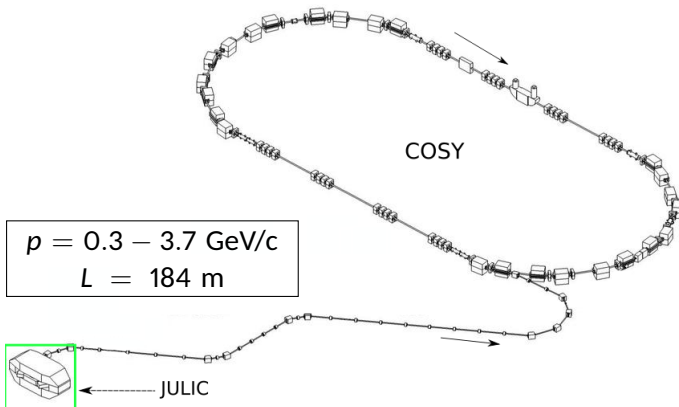
- COSY facility overview
  - Beam source
  - JULIC Cyclotron
  - Injection Beam Line
  - Injection
- Optimization
  - IBL optimization
  - Tracking
  - Emittance measurement
- Next steps

# Facility overview

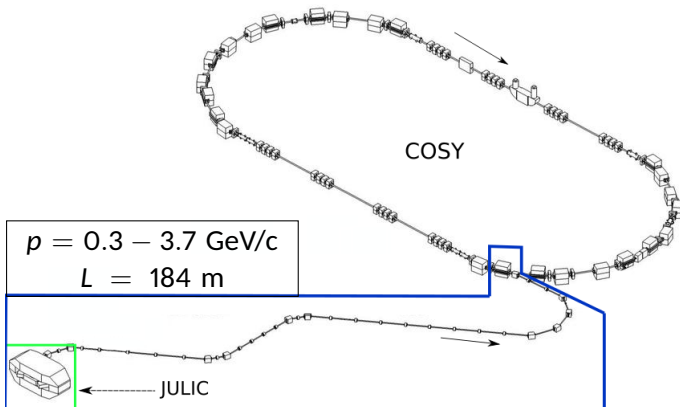
# Facility overview



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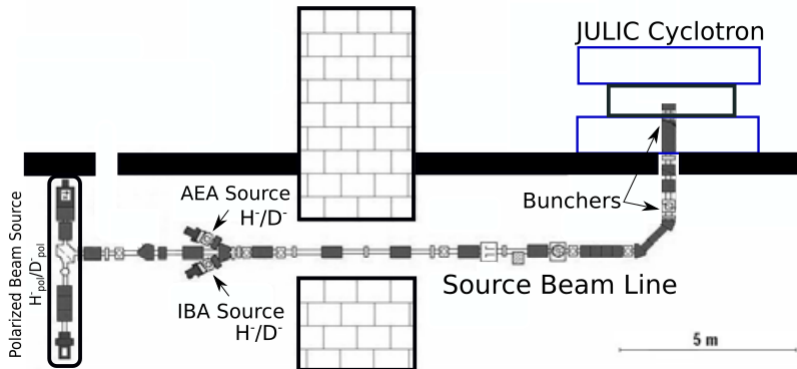


# Facility overview



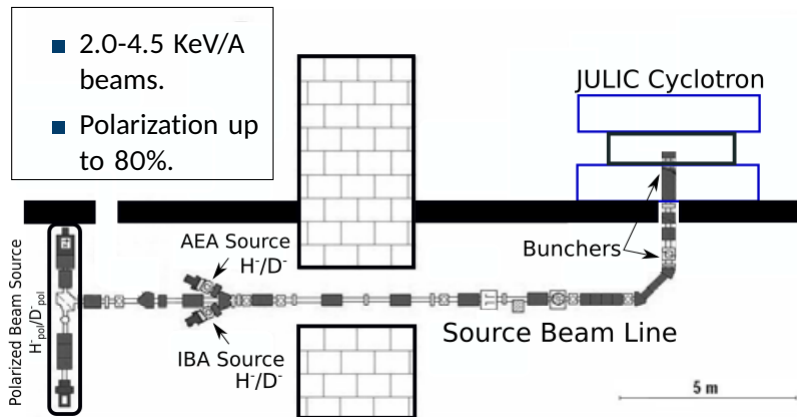
# Beam source

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# Jülich Light Ion Cyclotron (JULIC)

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Originally built for light ions up to Ar, nowadays only  $H^-$  and  $D^-$ .

- 700 tons of iron.
- $f = 20 - 30\text{MHz}$ .
- $\langle B \rangle_{\text{max}} = 1.35\text{T}$

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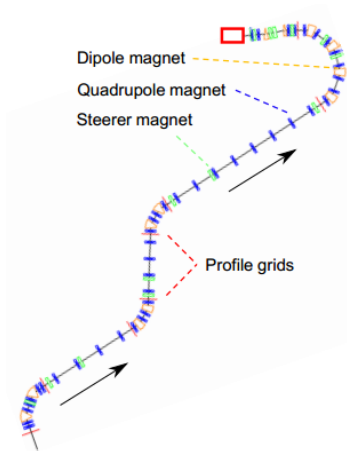
- 700 tons of iron.
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## Extraction

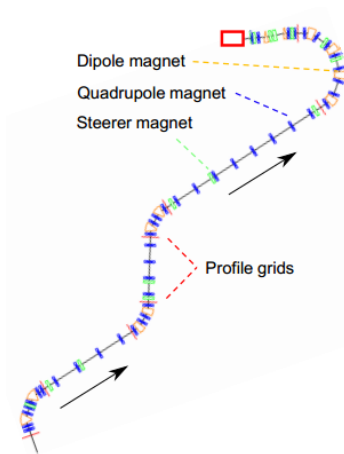
- 45 MeV  $H^-$  or 76 MeV  $D^-$  beams.
- 20ms cycles.

# Injection Beam Line (IBL)

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# Injection Beam Line (IBL)



Provides the connection between JULIC cyclotron and COSY.

- It is 94m long.
- 30mm of vertical offset.
- Composed by 42 quadrupole magnets, 12 dipole magnets and 14 steerer magnets.
- Diagnostic tools included along the IBL: 8 profile grids and 3 phase probes.
- Injection dipole at the end.



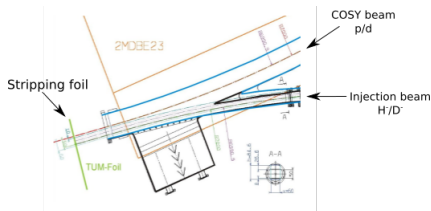
# Injection Dipole

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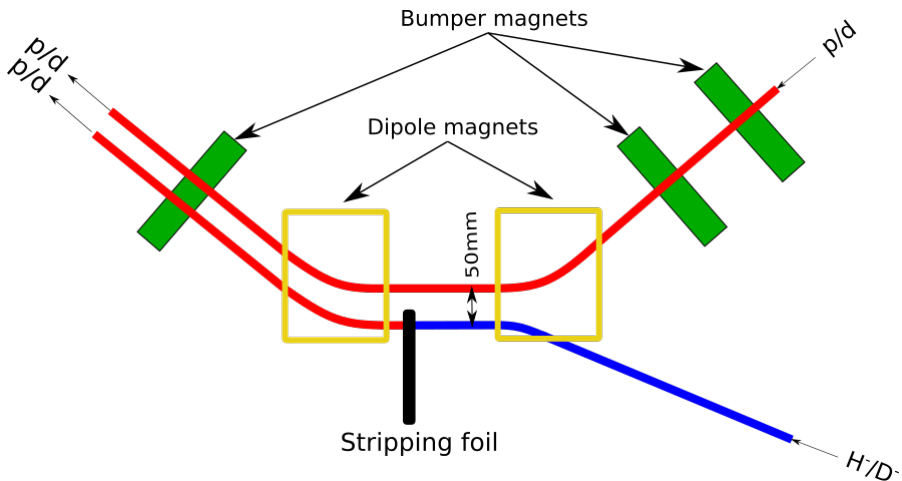
- Injection in COSY is performed by stripping injection into a "distorted orbit".
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# Injection



# Optimization

# Optimization

## Overview

The goal is to make the injection of particles into COSY as efficient as possible. Steps:

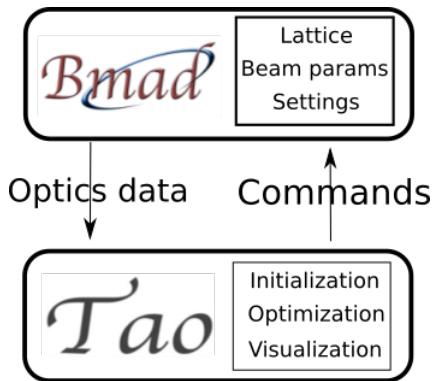
- Develop a model for the IBL.
- Match design specifications.
- Control injection point params.
- Match IBL emittance with COSY acceptance.

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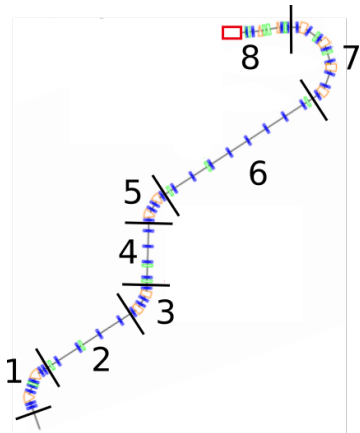
# Injection optimization

IBL



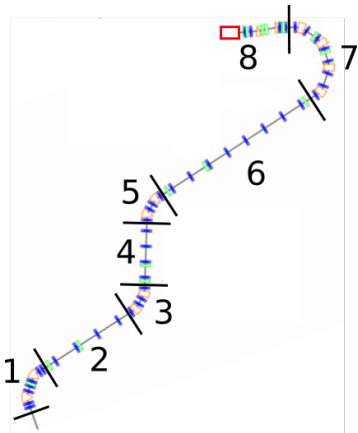
# Injection optimization

IBL



# Injection optimization

IBL



Not all the quadrupoles are independent  
→ 12 free parameters.

## Constraints

Optimized according to INTERATOM design:

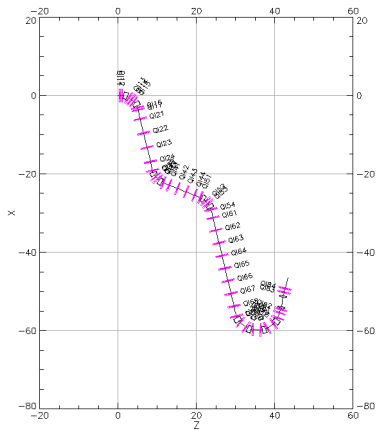
- Sections 2,4,6: FODO structures.
- Sections 1, 3+4+5 and 7 achromats.
- Section 8 controls injection.

# Injection optimization

IBL and tracking

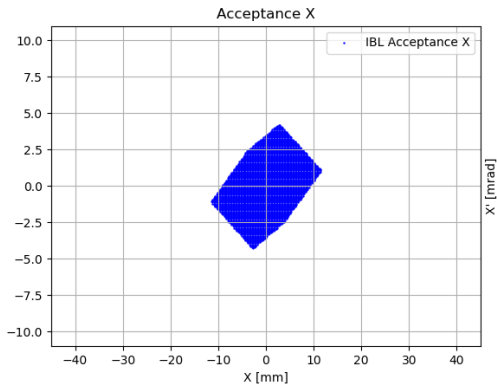
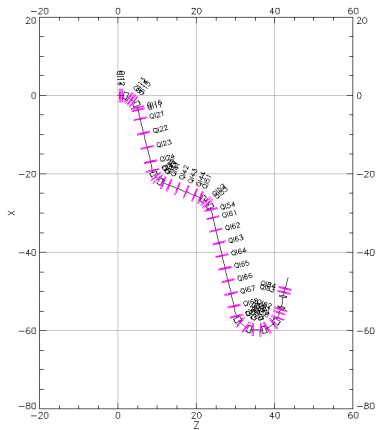
# Injection optimization

## IBL and tracking



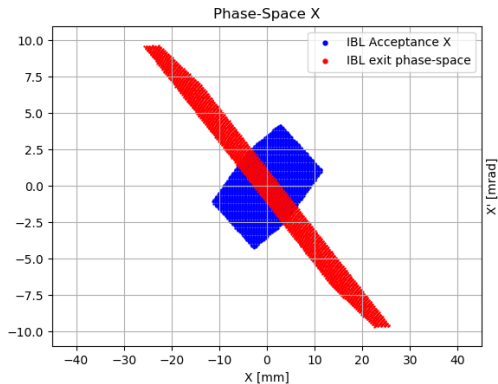
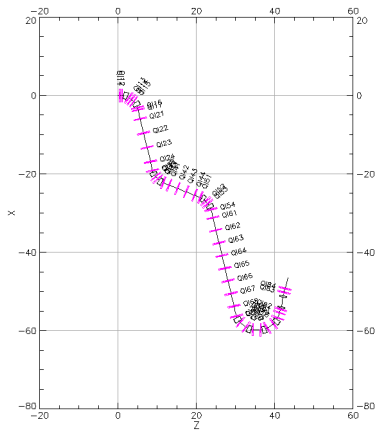
# Injection optimization

## IBL and tracking



# Injection optimization

## IBL and tracking

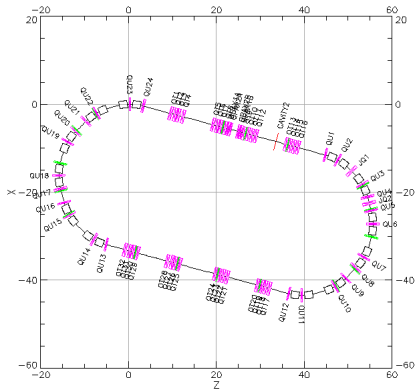


# Injection optimization

Tracking at COSY

# Injection optimization

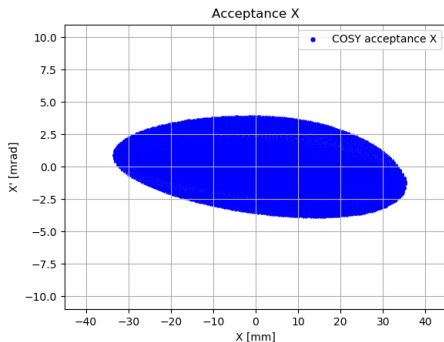
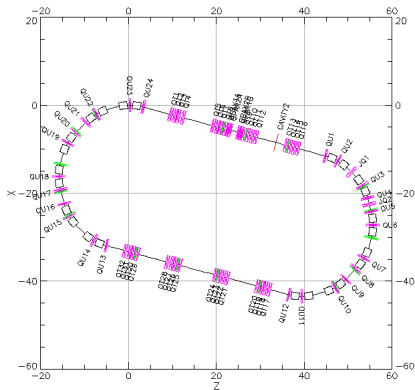
## Tracking at COSY



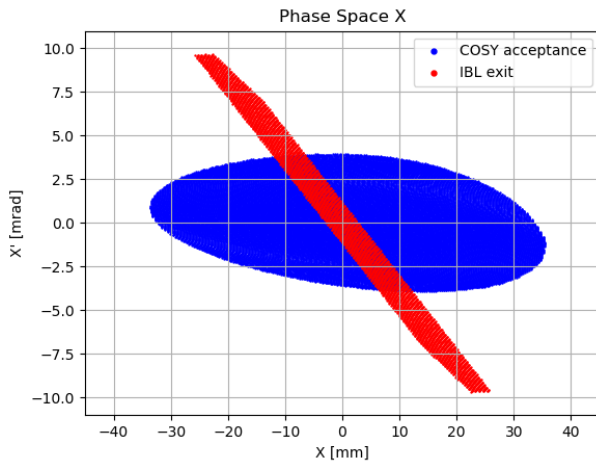


# Injection optimization

## Tracking at COSY



# Combined tracking

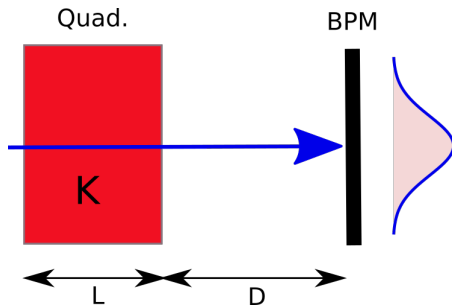


# Injection optimization

Emittance measurement

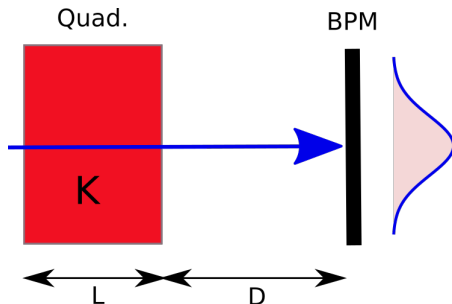
# Injection optimization

## Emittance measurement



# Injection optimization

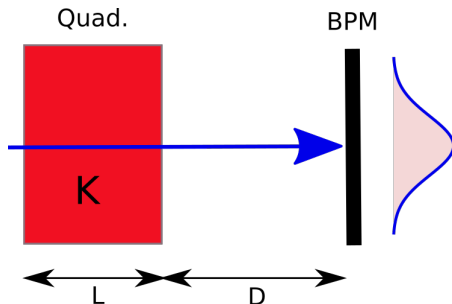
## Emittance measurement



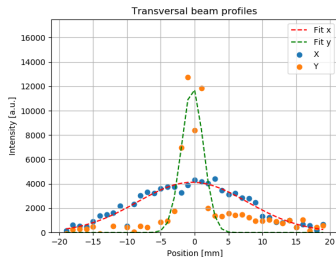
$$M = \begin{bmatrix} 1 & D \\ 0 & 1 \end{bmatrix} \cdot \begin{bmatrix} \cos(\sqrt{K}L) & \frac{1}{\sqrt{K}} \sin(\sqrt{K}L) \\ -\sqrt{K} \sin(\sqrt{K}L) & \cos(\sqrt{K}L) \end{bmatrix}$$

# Injection optimization

## Emittance measurement

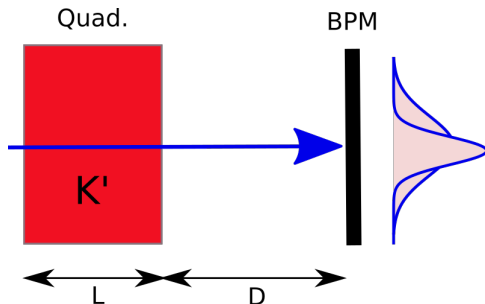


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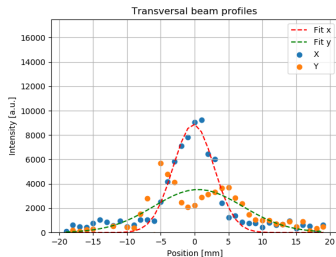


# Injection optimization

## Emittance measurement



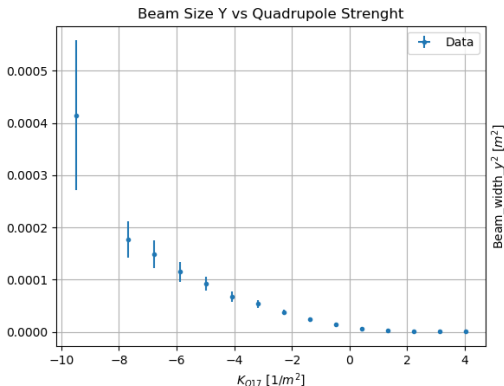
$$M = \begin{bmatrix} 1 & D \\ 0 & 1 \end{bmatrix} \cdot \begin{bmatrix} \cos(\sqrt{K'}L) & \frac{1}{\sqrt{K'}} \sin(\sqrt{K'}L) \\ -\sqrt{K'} \sin(\sqrt{K'}L) & \cos(\sqrt{K'}L) \end{bmatrix}$$



# Injection optimization

## Emittance measurement

Plot of beam size squared vs quadrupole strength for Q17, Y axis.








# Outlook

The planned upcoming steps for optimizing the injection are:

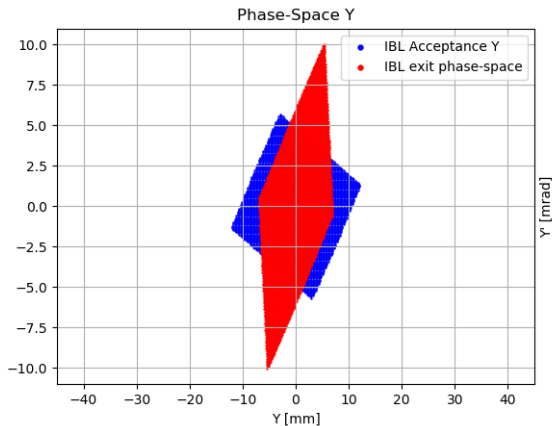
- Analyze the injection dipole.
- Find steerer magnets which allow for independent X and X' variation of the injected beam in the stripping foil.
- Combine IBL and COSY in a simulation for a full tracking, including the orbit bump at injection.
- Match phase space at IBL exit with COSY acceptance.
- Improve the emittance measurement at IBL. Look for other methods.

Thank you!

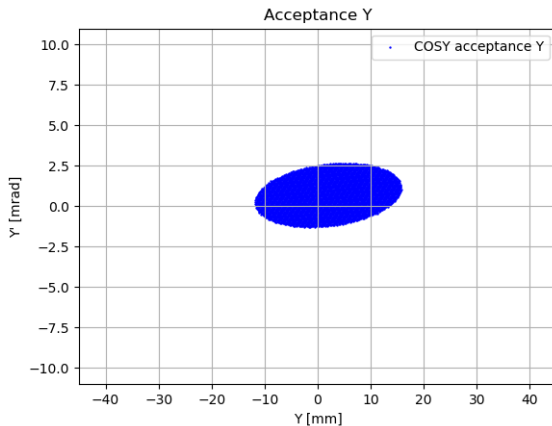
# References

-  R. Gebel, R. Brings, O. Felden, R. Maier, S. Mey, D. Prasuhn (2013)  
20 years of JULIC operation as COSY's injector cyclotron  
Proceedings of Cyclotrons 2013, Vancouver, BC, Canada.
-  C. Weidemann (2016)  
COSY injection and tuning  
Workshop on Beam Dynamics and Control studies at COSY.
-  A. T. Green, Y. M. Shin (2015)  
Implementation of quadrupole-scan emittance measurement at  
Fermilab's Advanced Supercomputing Test Accelerator (ASTA)  
6th International Particle Accelerator Conference.

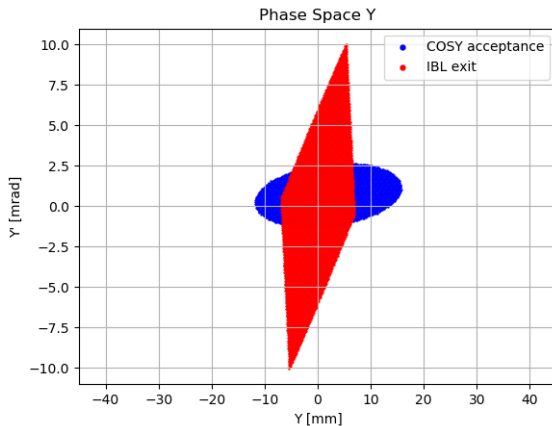
# Spare slides



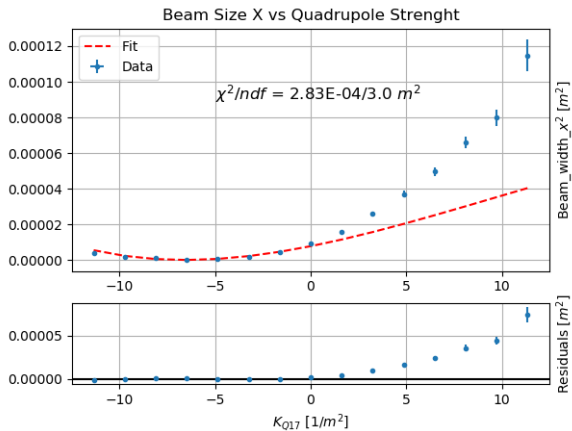
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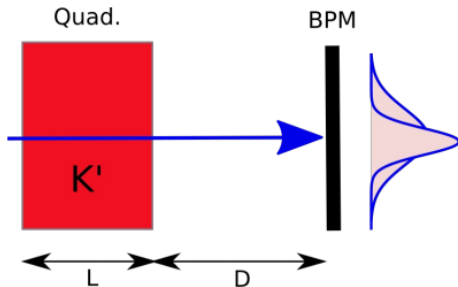
# Spare slides



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# Emittance Measurement: Quadrupole Scan Method



$$M = \begin{pmatrix} 1 & D \\ 0 & 1 \end{pmatrix} * \begin{pmatrix} \cos(\sqrt{K} L) & \frac{1}{\sqrt{K}} \sin(\sqrt{K} L) \\ -\sqrt{K} \sin(\sqrt{K} L) & \cos(\sqrt{K} L) \end{pmatrix}$$

7

$$\Sigma_{beam}(s) = M * \Sigma_{beam}^0 * M^T$$

where

$$\begin{cases} \Sigma_{11} = \langle x^2 \rangle \\ \Sigma_{12} = \Sigma_{21} = \langle x x' \rangle \\ \Sigma_{22} = \langle x'^2 \rangle \end{cases}$$

Finally:

$$\Sigma_{11} = \langle x^2 \rangle = M_{11}^2 \Sigma_{11}^0 + 2 M_{11} M_{12} \Sigma_{12}^0 + M_{12}^2 \Sigma_{22}^0$$

And:

$$\varepsilon = \pi \sqrt{\det(\Sigma_{beam})} = \pi \sqrt{\Sigma_{11}^0 \Sigma_{22}^0 - (\Sigma_{12}^0)^2}$$



First order approximation:  $\begin{cases} \cos(x) \approx 1 + O(x^2) \\ \sin(x) \approx x + O(x^3) \end{cases}$

➡  $\Sigma_{11} = \langle x^2 \rangle = f(K^2, K) \Rightarrow$  Parabolic fit with:  $g(K) = A K^2 + B K + C$

Second order approximation:  $\begin{cases} \cos(x) \approx 1 - \frac{x^2}{2} + O(x^4) \\ \sin(x) \approx x - \frac{x^3}{3!} + O(x^5) \end{cases}$

➡  $\Sigma_{11} = \langle x^2 \rangle = f(K^4, K^3, K^2, K) \Rightarrow$  Fourth order fit:  $g(K) = A K^4 + B K^3 + C K^2 + E K + F$