

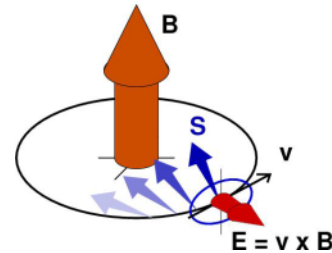
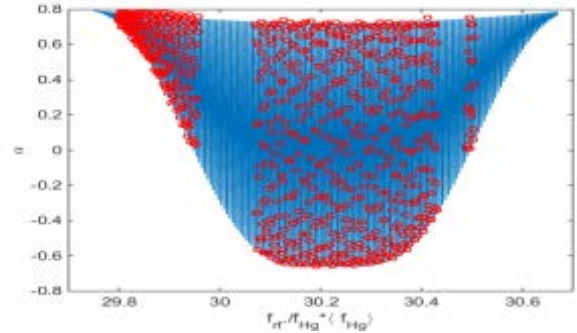
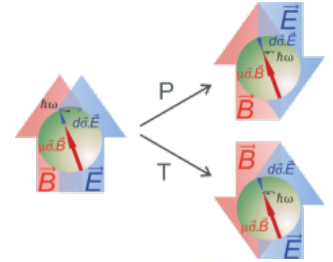
nEDM spectrometer at PSI

P. Schmidt-Wellenburg, Paul Scherrer Institute

Electric dipole moments:

a window to physics beyond the Standard Model

- What is an electric dipole moment, and why search for it?
- The neutron EDM search
 - Techniques and methods
 - Search for an oscillating EDM
- A future project:
Search for a muon EDM
- Conclusion



CP violation & edm

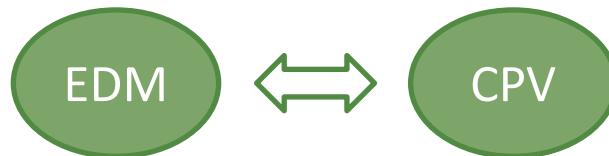
$$H = -(\mu \vec{s} \cdot \vec{B} + d \vec{s} \cdot \vec{E})$$



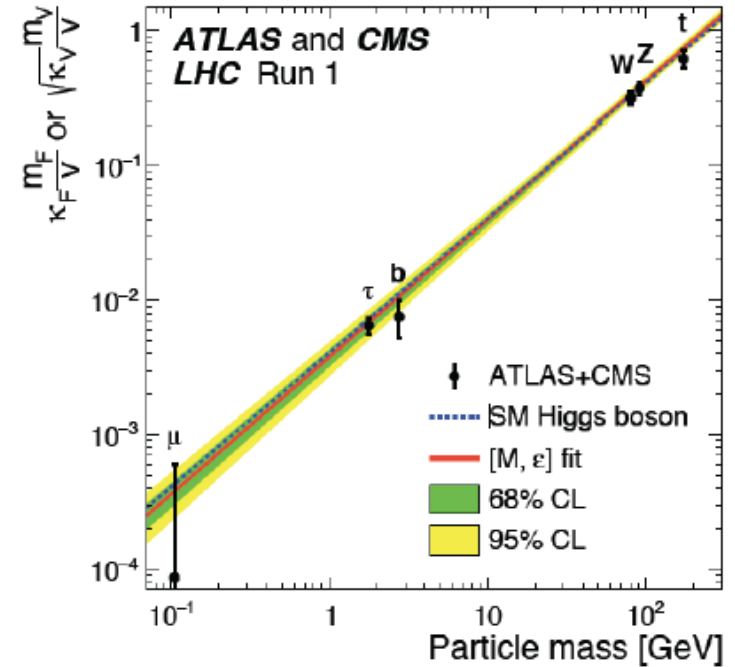
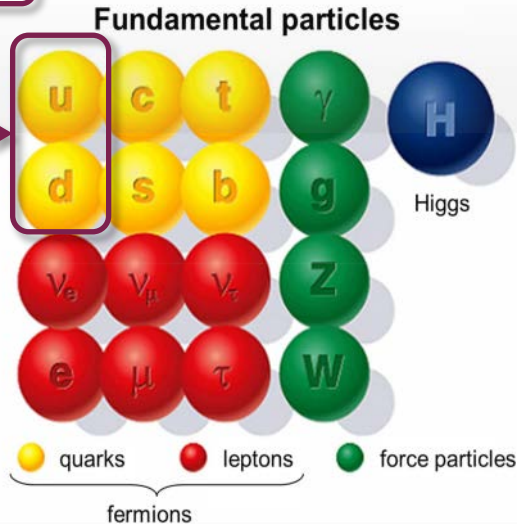
Time reversal

$$\begin{aligned} H &= -(\mu(-)\vec{s} \cdot (-)\vec{B} + d(-)\vec{s} \cdot \vec{E}) \\ &= -(\mu\vec{s} \cdot \vec{B} - d\vec{s} \cdot \vec{E}) \end{aligned}$$

A non-zero particle EDM
violates P, T
and, assuming CPT
conservation, also **CP**.



- Higgs at 125 GeV
- Higgs coupling to heavy particles consistent with SM
- **But:** no gravity, no dark matter, no **baryon creation, strong CP problem, ...**



Footprints not explained by Standard Model

- **Gravity**

- **Dark matter /Dark energy**

Only about 4% of the Universe's energy content are explained by the SM.

- **Tension in B-decays**

Several $\sim 3\sigma$

- **$g-2$ of the muon**

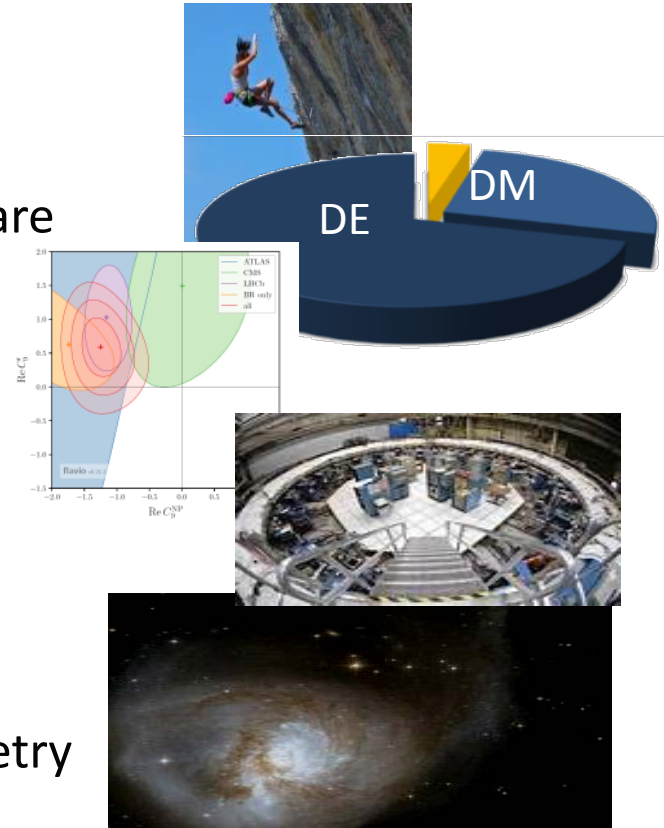
The $g-2$ value for muon disagrees by $\sim 3.6 \sigma$

- **Matter/Anti-matter asymmetry**

SM cannot expectation observed baryon asymmetry

- **Strong CP problem**

Hadron EDM gives access to QCD vacuum term



Ingredients needed for baryon genesis

1. Baryon number violation

2. C and **CP violation**

3. Thermal non-equilibrium



Anomalous B-violating processes

SM Sphalerons:



$$\Gamma(A + B \rightarrow C) \neq \Gamma(\bar{A} + \bar{B} \rightarrow \bar{C})$$

EDMs

SM CKM CPV:



Prevent washout by inverse processes

LHC: scalars

SM EWPT:



(Requires Higgs mass <80meV)

The strong CP -problem

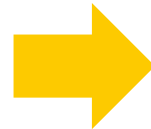
$$L_{\text{eff}} = L_{\text{QCD}} + \theta \frac{\alpha_s}{8\pi} \varepsilon^{\mu\nu\rho\sigma} G_{\mu\nu}^a G_{\rho\sigma}^a$$

$$\rightarrow d_n = \frac{eg_A \bar{\theta} M^*}{(4\pi F_\pi)^2} \log \frac{m_n}{m_\pi} + \dots$$

Lattice calculations

$$\frac{d_n}{\bar{\theta}} = -3.8(2)(9) \times 10^{-16} \text{ecm}$$

$$\frac{d_p}{\bar{\theta}} = +1.1(1.1) \times 10^{-16} \text{ecm}$$



Solutions to strong CP problem

- One quark mass exactly zero
- Peccei-Quin scheme
Axions and oscillating EDMs

Need to measure more than one EDM to identify source

Why the neutron EDM is not sufficient

$$L_{\text{eff}} = L_{\text{QCD}} + \theta \frac{\alpha_s}{8\pi} \varepsilon^{\mu\nu\rho\sigma} G_{\mu\nu}^a G_{\rho\sigma}^a$$

From lattice calculations**

$$\frac{d_n}{\theta} = -3.8(2)(9) \times 10^{-16} \text{ ecm}$$

$$\frac{d_p}{\theta} = +1.1(1.1) \times 10^{-16} \text{ ecm}$$

but

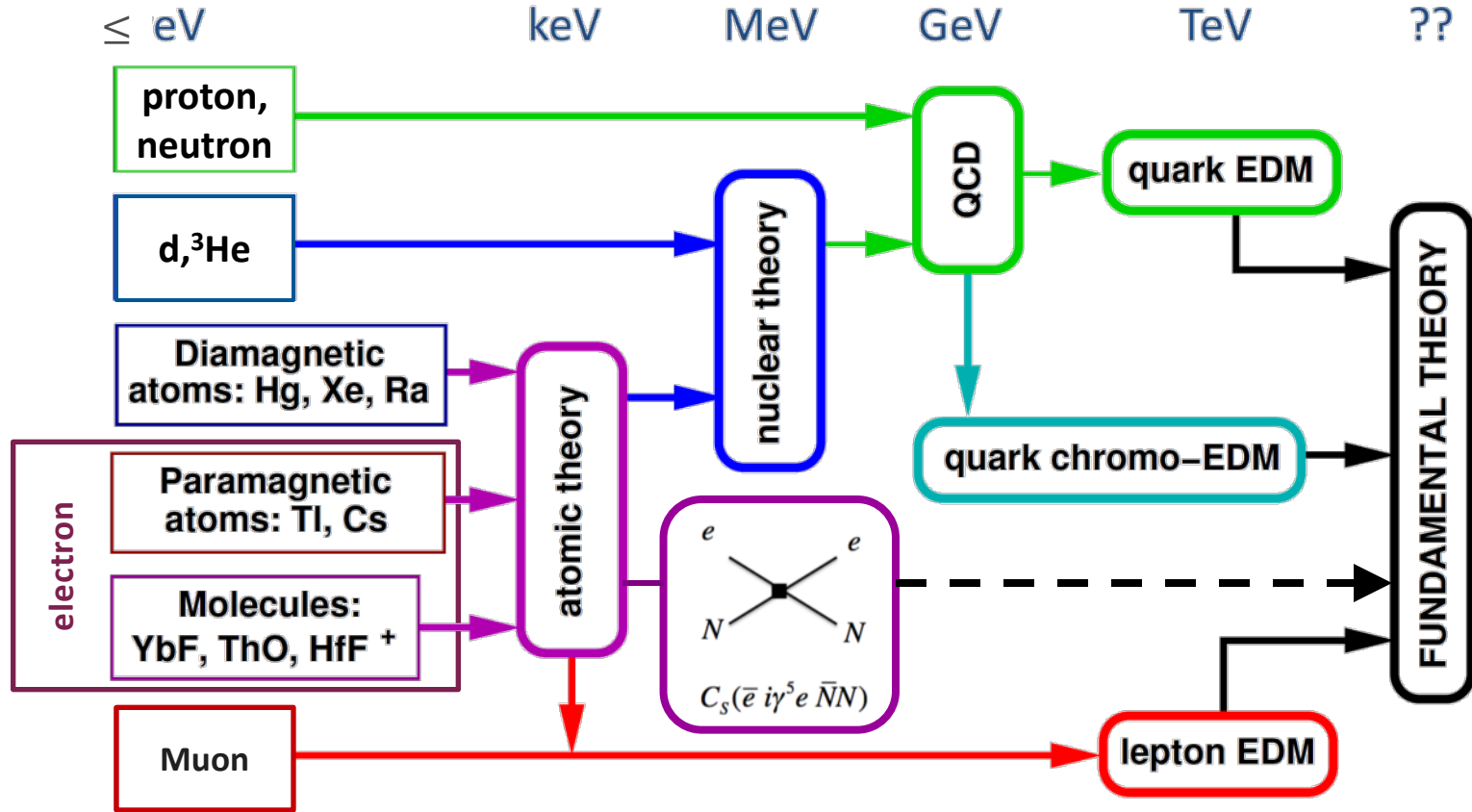
$$d_n^{\text{ex}} < 3 \times 10^{-26} \text{ ecm}^*$$

$$\theta < 1 \times 10^{-10} \text{ ecm}$$

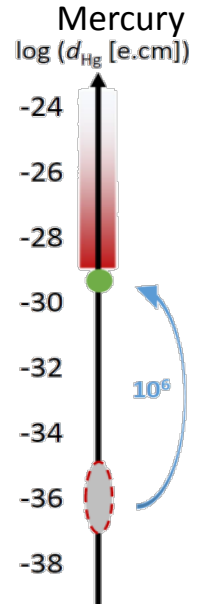
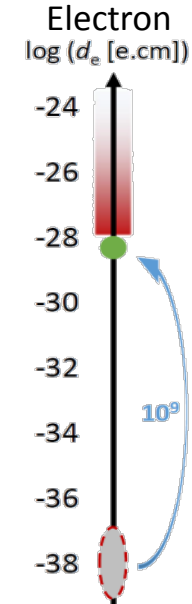
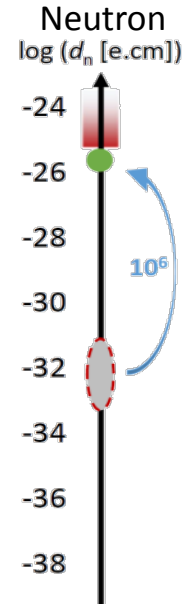
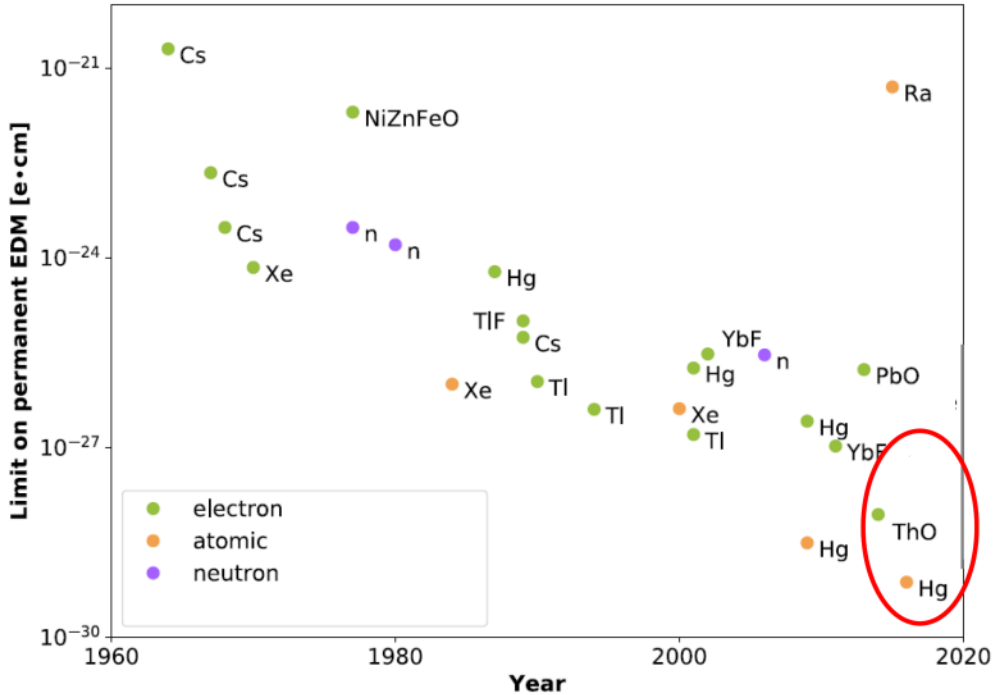
What is generating
the EDM of the
neutron?

Need to search for lepton
EDMs and
hadron EDMs

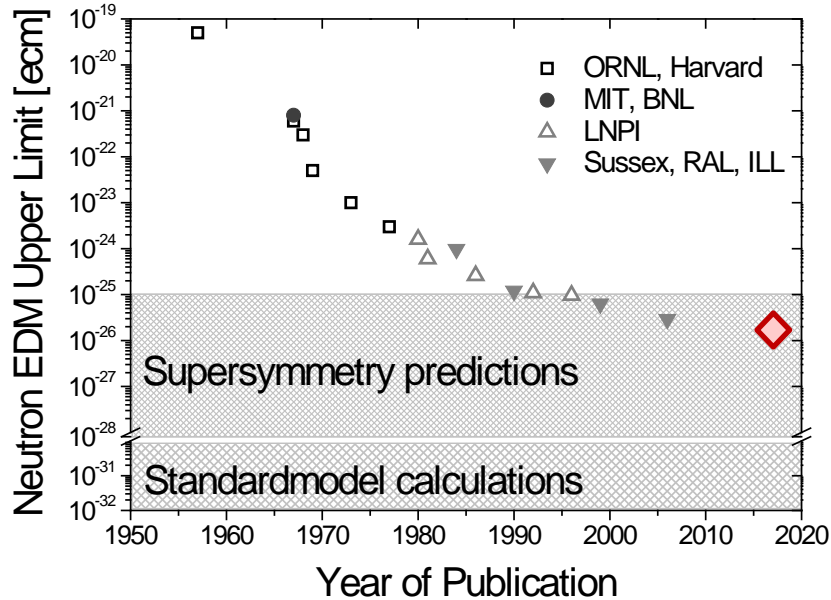
Complementarity of EDM searches



Overview of EDM limits



A brief history of nEDM searches



“n-EDM has killed more theories than any other single experiment”



J.M. Pendlebury
1936-2015

First

Smith, Purcell, Ramsey

$$d_n < 5 \times 10^{-20} \text{ e cm}$$

PR 108 (1957) 120

60 years

Last

RAL-Sussex-ILL

$$d_n < 3 \times 10^{-26} \text{ e cm (90% C.L.)}$$

C.Baker et al. PRL(2006) 131801

J.M. Pendlebury et al., PRD 92 (2015) 092003

Modified Larmor Frequency

$$V_{\text{mag}} = -\mu_n \vec{\sigma} \cdot \vec{B} \quad \begin{array}{c} \uparrow \downarrow \\ \text{---} \\ \text{---} \end{array} \quad \begin{array}{c} \uparrow \\ \text{---} \\ \downarrow \end{array} \quad \Delta E_B = \hbar \omega_L = 2\mu_n B \quad \text{with: } \mu_n = \frac{1}{2} \hbar \gamma_n$$

$$V_{\text{edm}} = -d_n \vec{\sigma} \cdot \vec{E} \quad \begin{array}{c} \uparrow \downarrow \\ \text{---} \\ \text{---} \end{array} \quad \begin{array}{c} \uparrow \\ \text{---} \\ \downarrow \end{array} \quad \Delta E_E = \hbar \omega_{edm} = 2d_n E$$

For parallel electric and magnetic fields the precession frequencies add up and for anti-parallel fields the frequencies have to be subtracted. The precession frequency difference of the two cases can be measured:

$$\hbar \omega_{\uparrow\uparrow} = \hbar(\omega_L + \omega_{edm}) = 2(\mu_n B + d_n E)$$

$$\hbar \omega_{\uparrow\downarrow} = \hbar(\omega_L - \omega_{edm}) = 2(\mu_n B - d_n E)$$

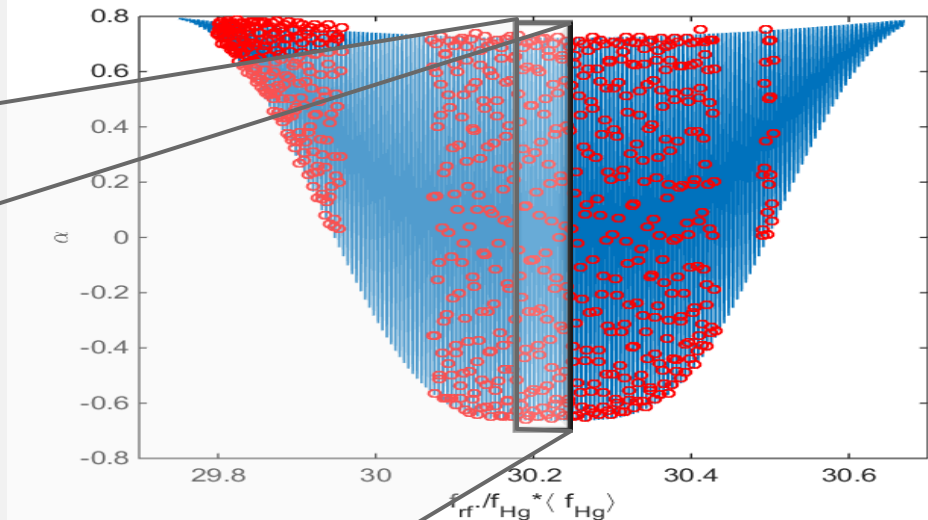
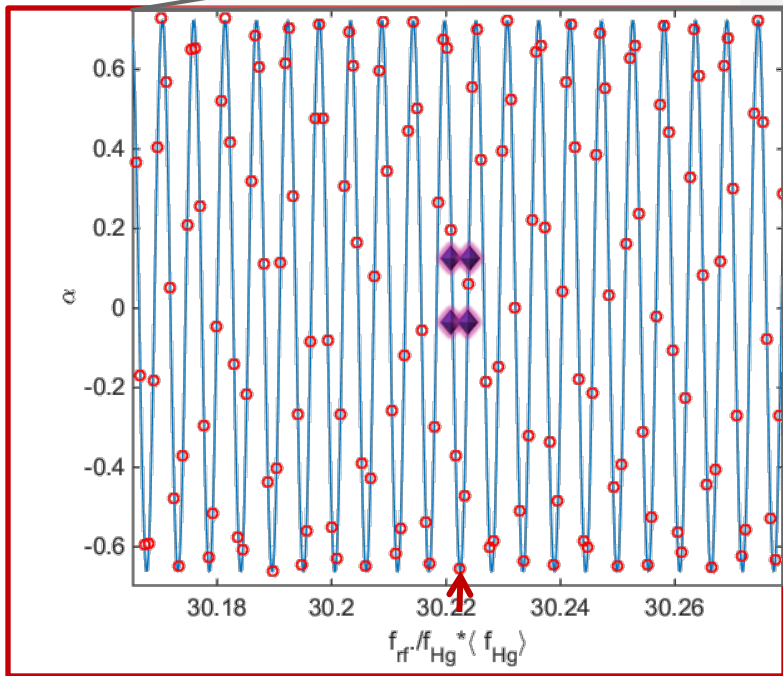
$$\hbar(\omega_{\uparrow\uparrow} - \omega_{\uparrow\downarrow}) = 4 d_n E$$

The Ramsey technique

Spin "down" neutron...



$B_{0\uparrow}$



Sensitivity:

$$\sigma(d_n) = \frac{\hbar}{2\alpha TE\sqrt{N}}$$

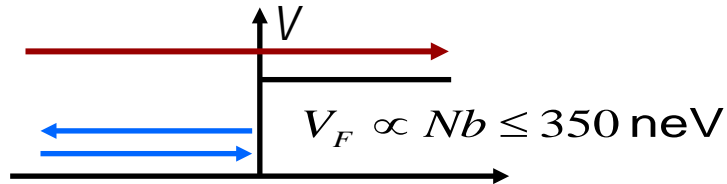
- α Visibility of resonance
- T Time of free precession
- N Number of neutrons
- E Electric field strength

Ultracold neutrons (UCN)

$$\sigma(d_n) \propto \frac{1}{T\sqrt{N}}$$



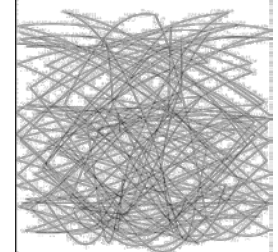
Storable neutrons
(UCN)



Storage properties are
material dependent

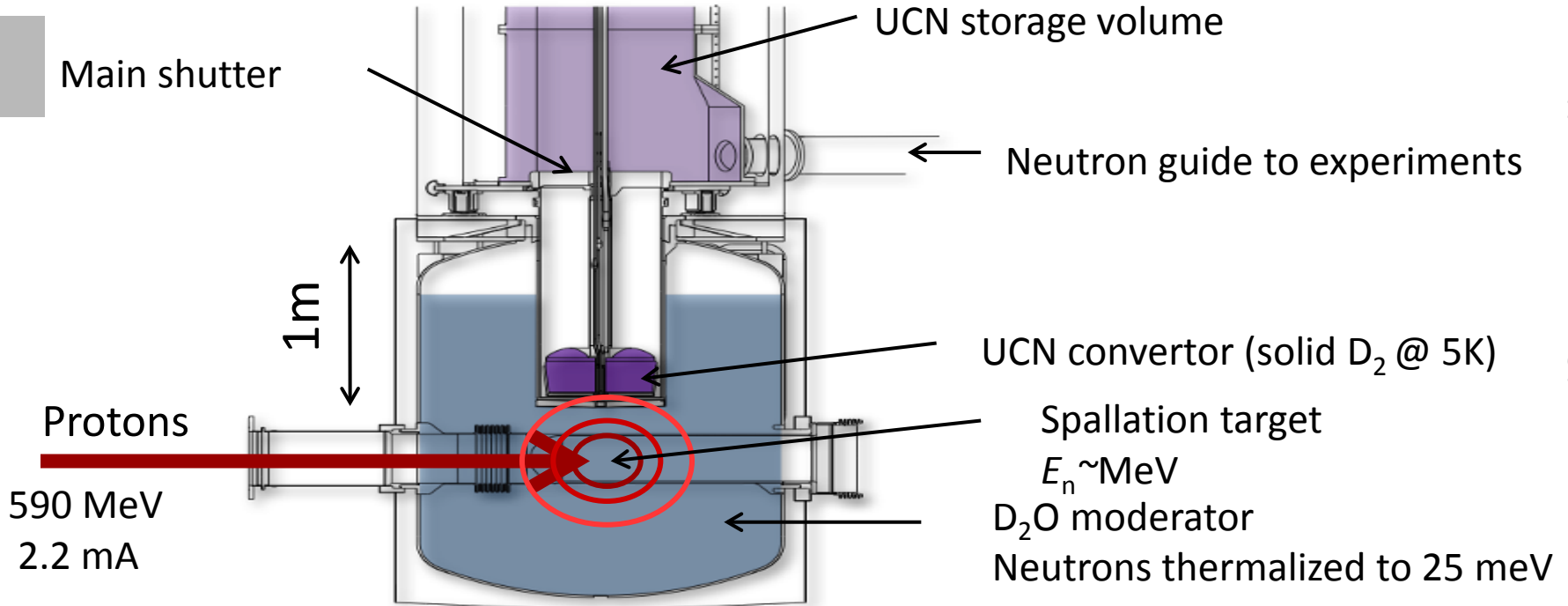
Strong
 V_F

Gravity
102 neV/m



Magnetic
 $\sim 60 \text{ neV/T}$

$$350 \text{ neV} \leftrightarrow 8 \text{ m/s} \leftrightarrow 500 \text{ \AA} \leftrightarrow 3 \text{ mK}$$

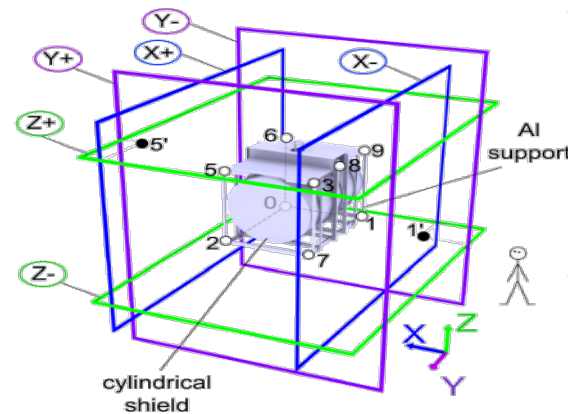
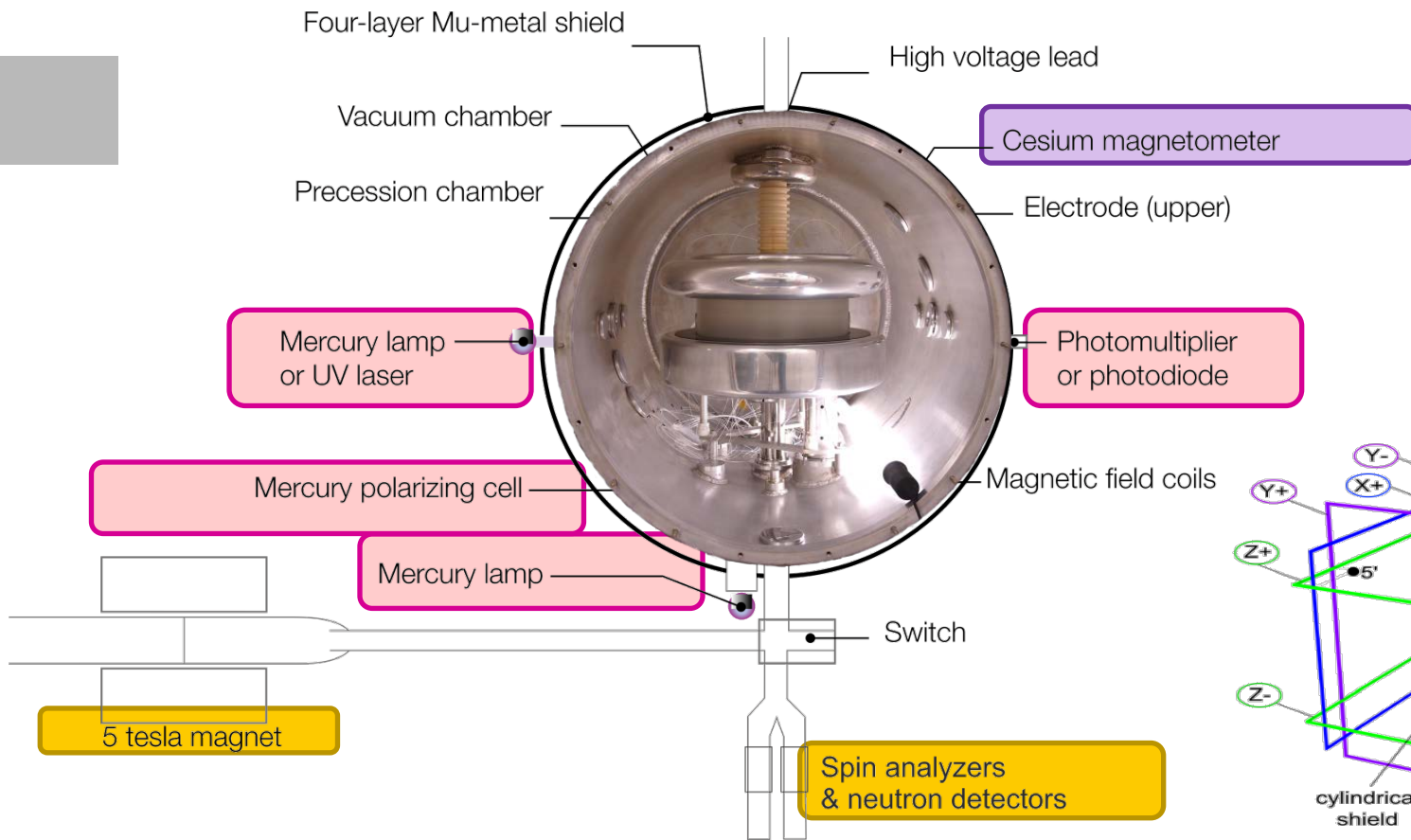


Golub, R. & Pendlebury, J. M, *PLA* (1975)133

Anghel, et. al *NIMA* (2009) 272

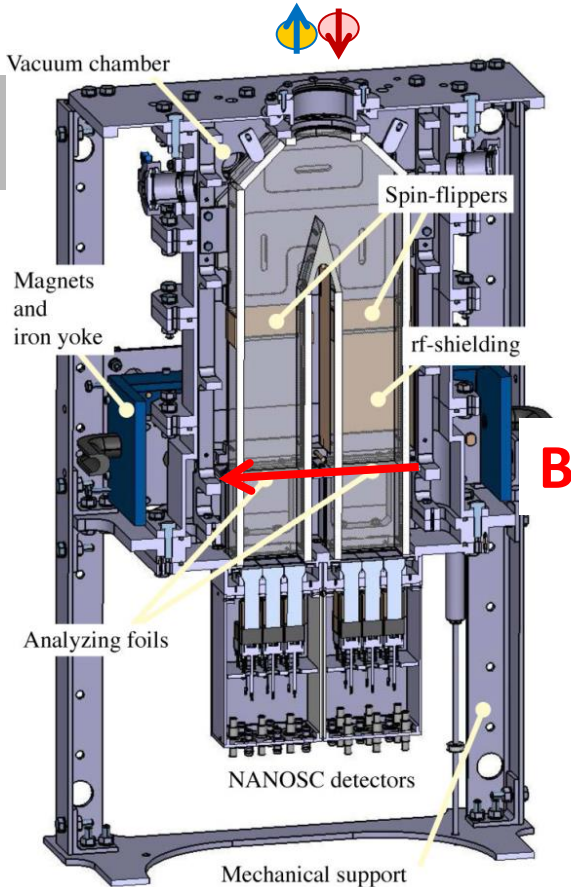
Lauss B., *Phys. Proc.* (2013)

The nEDM spectrometer

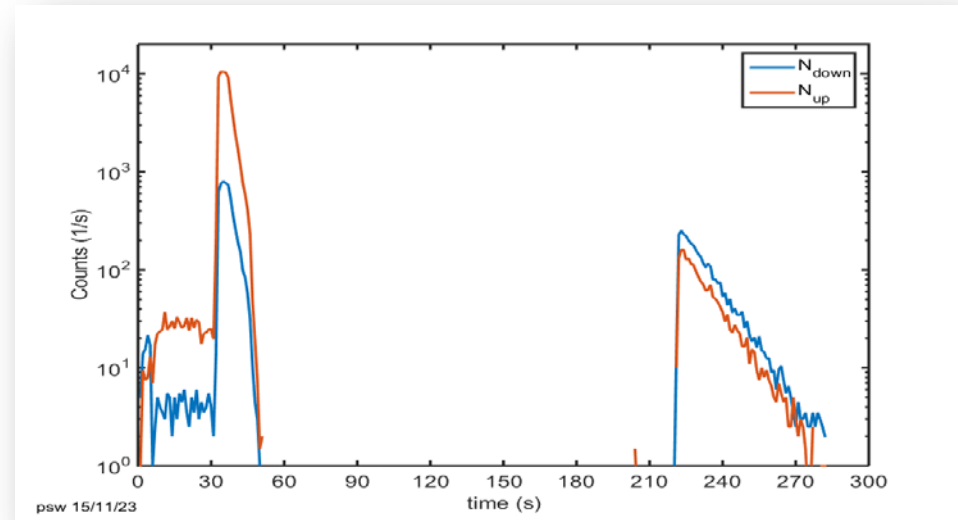


Simultaneous spin detection

$$\sigma_{d_n} = \frac{\hbar}{2E\alpha T\sqrt{N}}$$



- Spin dependent detection
 - Adiabatic spinflipper
 - Iron coated foil
- ^6Li -doped scintillator GS20

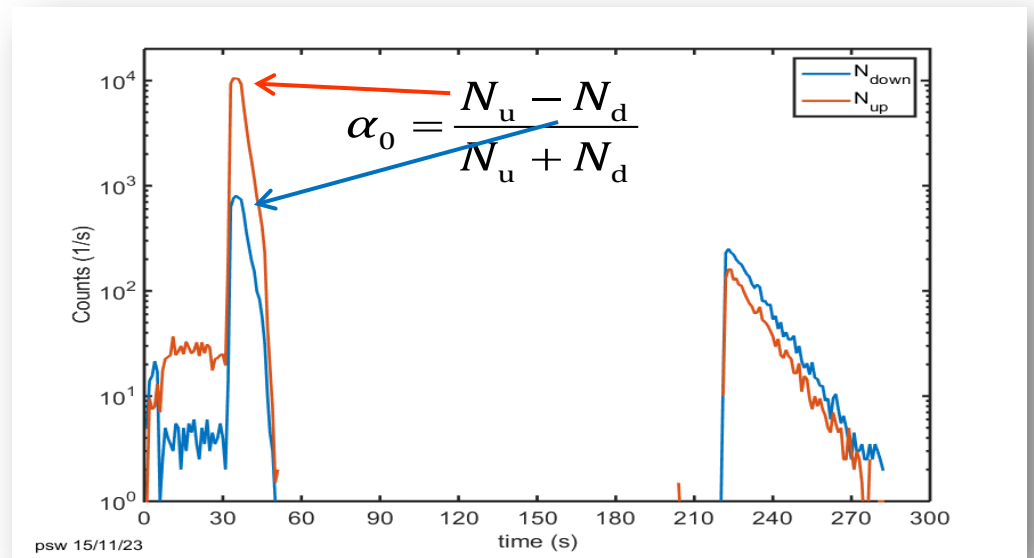
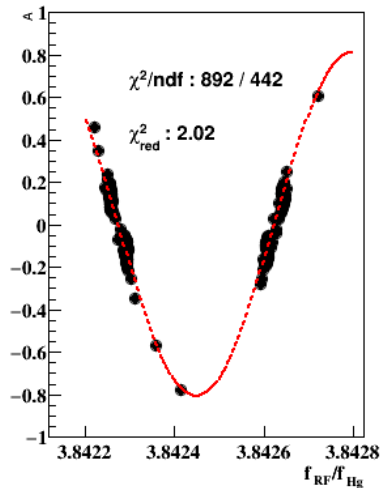


Transverse polarization time

$$\sigma_{dn} = \frac{\hbar}{2E\alpha T\sqrt{N}}$$

- Initial polarization α_0 measured with USSA 0.86
- Best polarization after 180s free precession 0.80, average 0.75

$$T_2^* = t \cdot \ln(\alpha(t) / \alpha_0) = 2488\text{s}$$



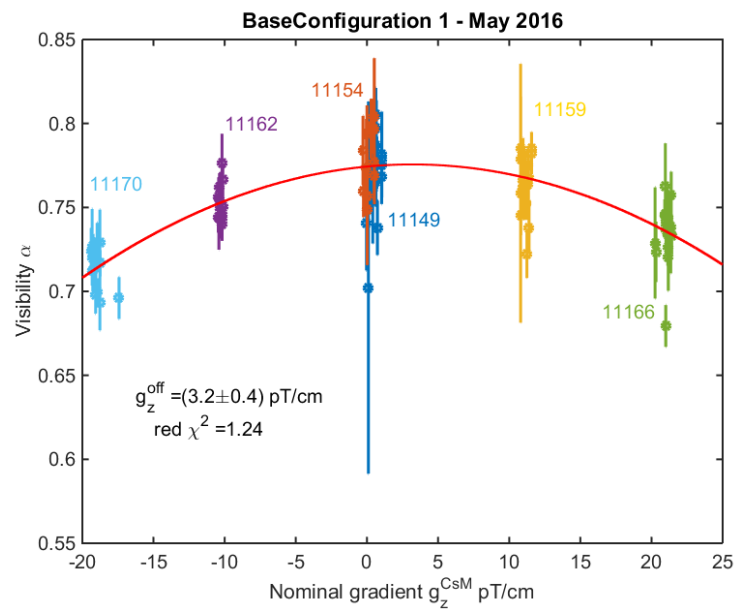
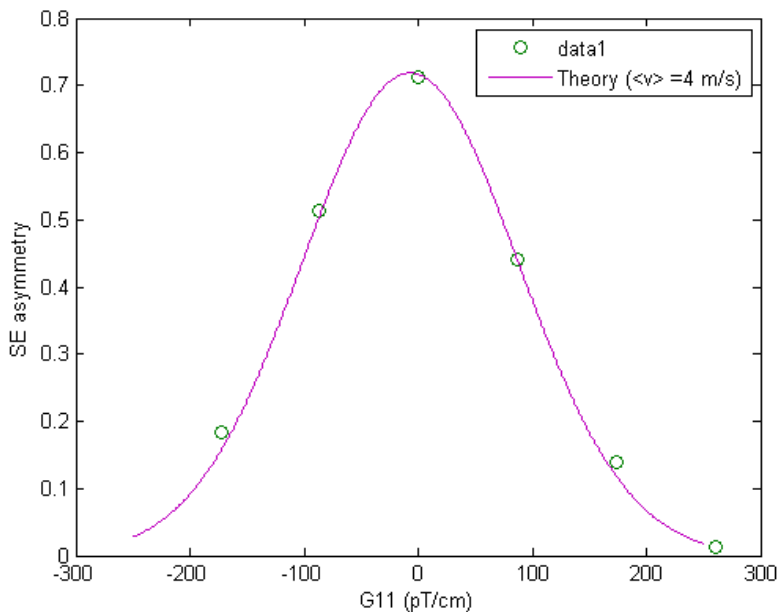
$$\sigma_{d_n} = \frac{\hbar}{2E\alpha T\sqrt{N}}$$

$$\Gamma_2(\epsilon) = a \frac{\gamma_n^2}{v(\epsilon)} \left[\frac{8r^3}{9\pi} \left(\left| \frac{\partial B_z}{\partial x} \right|^2 + \left| \frac{\partial B_z}{\partial y} \right|^2 \right) + \frac{\mathcal{H}^3(\epsilon)}{16} \left| \frac{\partial B_z}{\partial z} \right|^2 \right]$$

$$\alpha(T) = e^{-\Gamma_2 T} - \frac{\gamma_n^2 g_z^2 T^2}{2} \cdot \langle dh^2 \rangle_{\text{eff}}$$

Intrinsic depolarization

Gravitational depolarization



Modified Larmor Frequency

$$V_{\text{mag}} = -\mu_n \vec{\sigma} \cdot \vec{B} \quad \begin{array}{c} \uparrow \downarrow \\ \text{---} \\ \text{---} \end{array} \quad \begin{array}{c} \uparrow \\ \text{---} \\ \downarrow \end{array} \quad \Delta E_B = \hbar \omega_L = 2\mu_n B \quad \text{with: } \mu_n = \frac{1}{2} \hbar \gamma_n$$

$$V_{\text{edm}} = -d_n \vec{\sigma} \cdot \vec{E} \quad \begin{array}{c} \uparrow \downarrow \\ \text{---} \\ \text{---} \end{array} \quad \begin{array}{c} \uparrow \\ \text{---} \\ \downarrow \end{array} \quad \Delta E_E = \hbar \omega_{edm} = 2d_n E$$

For parallel electric and magnetic fields the precession frequencies add up and for anti-parallel fields the frequencies have to be subtracted. The precession frequency difference of the two cases can be measured:

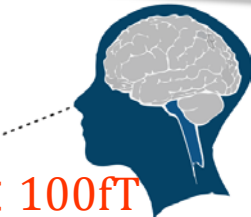
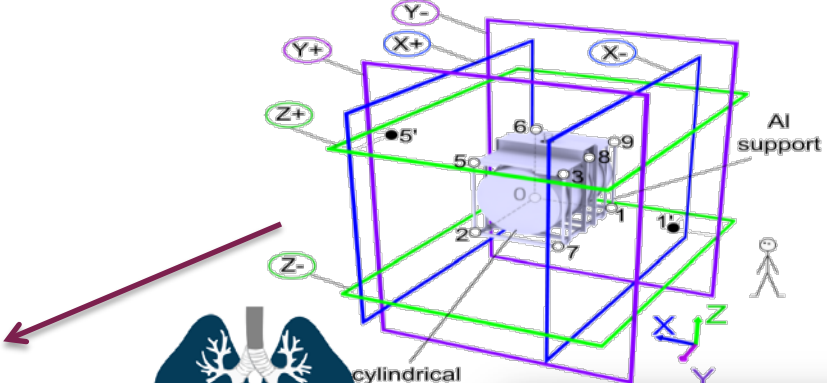
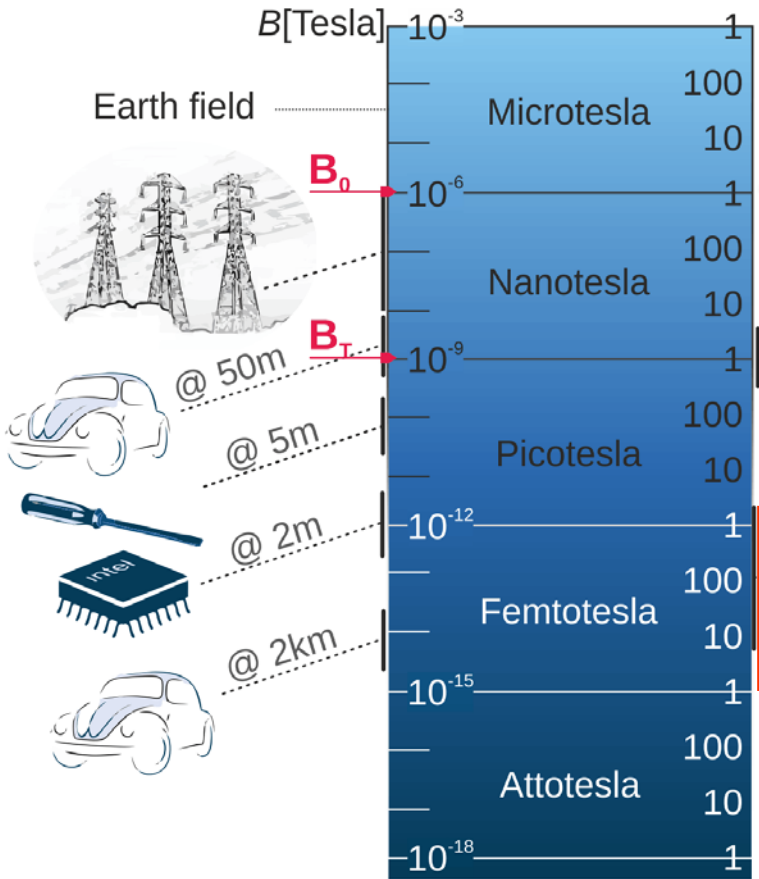
$$\begin{aligned} \hbar \omega_{\uparrow\uparrow} &= \hbar(\omega_L + \omega_{edm}) = 2(\mu_n B + d_n E) \\ \hbar \omega_{\uparrow\downarrow} &= \hbar(\omega_L - \omega_{edm}) = 2(\mu_n B - d_n E) \end{aligned}$$

Have to cancel "perfectly"

$$\hbar(\omega_{\uparrow\uparrow} - \omega_{\uparrow\downarrow}) = 4 d_n E$$

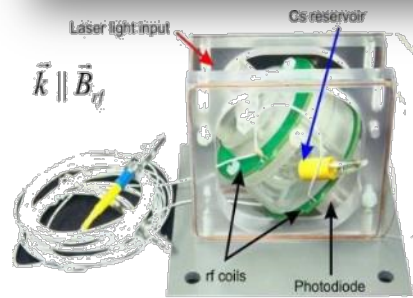
Magnetic fields

Environmental Fields

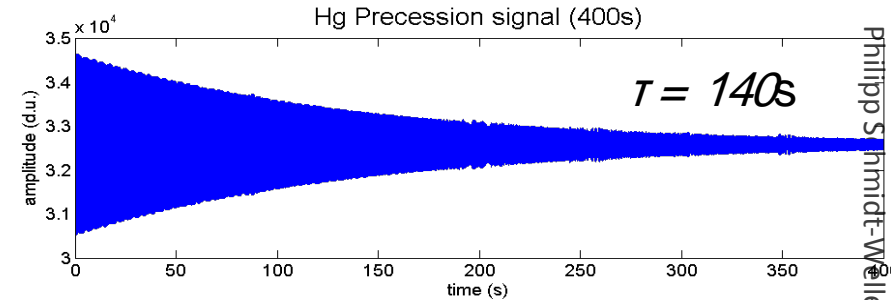
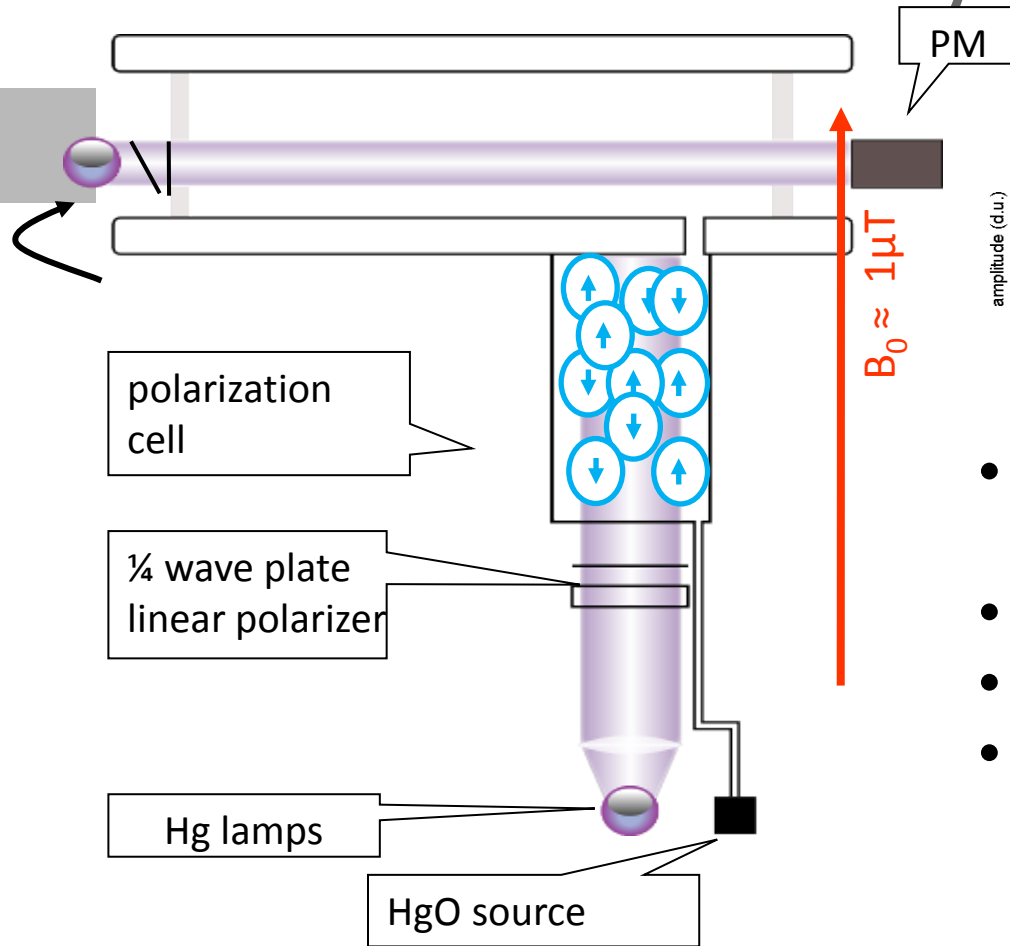


$\delta B < 100$ fT

optical pumped magnetometers (CsM/HgM/XeM...)



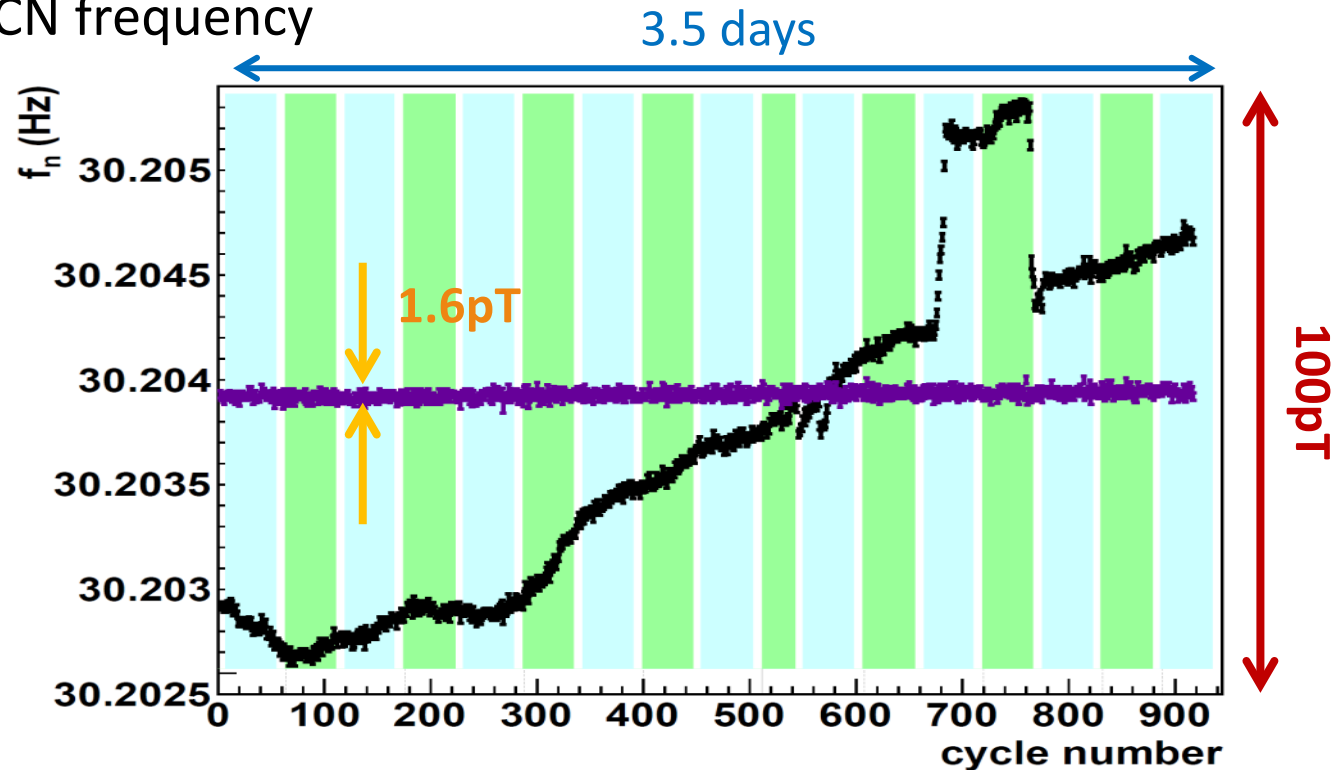
Mercury co-magnetometer



- Average magnetic field (volume and cycle)
- $\sigma_B \leq 100 \text{ fT}$ (CR-limit)
- $\tau > 100 \text{ s}$ wo HV (with 90s)
- $s/n > 1000$

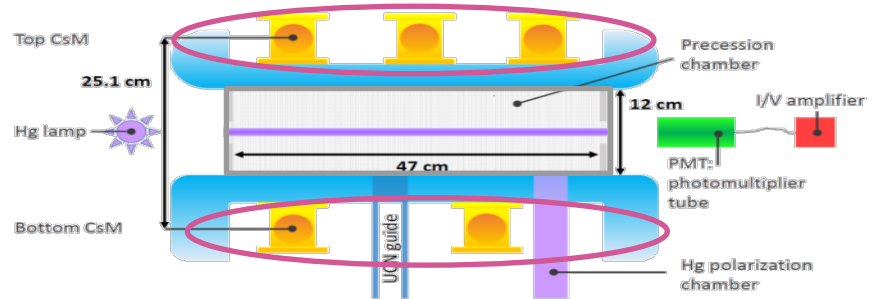
Hg co-magnetometer

Extract B-field from Larmor frequency
and correct UCN frequency

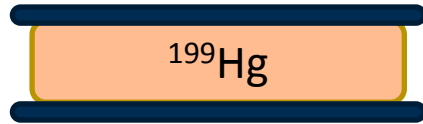


Frequency ratio $R = f_n / f_{\text{Hg}}$

- Center of mass offset
- Non-adiabaticity



$$\frac{\gamma_{\text{Hg}}}{2\pi} \approx 8 \text{ Hz}/\mu\text{T}$$



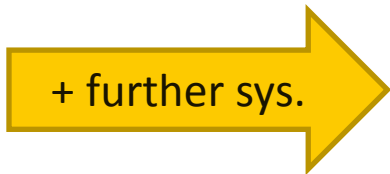
^{199}Hg



UCN

$$\frac{\gamma_n}{2\pi} \approx 30 \text{ Hz}/\mu\text{T}$$

$$\overline{v_{\text{Hg}}} \approx 160 \text{ m/s vs. } \overline{v_{\text{UCN}}} \approx 3 \text{ m/s}$$



$$R = \frac{\langle f_{\text{UCN}} \rangle}{\langle f_{\text{Hg}} \rangle} = \frac{\gamma_n}{\gamma_{\text{Hg}}} \left(1 \mp \frac{\partial B}{\partial z} \frac{\Delta h}{|B_0|} + \frac{\langle B^2_{\perp} \rangle}{|B_0|^2} \mp \delta_{\text{Earth}} + \delta_{\text{Hg-lightshift}} \right)$$

- Motional magnetic field from $B_m = -\frac{v \times E}{c^2}$
- Naively no contribution as $\bar{v} = 0$ for UCN?
- In homogenous B-field and E-field:

$$|B| = B_0 + \dots$$

$$\begin{aligned}
 & + \left\langle \frac{\theta v_x}{c^2} E \right\rangle \\
 & + \left\langle \frac{(xv_y + yv_x + \theta yv_z)}{2B_0 c^4} \frac{\partial B_z}{\partial z} E \right\rangle \\
 & + \left\langle \frac{v_y^2 + (v_x - \theta v_z)}{2B_0 c^4} E^2 \right\rangle
 \end{aligned}$$

Result depends on how particle average the magnetic field:

adiabatic (UCN)

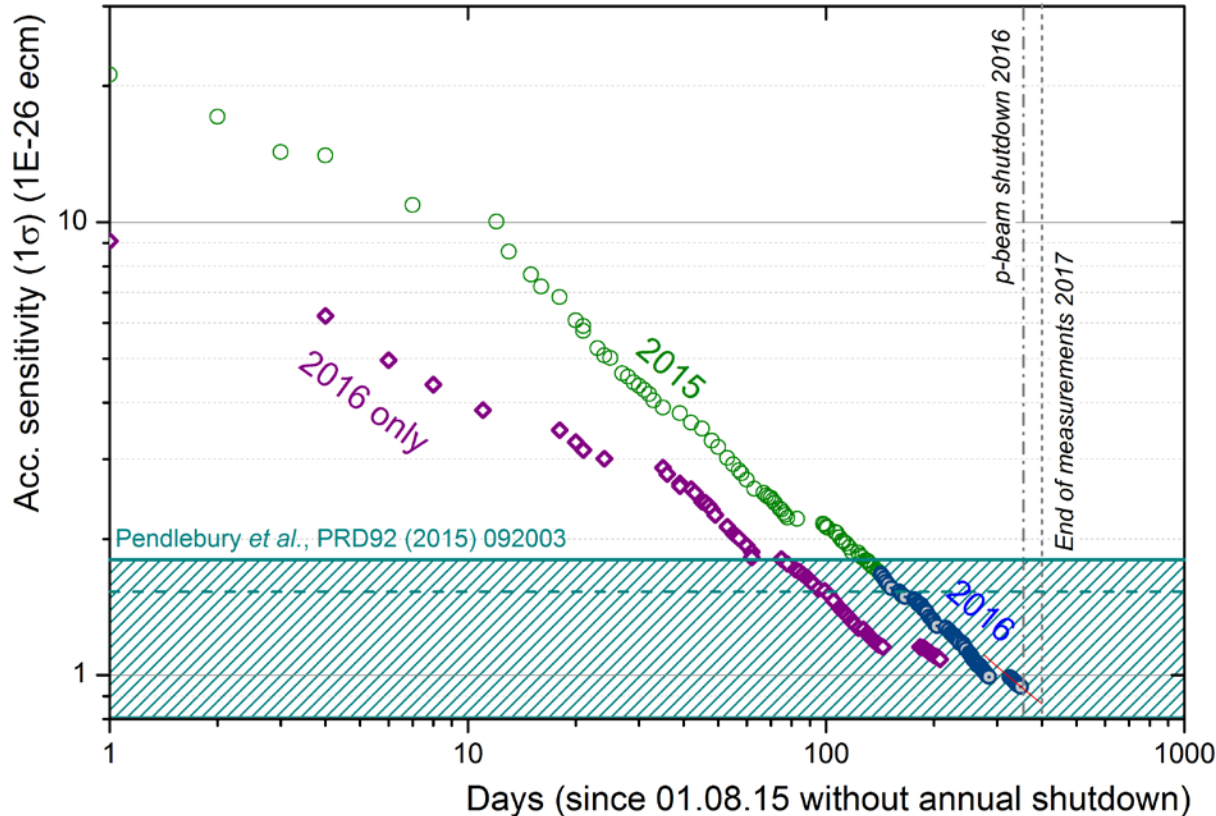
$$\delta\omega = \frac{v_{xy}^2 E}{2B_0 c^2} \frac{\partial B_z}{\partial z}$$

non - adiabatic (Hg)

$$\delta\omega = \frac{\gamma D^2}{16c^2} \frac{\partial B_z}{\partial z} E$$



Statistical sensitivity $\sigma_{d_n} = \frac{\hbar}{2E\alpha T\sqrt{N}}$



54362 cycles
(exclude runs with issues)

$$\sigma = 0.94 \times 10^{-26} \text{ ecm}$$

Analysis ongoing:

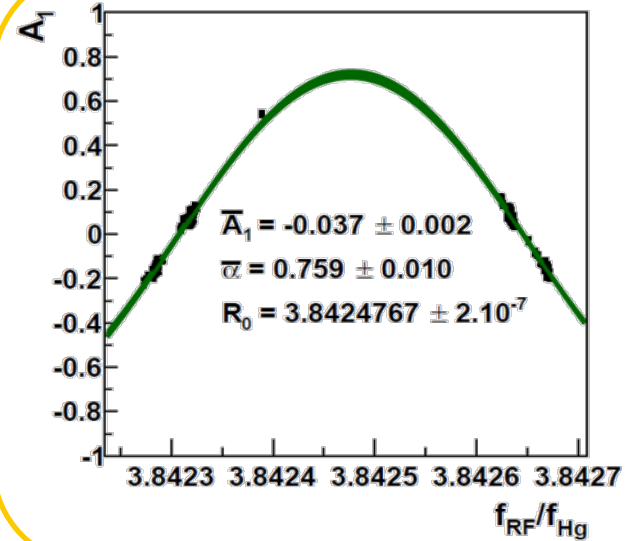
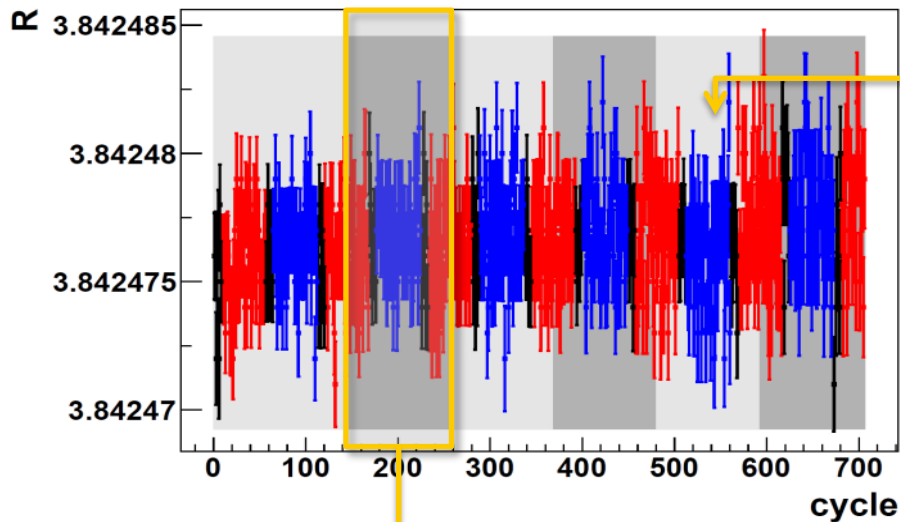
Blinded data

Two groups

Result: 2018

- Two analysis groups prepare a full separately **blinded** nEDM analysis
- Each group works with a differently **blinded** data-set
 - Common blinding for all data
 - 2nd blinding differently for each group
- Fully automatized analysis of all **blinded** data of both groups (+ reference data from August 2015) have to **agree** statistically
 - Relative un-blinding
 - if central values and blinding offset correct,
 - Run both codes on fully un-blinded data
 - publish.

Fit central Ramsey fringe for each state



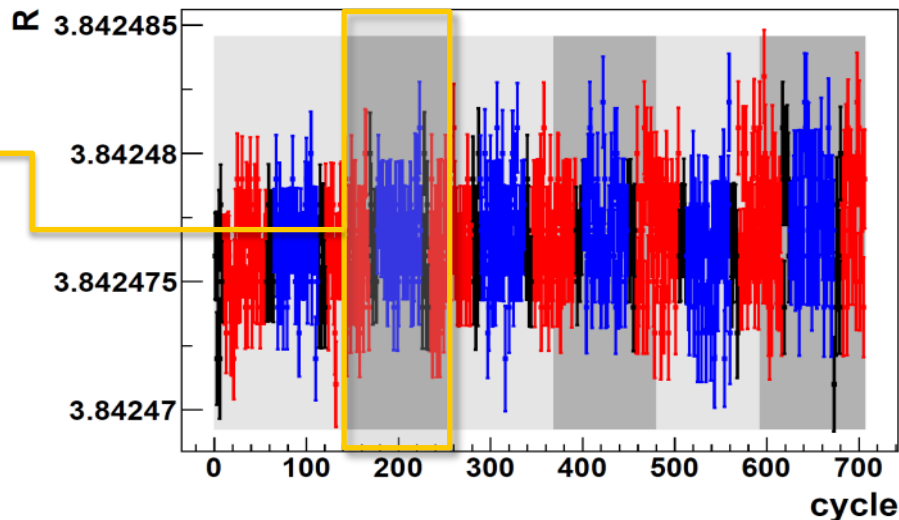
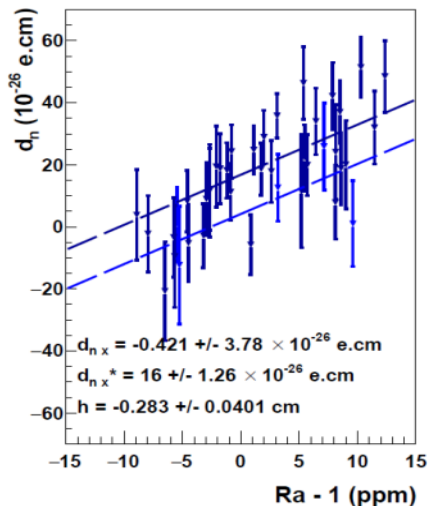
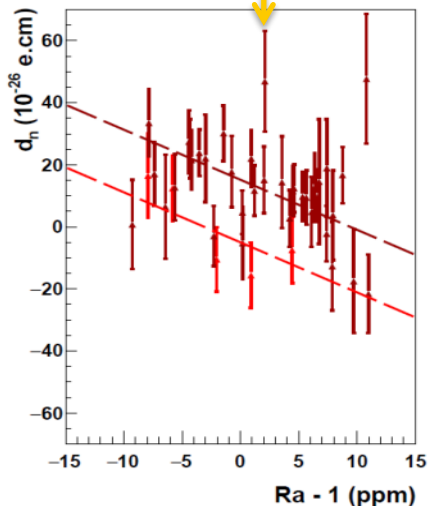
$$d_n = \frac{h(f_n^+ - f_n^-)}{2E}$$

$$R = \frac{f_n^i}{f_{\text{Hg}}^i}$$

Crossing point analysis

$$d_n = \frac{h(f_n^+ - f_n^-)}{2E}$$

$$R^i = \frac{f_n^i}{f_{\text{Hg}}^i} = \frac{\gamma_n}{\gamma_{\text{Hg}}} \left(1 - \frac{\partial B}{\partial z} \frac{\Delta h}{B} + \dots \right)$$



$$d_{\text{Hg} \rightarrow \text{n}}^{\text{false}} = -\frac{\partial B_z}{\partial z} 4.4 \times 10^{-27} \text{ e} \cdot \text{cm} \frac{\text{cm}}{\text{pT}}$$

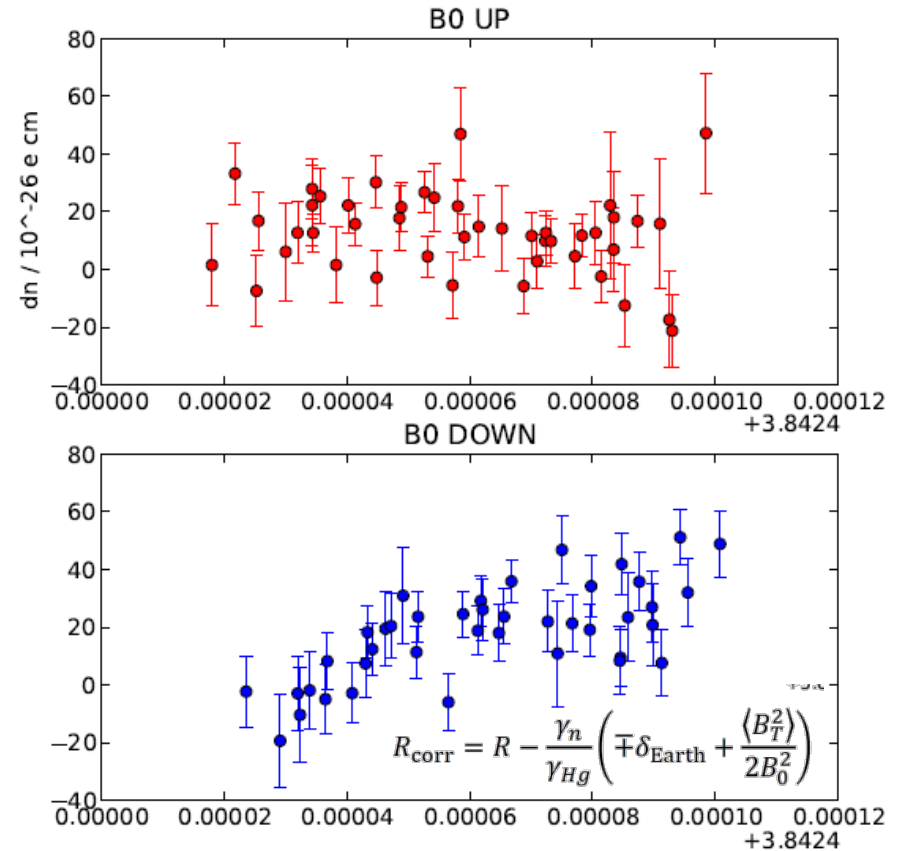
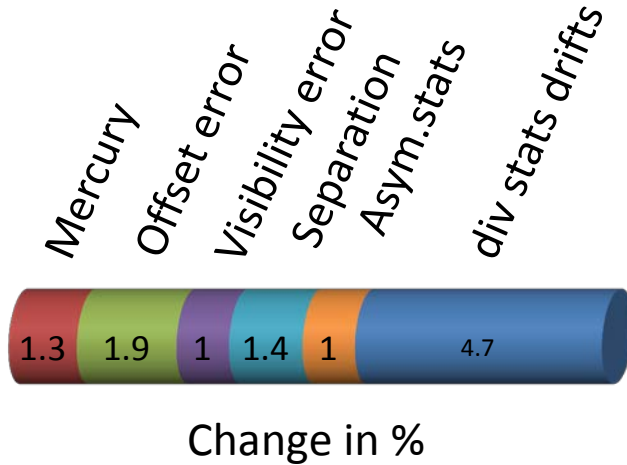
$$R_a - 1 = \frac{\gamma_{\text{Hg}}}{\gamma_n} R - 1 = -\frac{\partial B \Delta h}{\partial z B} + \dots$$

Crossing point analysis

$$d_x = (14.96 \pm 1.12) \times 10^{-26} e \text{ cm}$$

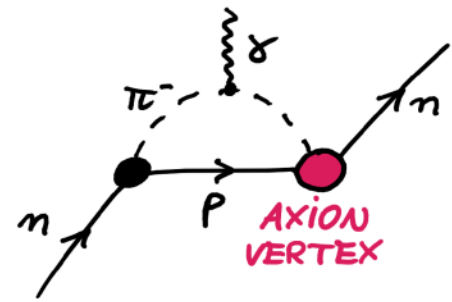
$$R_0 = 3.8424521(28)$$

$$\chi^2/NDF = 109/86$$



Searching for axions

- Axions are a proposed solution to strong CP problem (Peccei-Quinn theory)
- It has been proposed that dark matter is really made of ultralight axionlike particles (ALPs) ($m_a \sim 10^{-22}$ eV)
- This would form a coherent classical field throughout the universe
- NB: ALP is generalisation of axion, does not necessarily solve strong CP, but has similar properties



arXiv:1510.07551v1 [hep-ph] | FZ Jülich - Seminar 20.01.2018
 Graham Rajendran
 PRD88, 035023 (2013)

gluonic

$$\mathcal{L}_{\text{int}} = \frac{C_G}{f_a} \frac{g^2}{32\pi^2} a G_{\mu\nu}^a \tilde{G}^{a\mu\nu}$$

Produces oscillating EDM through same diagrams as θ_{QCD}

fermionic

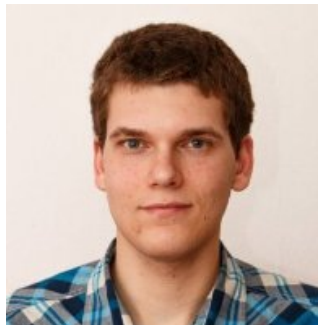
$$- \sum_{f=n,p,e} \frac{C_f}{2f_a} \partial_\mu a \bar{f} \gamma^\mu \gamma^5 f$$

Produces oscillations in precession frequency "Axion Wind"

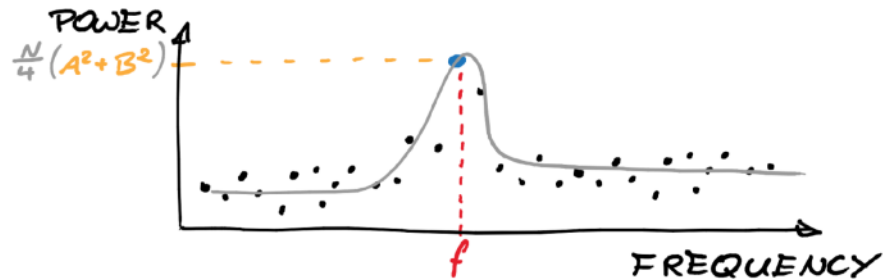
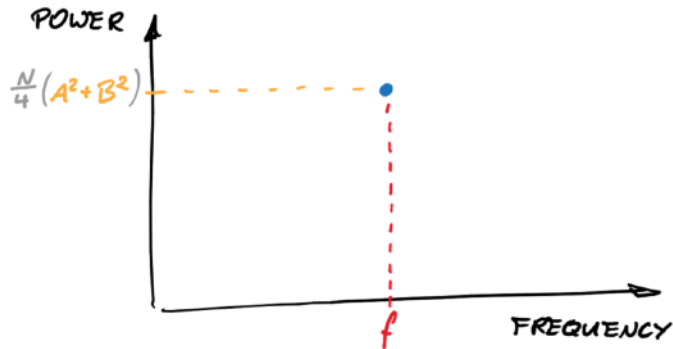
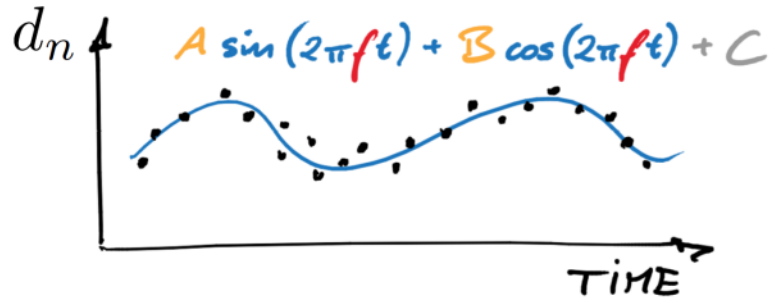
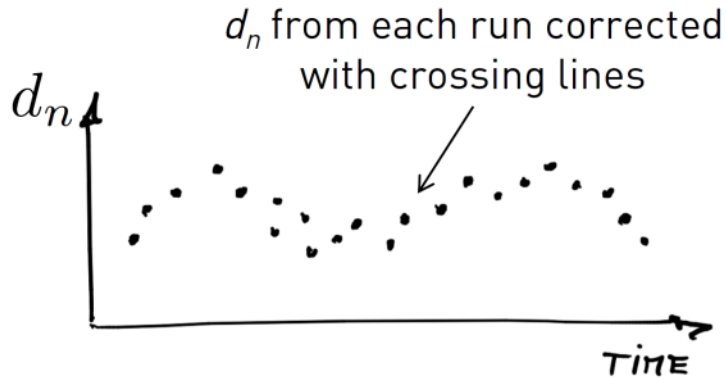
Nick Ayres



Michal Rawlik

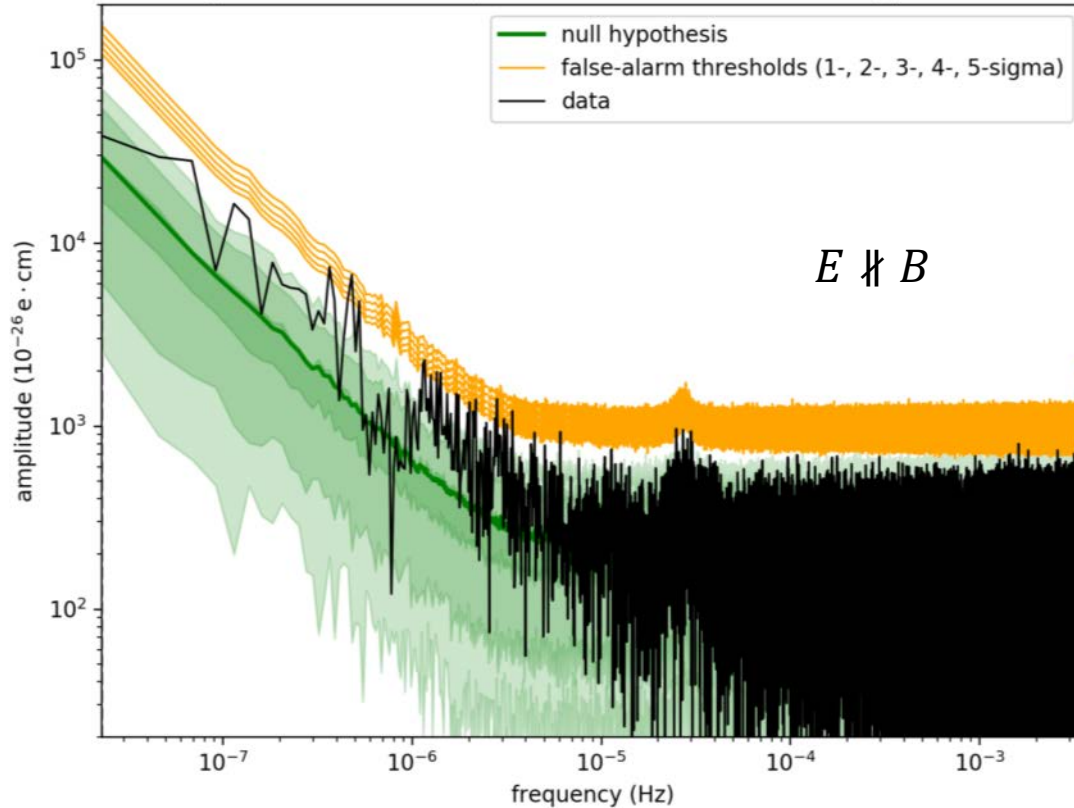


Least square spectral analysis

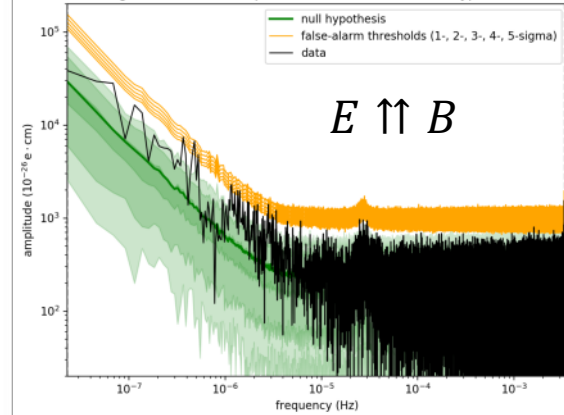


Three Periodograms

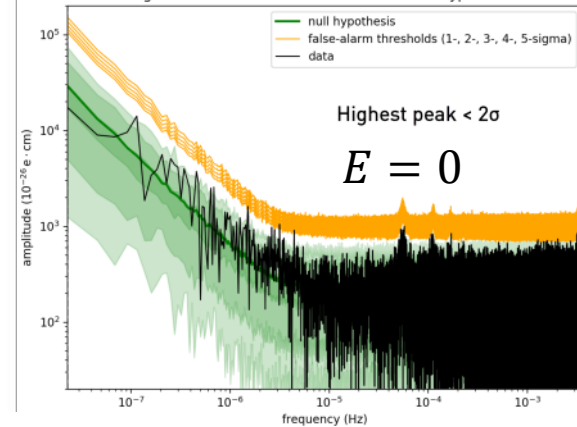
Agreement of the EB parallel dataset with the null hypothesis



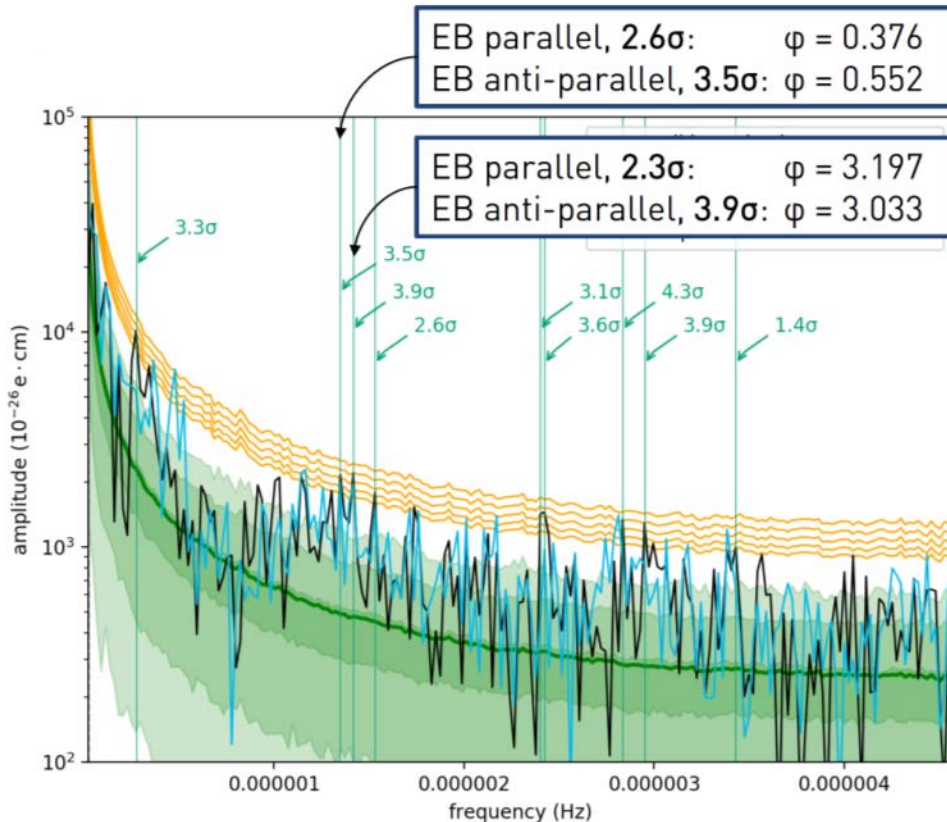
Agreement of the EB parallel dataset with the null hypothesis



Agreement of the E=0 dataset with the null hypothesis



Highest peaks



Three “data sets”:

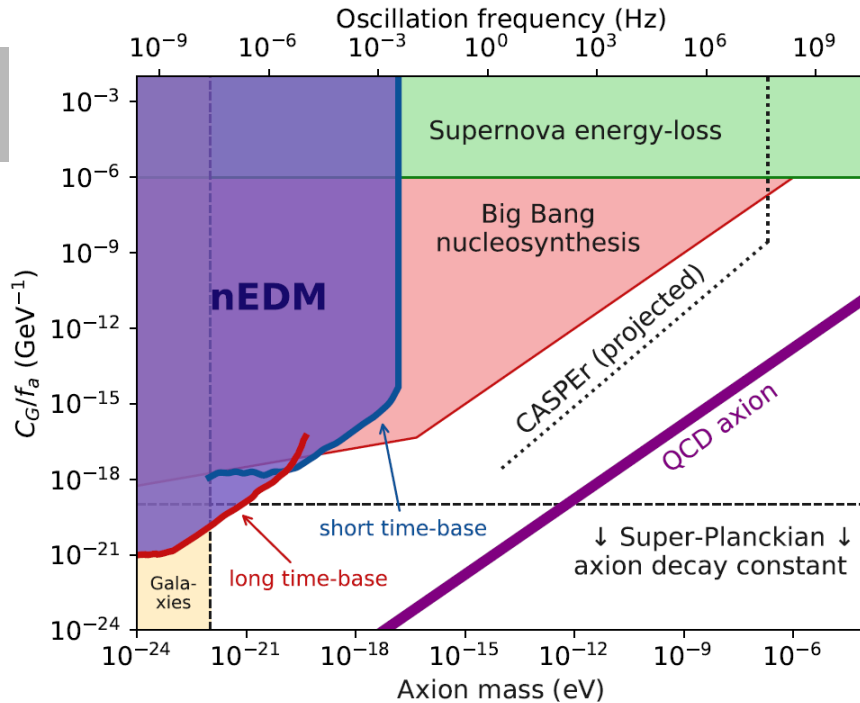
- $E = 0$
- $E \uparrow \uparrow B$
- $E \nparallel B$

(parallel but pointing in different directions)

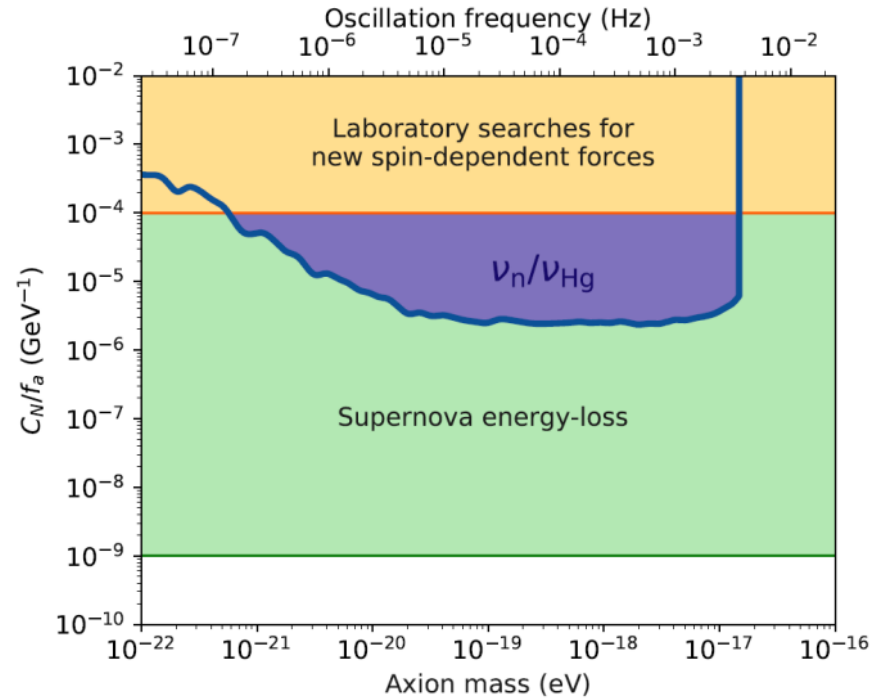
Requirements for signal:

- Five sigma in both $E \neq 0$ and phase shift of π between both set
- No signal in $E = 0$

Exclusion limits

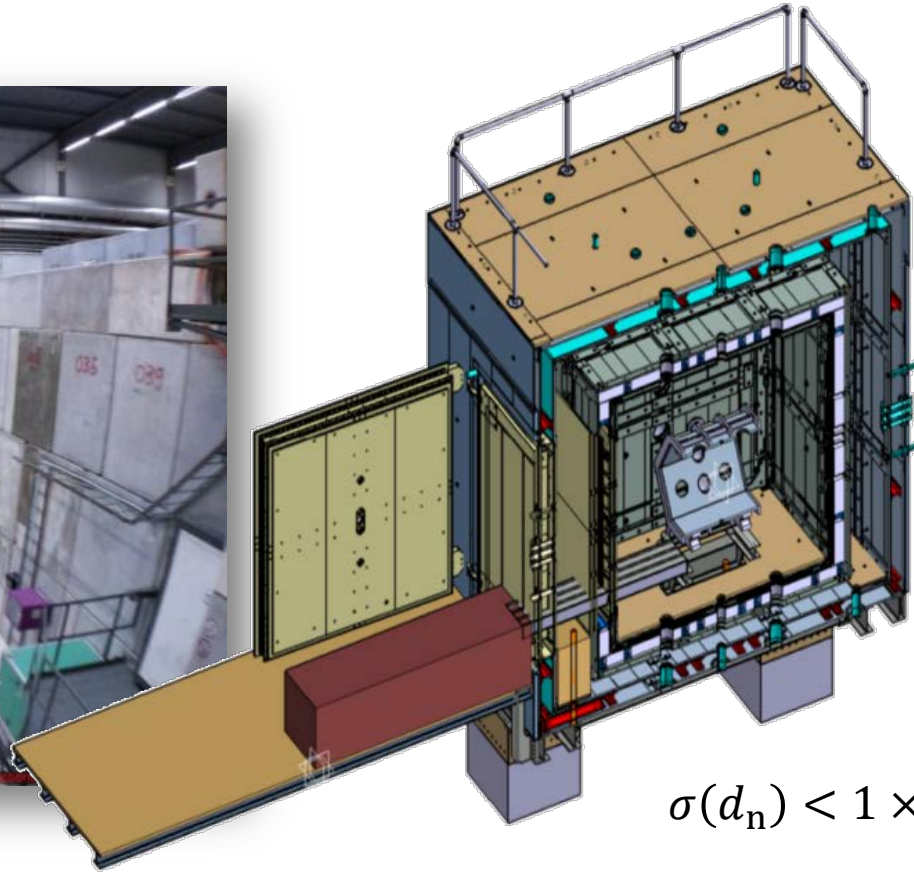


First experimental limits
on gluonic coupling



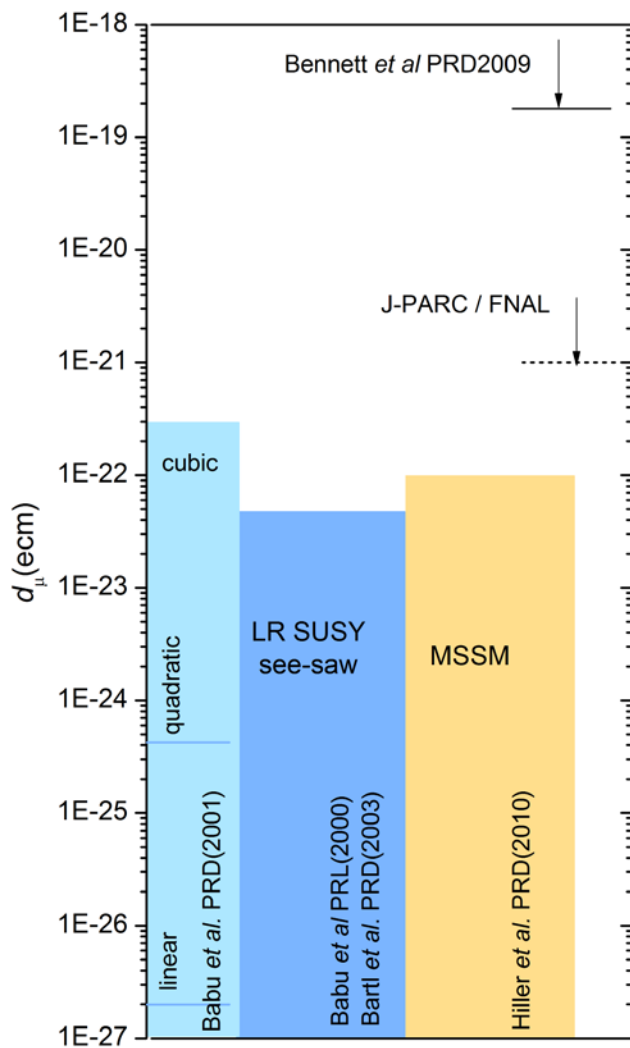
40 times better limit
on fermionic coupling

A new nEDM spectrometer with 6-layer mu-metal



$$\sigma(d_n) < 1 \times 10^{-27}$$

The muon EDM



SM expectation:

$$d_\mu \approx 10^{-36} ecm$$

BSM: Possible up to

$$d_\mu \approx 10^{-22} ecm$$

And: Signs for lepton universality violation:

- B -meson decays (up to 4.4σ)*
- $g-2$ of muon (3.6σ)**

First dedicated experiment
to search for EDM of second
generation

* Altmannshofer et al. EPJC(2017)

** Hertzog DW, EPJ Conf 118(2016)

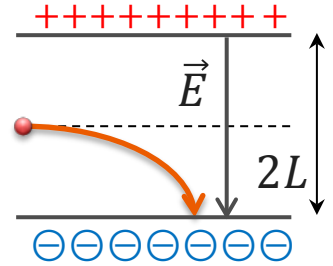
How to measure an EDM of a charged particle?

● Measurement in an electric field?

→ Observation time too short.

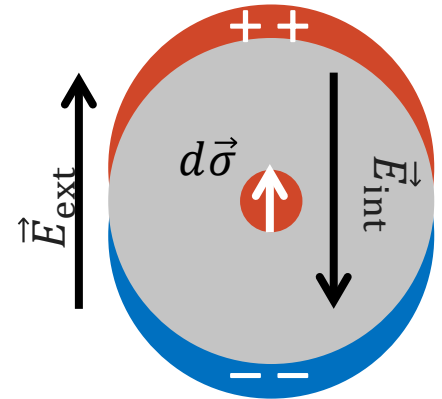


$$dt \sim \sqrt{\frac{2mL}{q|\vec{E}|}} \sim 0(\text{ns})$$



● Measurement in an atom (p,d)?

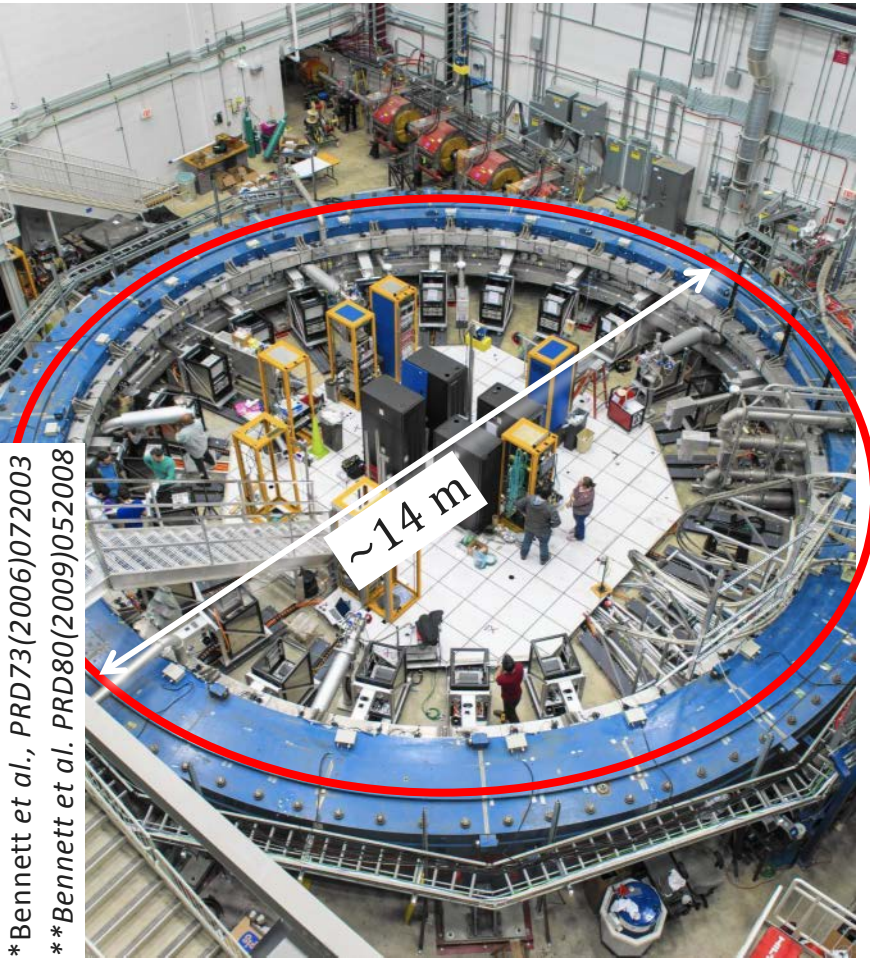
→ nearly perfect Schiff screening.



● Observation of a relativistic particle

in a magnetic field: $\vec{E} = \vec{\beta} \times \vec{B}$





* Bennett et al., PRD73(2006)072003
** Bennett et al. PRD80(2009)052008

E821@Brookhaven*:

$$a_{\mu}^{\text{exp}} = 0.001\,165\,920\,80\,(63) \quad 0.54 \text{ ppm}$$

$$a_{\mu}^{\text{th}} = 0.001\,165\,918\,04\,(51) \quad 0.44 \text{ ppm}$$

~3.6 σ discrepancy

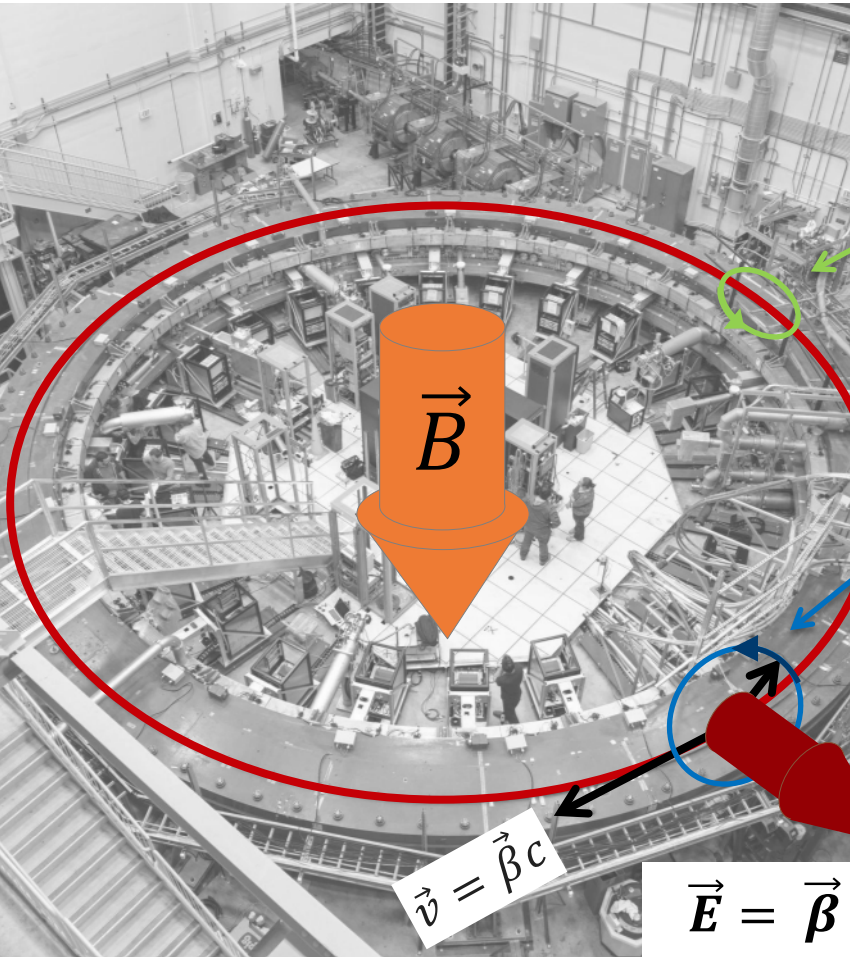
$$d_{\mu} < 1.8 \times 10^{-19} \text{ ecm (95\% C.L.)}^{**}$$

FNAL E969: (start 2018)

$$\sigma(a_{\mu})/a_{\mu} \leq 0.14 \text{ ppm}$$

$$\sigma(d_{\mu}) \approx 1 \times 10^{-21} \text{ ecm}$$

Spin precession in \vec{B} and \vec{E} fields of a storage rings:



$$\vec{\omega}_a = \frac{e}{m} \left[a\vec{B} + \left(\frac{1}{1-\gamma} - a \right) \frac{\vec{\beta} \times \vec{E}}{c} \right]$$

Spin precession in orbital plane

$$\vec{\omega}_d = \frac{e}{m} \frac{\eta}{2} \left(\frac{\vec{E}}{c} + \vec{\beta} \times \vec{B} \right) \quad \left(a = \frac{g-2}{2} \right)$$

Spin precession out of orbital plane:
“EDM signal”

$$\left(\eta = \frac{4mcd}{q\hbar} \right)$$

Sum $\vec{\omega} = \vec{\omega}_a + \vec{\omega}_d$ dilutes the EDM signal and increases systematic effects

$$\vec{E} = \vec{\beta} \times \vec{B} \approx \mathbf{O}(100\text{MV/m})$$

Frozen spin technique for the muon EDM

$$\vec{\omega} = \frac{q}{m} \left[a\vec{B} + \left(\frac{1}{1-\gamma} - a \right) \frac{\vec{\beta} \times \vec{E}}{c} + \frac{\eta_d}{2} \left(\frac{\vec{E}}{c} + \vec{\beta} \times \vec{B} \right) \right]$$

- Cancel anomalous precession with matched E-field:

$$E \cong aBc\beta\gamma^2$$

- Spin remains parallel on orbit
- No contamination from anomalous spin precession

- An EDM signal is visible as growing vertical polarization

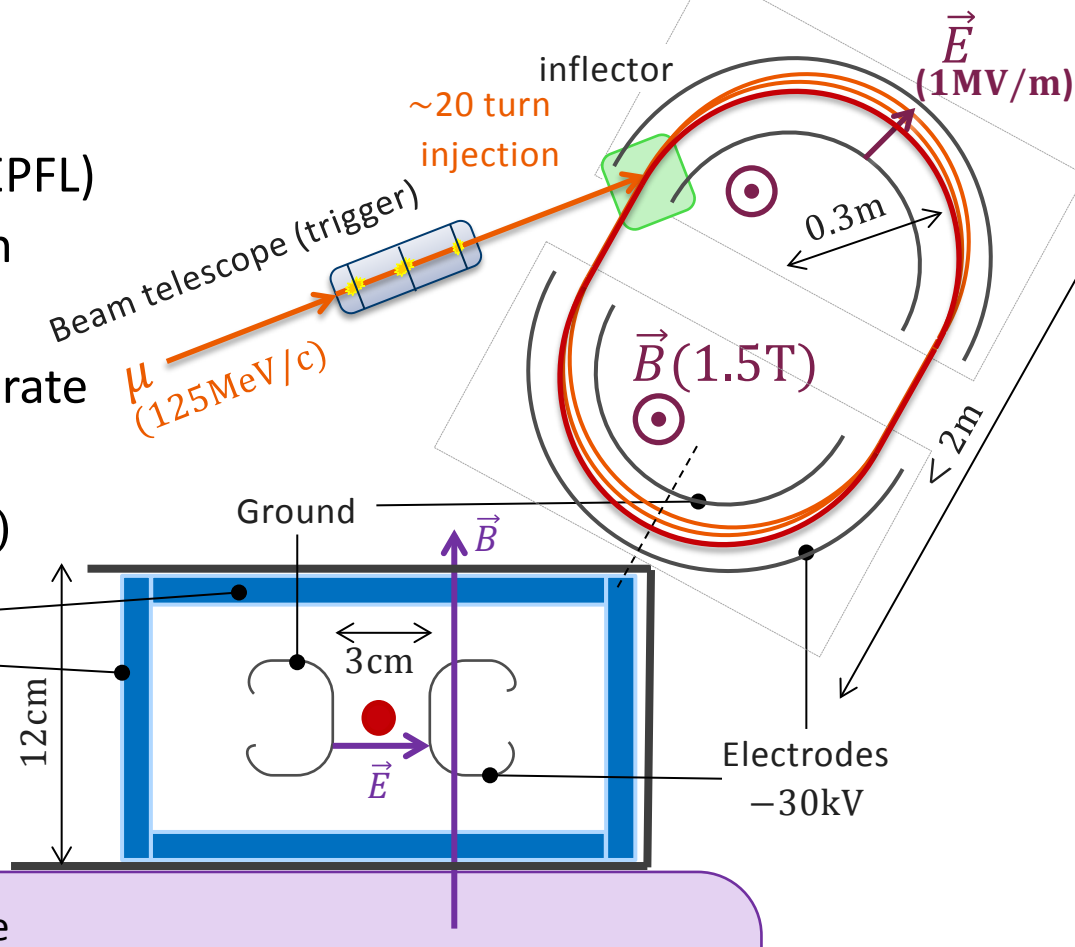
$$s_y(t) \propto \eta \left(\frac{\vec{E}}{c} + \vec{\beta} \times \vec{B} \right) t$$

- Detected as decay asymmetry of the muon

Proposal for a dedicated compact μ -EDM at PSI

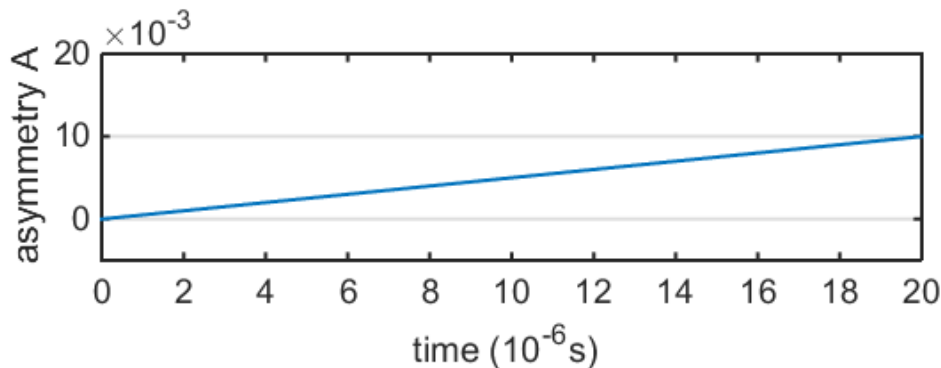
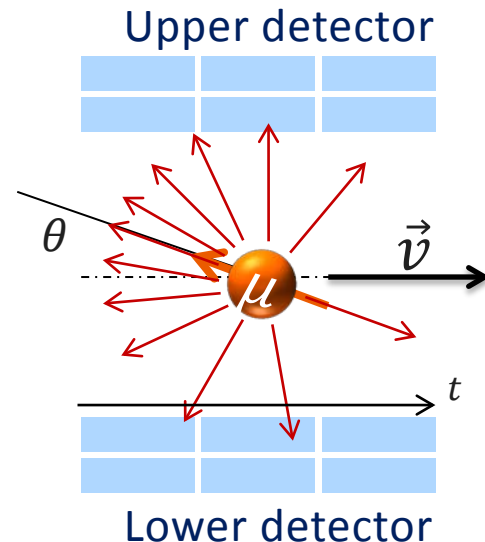
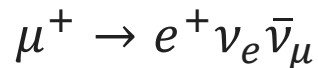
- Polarized μ – beam (PSI)
- Trigger from beam telescope (EPFL) for start of inflector ramp down (resonance injection*)
- One muon at a time $\sim 200\text{kHz}$ rate
- Tracking detector for positrons (resolution $\sim 0.25 \times 0.25\text{mm}^2$)

Detector (EPFL):
3-layer scintillating fibers with
SiPM readout and stereo angle



Signal: asymmetry of upper to lower detector

- Up / down detector measure decay positrons ($\tau_\mu = 2.2\mu\text{s}$)
- Side detectors (not shown) measure a_μ -precession to tune $E \cong aBc\beta\gamma^2$



$$A(t) = \frac{N_\uparrow(t) - N_\downarrow(t)}{N_\uparrow(t) + N_\downarrow(t)}$$

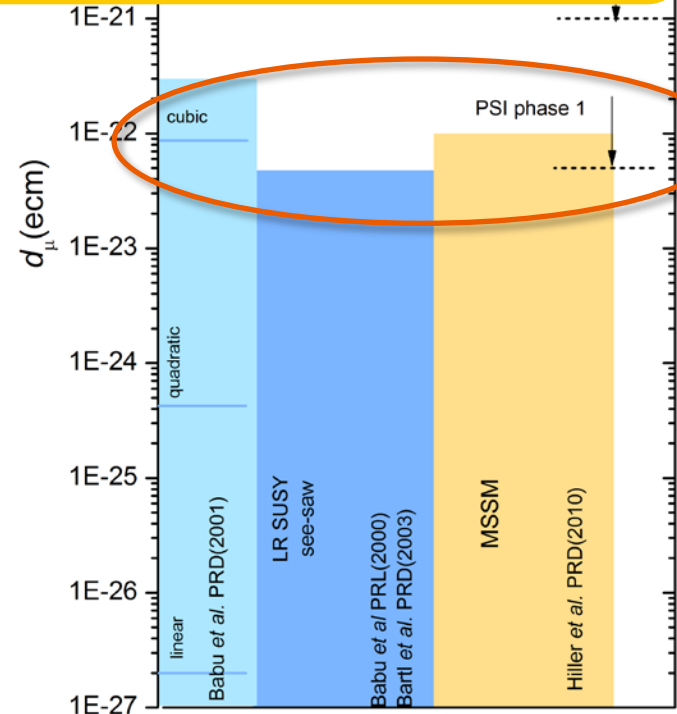
Apply frozen spin technique

- PSI μ E1: $2 \times 10^8 \mu^+ / s$ $\gamma = 1.57$
- Polarization from pion decay: $P = 0.9$
- Mean asymmetry of muon decay: $\alpha = 0.3$
- Compact conventional magnet:
 $B = 1.5 T \Rightarrow R = 0.28m, E = 10kV/cm$
- Detection rate: 200 kHz

$$\sigma(d_\mu) = \frac{\hbar \gamma \alpha}{2E \tau_\mu \alpha P \sqrt{N}} = 1 \times 10^{-16} \frac{ecm}{\sqrt{N}}$$

- Run time of $2 \times 10^7 s$
 $\Rightarrow N = 4 \times 10^{12}$ positrons per year.

PSI sensitivity (1 year):
 $\sigma(d_\mu) \approx 5 \times 10^{-23} ecm$



- EDM are unique probes for CP-violation and open a window to physics beyond the standard model
- The nEDM@PSI collaboration has taken the world most sensitive data set and prepares a new result in 2018
- The same data-set was used to set the first laboratory limit on an gluonic axion
- A search for an EDM of the muon using a compact storage ring at PSI is a unique science opportunity, and complements the electron EDM searches.



WIR SCHAFFEN WISSEN – HEUTE FÜR MORGEN

Backup

Worldwide comparison of UCN sources

