

Spin Tune Determination at COSY

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Search for Charged Particle EDMs

The **spin precession** in **electric** and **magnetic** fields affected by an **electric dipole moment (EDM)**

$$\text{Thomas-BMT equation: } \frac{d\vec{S}}{dt} = \vec{\Omega}_s \times \vec{S} \quad \text{with } \vec{\Omega}_s = \frac{-q}{m} \left\{ G\vec{B} + \left(\frac{1}{\gamma^2 - 1} - G \right) \left(\frac{\vec{\beta} \times \vec{E}}{c} \right) + d \frac{mc}{q\hbar S} \left(\frac{\vec{E}}{c} + \vec{\beta} \times \vec{B} \right) \right\}$$

$$\text{Spin tune measurement sensitive to EDM: } \nu_s = \frac{|\vec{\Omega}_s|}{\omega_{\text{rev}}} = \frac{\text{spin rotations}}{\text{particle revolutions}}$$

Pure magnetic ring (COSY) and $d=0$: $\nu_s = \gamma G \approx -0.1609$ for a $p=0.97$ GeV/c deuteron beam

New Method to Determine the Spin Tune

Measure up-down asymmetry in polarized deuteron-carbon elastic scattering

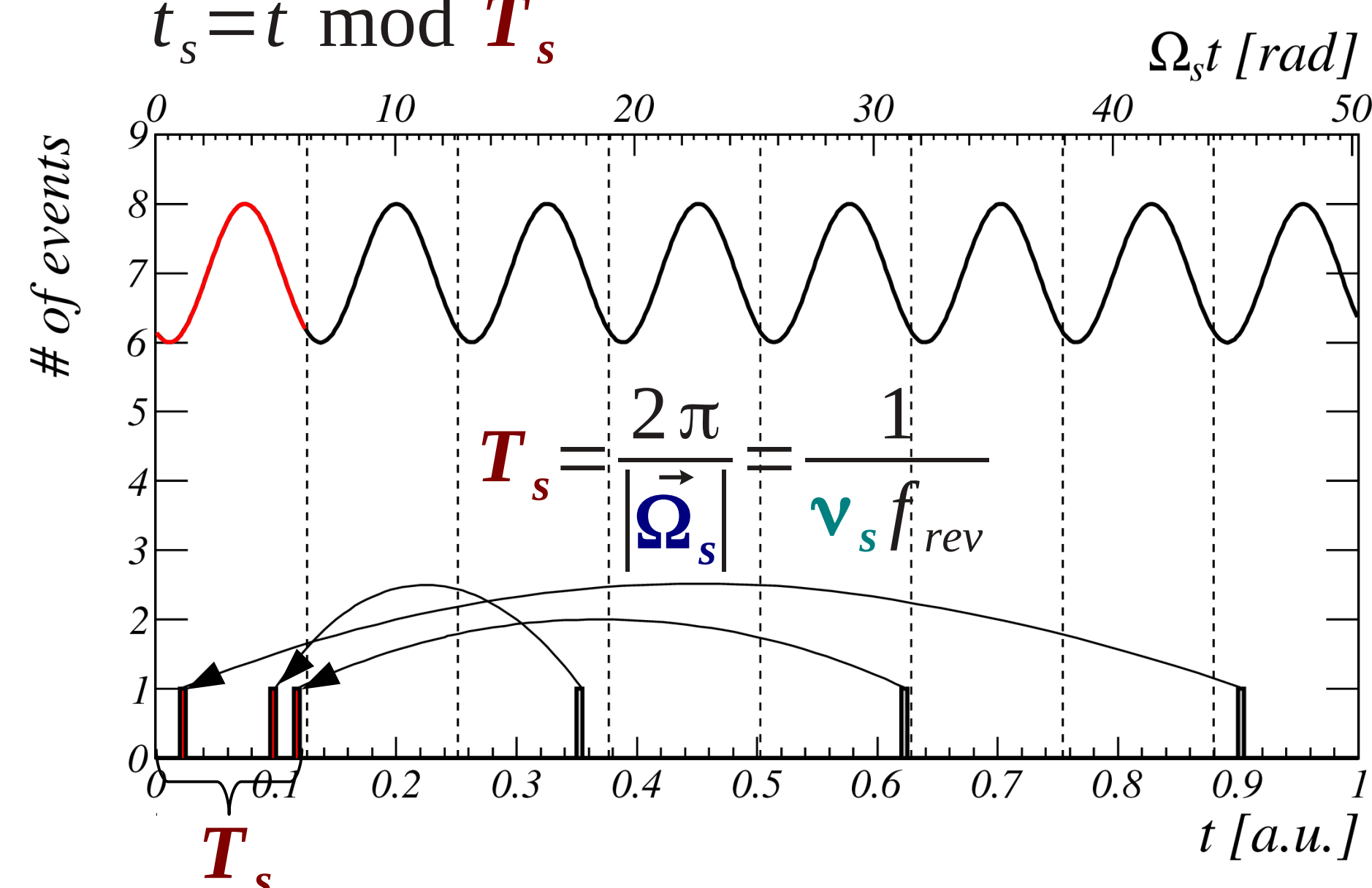
$$\text{Asymmetry: } \mathcal{A}(t) = \frac{N_{\text{up}}(t) - N_{\text{down}}(t)}{N_{\text{up}}(t) + N_{\text{down}}(t)} \sim \sin(|\vec{\Omega}_s|t + \varphi_0)$$

Spin precession ~ 120 kHz \gg 5 kHz event rate \rightarrow no **direct fit possible**

Solution:

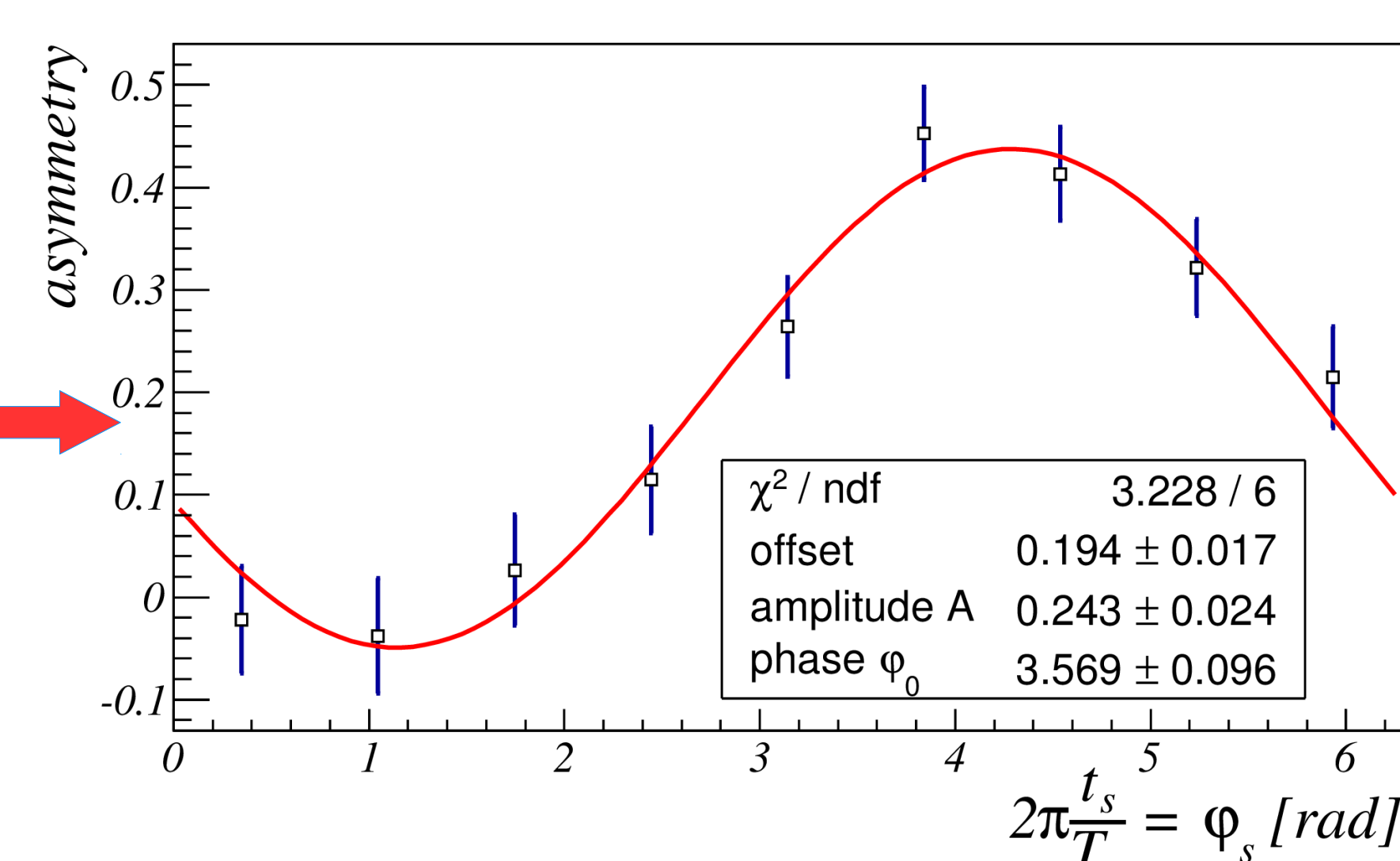
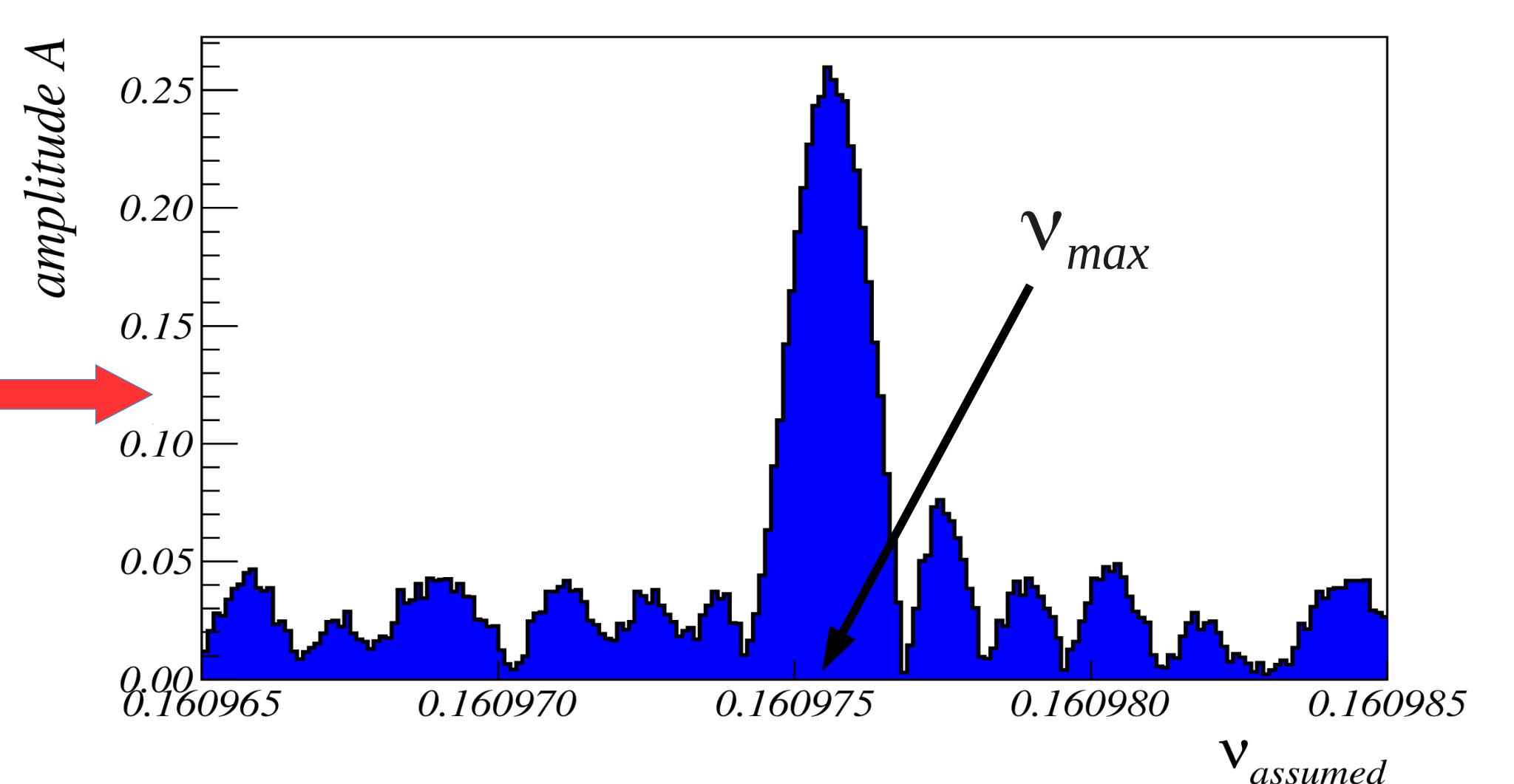
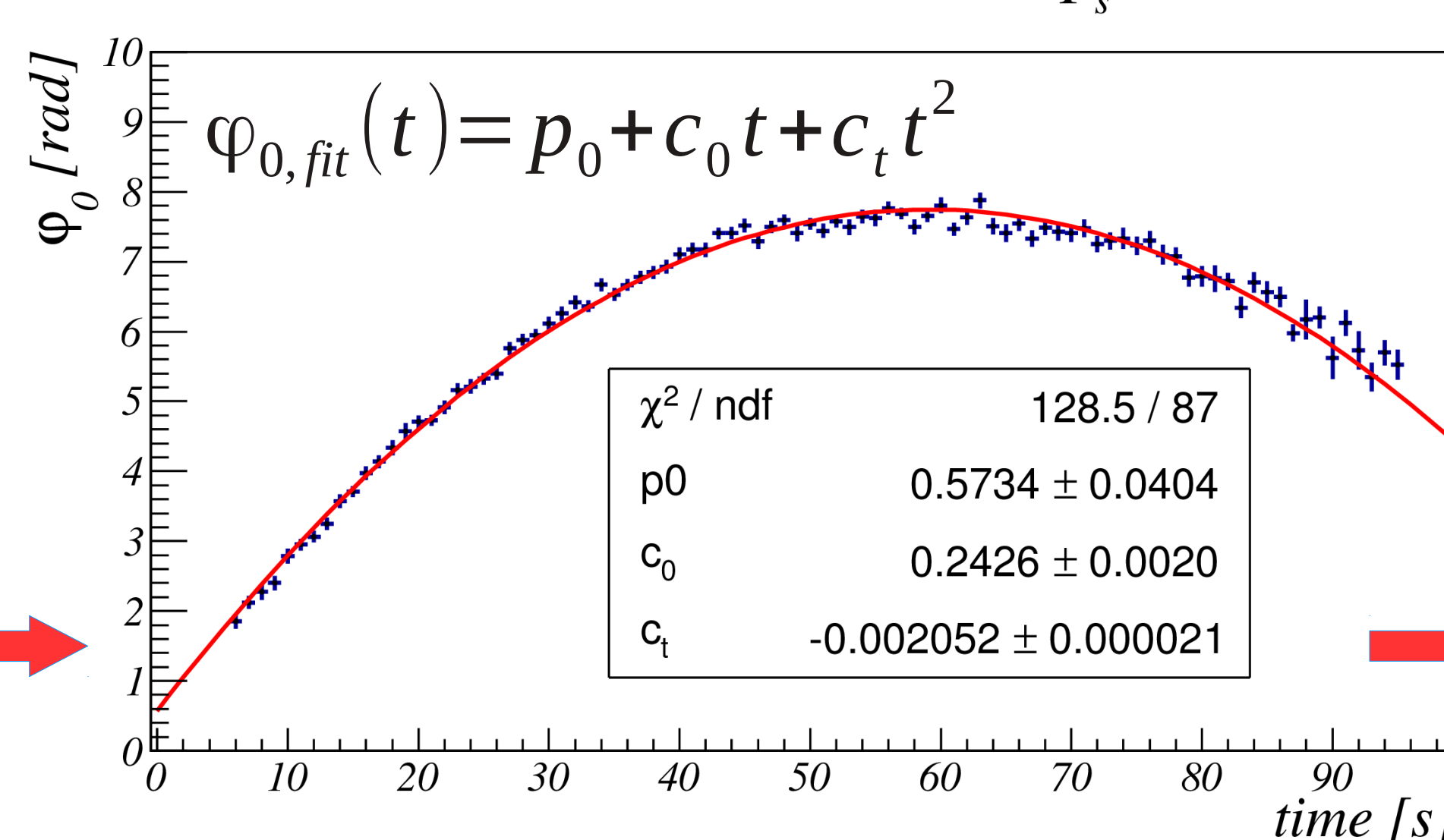
I. Take modulo of event time with a assumed **spin precession period** T_s

$$t_s = t \bmod T_s$$



II. Calculate asymmetry for every one second interval and fit a sine

$$\mathcal{A}_{\text{fit}}(\varphi_s) = A \sin(\varphi_s + \varphi_0) + \text{offset}$$

III. Vary the spin tune ν_s and find maximal amplitude \rightarrow Spin tune precision from the amplitude scan for one second interval $\approx 10^{-6}$ \rightarrow Fix the spin tune for one cycle (100 s) and monitor the phase of the asymmetry fit φ_0 

Time depending spin tune:

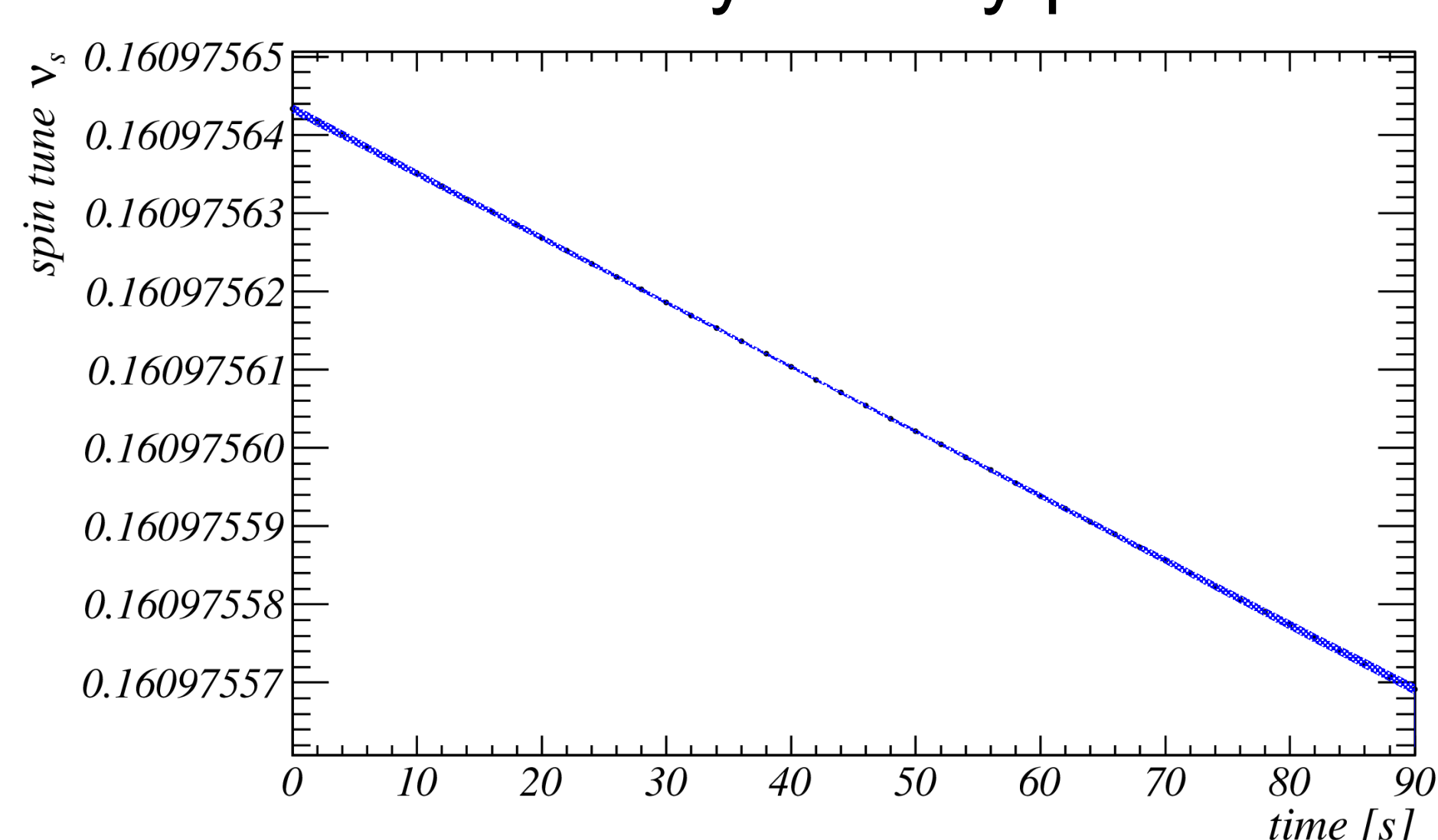
$$\nu_s(t) = \nu_{\text{max}} + \frac{1}{\omega_{\text{rev}}} \frac{\partial \varphi_0(t)}{\partial t}$$

$$= \nu_{\text{max}} + 2.71 \cdot 10^{-7} \frac{1}{s} (c_0 + 2c_1 \cdot t)$$

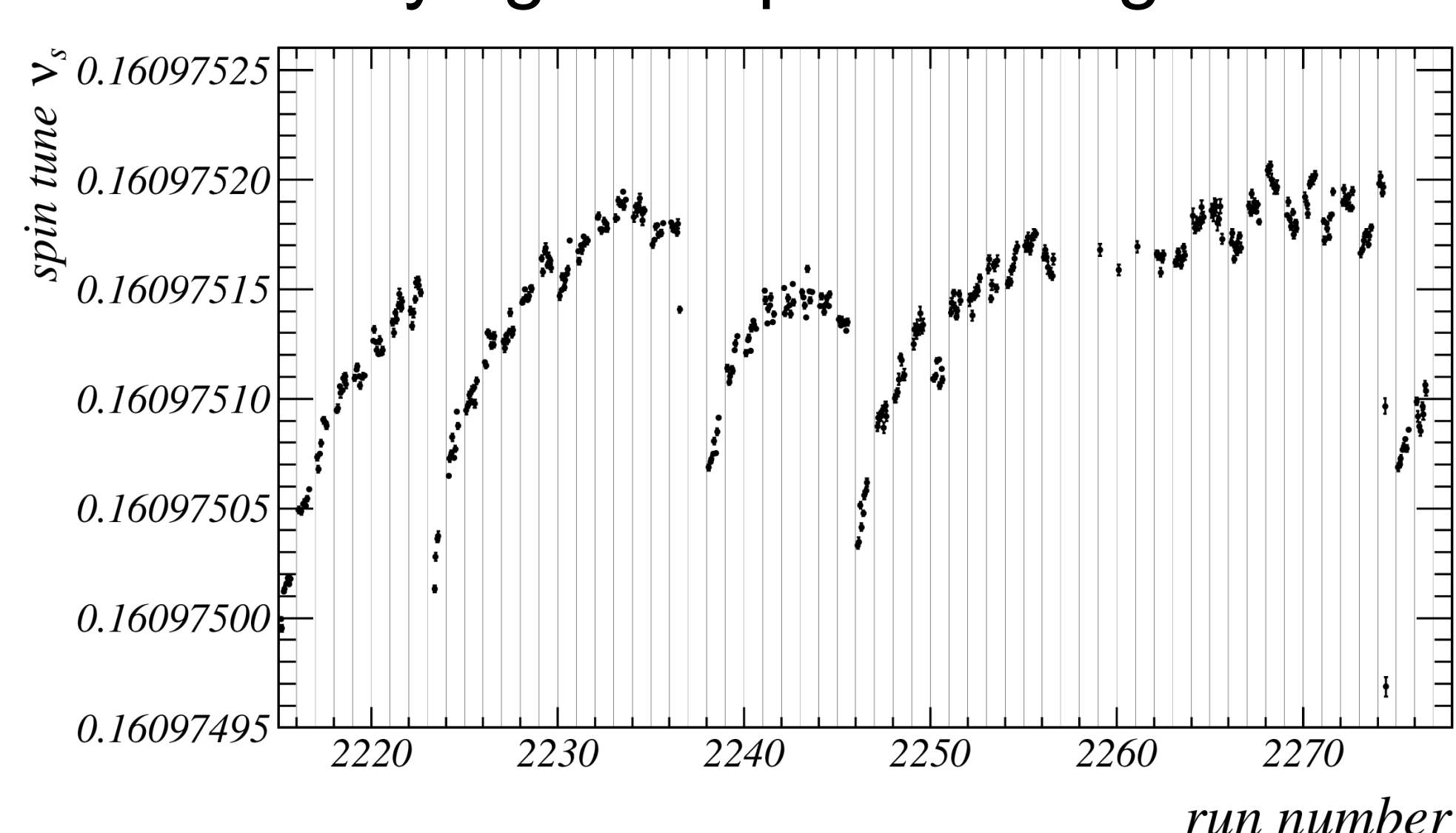
Spin tune precision of 10^{-10} for a 100 s interval

Results

Interpolation of the spin tune from the asymmetry phase



Spin tune for different runs with varying sextupole settings



Conclusion and Questions

The spin tune can be determined with a precision of 10^{-10} in 100 s

Why does the spin tune change

- I. during one cycle?
- II. from cycle to cycle?