

# Development of new Beam Position Monitors at COSY

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- Results from laboratory measurements
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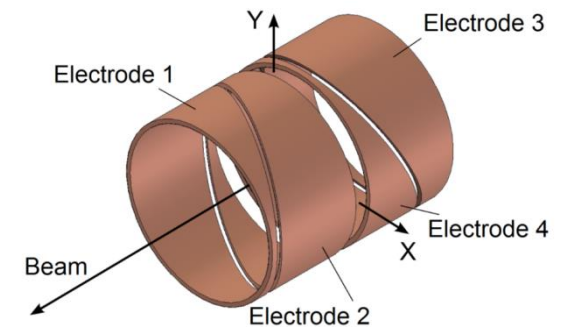
# Introduction

Aim of **J**ülich **E**lectric **D**ipole moment **I**nvestigations collaboration:

- Measure the EDM of charged particles ( $p, d$ )
- Use a modified storage ring:
  - Horizontally polarized beam
  - RF Wien Filter running in phase with spin precession
  - EDM leads to a polarization build-up
  - Challenge:
    - Disentangle EDM from systematic effects
    - Improve orbit and **Beam Position Monitors**

# Beam Position Monitor (BPM)

- BPM measures transverse beam position ( $x_0, y_0$ )
- Standard at COSY: Electrostatic BPM
  - Length:  $\approx 20\text{ cm}$



New development:

- Magnetostatic BPM
  - Length:  $\approx 1\text{ cm}$



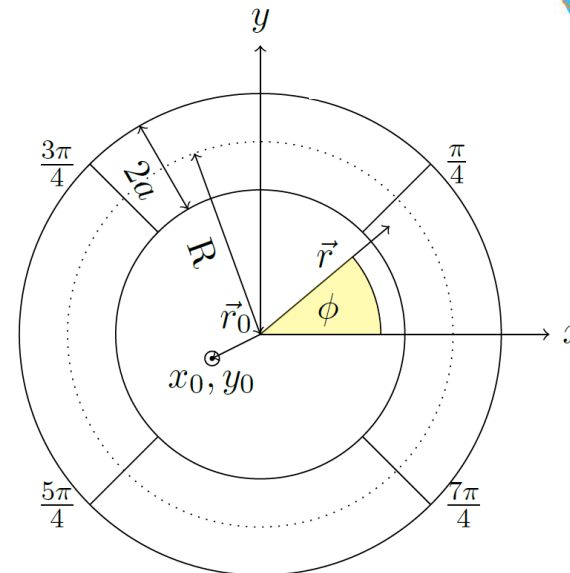
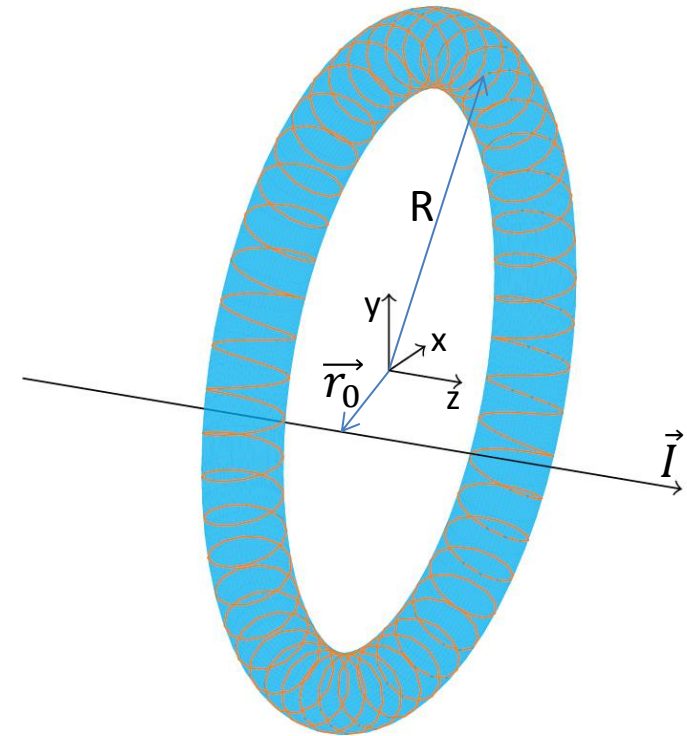
# Rogowski Coil

Pickup-Coil to measure the magnetic flux:

Standard application to measure AC currents

Torus with:

- Major radius  $R = 40 \text{ mm}$
- Minor radius  $a = 5 \text{ mm}$
- Winding with copper wire  $N = 1400$
  
- Divided into
  - One segment (BCT)
  - Two segments (BPM in one dimension)
  - Four segments (BPM in two dimensions)



# Magnetic Field of Particle Beam



Simple Model:

Point-like charge with constant velocity at position  $(x_0, y_0)$ :

Particle Beam:

Pickup-Coil:

Current:  $\vec{I} = I_0 \cdot \vec{e}_z$

Position:  $\vec{r}_0 = \begin{pmatrix} x_0 \\ y_0 \\ 0 \end{pmatrix}$

Position:  $\vec{r} = \begin{pmatrix} x \\ y \\ z \end{pmatrix}$

Magnetic Field:

$$\vec{B} = \frac{\mu_0}{2\pi} \vec{I} \times \frac{\vec{r} - \vec{r}_0}{|\vec{r} - \vec{r}_0|^2}$$



# Induced Voltage in one Segment

$$U_{ind} = -\frac{d}{dt} \int \vec{B} \cdot d\vec{A} = -\frac{d}{dt} \iiint B_{\varphi} dr dz R d\varphi$$

Taylor of  $B_{\varphi}$  to  $\mathcal{O}(r_0^2/R^2)$  leads to:

$$U_{ind,1/1} = \frac{dI_0}{dt} N\mu_0 (R - \sqrt{R^2 - a^2})$$

$$U_{ind,1/2} = \frac{dI_0}{dt} N\mu_0 (R - \sqrt{R^2 - a^2}) \left( 1 - \frac{2}{\pi\sqrt{R^2 - a^2}} x_0 \right)$$

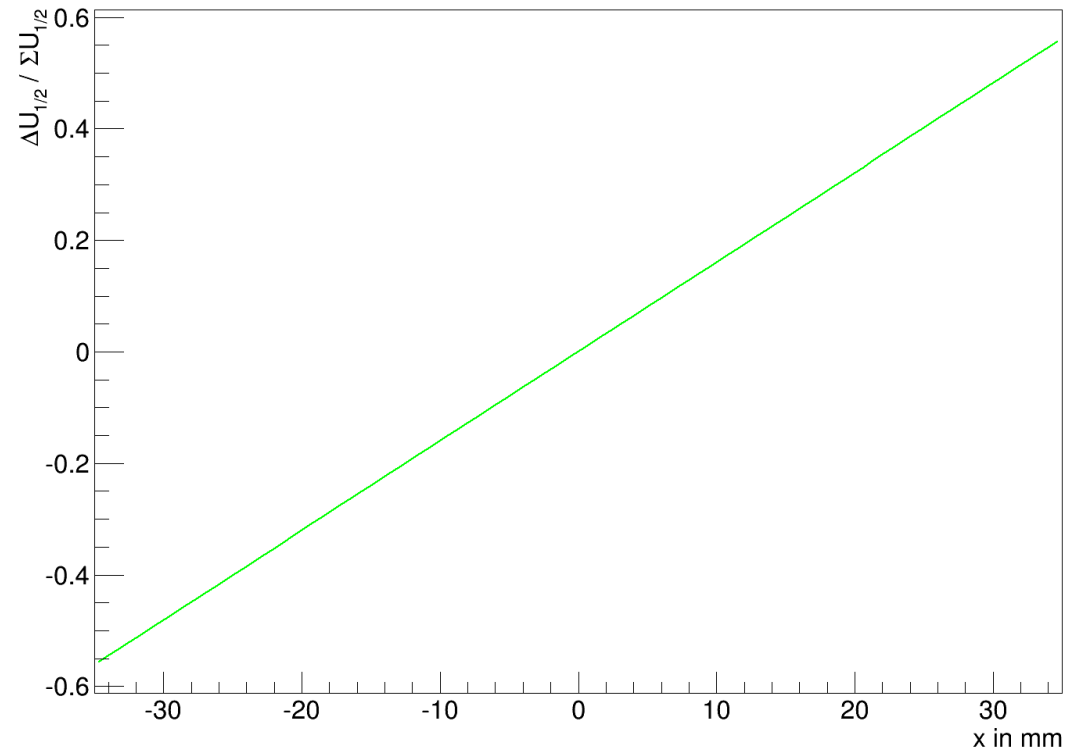
$$U_{ind,1/4} = \frac{dI_0}{dt} N\mu_0 \left( R - \sqrt{R^2 - a^2} \right) \left( 1 - \frac{2\sqrt{2}}{\pi\sqrt{R^2 - a^2}} x_0 - \frac{r_0^2 \sin(2\Psi - 2\varphi) a^2}{\pi(R^2 - a^2)^{3/2} \cdot (R - \sqrt{R^2 - a^2})} \right)$$



# Position Determination I

By using **two halves** of one Rogowski-Coil BPM:  
Measuring the voltage difference and the voltage sum:

$$\frac{\Delta U_{1/2}}{\Sigma U_{1/2}} = \frac{2}{\pi\sqrt{R^2 - a^2}} x_0$$





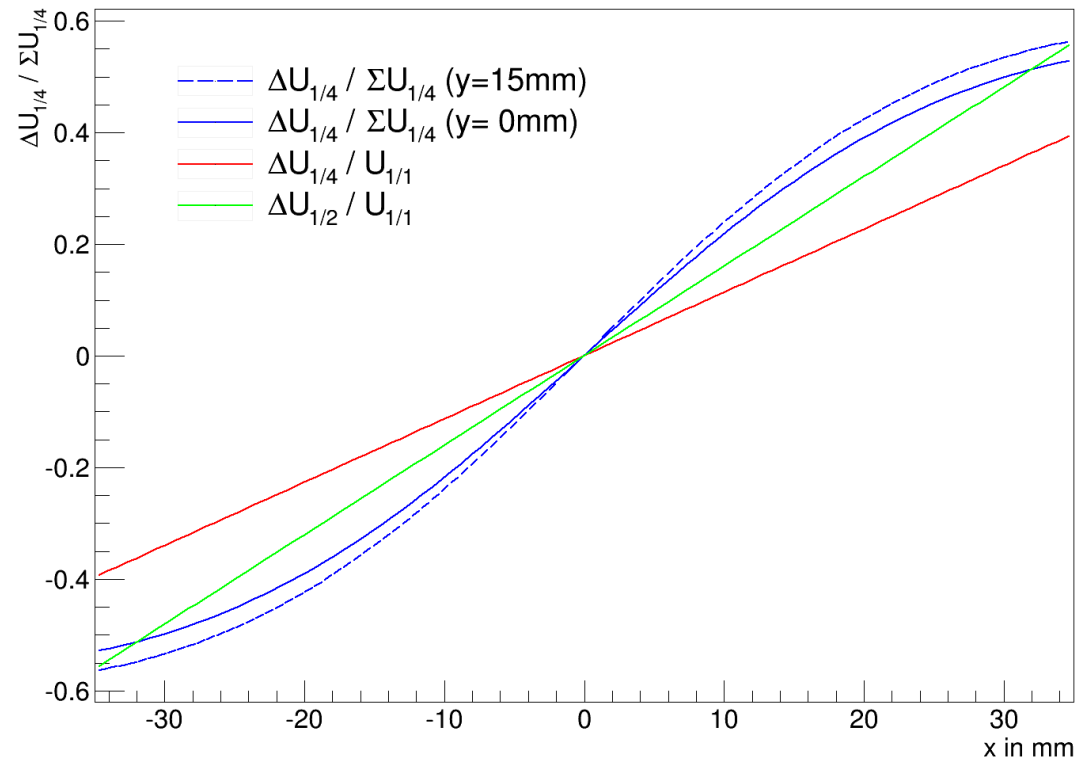
# Position Determination II

By using **two quarters** of one Rogowski-Coil BPM:

Two approaches are possible:

$$1. \quad \frac{\Delta U_{1/4}}{\Sigma U_{1/4}} = \frac{2\sqrt{2}}{\pi\sqrt{R^2 - a^2}} x_0 + \mathcal{O}(x_0 y_0, x_0^2, y_0^2)$$

$$2. \quad \frac{\Delta U_{1/4}}{\Sigma U_{1/1}} = \frac{\sqrt{2}}{\pi\sqrt{R^2 - a^2}} x_0$$



# Position Determination II

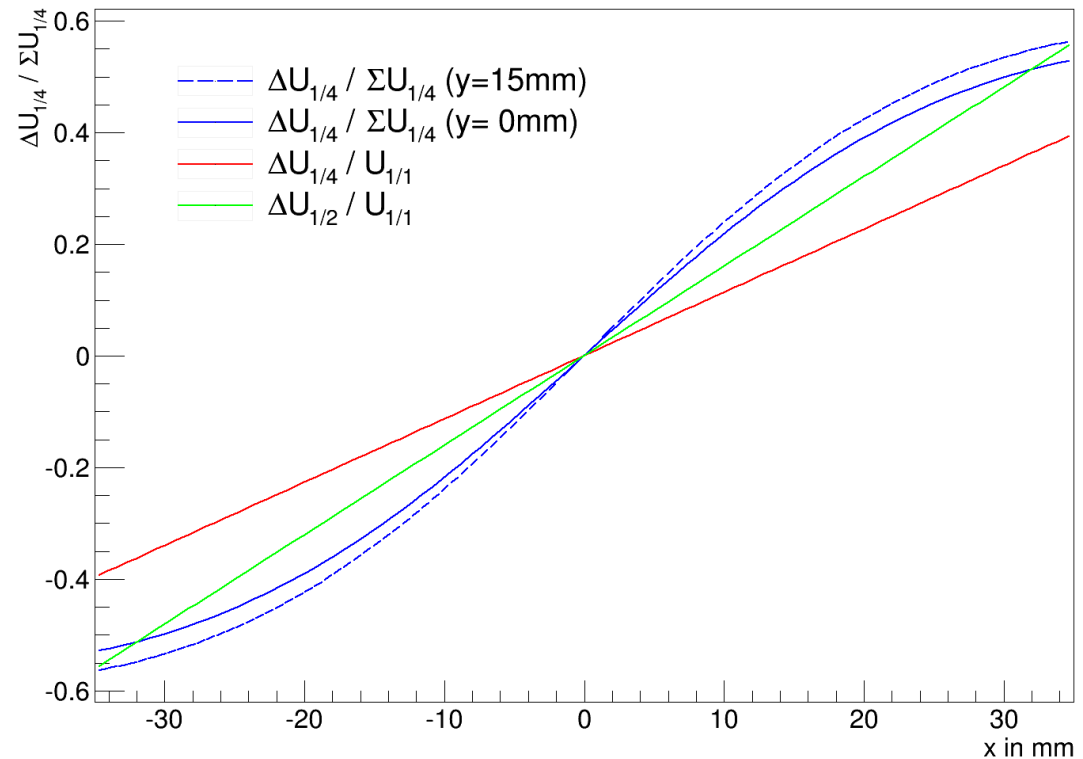
By using **two quarters** of one Rogowski-Coil BPM:

Two approaches are possible:

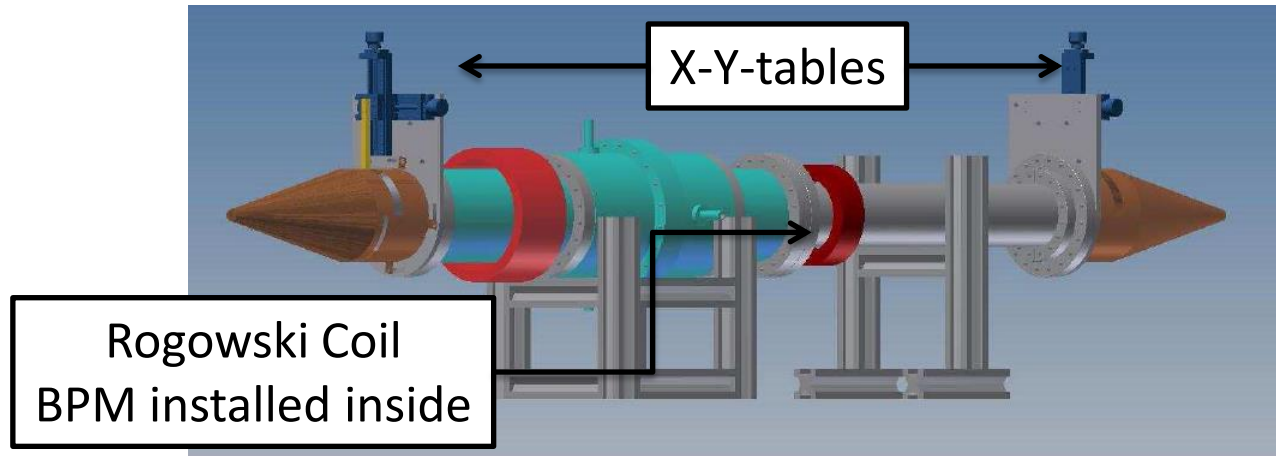
$$1. \quad \frac{\Delta U_{1/4}}{\Sigma U_{1/4}} = \frac{2\sqrt{2}}{\pi\sqrt{R^2 - a^2}} x_0 + \mathcal{O}(x_0 y_0, x_0^2, y_0^2)$$

$$2. \quad \frac{\Delta U_{1/4}}{\Sigma U_{1/1}} = \frac{\sqrt{2}}{\pi\sqrt{R^2 - a^2}} x_0$$

- Maximum Sensitivity with  $\frac{\Delta U_{1/4}}{\Sigma U_{1/4}}$  but not linear
- Linear with  $\frac{\Delta U_{1/4}}{\Sigma U_{1/1}}$  but lower sensitivity



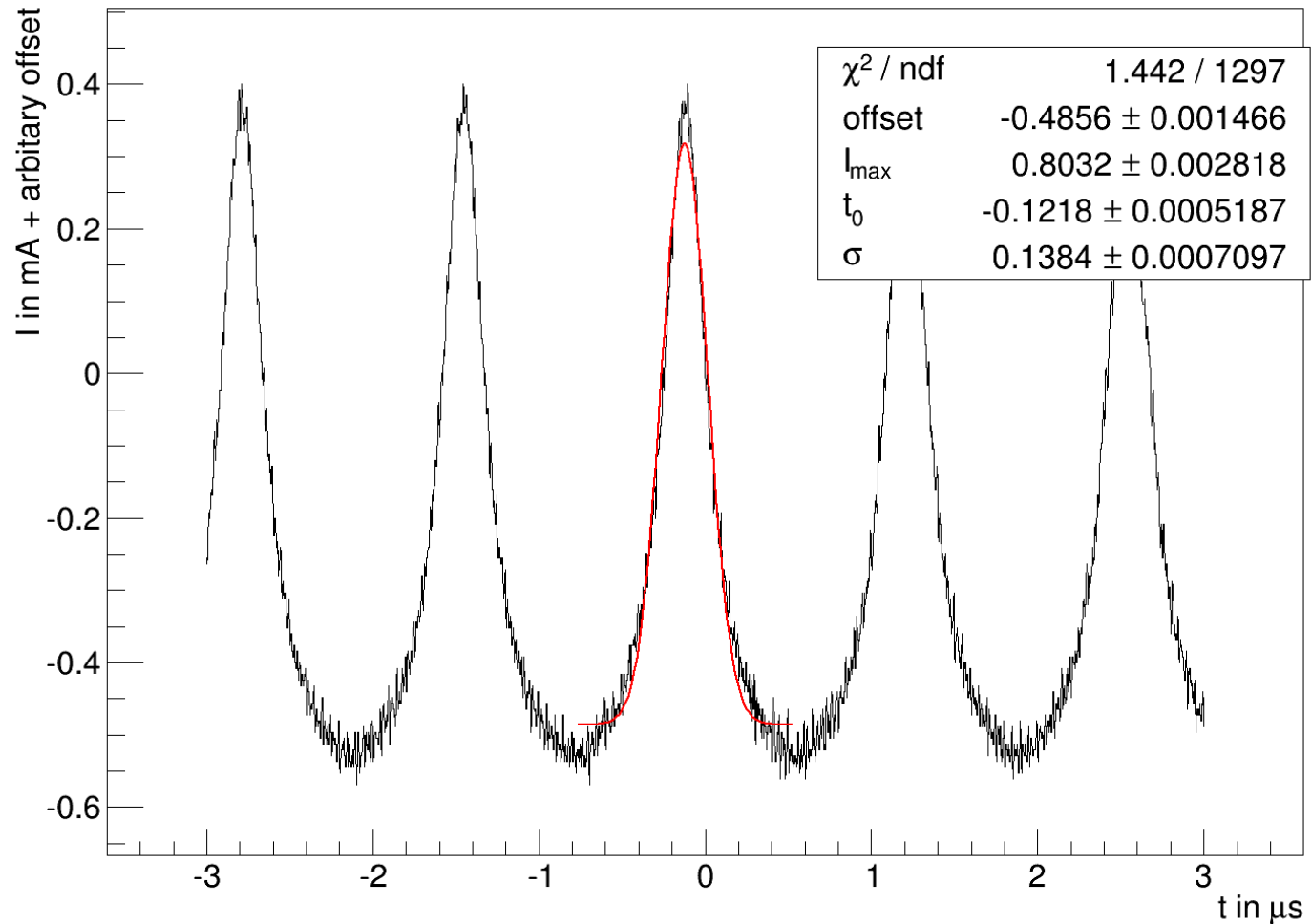
# Measurement at Testbench



- Installation of one quartered Coil at test bench
- Movable wire inside
- Simulated Gaussian beam with parameters like a cooled beam in COSY

- $f = 750 \text{ kHz}, N \approx 10^{10} \text{ particles}, \frac{\Delta T}{T} \approx 0.1$

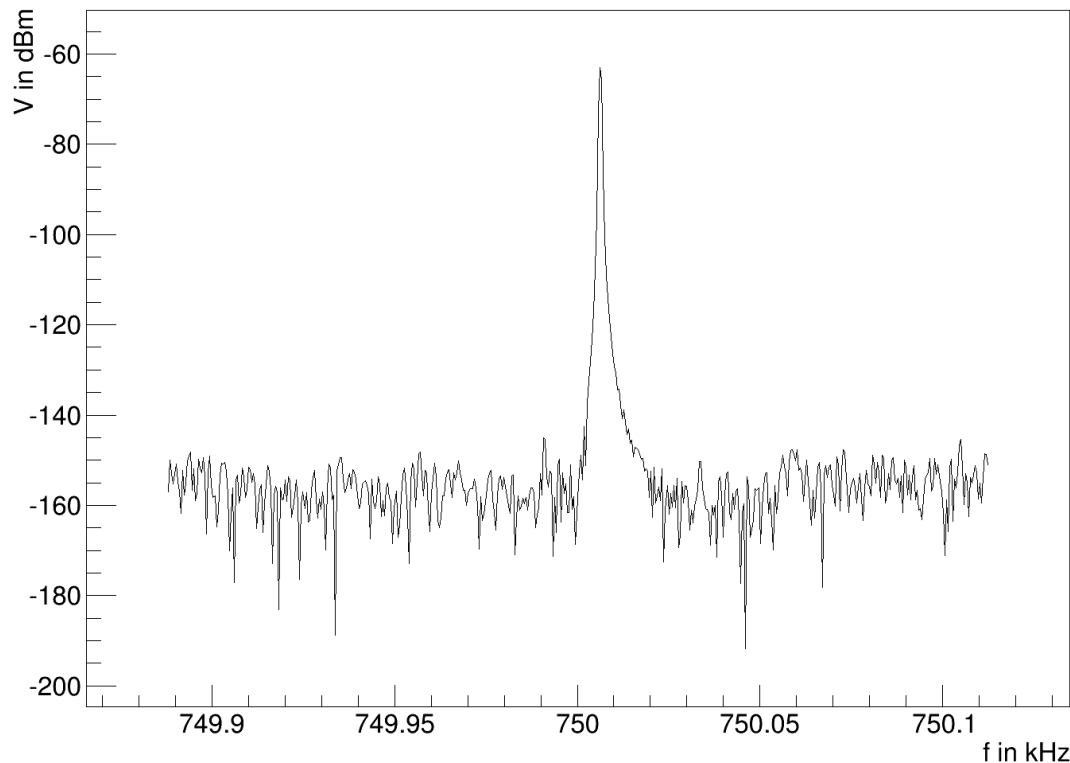
# Current Distribution



- $f = 750 \text{ kHz}, N \approx 10^{10} \text{ particles}, \frac{\Delta T}{T} \approx 0.1$

# Position Measurement

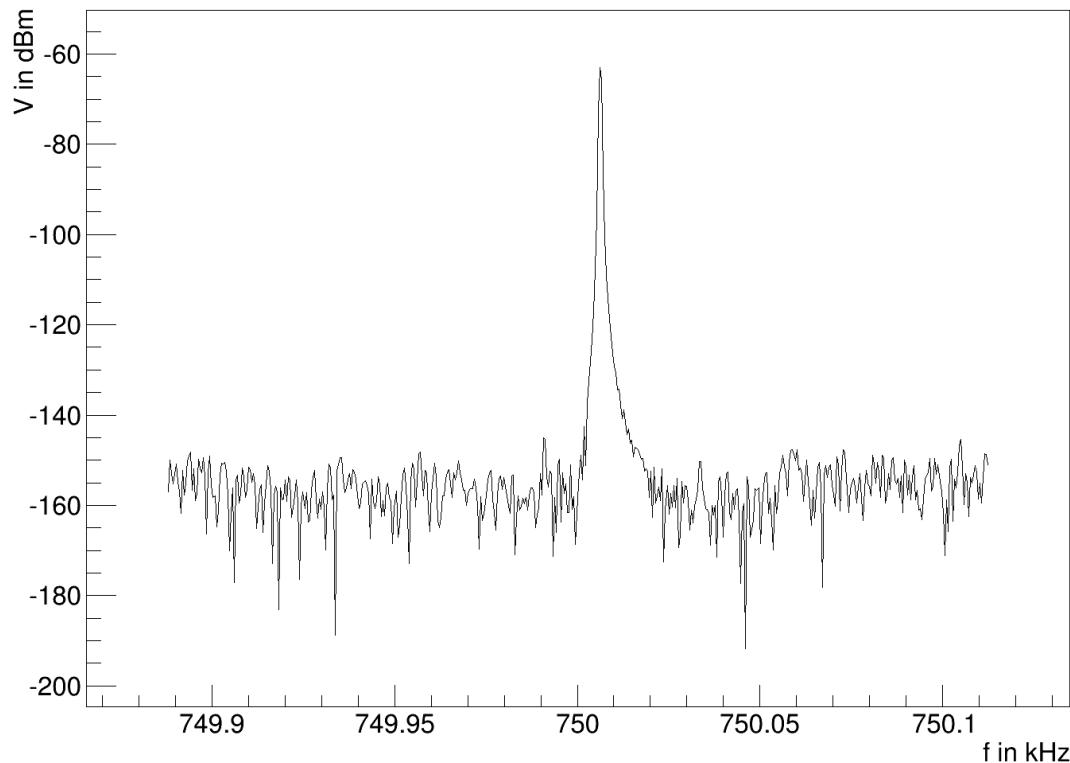
- Vary position of wire:
  - $y_0 = 0 \text{ mm}$ ,  $x_0 = -30 \text{ mm to } 30 \text{ mm}$
- Measure voltage of all four quarters with Lock-In Amplifier:



$x_0 = 0 \text{ mm}$ ,  $y_0 = 0 \text{ mm}$   
 $SNR \approx 1500$   
 $U = 62.40 \mu V \pm 0.03 \mu V$

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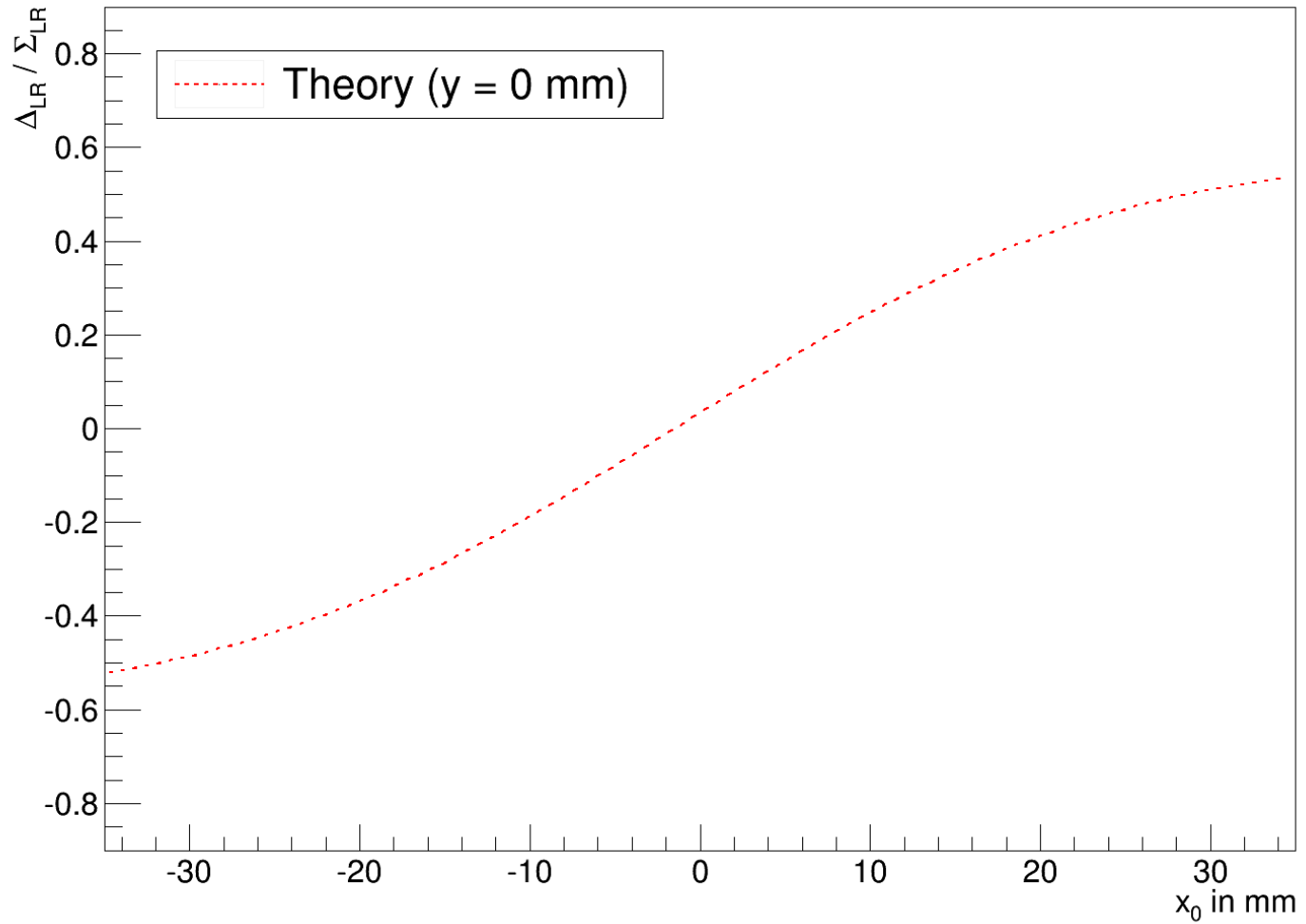
$$U = 62.40 \mu V \pm 0.03 \mu V$$

Calculate:

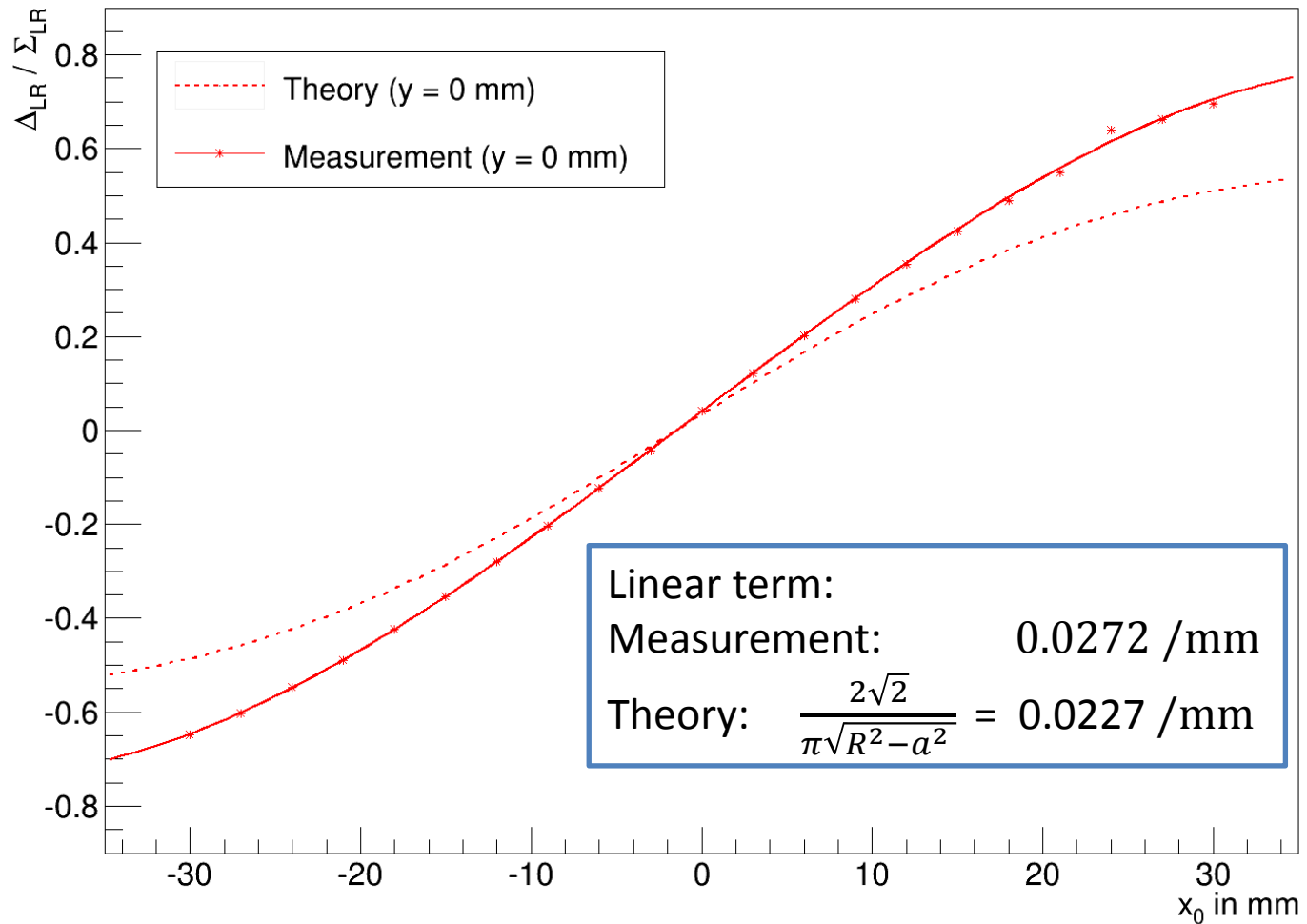
$$\Delta U_{1/4}$$

$$\Sigma U_{1/4}$$

# Measurement Results I

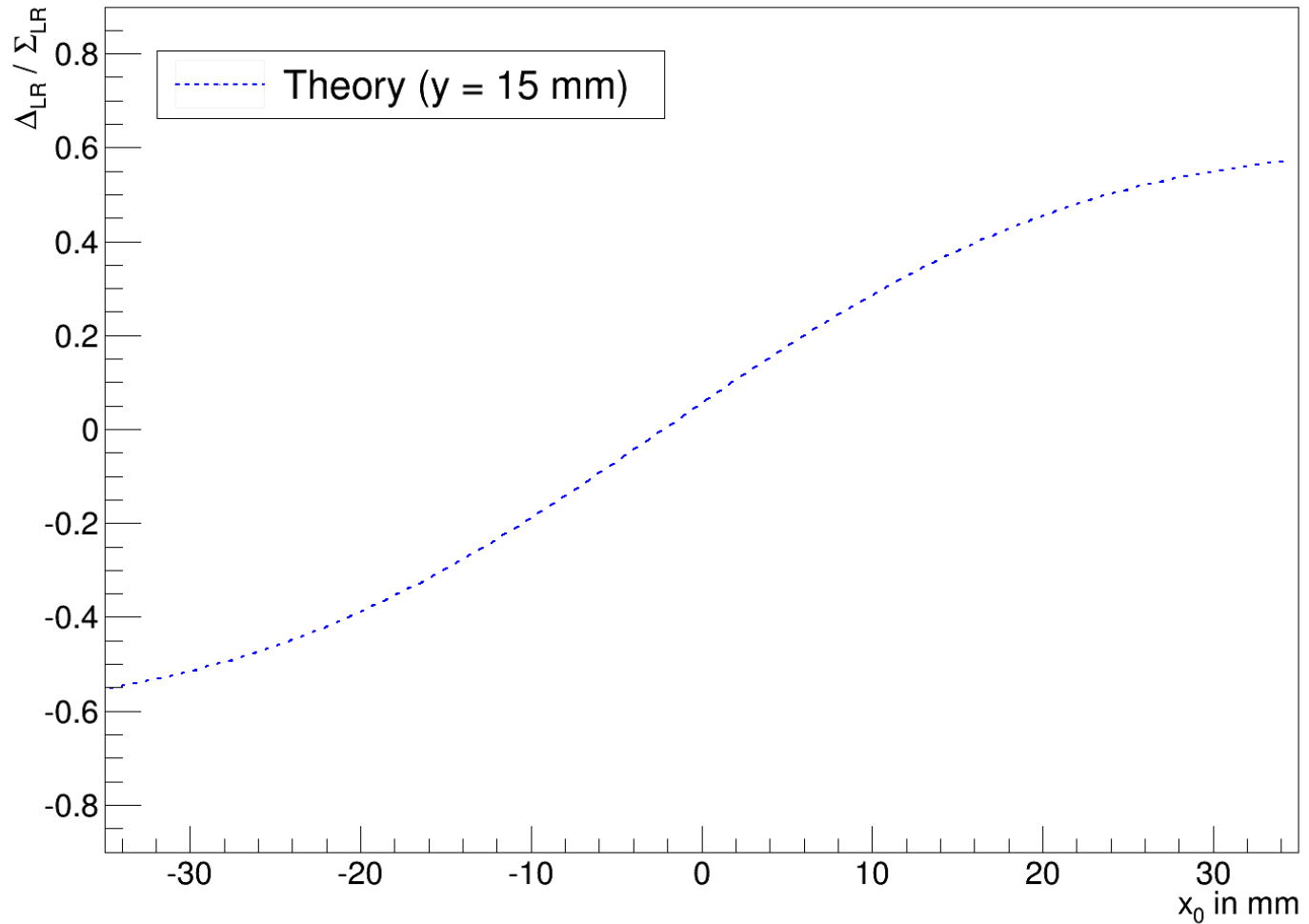


# Measurement Results I

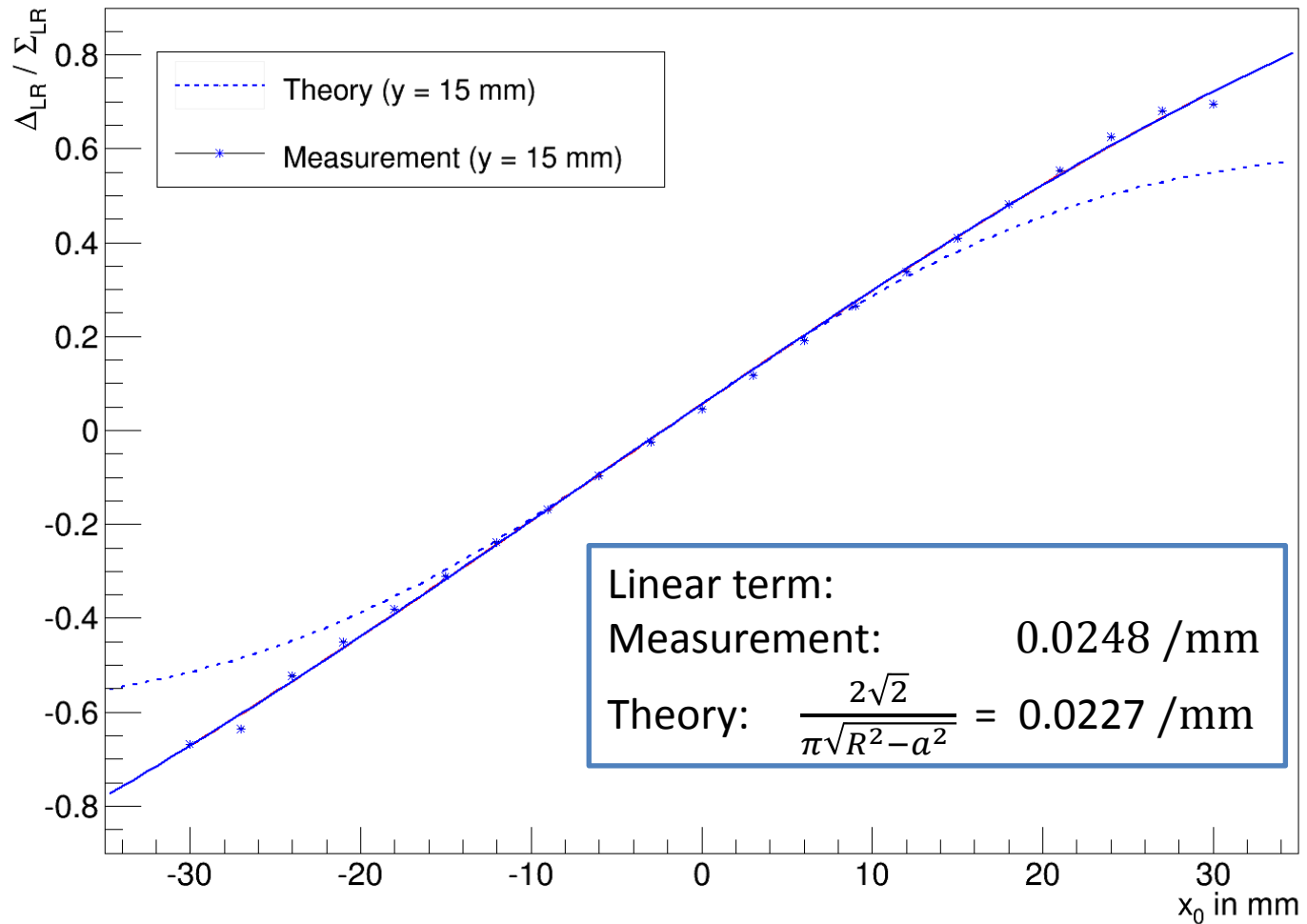




# Measurement Results II



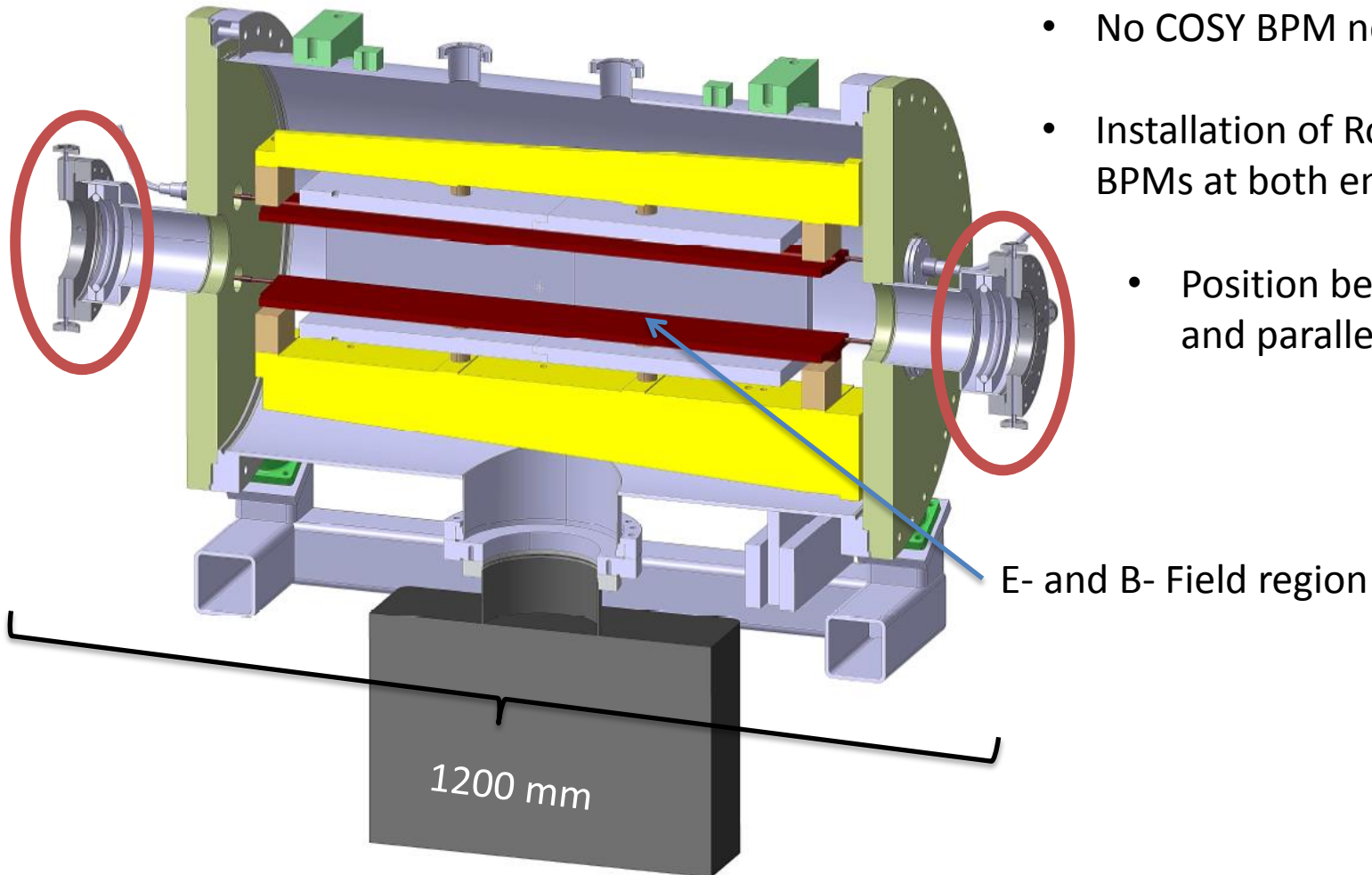
# Measurement Results



# RF Wien Filter

Installation between quadrupoles

- No COSY BPM next to it
- Installation of Rogowski Coil BPMs at both ends
- Position beam in center and parallel to Wien Filter



# Outlook

- Improve theoretical prediction
- Installation of a system at COSY in May 2015
  - Comparison between electrostatic BPM and magnetostatic BPM
- Calibration of measurement system for Wien Filter

