



Spin Filtering at COSY Technical Challenges

9. August 2012 | Christian Weidemann

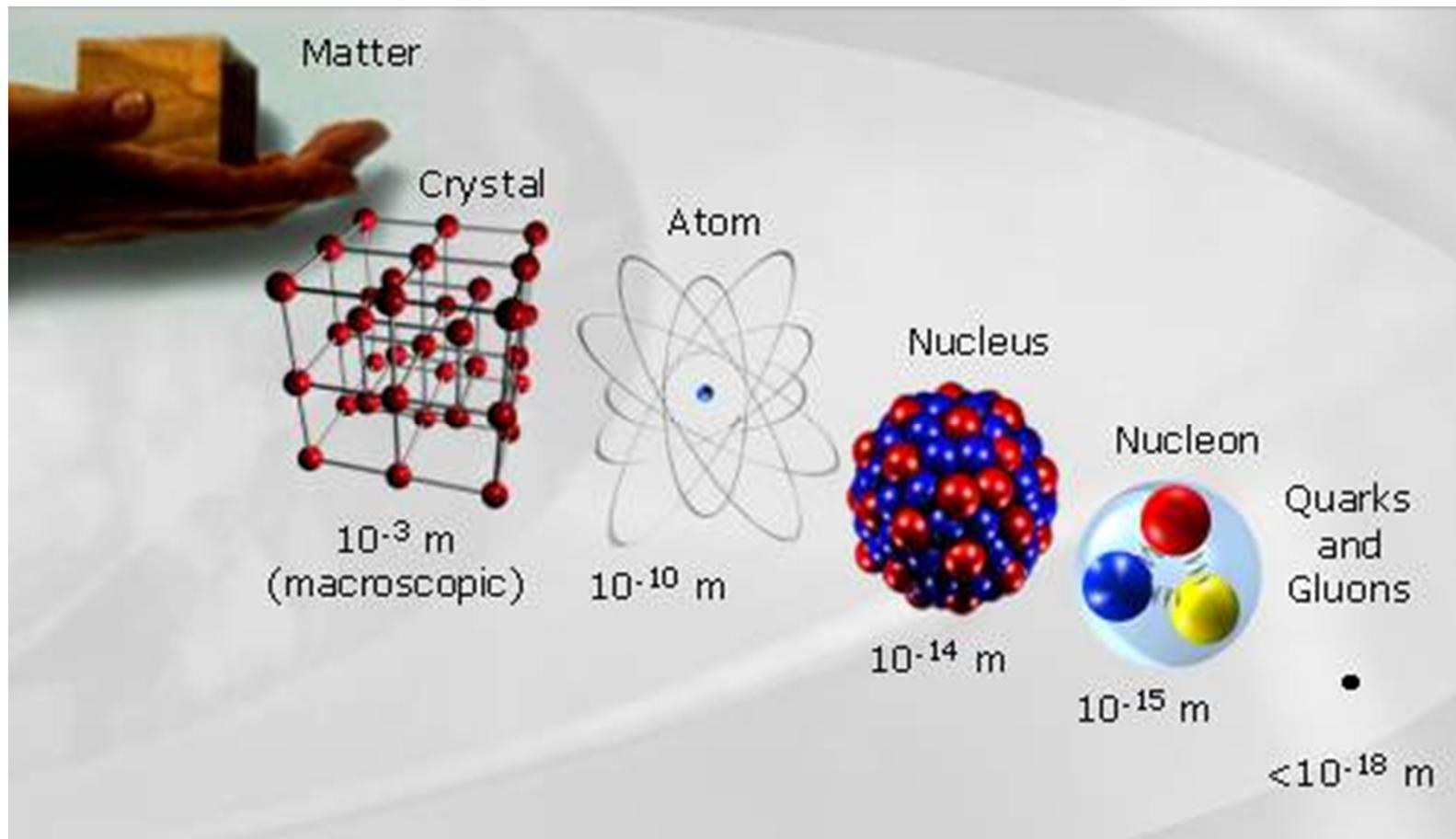


Outline

- Motivation
- Spin-Filtering Experiment
 - Idea
 - Cooler Synchrotron/Jülich
- Technical Challenges
 - High Density Polarized Gas Target
 - Maximum Beam Lifetimes
 - Beam Polarization Determination
- Summary



Motivation

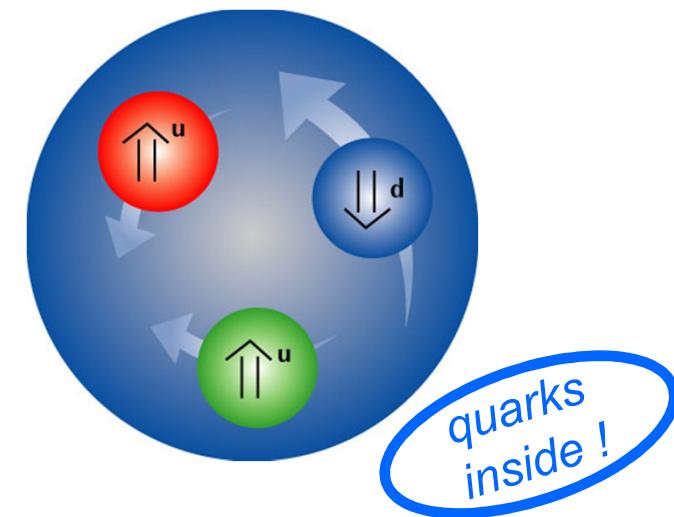




Motivation

- The proton consists of 2 ‘up’ und 1 ‘down’ Quark

- Proton charge: $\frac{2}{3} + \frac{2}{3} + \left(-\frac{1}{3}\right) = 1$
- Proton spin: $\frac{1}{2} + \frac{1}{2} + \left(-\frac{1}{2}\right) = \frac{1}{2}$



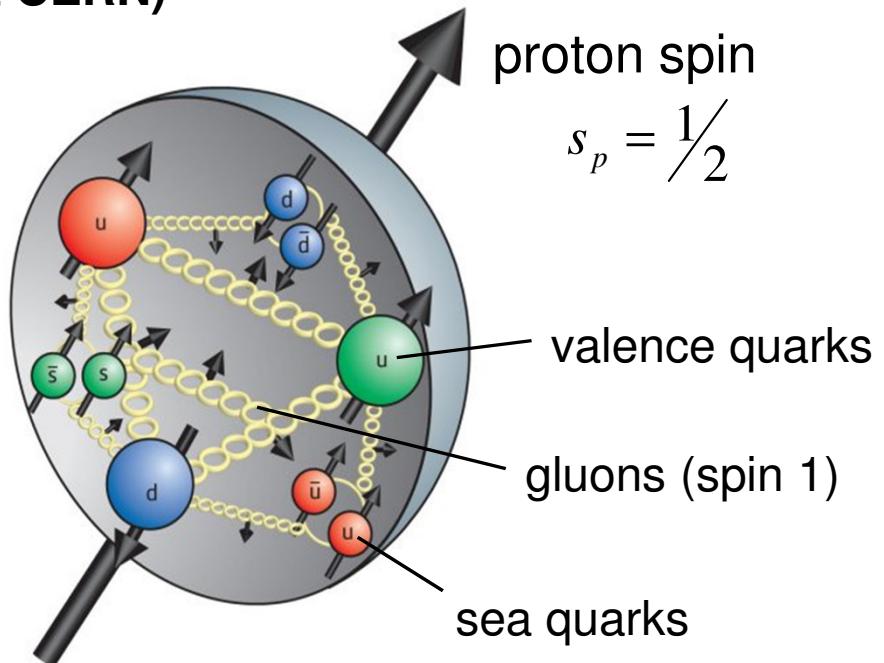
- Experiments in 1988 at CERN (EMC):

“The valence quarks intrinsic spin contributes by only 25-30% to the proton spin”



Motivation

- Gluon contribution is too small
(STAR at RHIC and COMPASS at CERN)
- Contribution of sea quark polarization is consistent with zero
(HERMES at DESY)
- Where does the nucleon spin come from ?





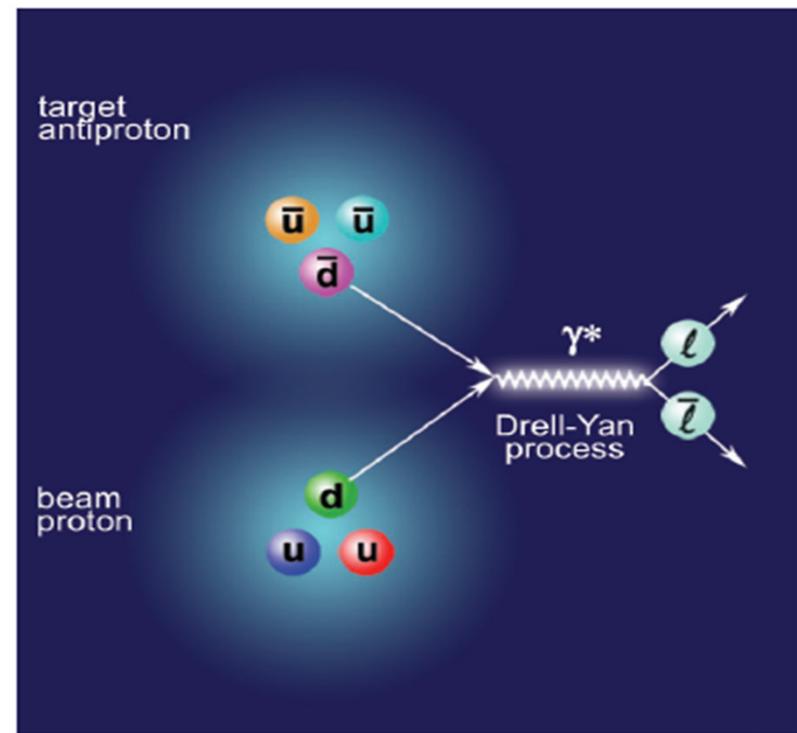
Motivation

- The PAX collaboration wants to study so called Drell-Yan processes in scattering of polarized proton (p) and antiproton ($p\bar{n}$) beams at the HESR (FAIR)
- Annihilation of valence quark with an antivalence quark is needed!
- Requirements:

Polarized proton beam



Polarized antiproton beam



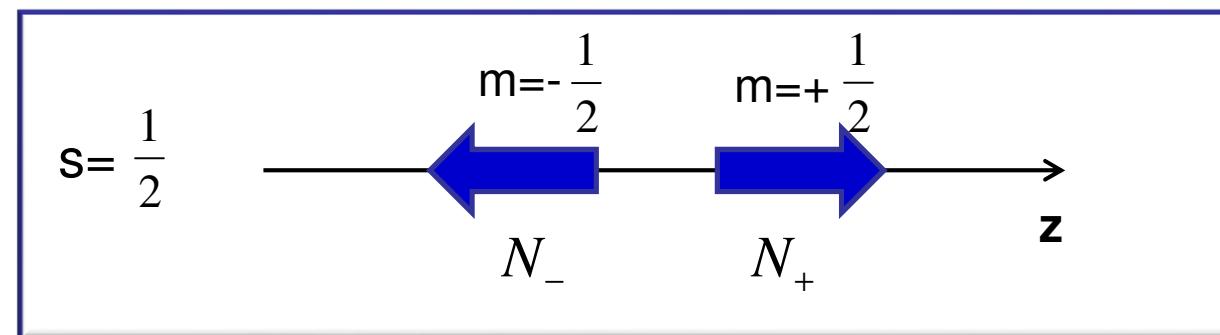


Basics: Polarization

Spin s : $2s+1$ possible orientations along quantization axis z

- spin $1/2$ → 2 orientations
- spin 1 → 3 orientations

magnetic quantum number $m=s_z$ (z-component in units of \hbar)



intensity

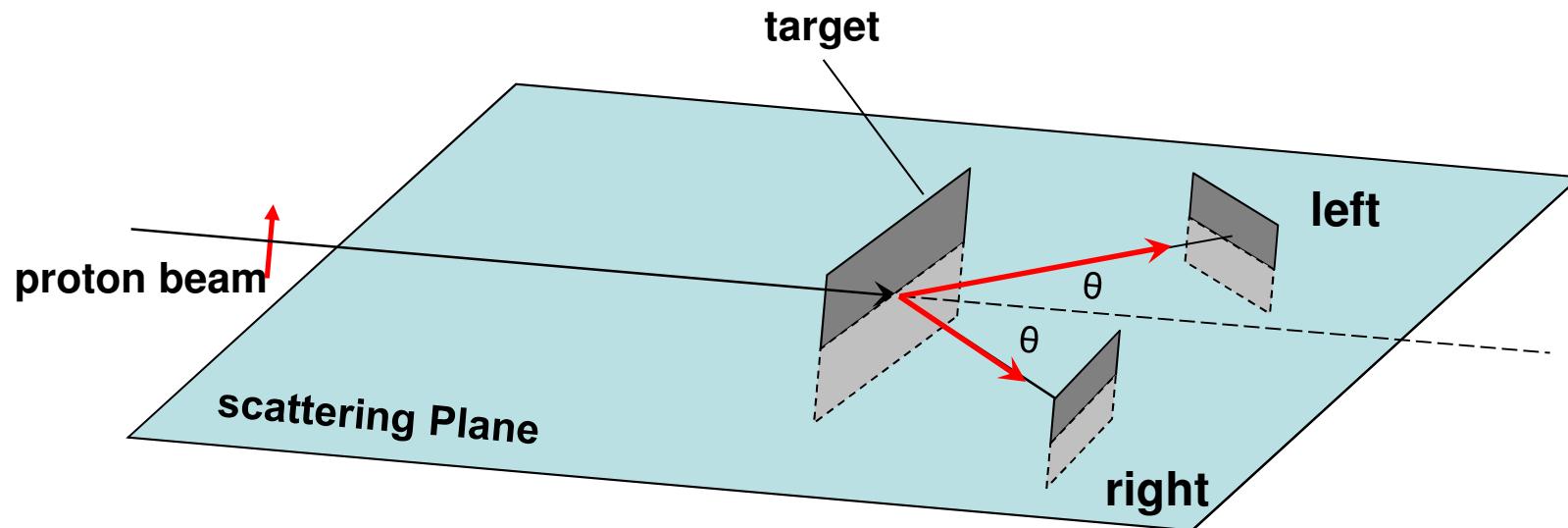
$$I = N_- + N_+$$

polarization

$$P_z = \frac{N_+ - N_-}{N_+ + N_-}$$



Basics: Polarization Determination



Experiment measures “asymmetry”

$$\varepsilon = P_y \cdot A_y = \frac{N_L - N_R}{N_L + N_R}$$

analyzing power $A_y(\theta, E)$
beam polarization



How to polarize antiprotons?



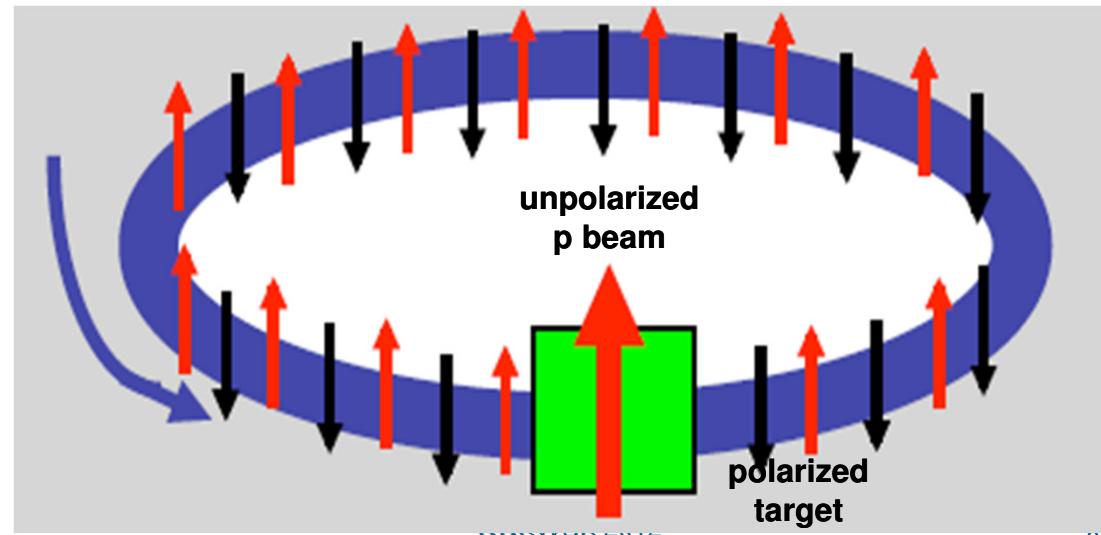
Spin Filtering

Polarization build-up of a circulating particle beam by interaction with a polarized gas target

$$\sigma_{tot} = \sigma_0 + \sigma_1(\vec{P} \cdot \vec{Q}) + \sigma_2(\vec{P} \cdot \hat{k})(\vec{Q} \cdot \hat{k})$$

P...beam particle spin orientation
Q...target particle spin orientation
k // beam direction

$$P(t) = \frac{N_\uparrow - N_\downarrow}{N_\uparrow + N_\downarrow} = \tanh\left(\frac{t}{\tau_1}\right) \approx t \cdot \tilde{\sigma}_1 \cdot Q \cdot d_t \cdot f$$





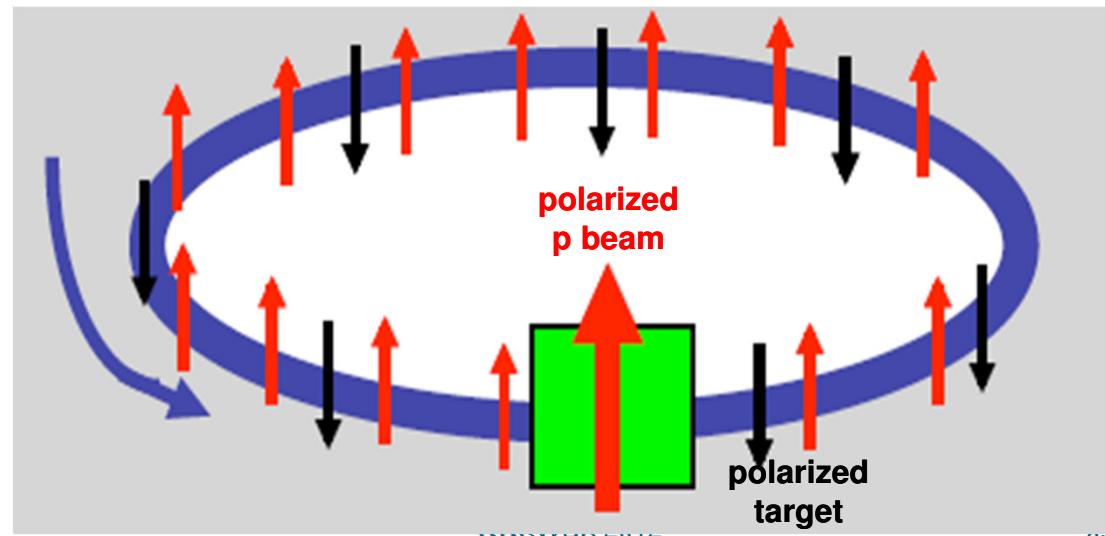
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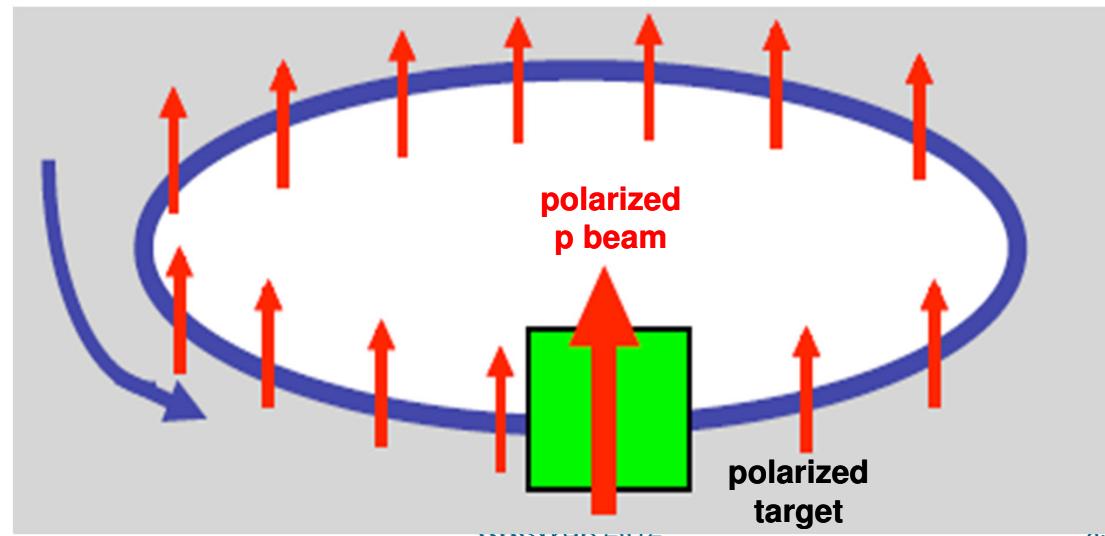
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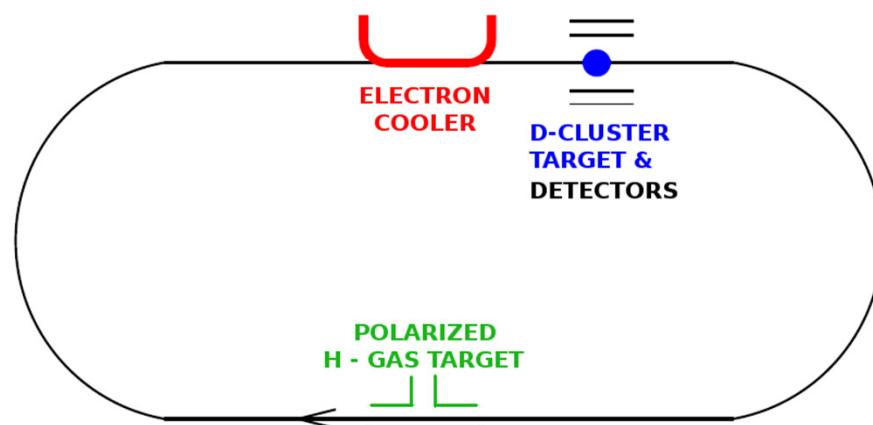




Spin Filtering at COSY

Spin filtering with protons for better understanding of the underlying processes and commissioning of the experimental setup

- length: 183.4 m
- injection energy: 45 MeV
- electron cooling for long lifetimes up to 600 MeV/c (p)



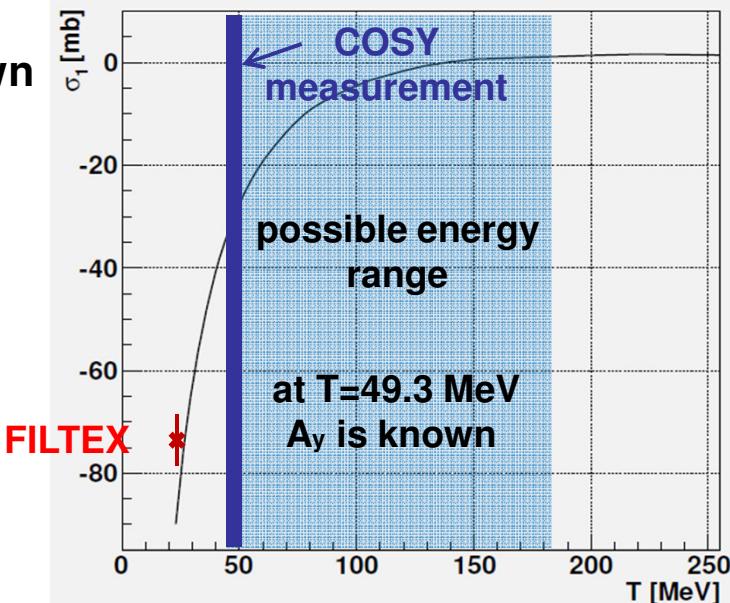


Optimize Spin Filtering

$$P(t) = \frac{N_{\uparrow} - N_{\downarrow}}{N_{\uparrow} + N_{\downarrow}} = \tanh\left(\frac{t}{\tau_1}\right) \approx \tilde{\sigma}_1 \cdot f \cdot Q \cdot d_t \cdot t$$

1. Maximum polarizing cross section

- small kinetic energy, where the analyzing power is known





Optimize Spin Filtering

$$P(t) = \frac{N_{\uparrow} - N_{\downarrow}}{N_{\uparrow} + N_{\downarrow}} = \tanh\left(\frac{t}{\tau_1}\right) \approx \tilde{\sigma}_1 \cdot f \cdot Q \cdot d_t \cdot t$$

1. Maximum polarizing cross section
 - small kinetic energy
2. Maximum revolution frequency
 - large kinetic energy (compromise between 1. & 2. needed)
 - short accelerator (we use COSY)



Optimize Spin Filtering

$$P(t) = \frac{N_{\uparrow} - N_{\downarrow}}{N_{\uparrow} + N_{\downarrow}} = \tanh\left(\frac{t}{\tau_1}\right) \approx \tilde{\sigma}_1 \cdot f \cdot Q \cdot d_t \cdot t$$

1. Maximum polarizing cross section
 - small kinetic energy
2. Maximum revolution frequency
 - large kinetic energy
 - short accelerator
3. Maximum target polarization and density
 - high density polarized gas target (Atomic Beam Source)
 - storage cell



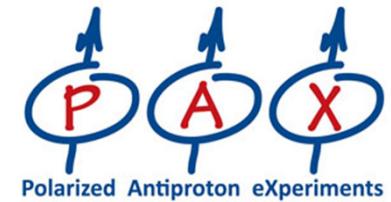
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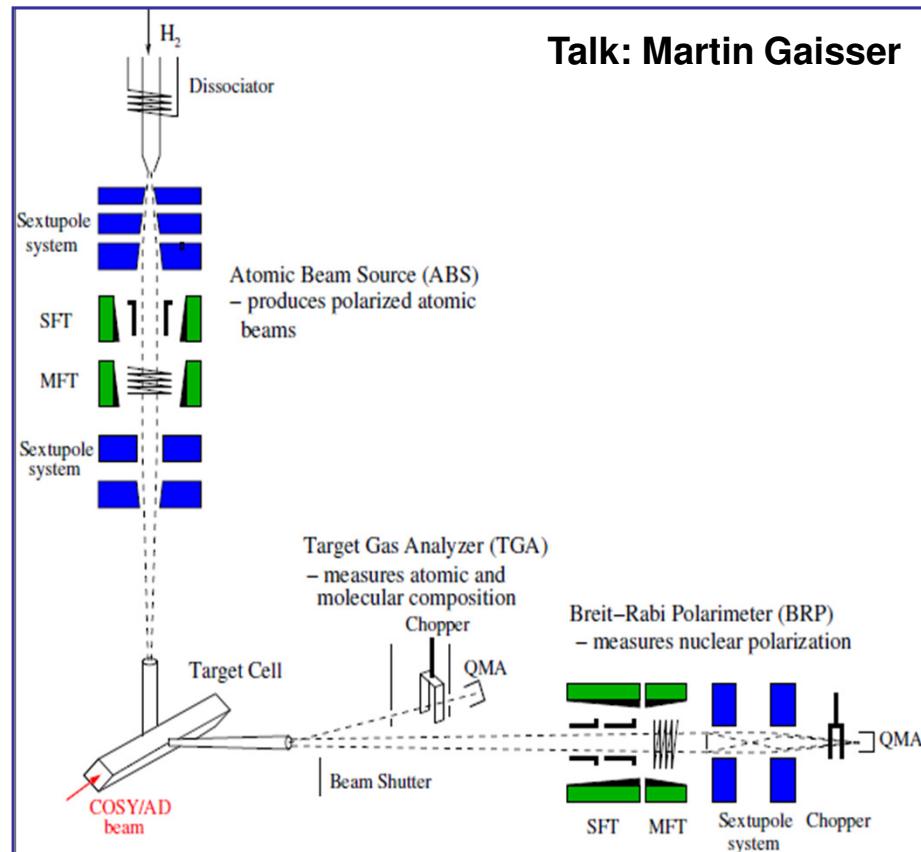
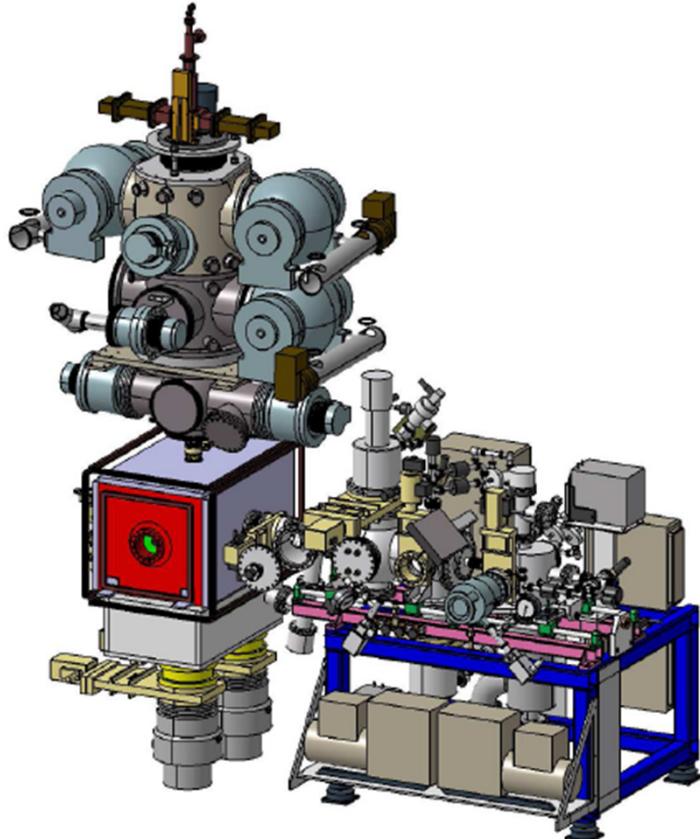
1. Maximum polarizing cross section
 - small kinetic energy
2. Maximum revolution frequency
 - large kinetic energy
 - short accelerator
3. Maximum target polarization and density
 - high density polarized gas target (Atomic Beam Source)
 - storage cell
4. Maximum filtering time
 - long beam lifetime (UHV, good beam preparation, etc.)



High Density Polarized Gas Target



Polarized Gas Target

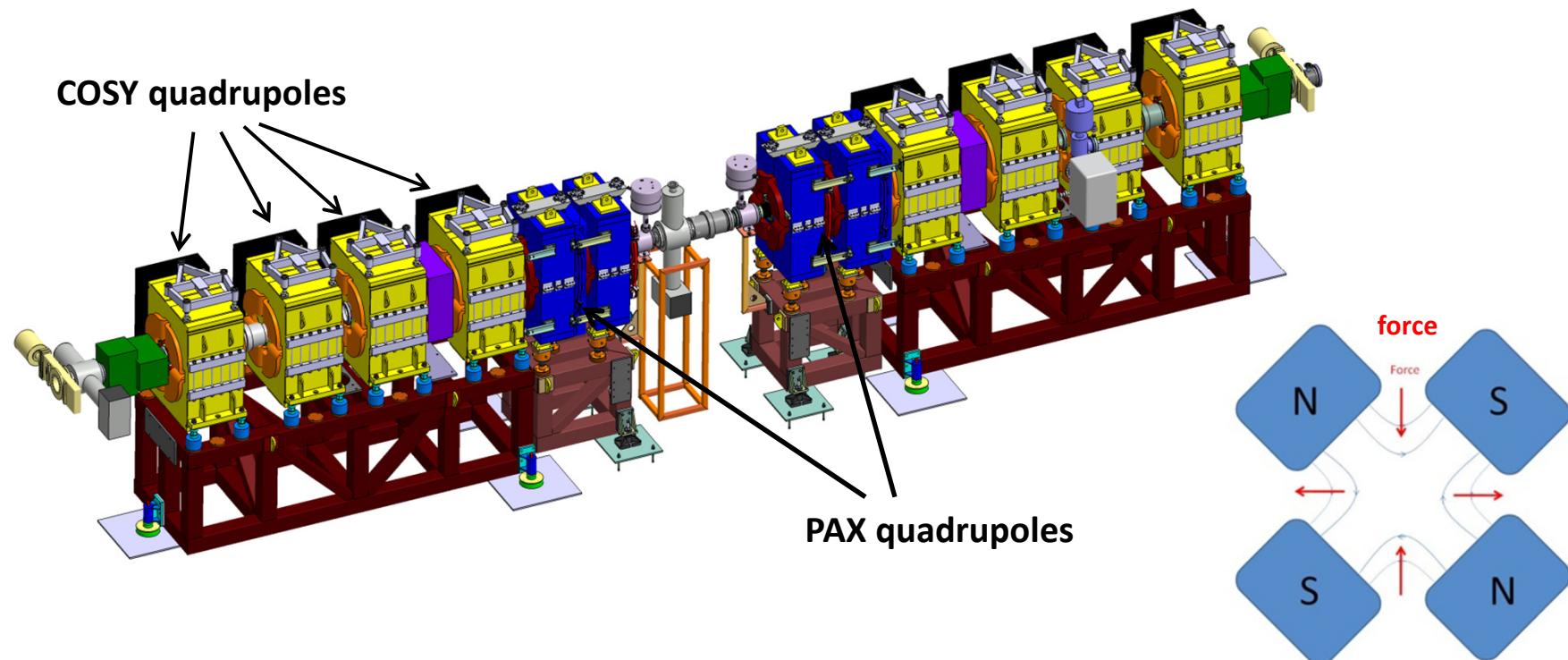


- Storage cell increases the dwell time of the target gas atoms within the area of the beam and thus increases the target areal density



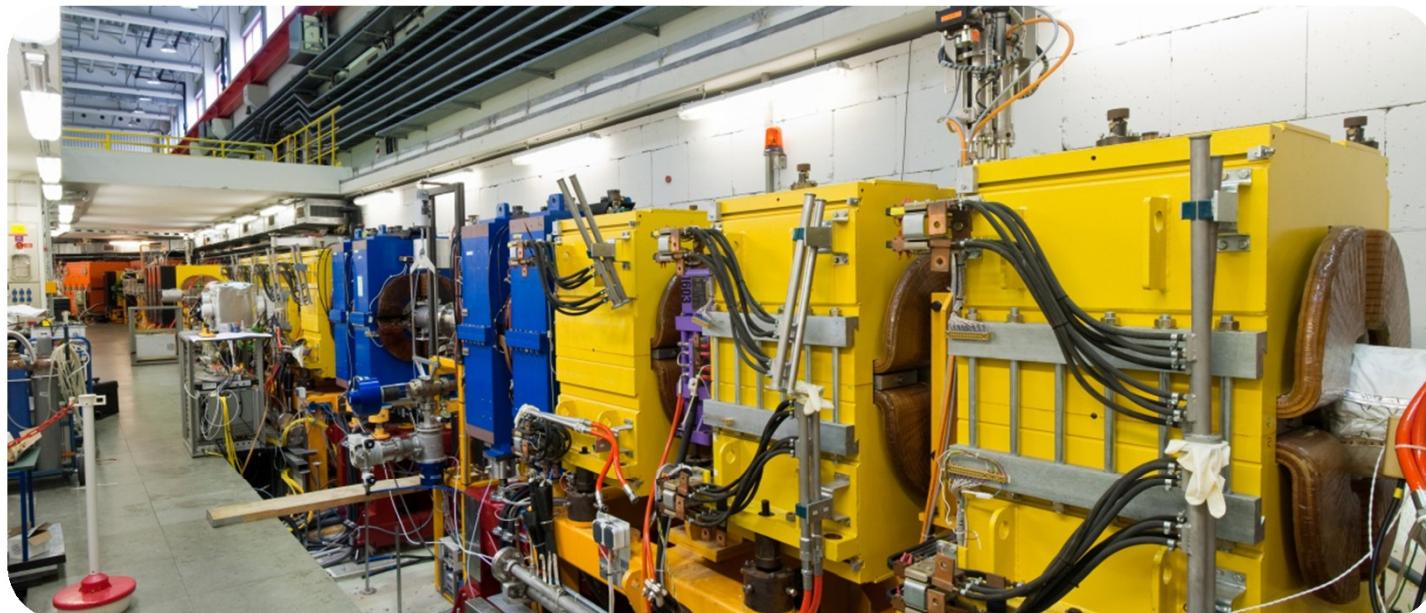
„Low- β “ Section

- Storage cell dimensions are 10x 10 mm with 400mm length
- The COSY beam has to be squeezed to fit through the cell without losses
- Additional quadrupole magnets have to be installed





„Low- β “ Section

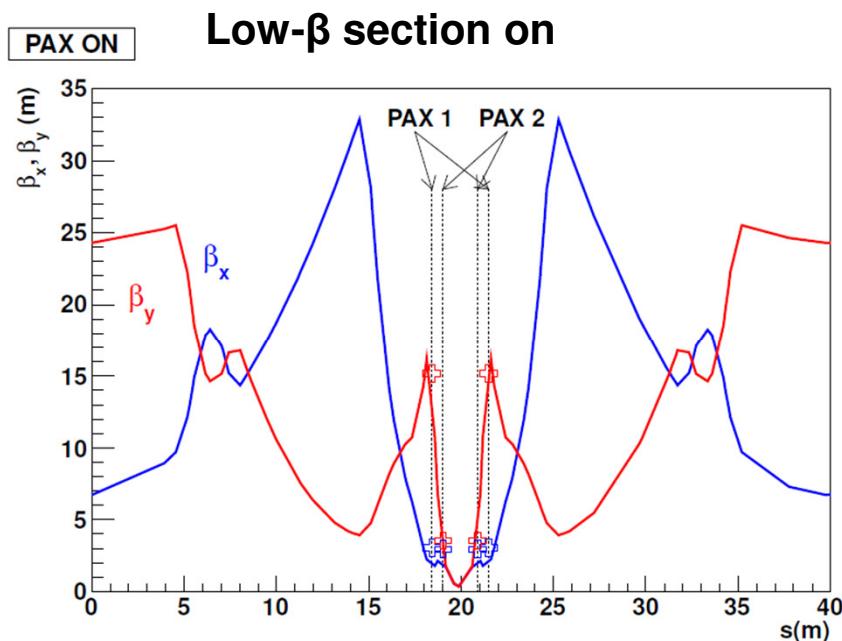
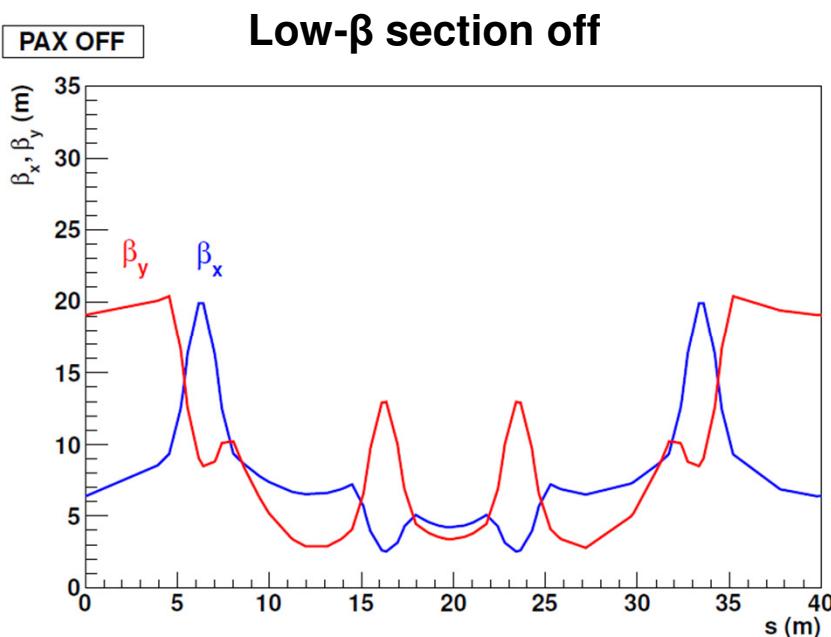




„Low- β “ Section

- The beam size is given in terms of standard deviations as:

$$\sigma(s) = \sqrt{\varepsilon \cdot \beta(s)}$$

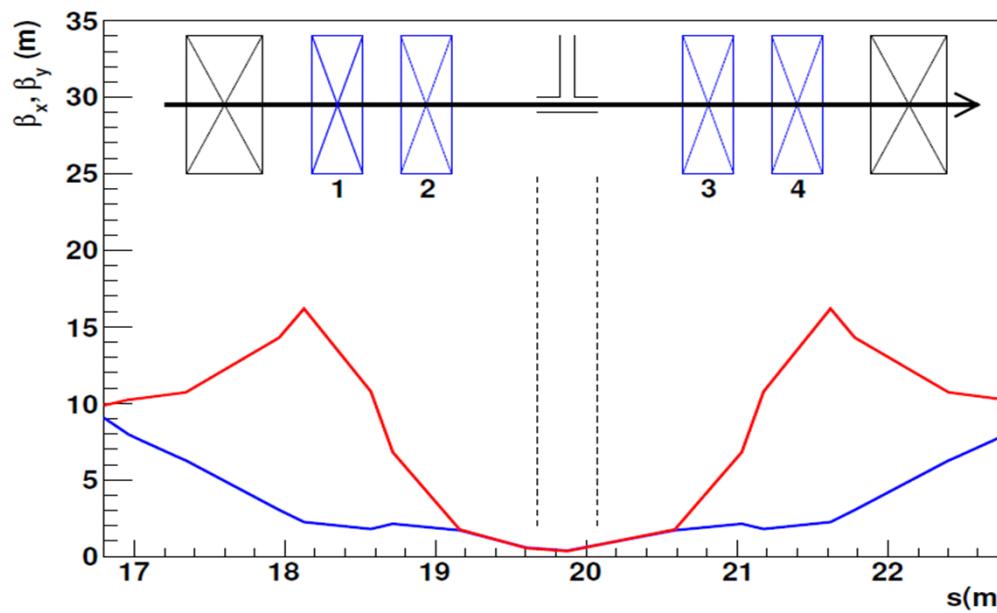




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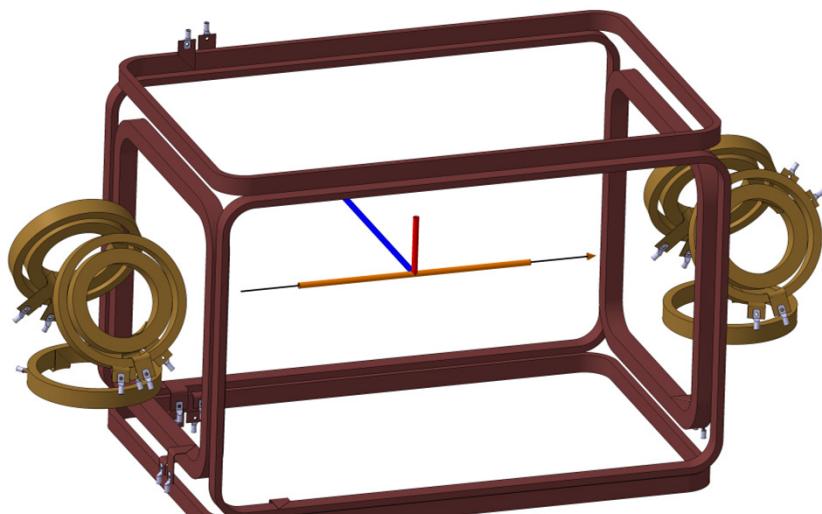


- Beam sizes of $2\sigma = 1.2$ mm can be reached

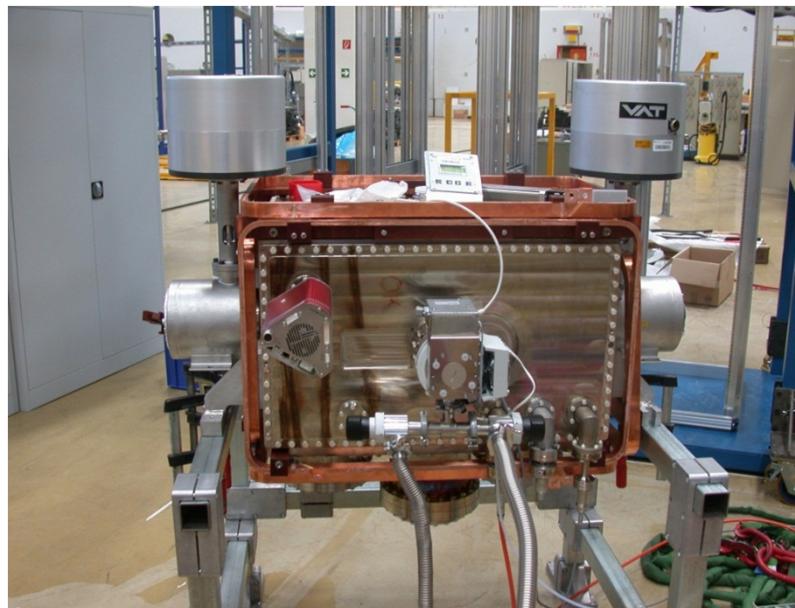


Target Holding Field System

- The target holding field system provides magnetic guide fields in the order of 1 mT in x-, y-, and z-direction
- Switching of polarization within 10 ms
- Compensation coils avoid influences on the beam axis



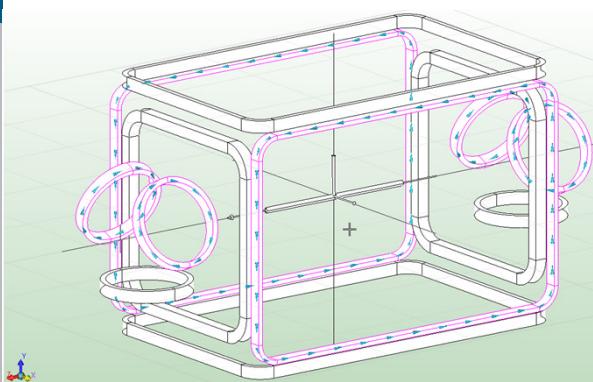
IKP & ZAT



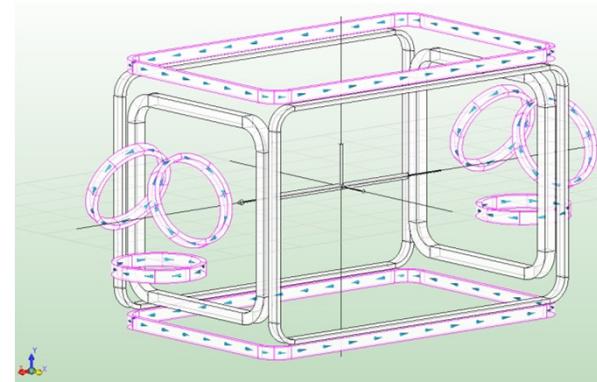


Target Holding Field System

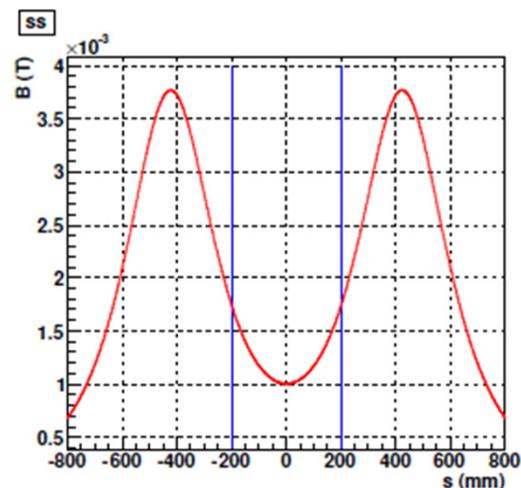
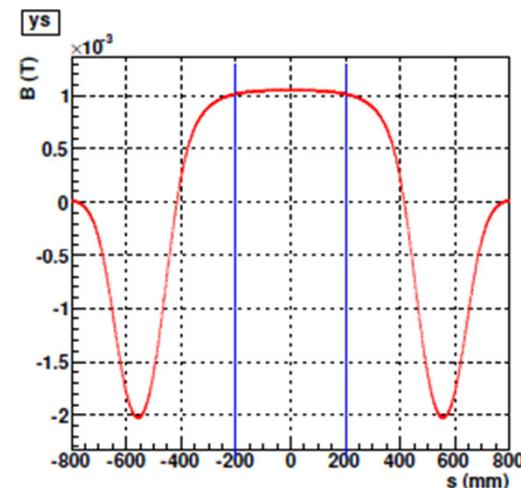
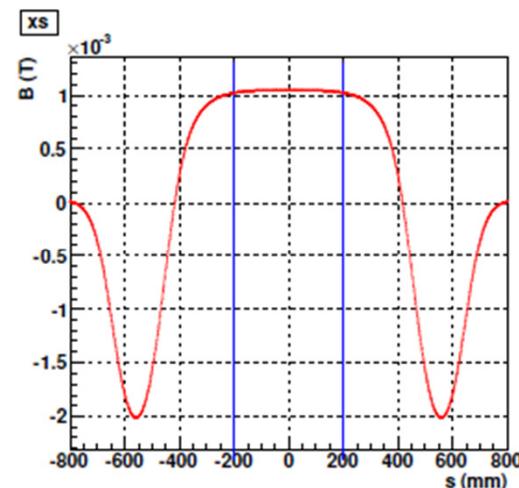
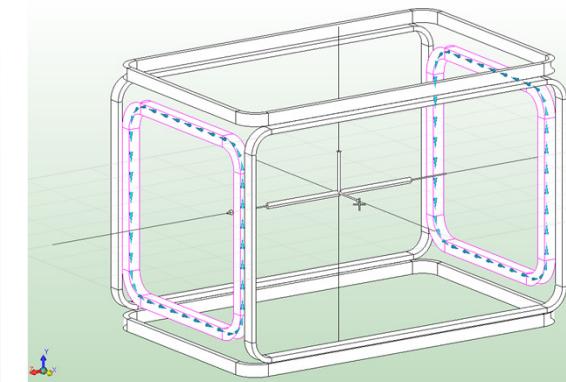
x-direction



y-direction



z-direction





Maximum Beam Lifetime

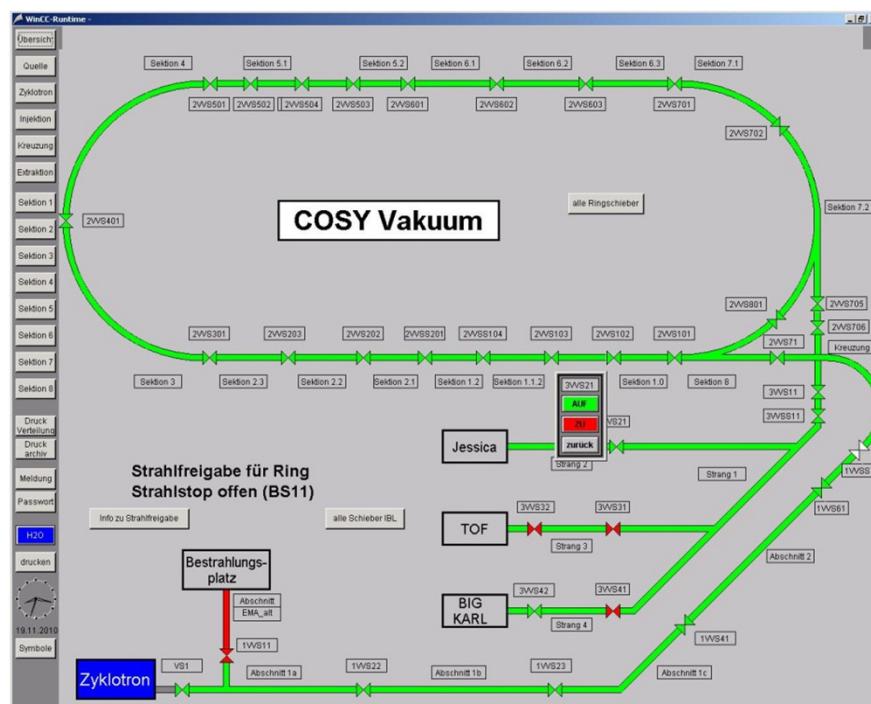


COSY Ultra-high Vacuum System

COSY UHV equipment and control system



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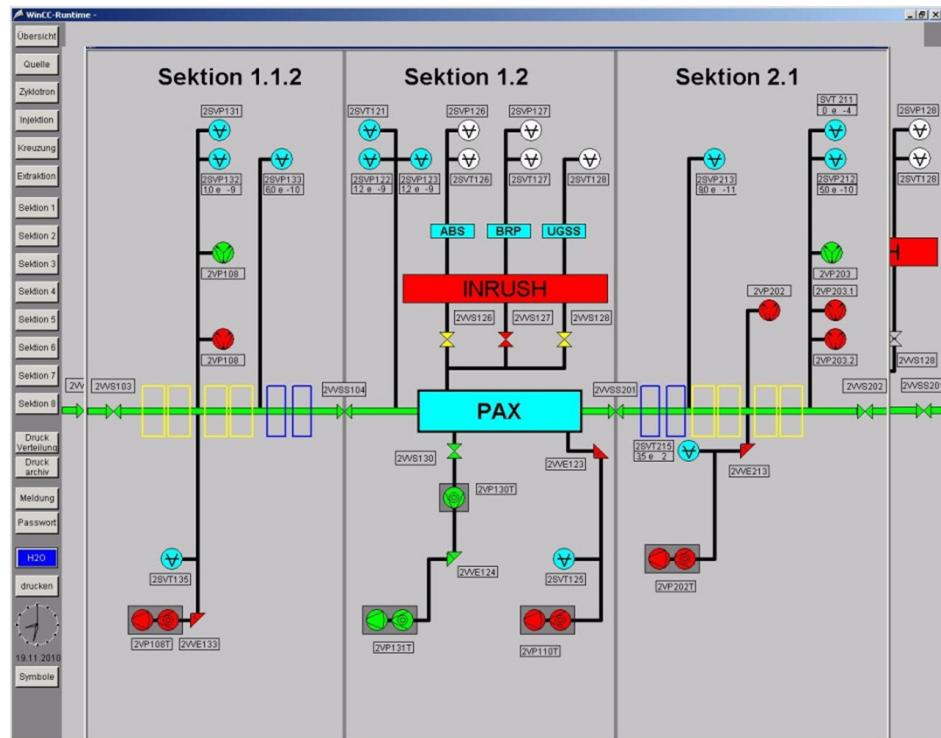


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COSY Ultra-high Vacuum System

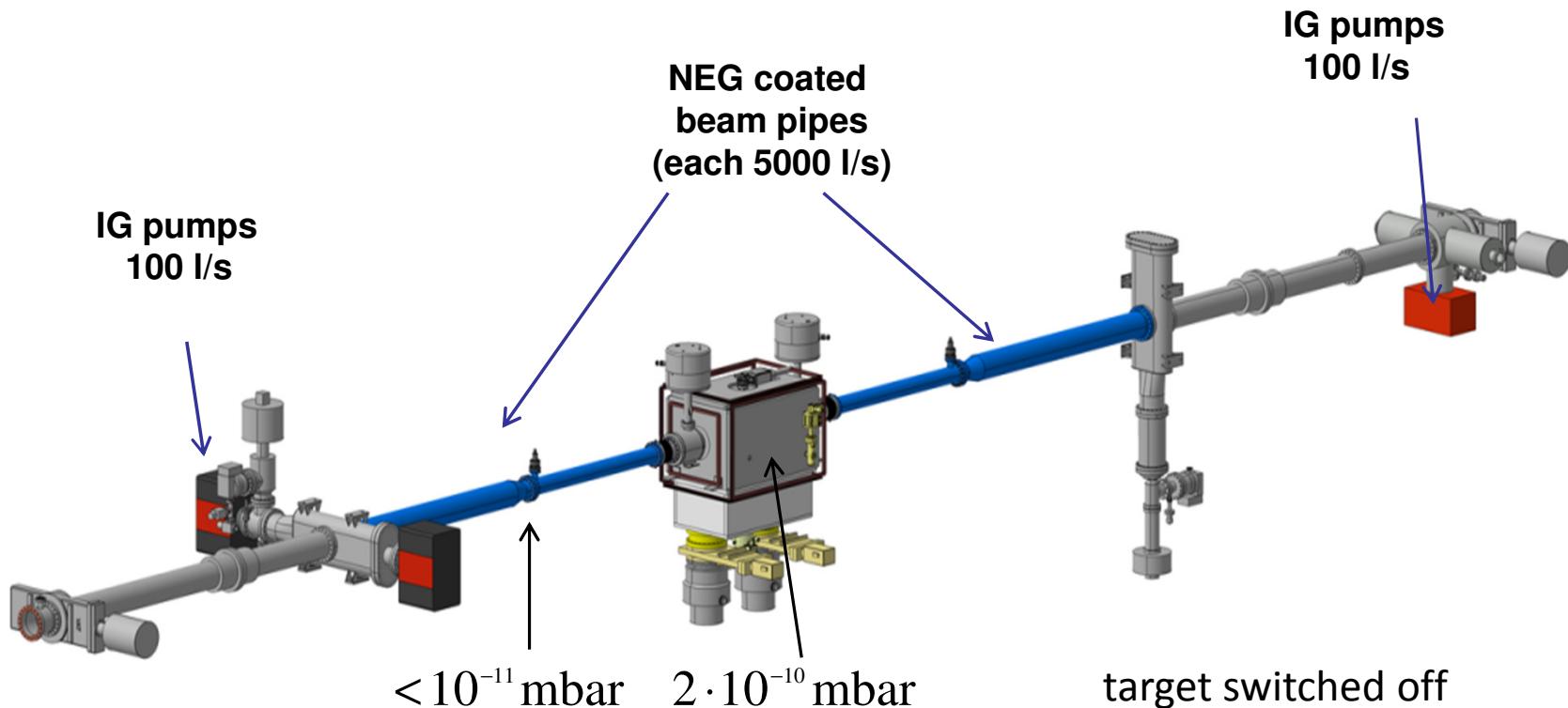
COSY Vacuum control per section





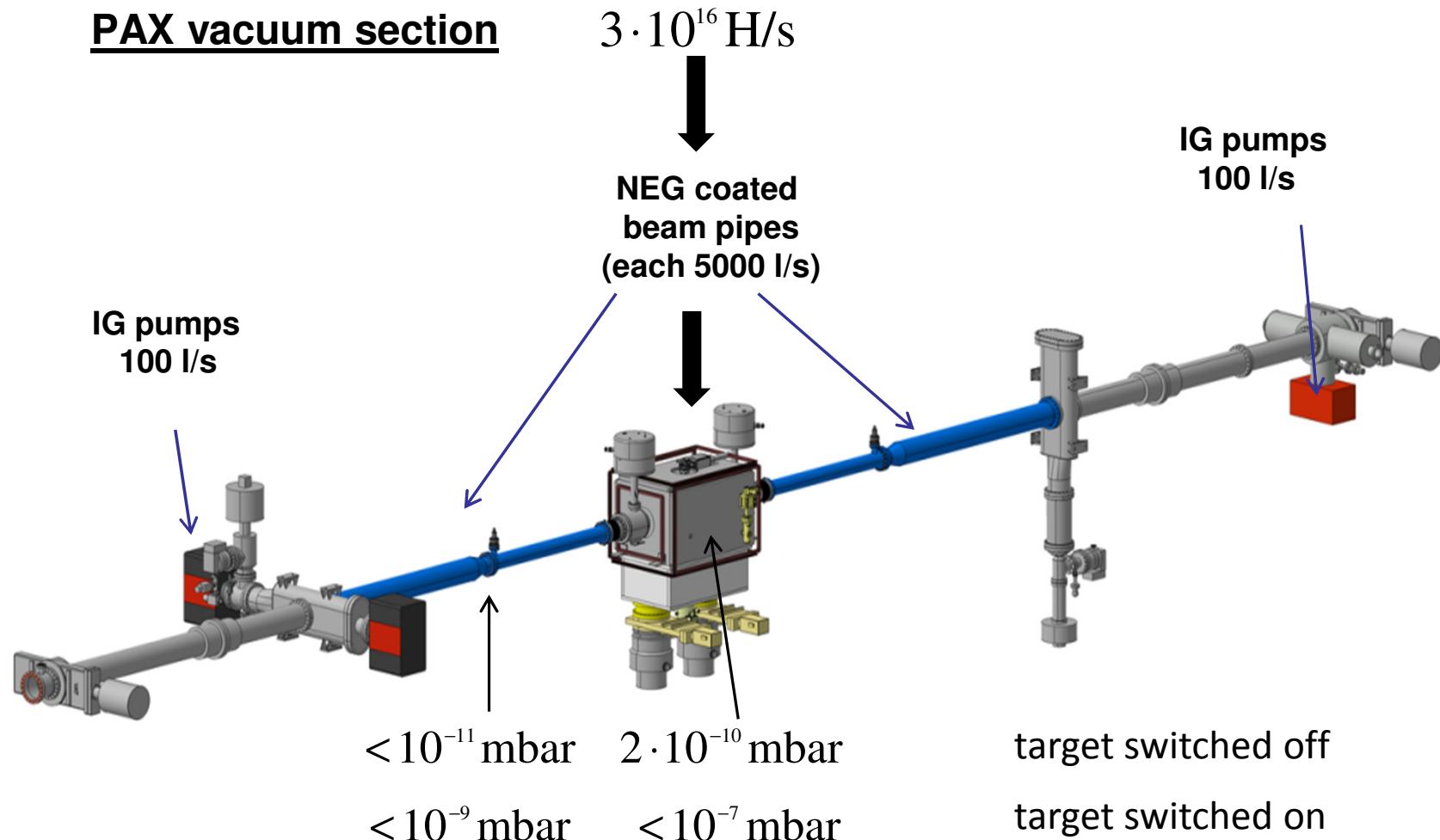
PAX Ultra-high Vacuum System

PAX vacuum section





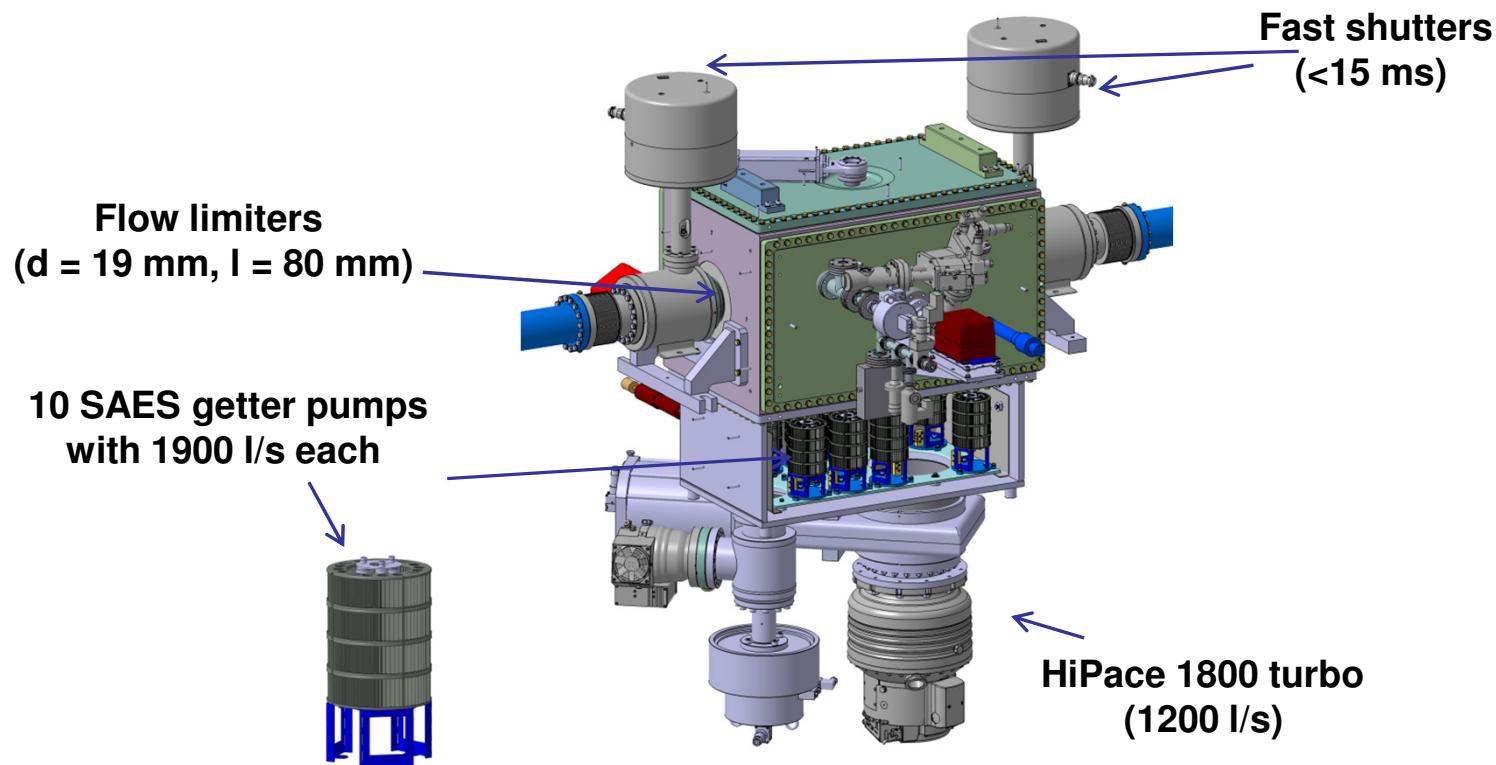
PAX Ultra-high Vacuum System

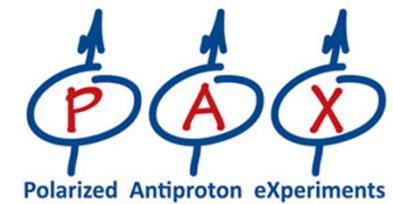




PAX Ultra-high Vacuum System

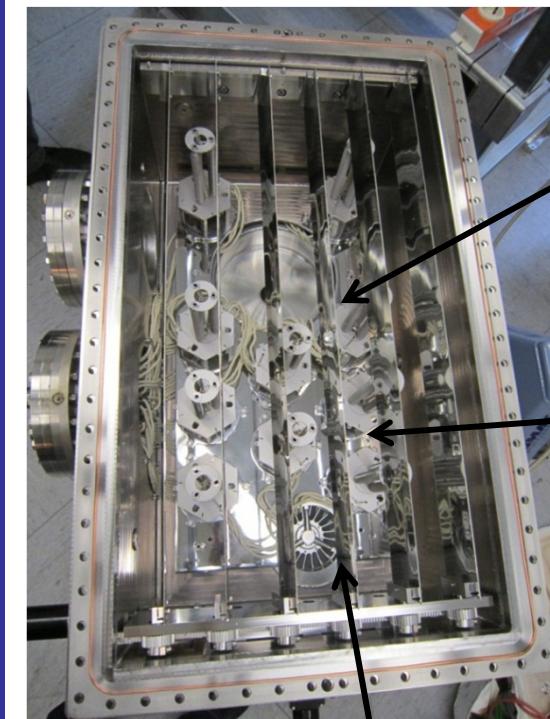
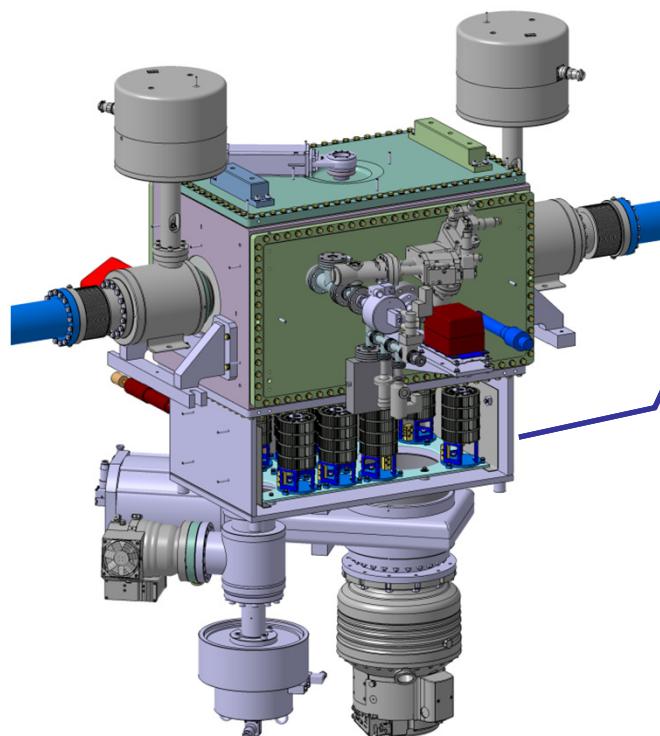
PAX target chamber





PAX Ultra-high Vacuum System

PAX target chamber



800°C Heater

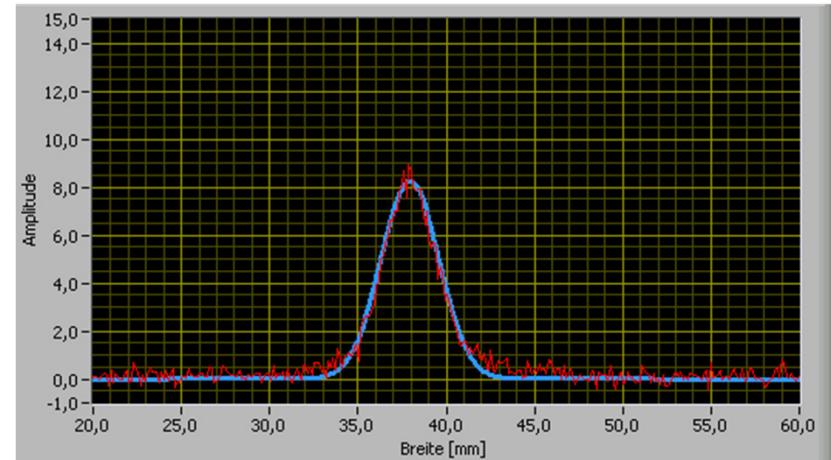
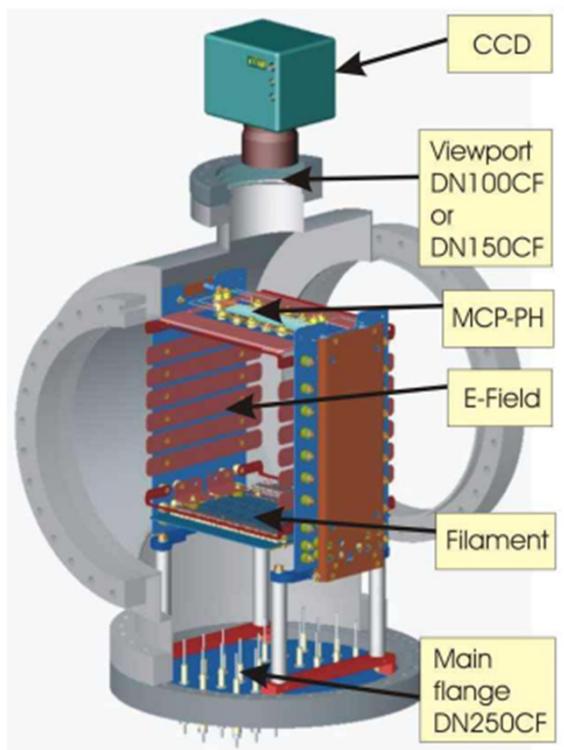
450°C NEG

Jalousie – Heat shield



Orbit Correction

- Measurement of beam positions and the beam size along the accelerator using ionisation profile monitors



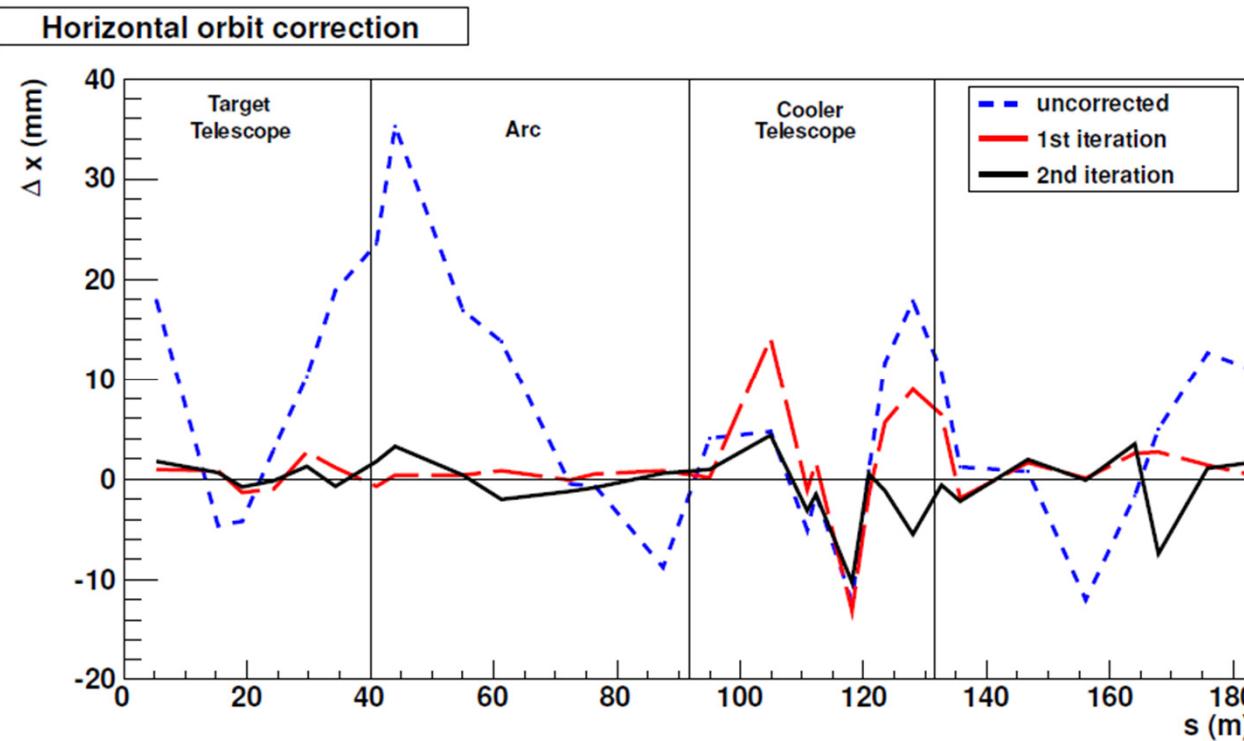
Particle distribution in x-direction

GSI



Orbit Correction

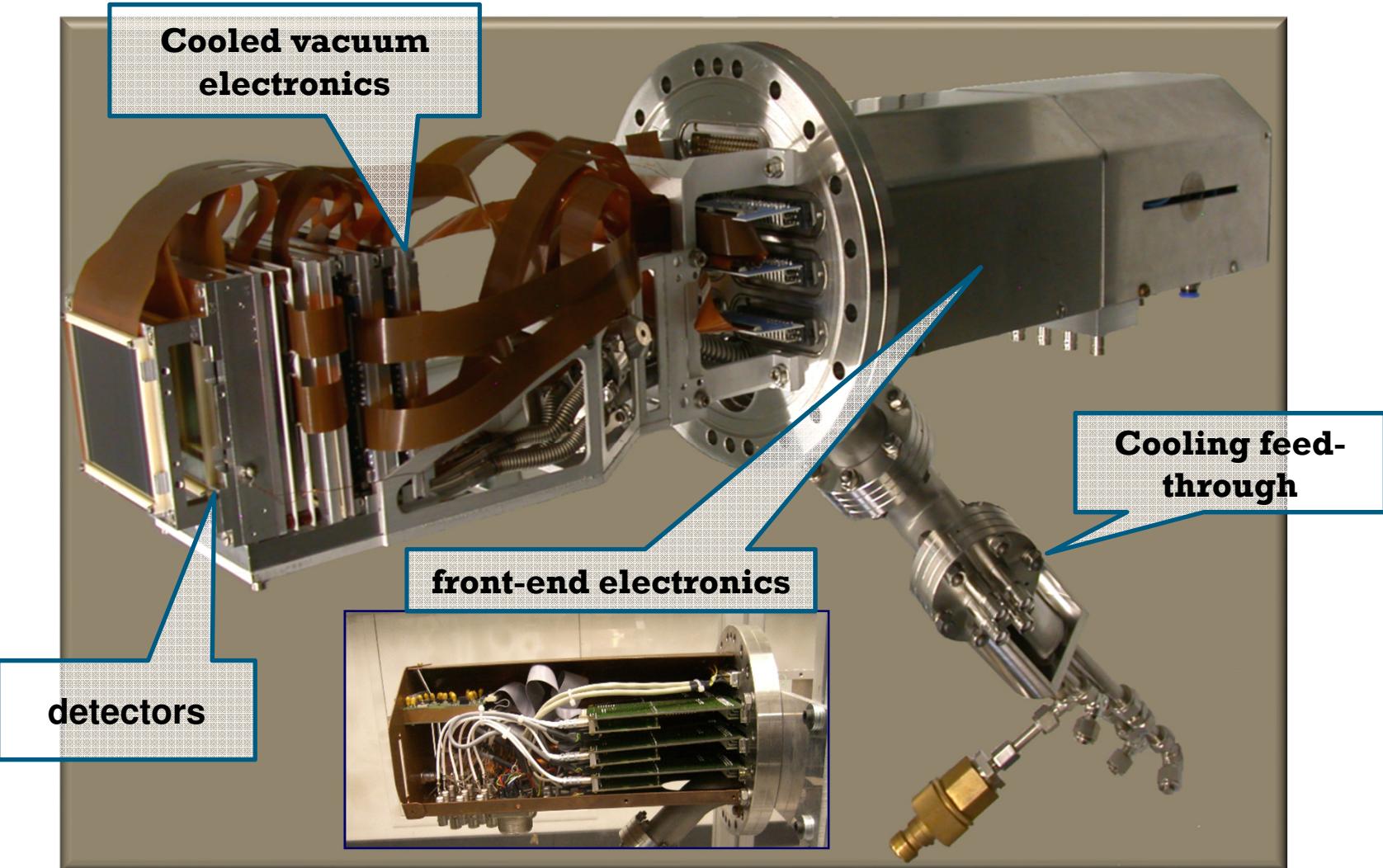
- Measurement of beam positions and the beam size along the accelerator using an ionisation profile monitors
- Optimize deviation of beam from nominal orbit in an iterative process





Beam Polarization Measurement

Beam Polarization Measurement



Talk: R. Schleichert

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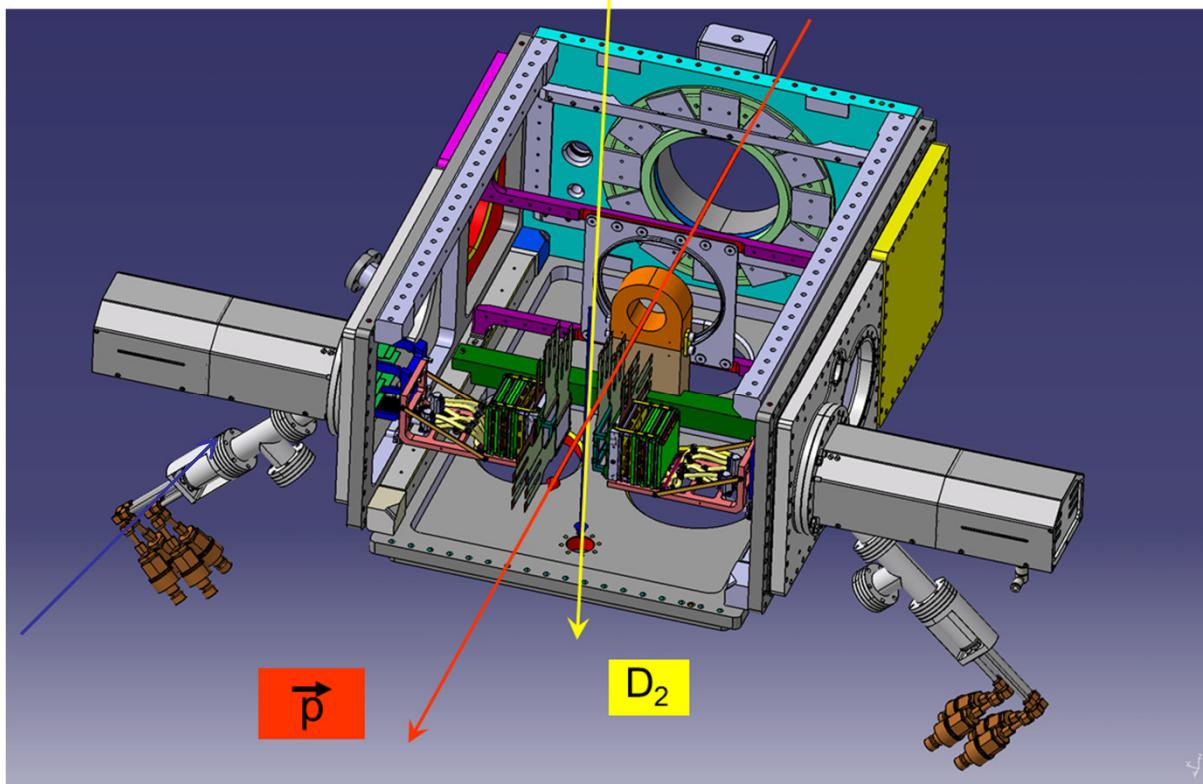
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Beam Polarization Measurement



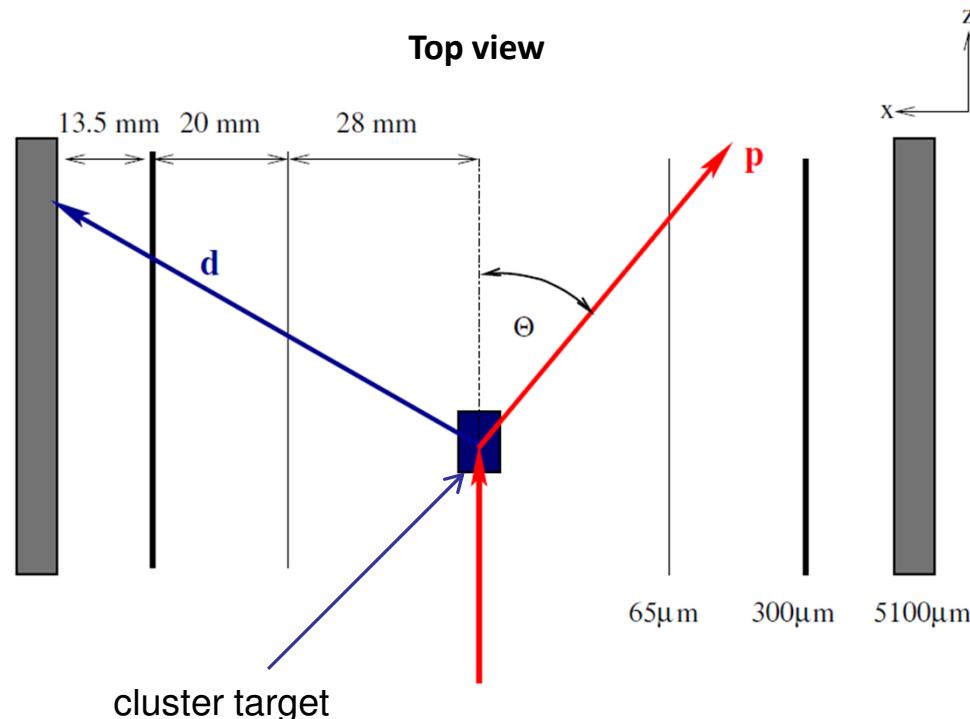
- Measurement of L-R asymmetry in elastic pd scattering
- 2 Silicon Tracking Telescopes left and right of the beam target overlap region
- Deuterium cluster target ($1 \cdot 10^{14}$ atoms/cm²)



Beam Polarization Measurement



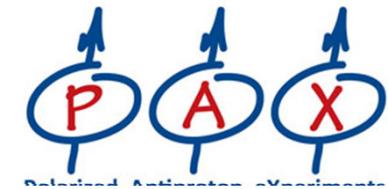
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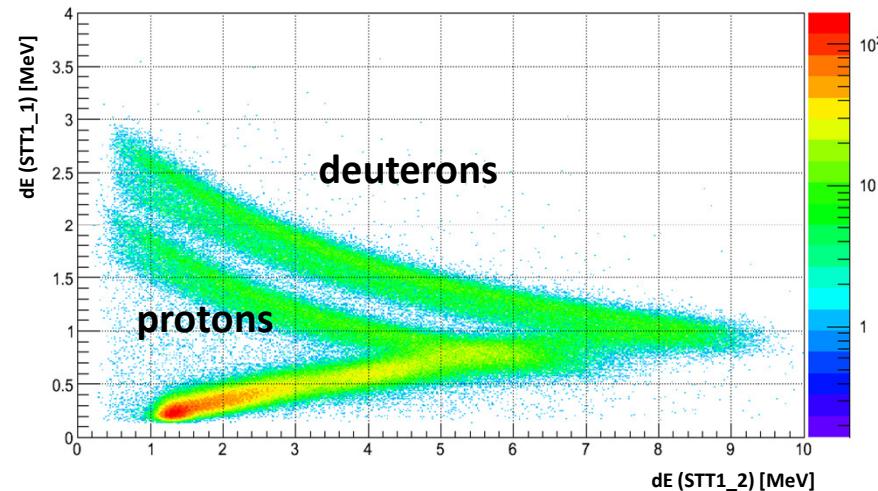
Detectors measure E, Θ , φ

- particle identification
- selection of elastic scattering events

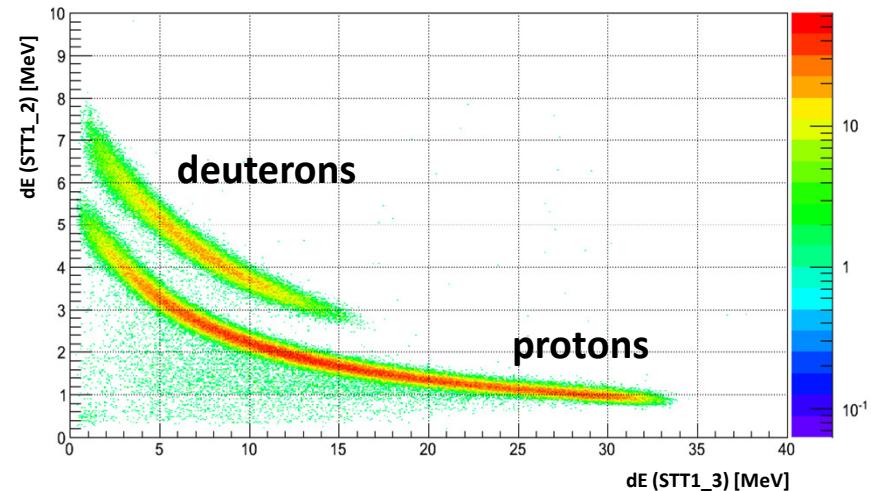
Beam Polarization Measurement



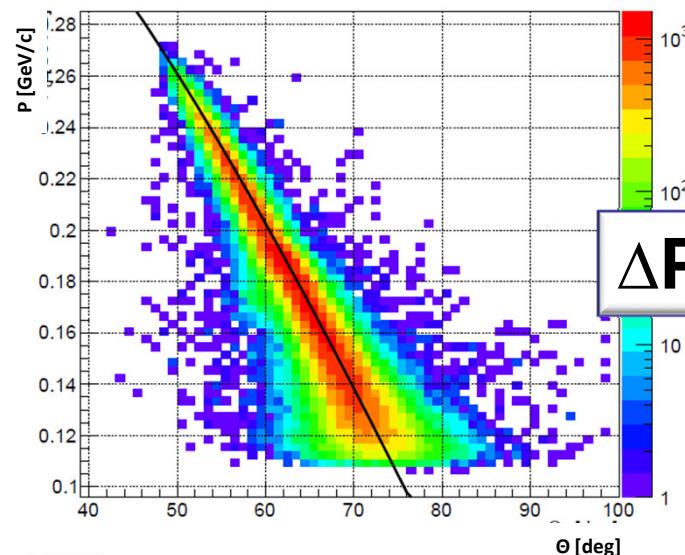
Energy loss in 1. vs 2. layer



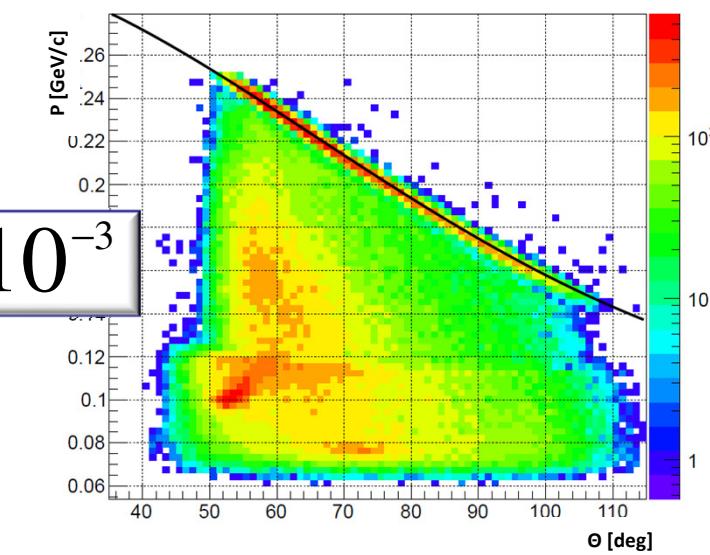
Energy loss in 2. vs 3. layer



Deuteron momentum vs. scattering angle



Proton momentum vs. scattering angle

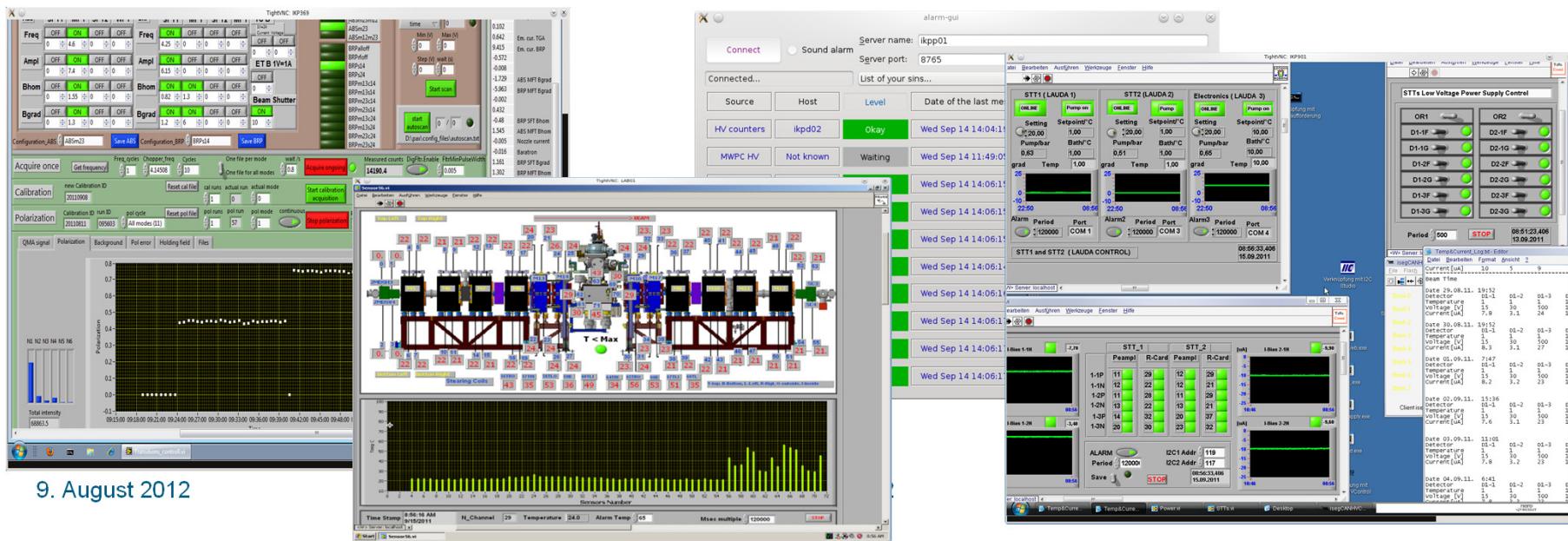


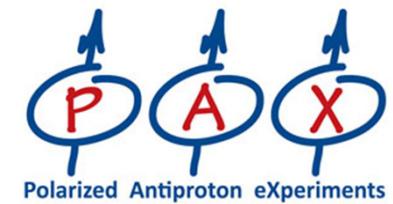


Summary

- Very good understanding of the spin-filtering method and how to optimize the experiment
- Beam development procedure: improvement from 500s to 8000s
- Successful commissioning and usage of the experimental equipment of several subsystems:

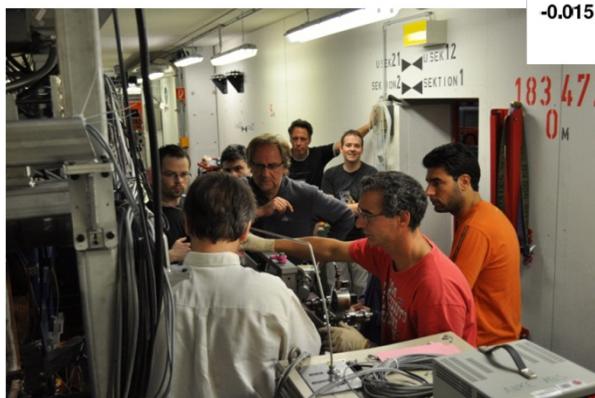
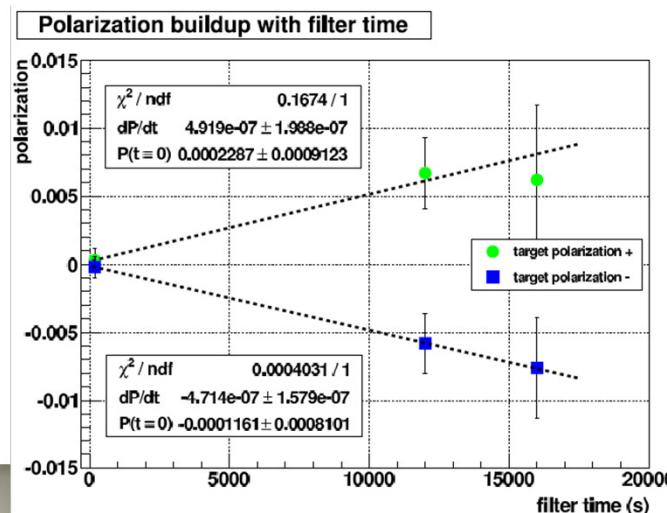
Atomic Beam Source, Breit-Rabi Polarimeter, Silicon Tracking Telescopes, Temperature Control, Pressure Readout, Data Acquisition, Vacuum System, Flow Limiter, ...





Summary

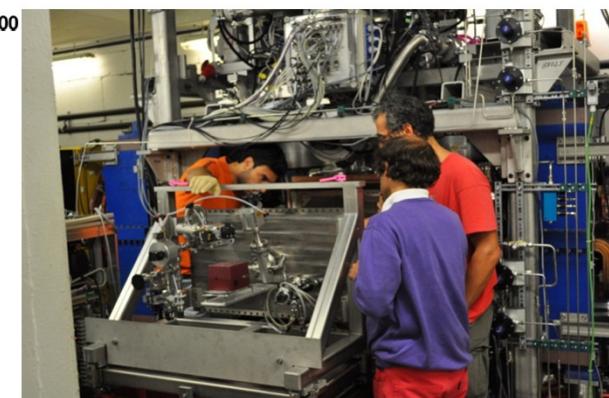
- Successful spin-filtering experiments with measurement of the polarizing cross section at COSY!**



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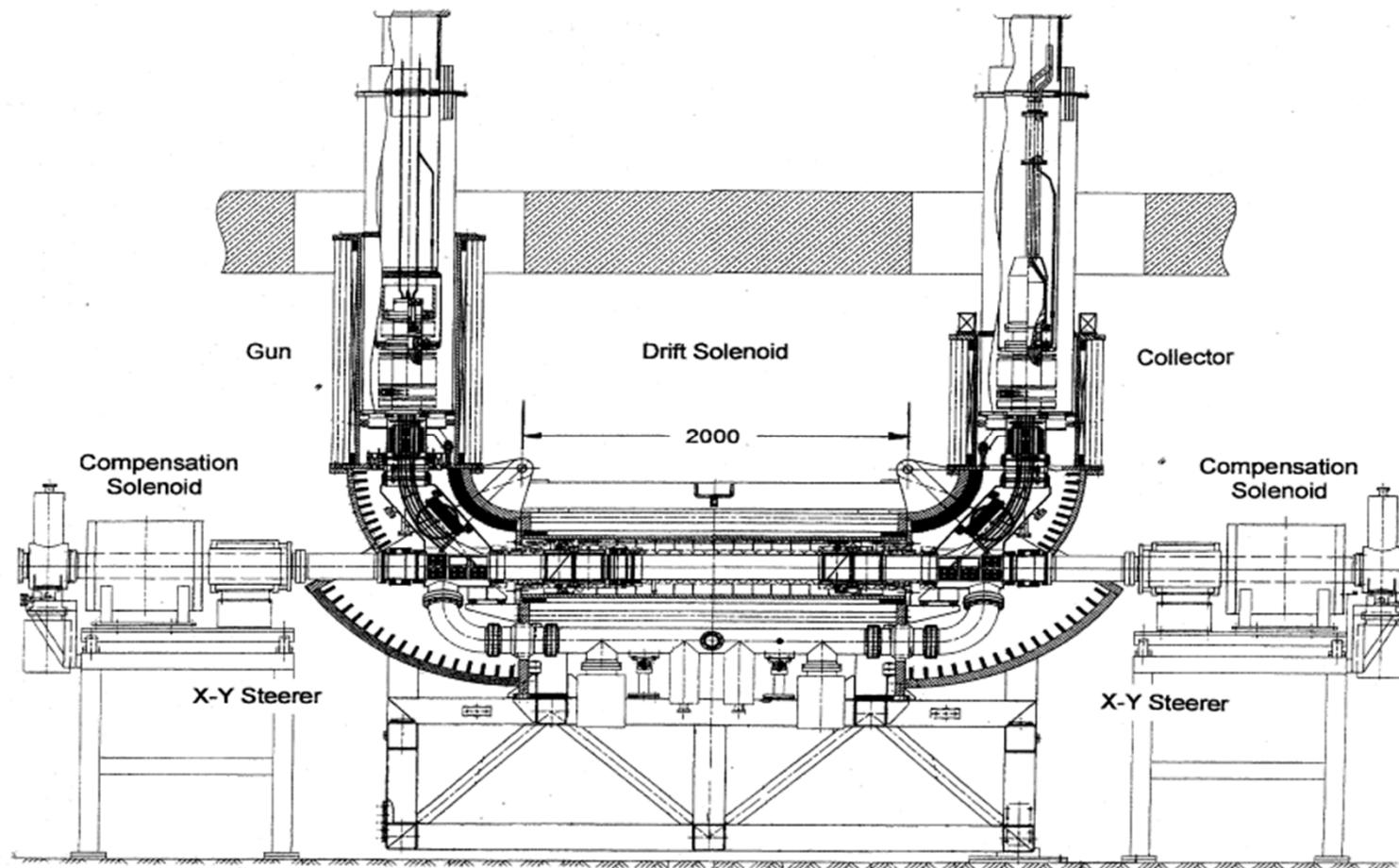
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Additional slides

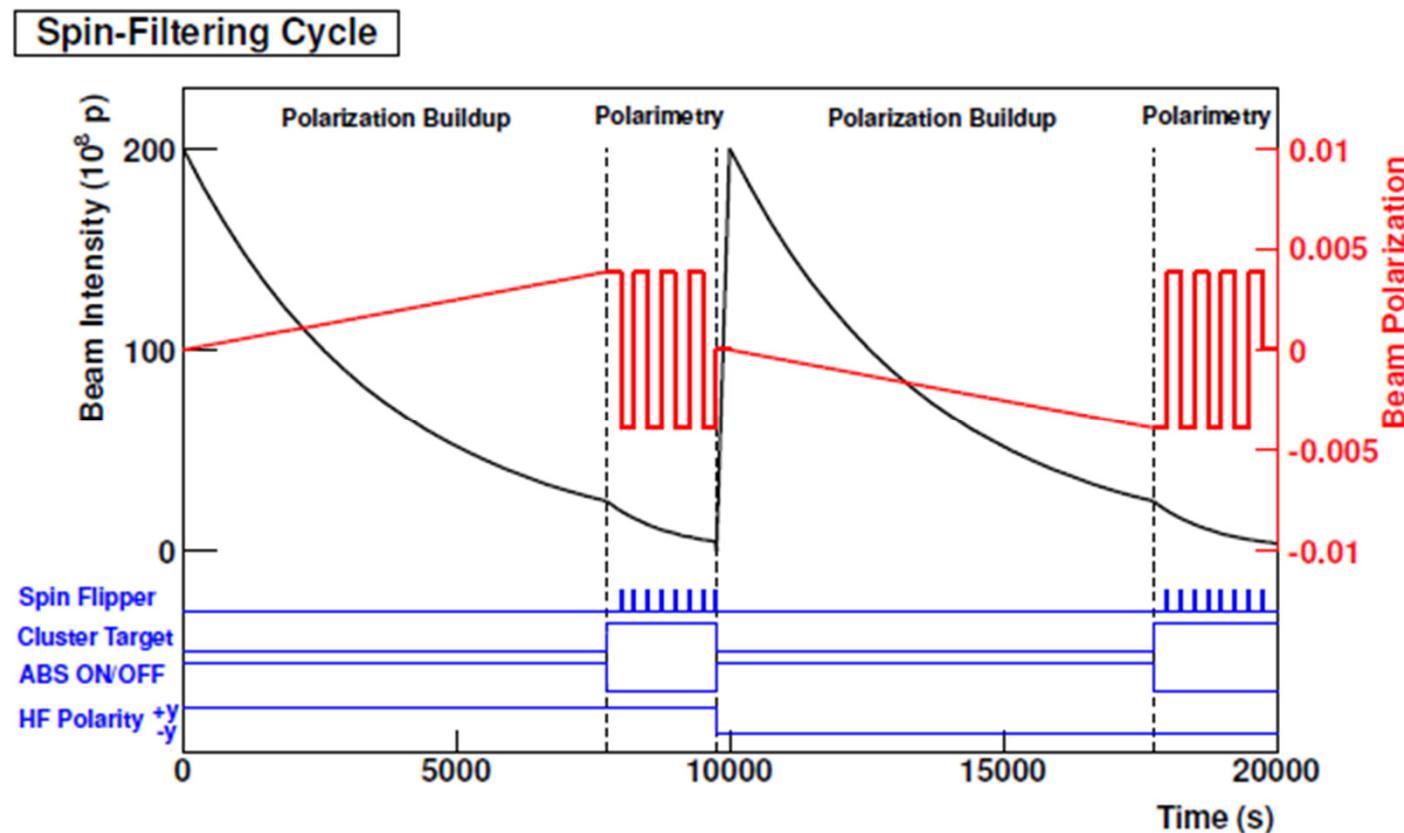






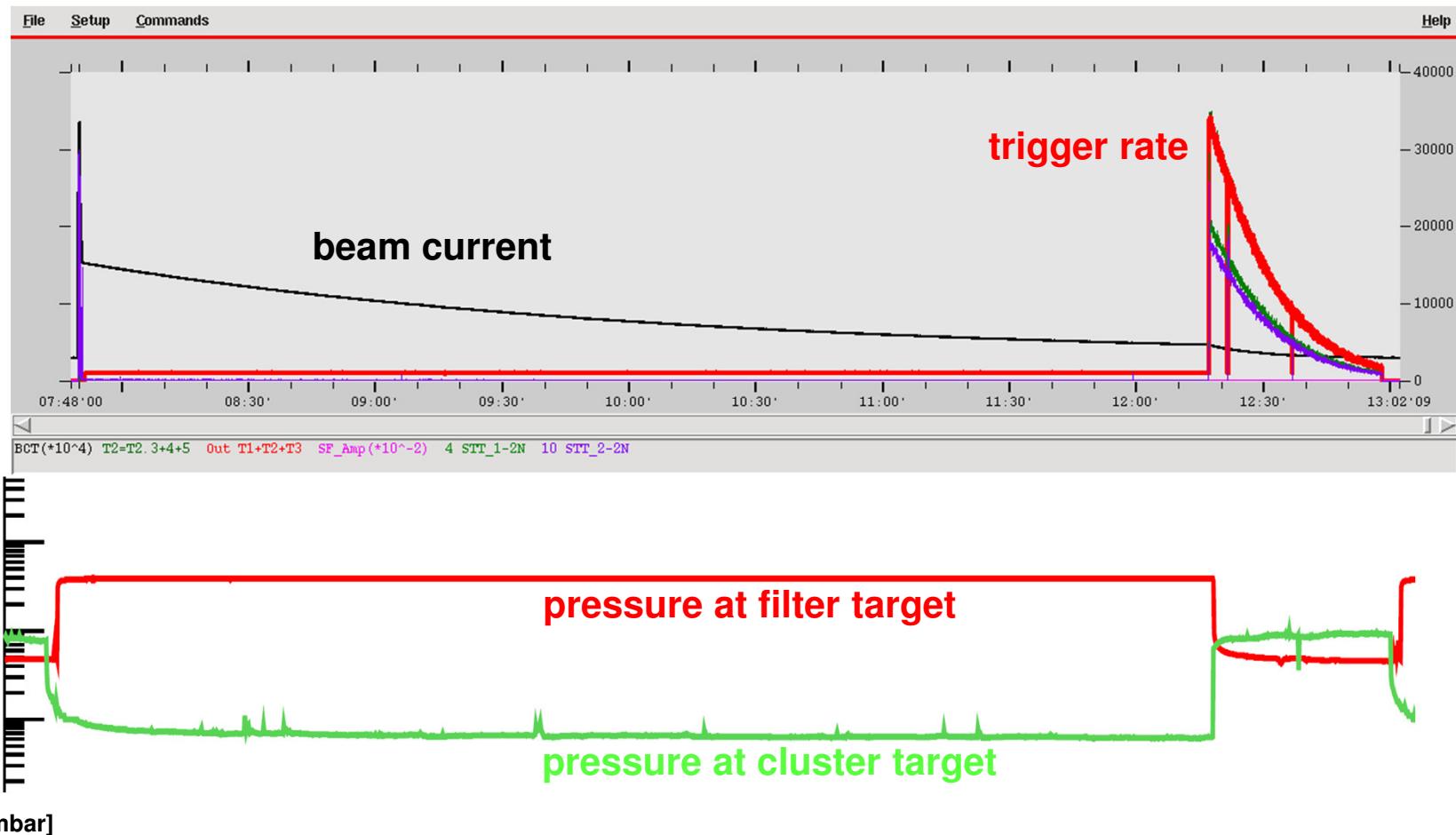
Spin-filter Cycle

- A cycle consist of two subcycles with reversed target polarization



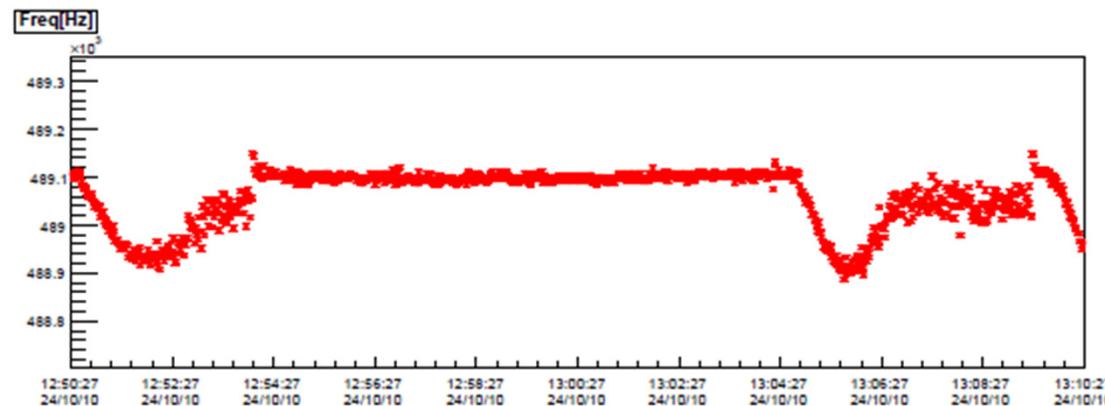
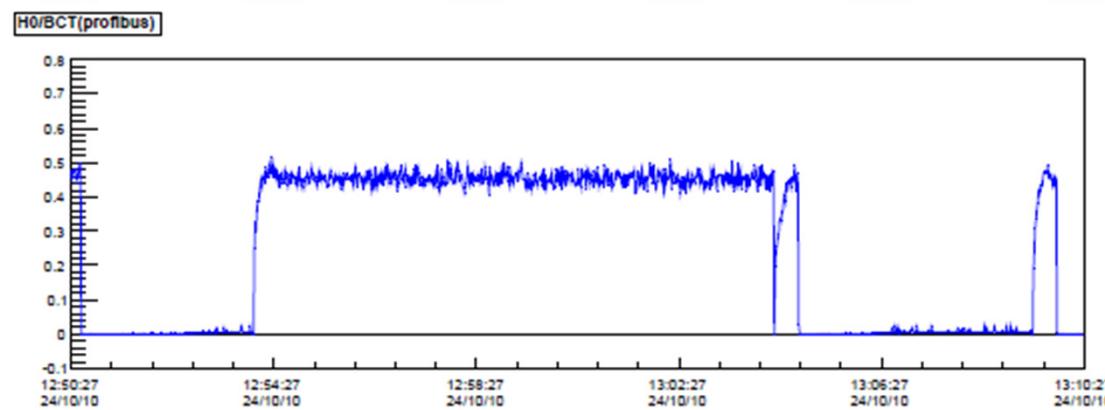
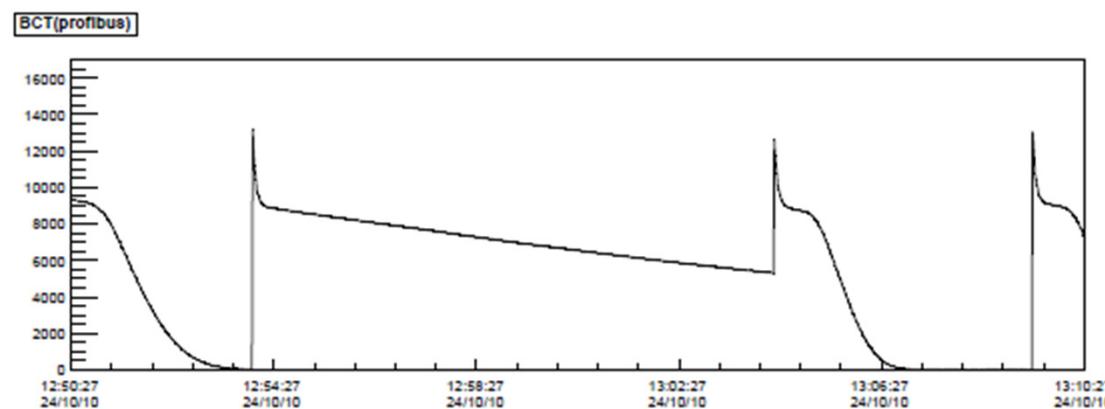


Spin-filter Cycle





Beam current

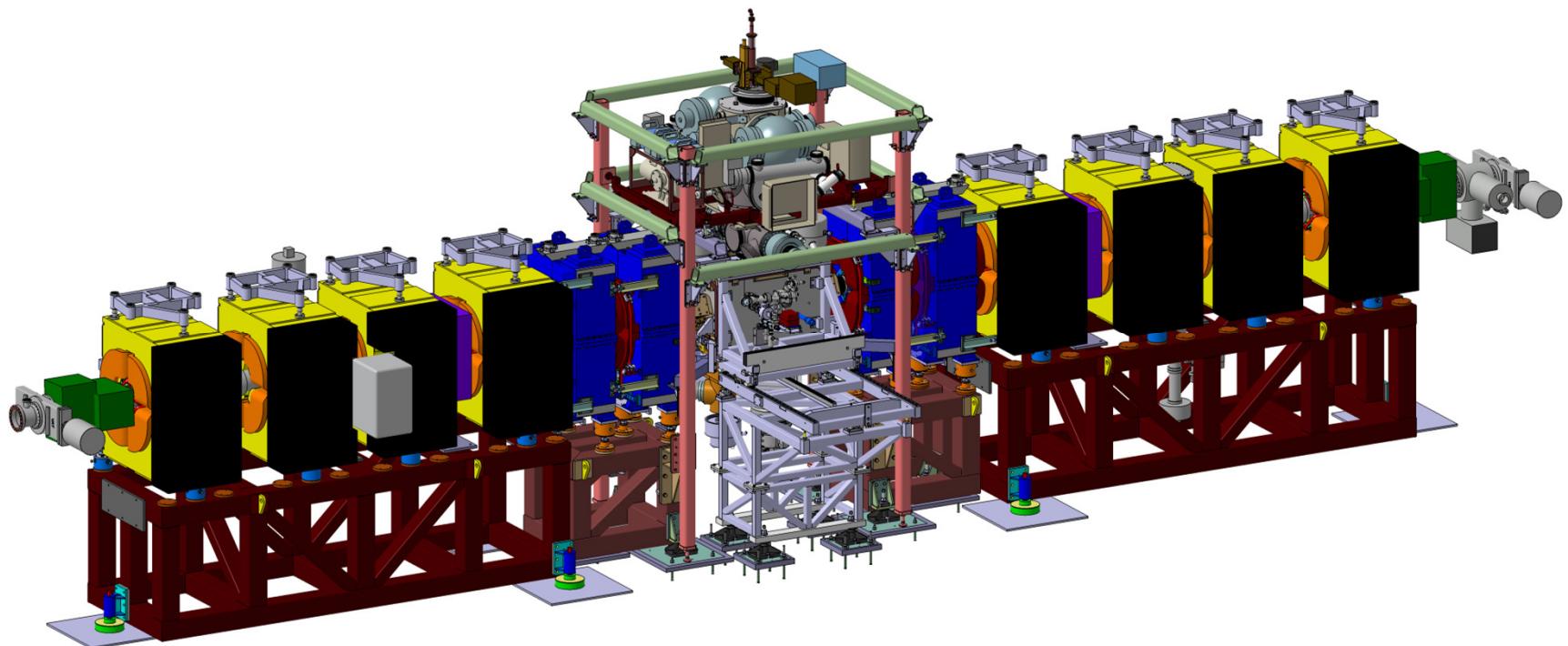


Beam Cooling

Revolution frequency



PAX Target Section

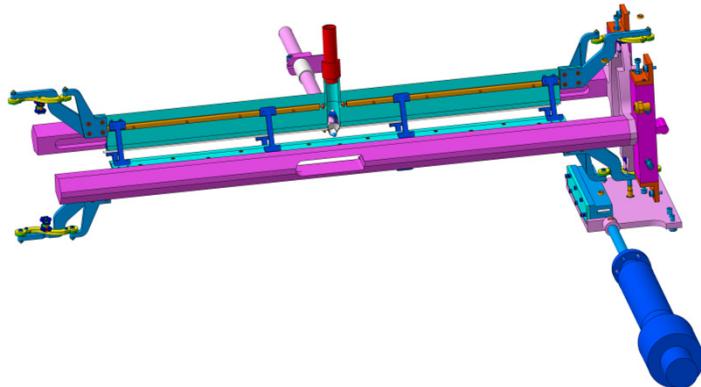




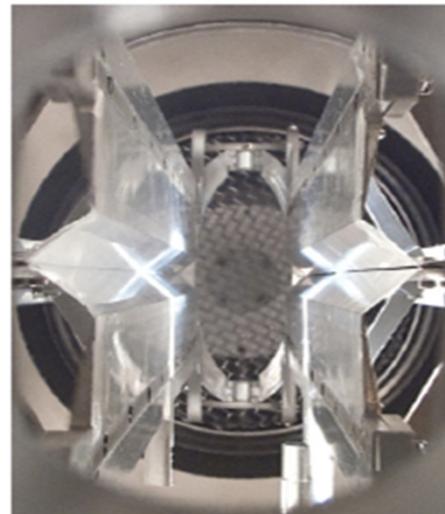
Storage Cell

- Storage cell increases the dwell time of the target gas atoms within the area of the beam and thus increases the target areal density

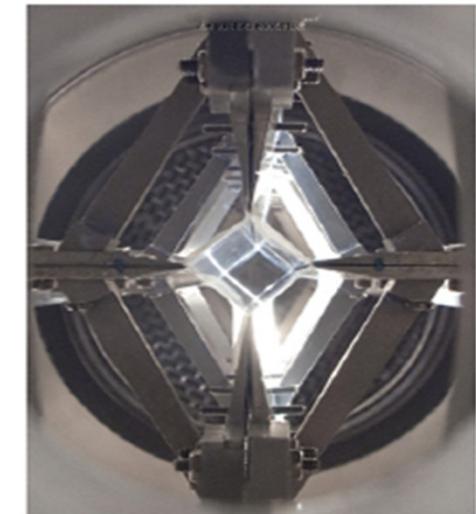
length: 400 mm
area: 10x10 mm



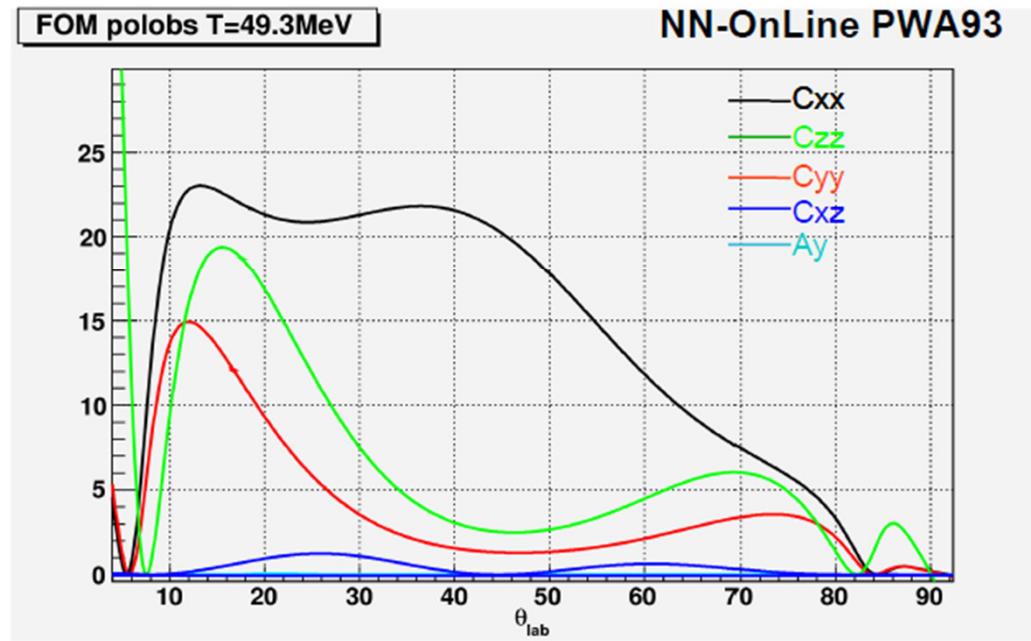
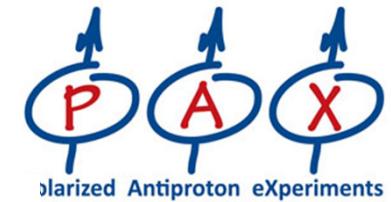
open



closed



Polarization Measurement Using $\vec{p}\vec{p}$ Elastic Scattering



$$\begin{aligned}
 X = \sigma \sigma_0 = & 1 + A_y [(P_y + Q_y) \cos \phi - (P_x + Q_x) \sin \phi] \\
 & + C_{xx} [P_x Q_x \cos^2 \phi + P_y Q_y \sin^2 \phi + (P_x Q_y + P_y Q_x) \sin \phi \cos \phi] \\
 & + C_{yy} [P_x Q_x \sin^2 \phi + P_y Q_y \cos^2 \phi - (P_x Q_y + P_y Q_x) \sin \phi \cos \phi] \\
 & + C_{xz} [(P_x Q_z + P_z Q_x) \cos \phi + (P_y Q_z + P_z Q_y) \sin \phi] \\
 & + C_{zz} P_z Q_z
 \end{aligned}$$

Beam Polarization Measurement



Events in left $L_{\uparrow,\downarrow}$ and right $R_{\uparrow,\downarrow}$ detector

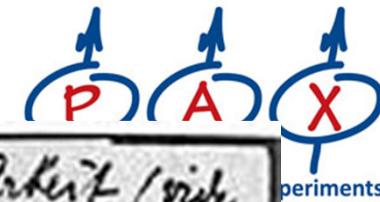
$$\delta = \frac{\sqrt{L_{\uparrow} \cdot R_{\downarrow}}}{\sqrt{L_{\downarrow} \cdot R_{\uparrow}}} = \frac{\cancel{\sqrt{L_{\uparrow} \cdot L_{\downarrow} \cdot \Omega_L \cdot \Omega_R \cdot E_L \cdot E_R \cdot \frac{d\sigma}{d\Omega}}}}{\cancel{\sqrt{L_{\downarrow} \cdot L_{\uparrow} \cdot \Omega_L \cdot \Omega_R \cdot E_L \cdot E_R \cdot \frac{d\sigma}{d\Omega}}}} \cdot \frac{1 + PA_y(\theta)}{1 - PA_y(\theta)}$$

$$\epsilon = \frac{\delta - 1}{\delta + 1} = PA_y(\theta)$$

$$P = \frac{\epsilon}{A_y(\theta)}$$

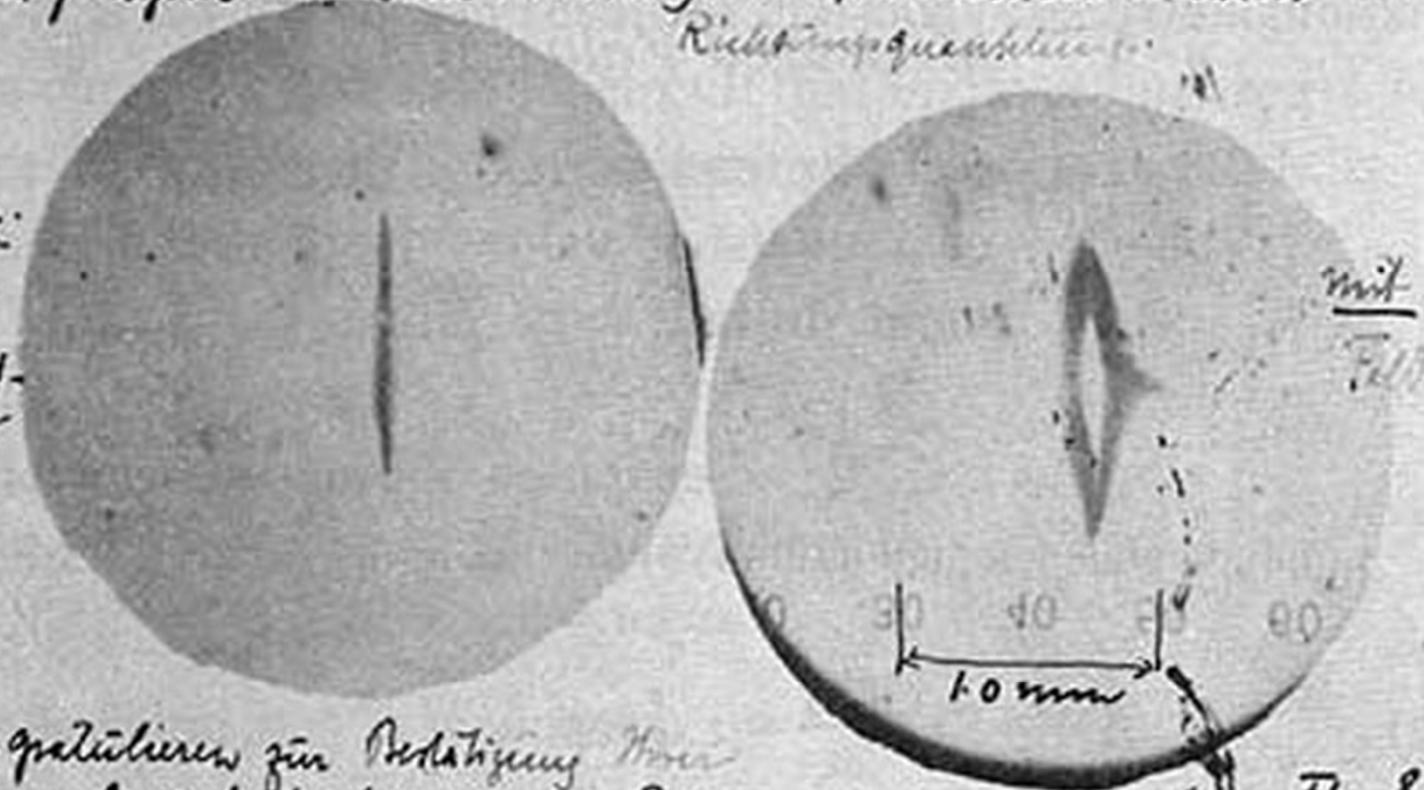
Figure of Merit:

$$FOM = A_y^2 \cdot \frac{d\sigma}{d\Omega}$$



Es verleiht mir Freude, Ihnen die Fortsetzung dieser Arbeit (siehe
Zeitschr. f. Physik VIII. Seite 110. 1921.) zu experimentelle bekräftigen.
Richtungsquantelung.

Silber
oder
Magnet-
feld



Wir gratulieren zur Bestätigung Ihrer
Theorie! Mit herzhaftem Interesse
Ihr ehrster Wohlgefehlter.

Fm. 8.2.22.

Gerlach's postcard, dated 8 February 1922, to Niels Bohr. It shows a photograph of the beam splitting, with the message, in translation: "Attached [is] the experimental proof of directional quantization. We congratulate [you] on the confirmation of your theory." (Physics Today December 2003)