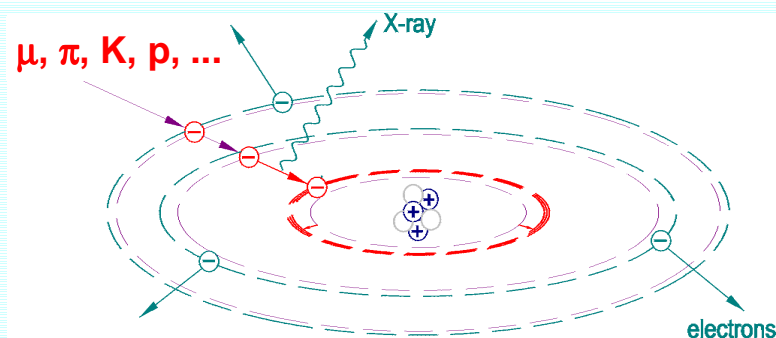


HADRONIC ATOMS

D. Gotta

Institut für Kernphysik, Forschungszentrum Jülich

capture of a
negatively charged particle
in the Coulomb field of nuclei



EXOTIC ATOM

principal method

X-ray spectroscopy

in addition

recoil nuclei
daughter nuclei
Auger electrons

particle-nucleus interaction

particle properties
nuclear properties
atomic physics - QED

ORDERS OF MAGNITUDE

$$V_{\text{Coulomb}} = -Ze^2 / r$$

binding energies

$$B_n = -m_{\text{red}} c^2 \alpha^2 \cdot Z^2 / 2n^2$$

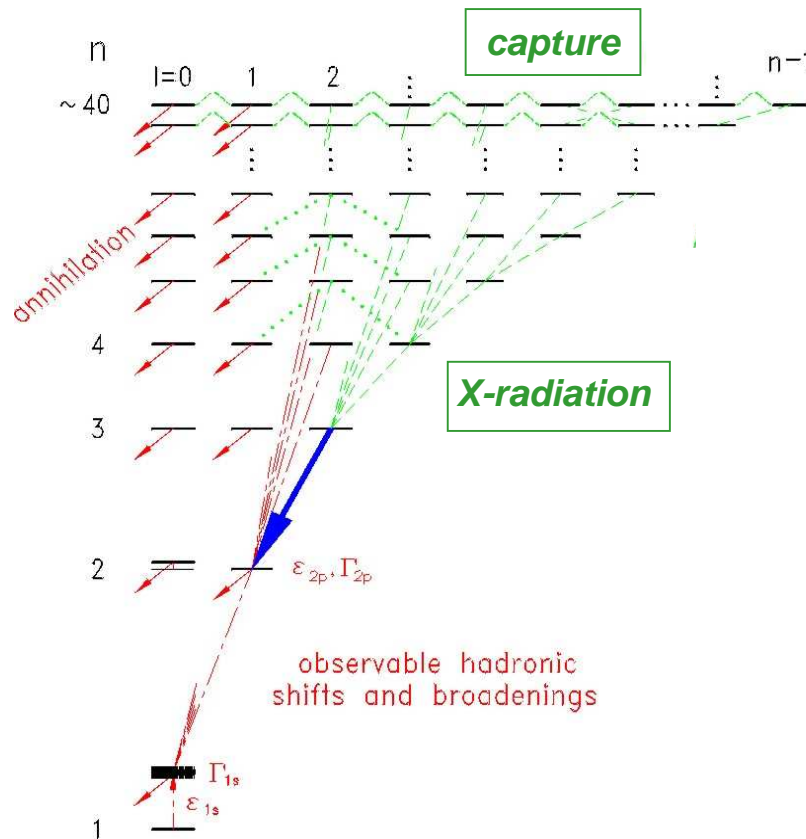
radii

$$a_n = (hc / m_{\text{red}} c^2 \alpha) \cdot (n^2 / Z)$$

		<i>m</i> / MeV/c ²	<i>B_{n=1}</i> / keV	<i>"Bohr" radius</i> / fm	
atomic	ep	0.511	0.0136	0.5 · 10⁵	capture
	<i>μp</i>	105	2.5	279	
↓	<i>πp</i>	140	3.2	216	atomic ↓ cascade
	<i>p̄p</i>	938	12.5	58	
"nuclear" dimensions	< <i>r_p</i> >			0.8	hadronic interaction
particle-nucleus scattering at "rest" elastic <u>and</u> inelastic					

ATOMIC CASCADE

isolated antiprotonic hydrogen



$$\Gamma \cdot \Delta t \cong \hbar$$

$\varepsilon > 0$ (< 0) \equiv attractive (repulsive) interaction

OBSERVABLES

- X-ray energies
- line intensities

GOAL

scattering length

$$a \propto \varepsilon - i\Gamma/2$$

EXOTIC HYDROGEN

elementary reactions

$\pi^-p, K^-p, \bar{p}p$

EXOTIC DEUTERIUM

$d \approx p + n$

particle - neutron interaction
isospin

$A \leq 4$

particle - nucleon

→

particle - nucleus interaction

$A \gg 1$

in-medium effects

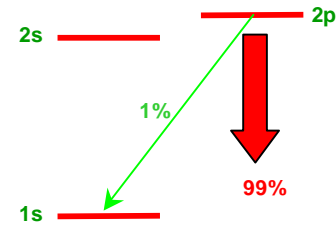
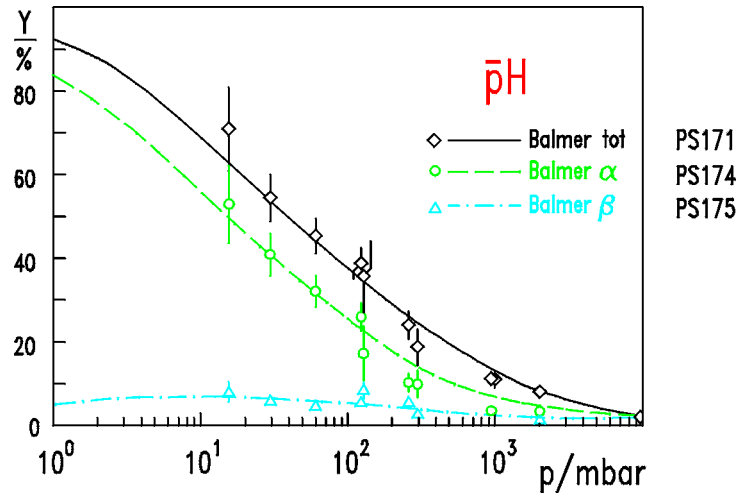
nuclear structure

chiral restoration

neutron halo, isospin

EXOTIC HYDROGEN

pressure dependence of line yields



Stark-mixing \Rightarrow small line yields Y

strong annihilation $\Rightarrow Y_{2p-1s} \approx Y_{3d-2p} / 100$

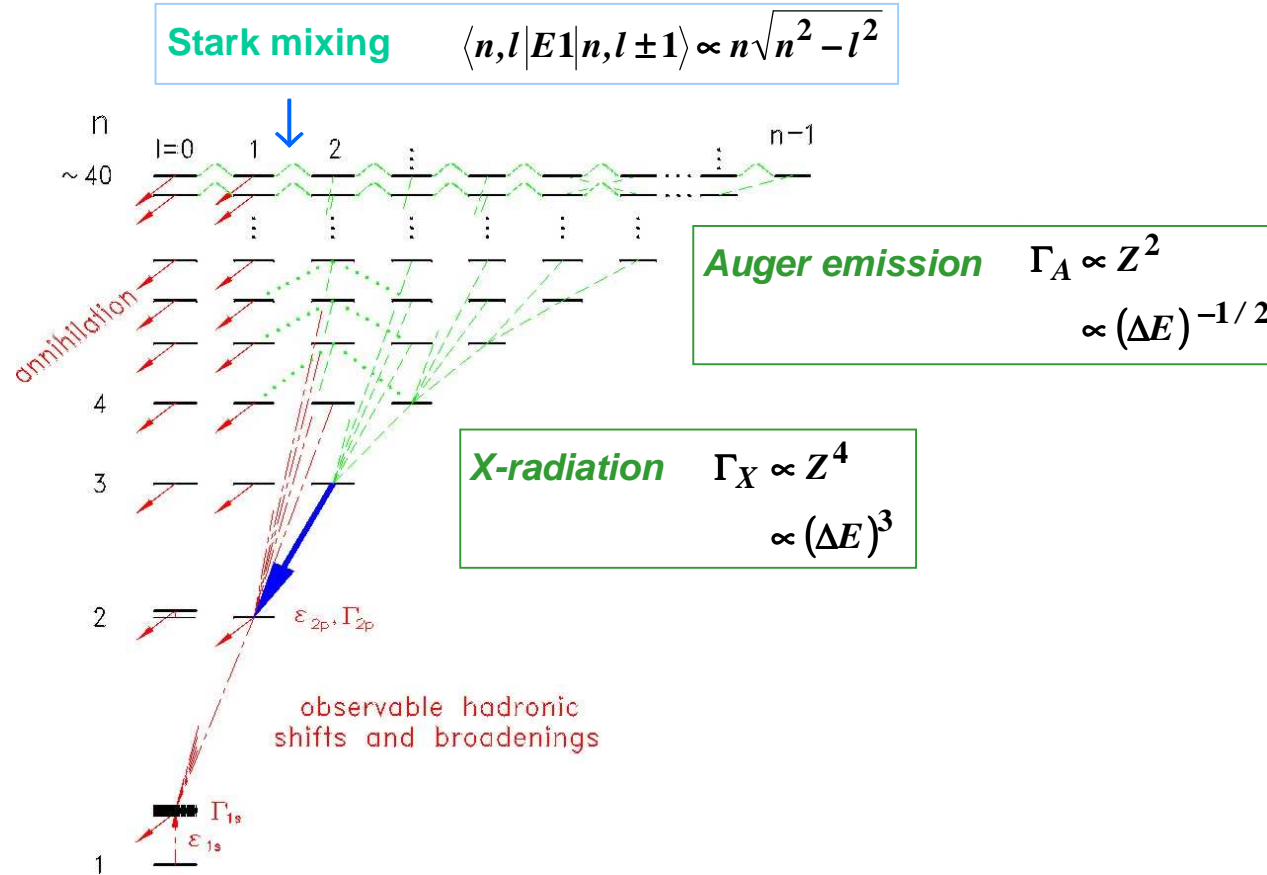
$\approx 2 \text{ GeV}/c^2$ per annihilation \Rightarrow high background

$\bar{p}p \rightarrow n\pi^+ + n\pi^- + m\pi^0$
 $\searrow 2\gamma$

ATOMIC CASCADE

exotic hydrogen not an isolated system !

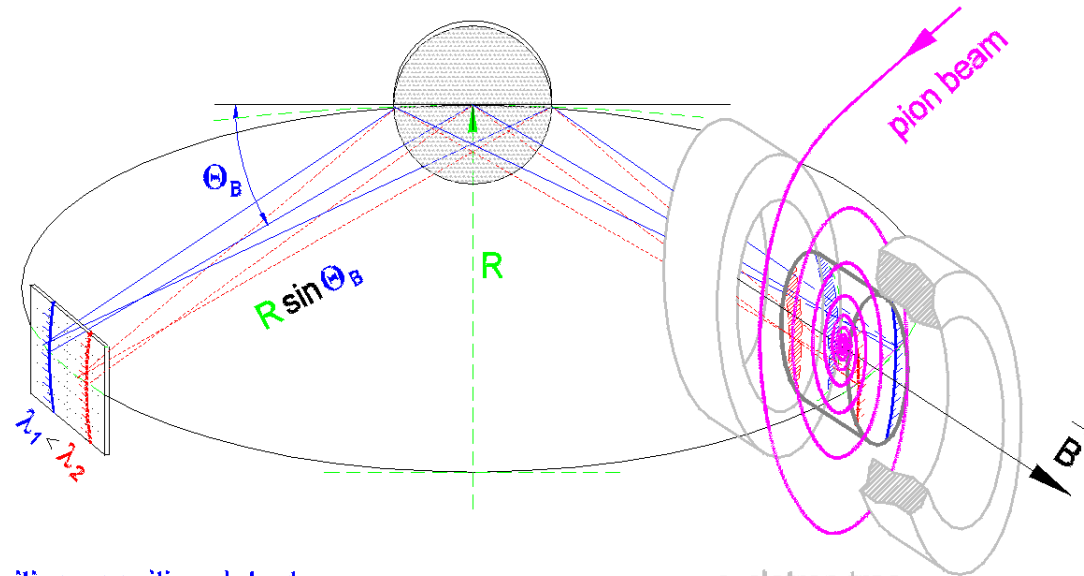
collisions with H₂



PRINCIPLE of SET-UP

ultimate energy resolution

spherically bent Bragg crystal



position-sensitive detector
Charge-Coupled Device (CCD)

cyclotron trap
gas cell

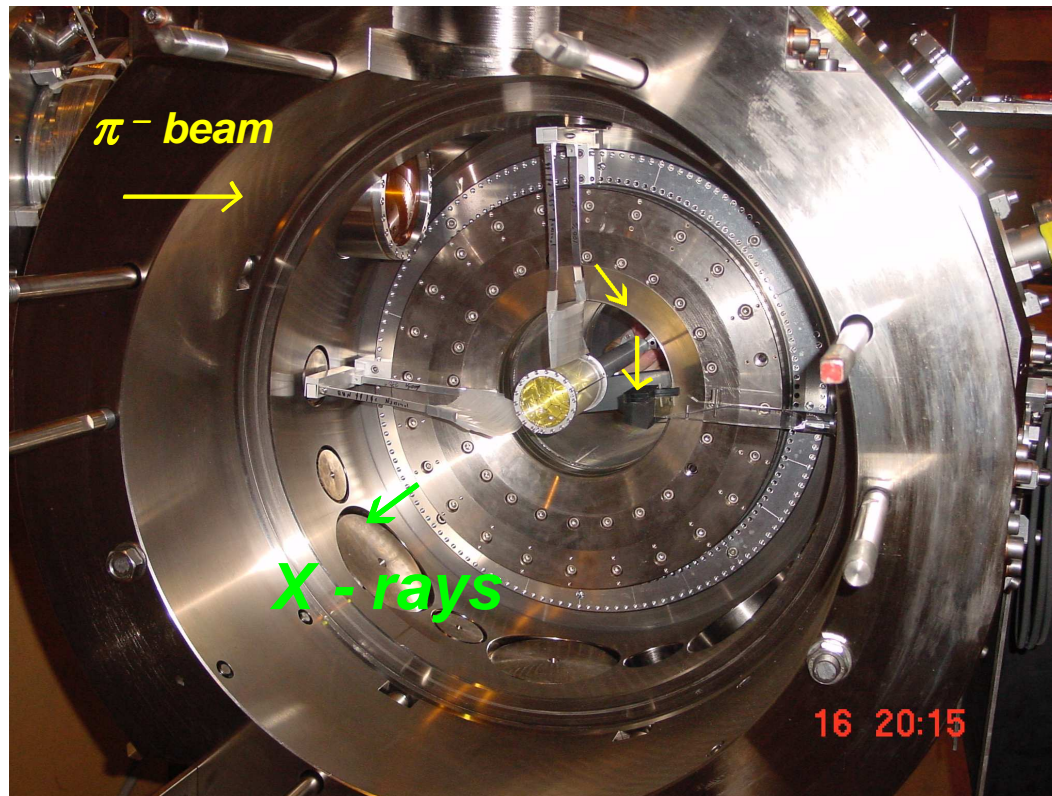
position & energy resolution

⇒ **background reduction**
by analysis of hit pattern

high stop density

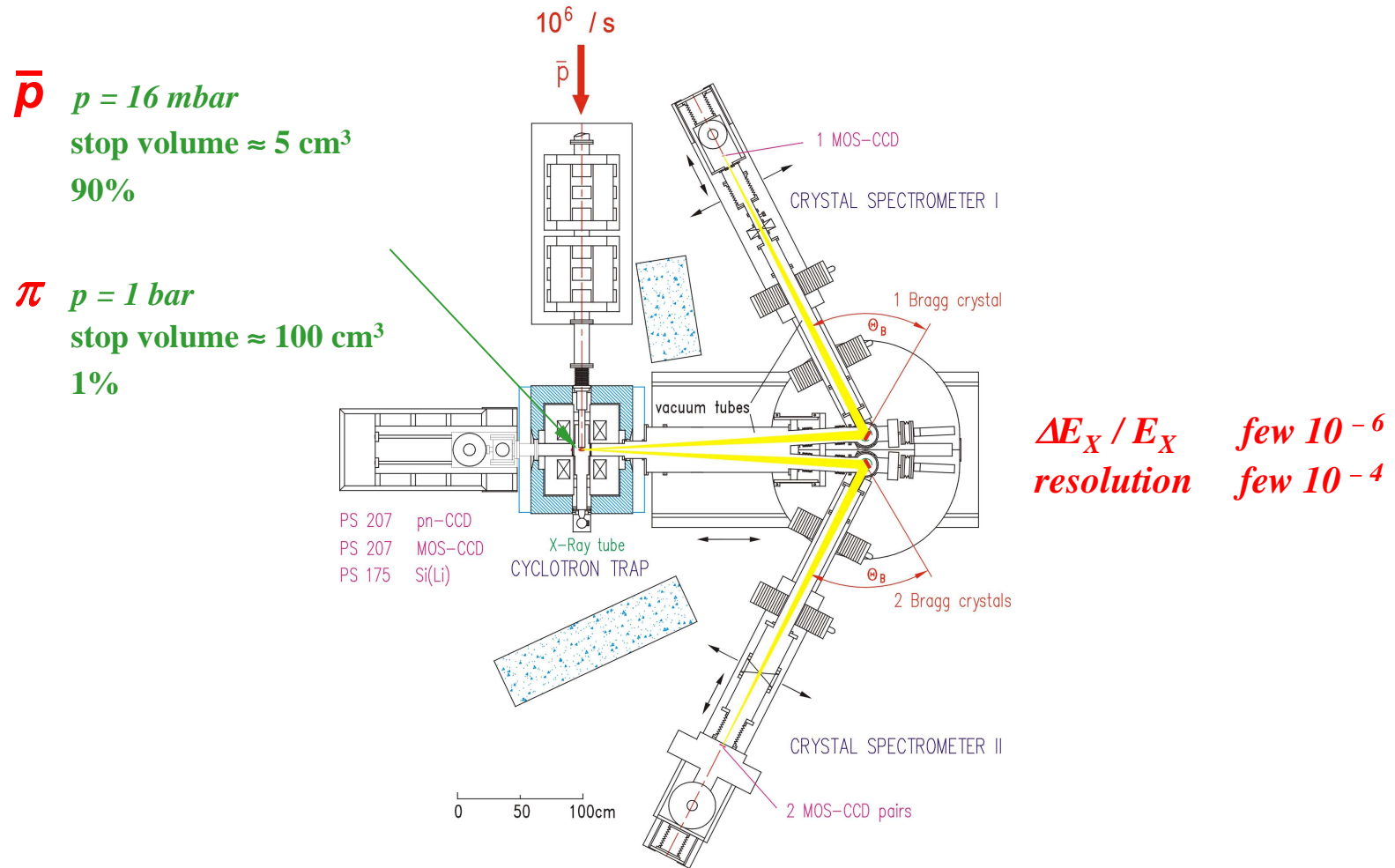
⇒ high X - ray line yields
⇒ bright X - ray source

DEGRADERS and CRYOGENIC TARGET
inside
CYCLOTRON TRAP II
super-conducting split coil magnet



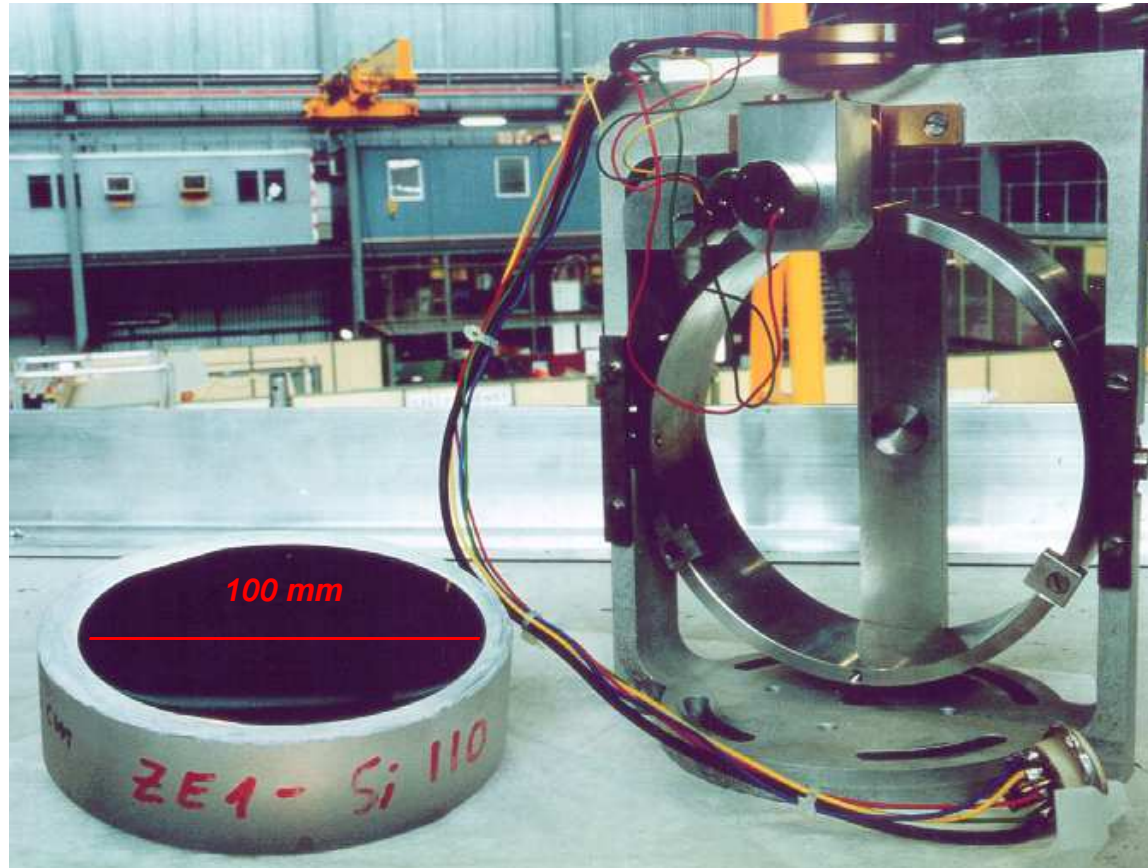
Set-up PS207

LEAR



Spherically curved Bragg crystal

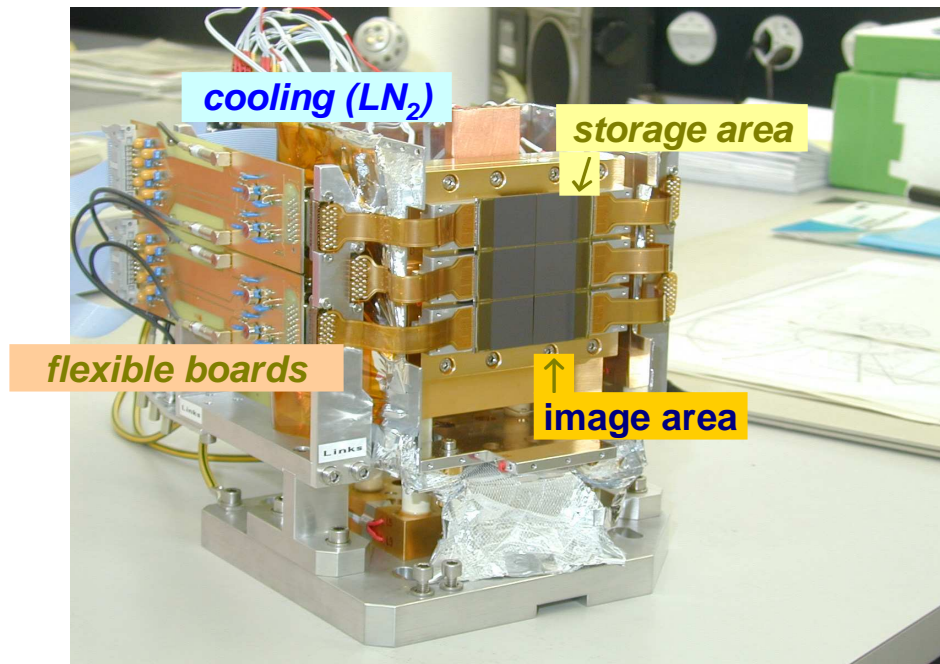
radius of curvature 2985.4 mm



Large - Area Focal Plane Detector

PSI experiment R-98.01 (PIONIC HYDROGEN)

2 × 3 CCD 22 array with frame buffer



pixel size **40 μm × 40 μm**

600 × 600 pixels per chip

frame transfer \approx 10 ms

data processing 2.4 s

operates at -100°C

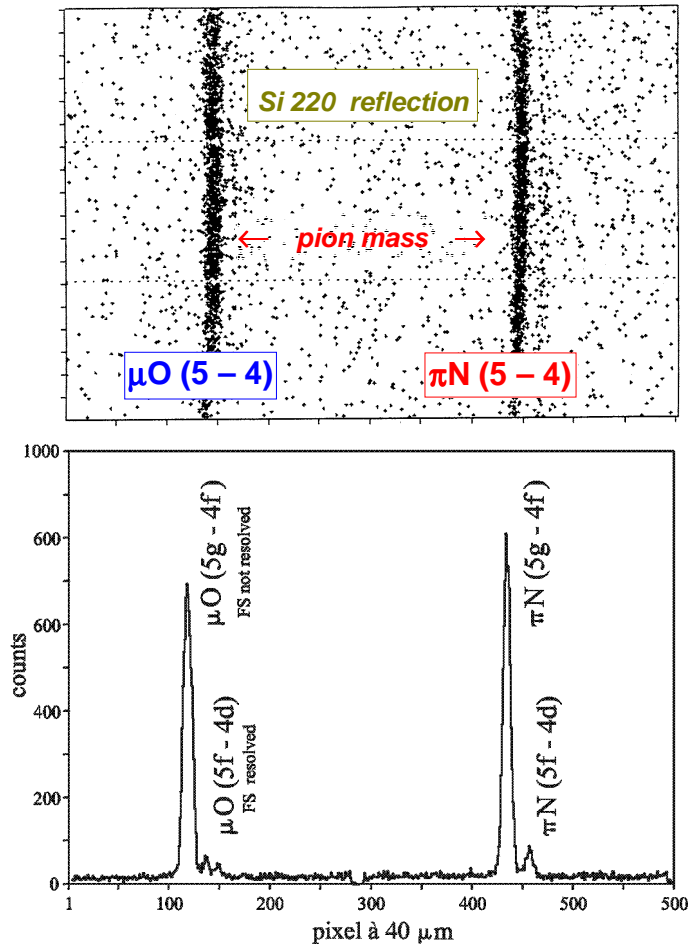
$\Delta E \approx 150 \text{ eV}$ @ 4 keV

$\epsilon_x \approx 90\%$

N. Nelms et al., Nucl. Instr. Meth 484 (2002) 419

PION MASS

PSI experiment R-97.02



mixture O_2 / N_2 90% / 10%
1.4 bar

15 counts per hour per line
Peak / background ≈ 50

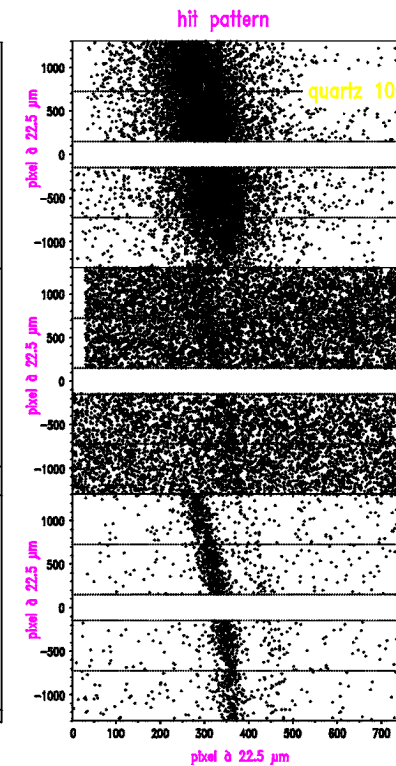
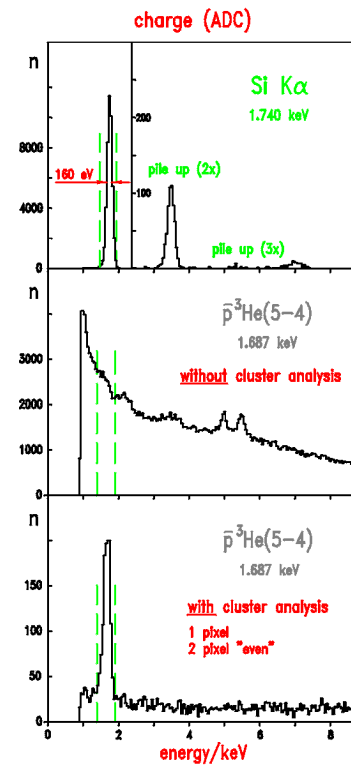
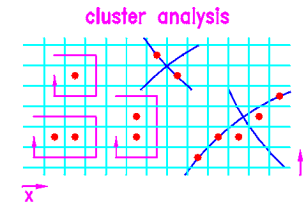
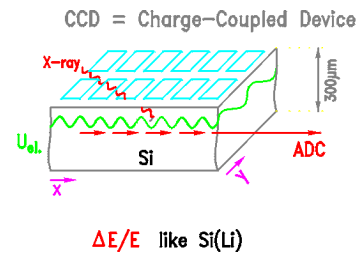
statistics accumulated ≈ 10000 per line

expected $\Delta m / m < 2\text{ppm}$

final analysis presently going on

BACKGROUND suppression

using
CCDs



ANTIPROTONS

antinucleon - nucleon interaction

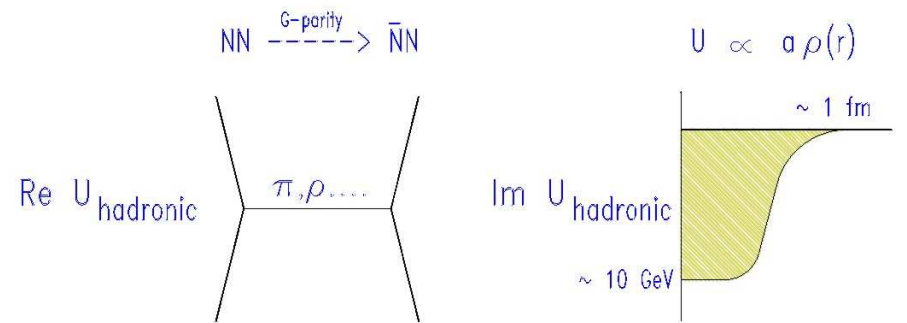
meson exchange

annihilation

THEORETICAL DESCRIPTION

$$V_{\text{Coulomb}} + U_{\text{hadronic}}$$

$$U_{\text{hadronic}} = \text{meson exchange scattering: } \bar{p}p \leftrightarrow \bar{p}p, \bar{p}p \leftrightarrow \bar{n}n + \text{annihilation } \bar{p}p \rightarrow \text{mesons}$$



$\epsilon, \Gamma \leftrightarrow$ medium + long-range part of $\bar{N}N$ interaction

Buck, Dover, Richard, Ann. Phys. (NY) 121 (1979) 47

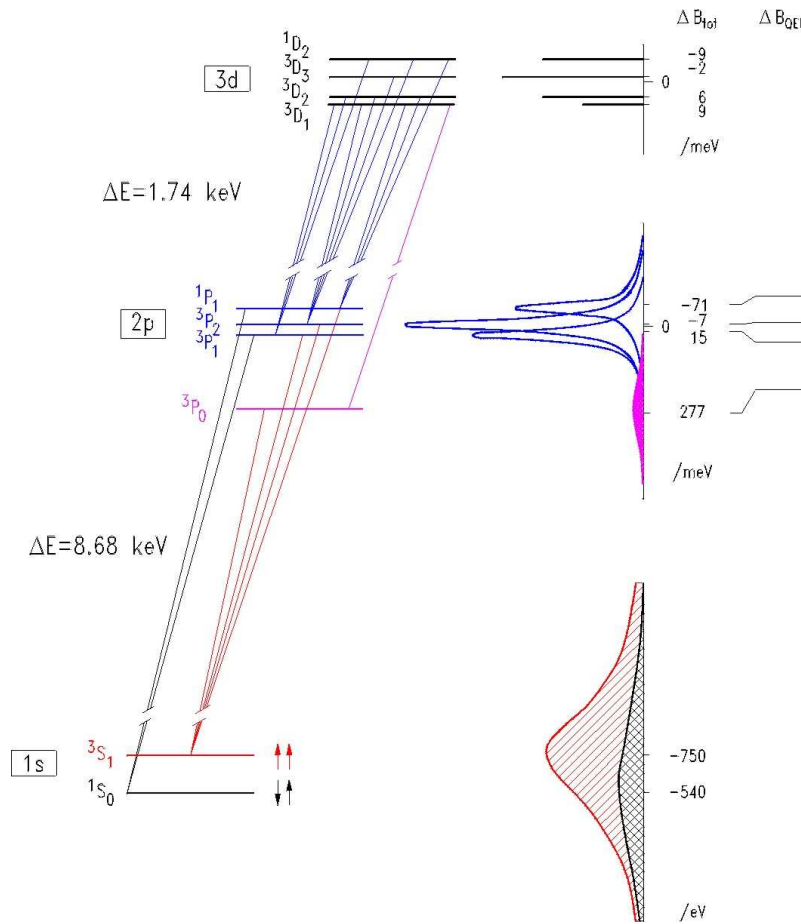
spin-spin "deuteron"
spin-orbit effects

no microscopic theory

☞ **check spin dependence !**

PROTONIUM

predicted hyperfine splitting



d state

strong interaction negligible

p state

spin-orbit interaction

s state

spin-spin interaction

\bar{p} meanfree pathlength in nuclear matter ≈ 1.2 fm

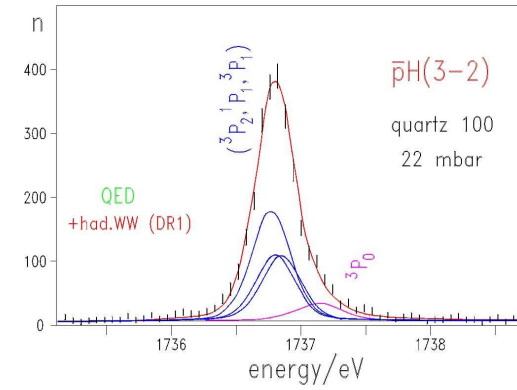
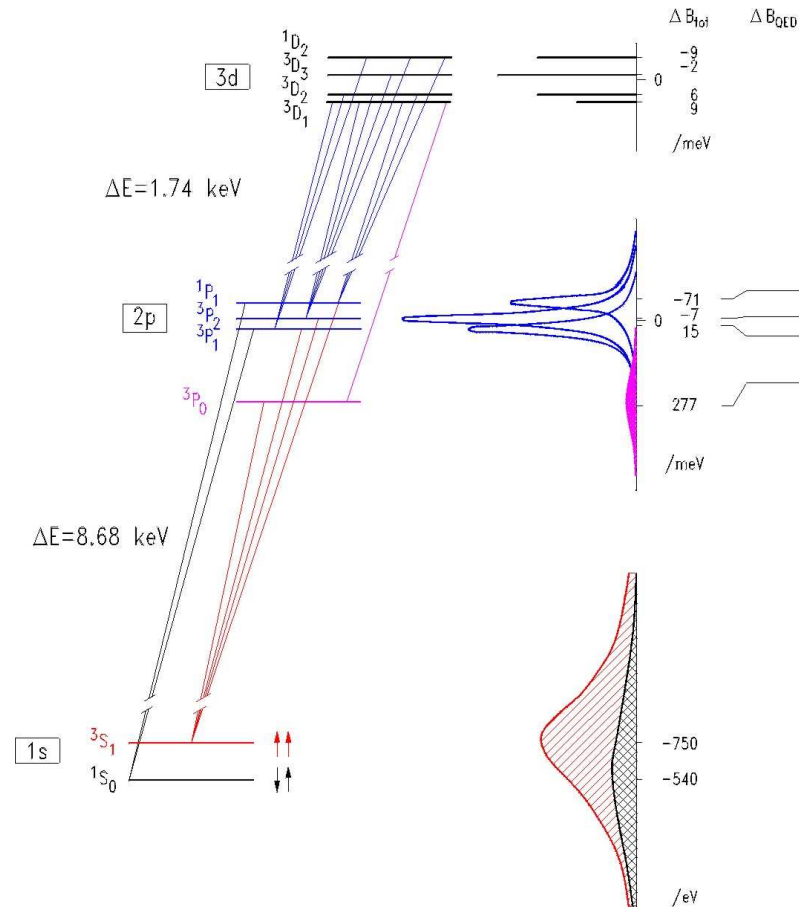
strong-interaction effects

J. Carbonell, G. Ihle, J.-M. Richard, Z. Phys. A 334 (1989) 329

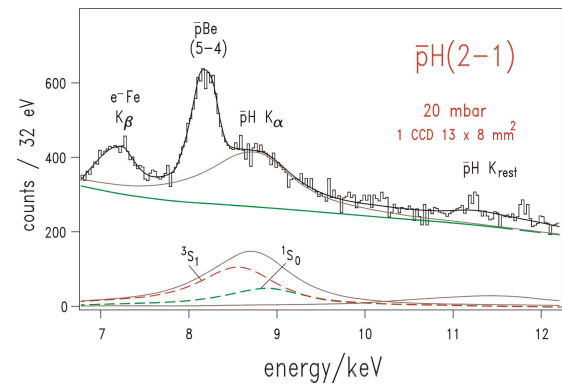
PROTONIUM

s- and p-state strong interaction effects

LEAR experiment PS207



D. Gotta et al., Nucl. Phys. A 660 (1999) 283

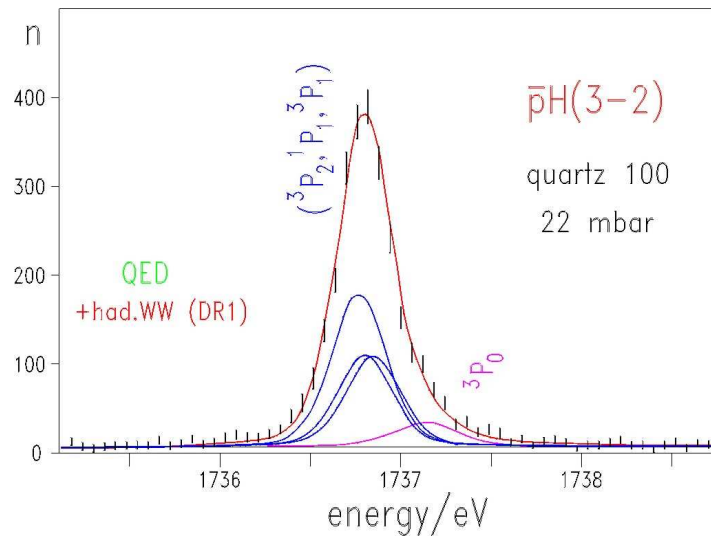


M. Augsburger et al., Nucl. Phys. A 658 (1999) 149

PROTONIUM

2p state

LEAR experiment PS207



D. Gotta et al., Nucl. Phys. A 660 (1999) 283

- **Hadronic width**

2p spin average $\Gamma = 38.0 \pm 2.8 \text{ meV}$

3P_0 $\Gamma = 120 \pm 25 \text{ meV}$

↑
meson exchange

- **Hadronic shift**

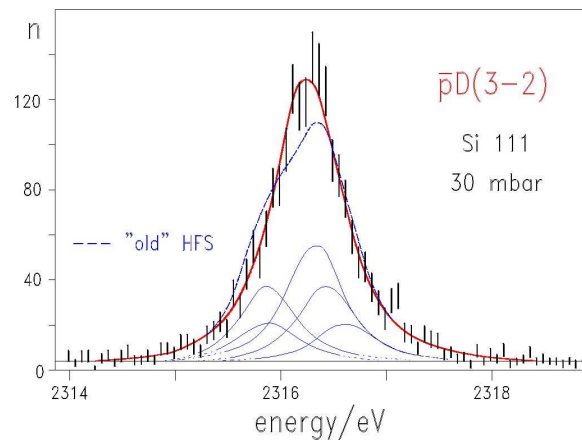
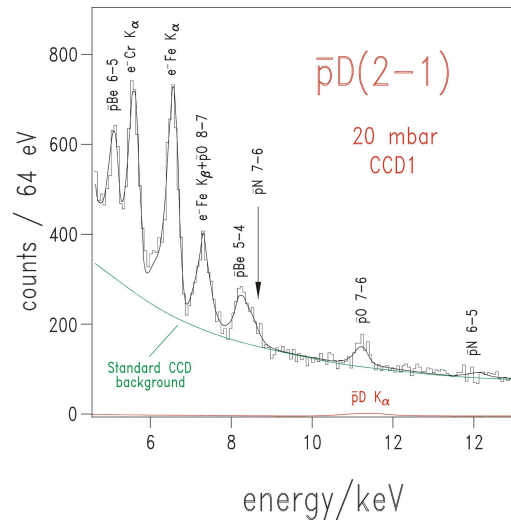
2p spin average $\epsilon = + 15 \pm 20 \text{ meV}$

3P_0 $\epsilon = + 139 \pm 38 \text{ meV}$

Antiprotonic DEUTERIUM

s- and p-state strong interaction effects

LEAR experiment PS207



- **ground state** weak signal

spin average

$$\epsilon_{1s} = -1050 \pm 250 \text{ eV}$$

$$\Gamma_{1s} = 1100 \pm 750 \text{ eV}$$

M. Augsburger et al., Phys. Lett. B 461 (1999) 417

- **2p state** HFS not resolvable

spin average

$$\epsilon_{2p} = -243 \pm 26 \text{ meV}$$

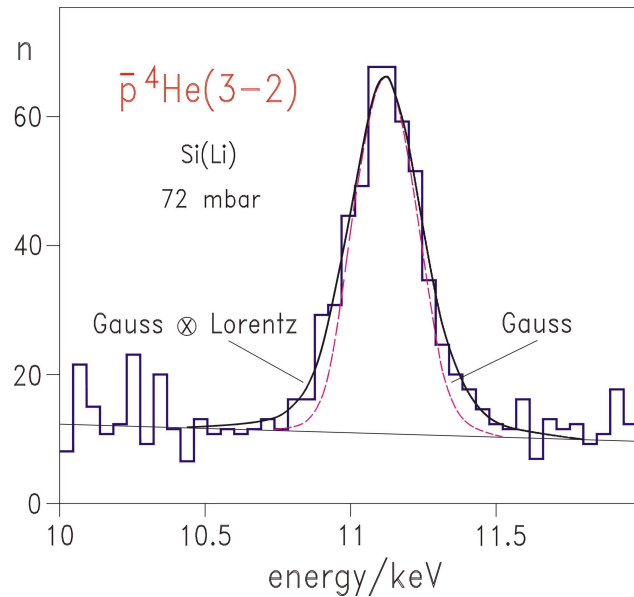
$$\Gamma_{2p} = 489 \pm 308 \text{ meV}$$

D. Gotta et al., Nucl. Phys. A 660 (1999) 283

Antiprotonic HELIUM

isotope effects

LEAR experiment PS175



M. Schneider et al., Z. Phys. A 338 (1991) 217

	spin average	ϵ / eV	Γ / eV
• $\bar{p}^3\text{He}$ 2p		-17 ± 5	25 ± 9
• $\bar{p}^4\text{He}$ 2p		-18 ± 2	45 ± 5

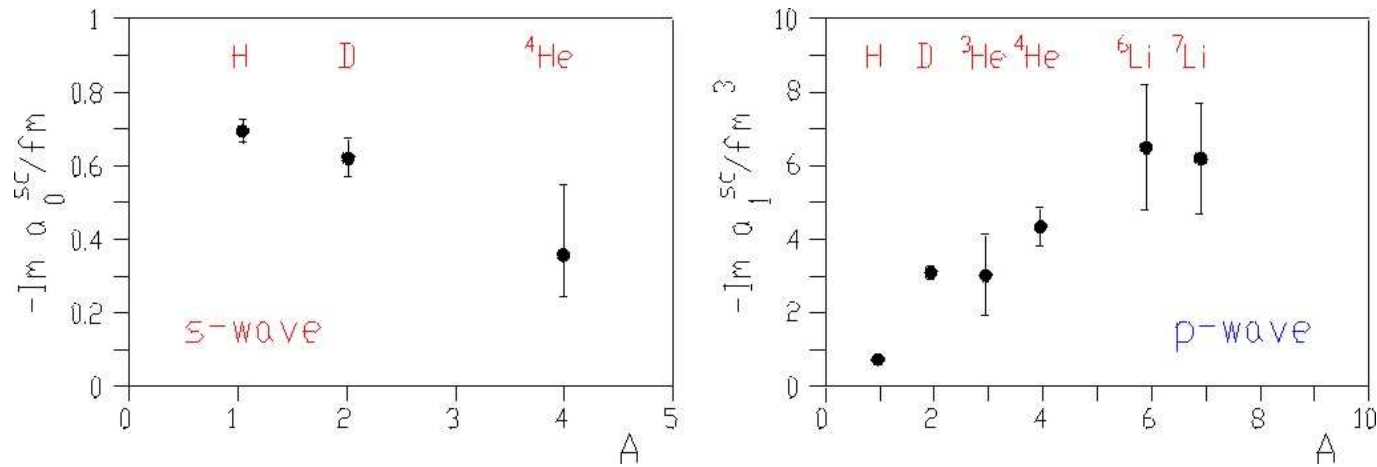
single - nucleon annihilation ?

$$\Gamma_{A(Z,N)} \propto Z \cdot \Gamma_{\bar{p}n} + N \cdot \Gamma_{\bar{p}p}$$

ANNIHILATION STRENGTH

vs.

atomic weight



saturation ?

K. Protasov et al., Eur. Phys. J. A 7 (2001) 429

PIONS

pion - nucleon interaction

low-energy approach of QCD

=

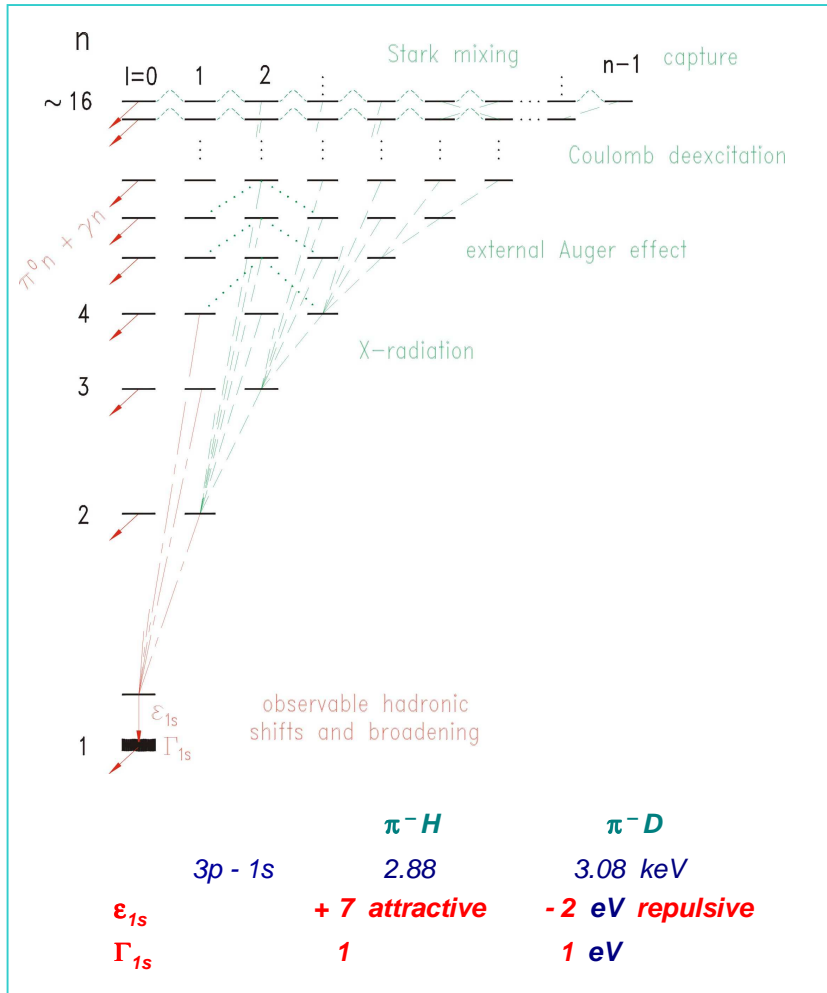
χ PT chiral perturbation theory

"ideal" world	$m_u = m_d (= m_s) = 0$	CHIRAL SYMMETRY ($S = 1/2$)
	$\Rightarrow m(\pi^- = d\bar{u}\rangle) = 0$	
	$F_\pi = 0$ <i>no π decay</i>	
real world	$m_\pi > 0$ <i>but small</i>	$m_\pi \approx m_p / 7$
χPT	<i>expansion at chiral limit</i>	$m_{\text{quark}} \rightarrow 0$
	<i>order parameters</i>	<i>momenta</i>
		<i>quark mass difference $m_u - m_d, \dots$</i>
	<u>and</u>	$\alpha_{\text{el.-mag.}}$

system	theory	experiment
$\pi\pi$	<i>best</i>	DIRAC CERN <i>difficult - % accuracy ?</i>
πN	<i>2nd best</i>	PIONIC HYDROGEN PSI $\leq \%!$
KN	$m_s \gg m_u, m_d$	DEAR DAΦNE <i>started</i>

<i>low-energy theorems</i>	\leftrightarrow	scattering length a
		πN <i>Heavy-Baryon χPT</i>

PIONIC HYDROGEN



πN scattering at „rest“

2 isospin amplitudes

$$a^\pm = a_{\pi^- p \rightarrow \pi^- p} \pm a_{\pi^+ p \rightarrow \pi^+ p}$$

isospin invariance: $m_u = m_d$

$$a_{\pi^- p \rightarrow \pi^- p} + a_{\pi^+ p \rightarrow \pi^+ p} = -\sqrt{2} a_{\pi^- p \rightarrow \pi^0 n}$$

$$\epsilon_{1s} \propto a_{\pi^- p \rightarrow \pi^- p}$$

$$\propto a^+ + a^-$$

$$\Gamma_{1s} \propto (1+1/P)(a_{\pi^- p \rightarrow \pi^0 n})^2$$

$$\propto (1+1/P)(a^-)^2$$

PANOFSKY ratio P

$$\pi p \rightarrow \pi^0 n / \pi p \rightarrow \gamma n = 1.546 \pm 0.009$$

J. Spuller et al., Phys. Lett. 67 B (1977) 479

LOW-ENERGY πN INTERACTION

Gell-Mann-Oakes-Renner relation

PS meson mass

$$m_\pi^2 = \frac{1}{2} (m_u + m_d) \underbrace{\langle \bar{u}u + \bar{d}d \rangle}_{\text{quark condensate}} / F_\pi^2 + O(m_{u,d}^2)$$

Goldberger-Treiman relation

πN coupling constant $f_{\pi N}$

$$f_{\pi N}^2 = \frac{m_\pi^2 g_A^2}{4 F_\pi^2} = 0.072 \quad (+ \text{higher orders} \leftrightarrow \chi\text{PT})$$

low-energy theorems

\leftrightarrow

scattering length a

Goldberger- Miyazawa-Oehme
(GMO)
sum rule

$$\left(1 + \frac{m_\pi}{M}\right) \frac{a^-}{m_\pi} = \frac{2f_{\pi N}^2}{m_\pi^2 - (m_\pi^2 / 2M)^2} + \frac{1}{2\pi^2} \int_0^\infty \frac{\sigma_{\pi^- p}^{tot}(k_\pi) - \sigma_{\pi^+ p}^{tot}(k_\pi)}{2\omega(k_\pi)} dk_\pi$$

$\Delta f \approx 1\%$

πN sigma-term σ_N

$$\left(1 + \frac{m_\pi}{M}\right) a^+ = \frac{m_\pi^2}{4\pi f_\pi^2} \left(\frac{\sigma_N}{m_\pi^2} + d - \frac{g_A^2}{4M_N} \right)$$

F_π pion decay constant

GOAL

precise determination of

πN isospin scattering lengths a^+ & a^-

πN coupling constant $f_{\pi N}^2$

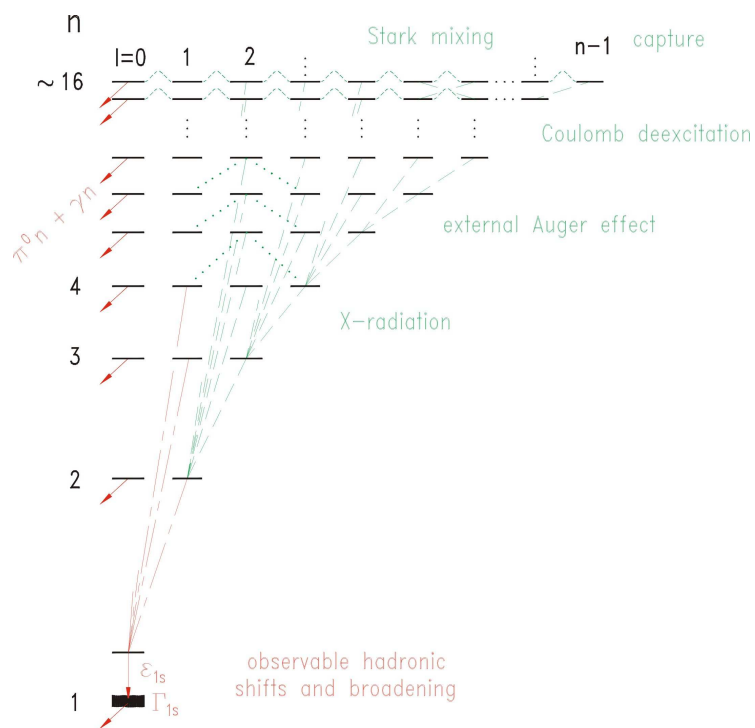
measurement

$$\Delta\varepsilon_{1s} / \varepsilon_{1s} \ll 1\%$$

$$\Delta\Gamma_{1s} / \Gamma_{1s} \approx 1\%$$

πp not an isolated system !

CASCADE - COLLISIONAL PROCESSES $\pi p + H_2$



1. Stark mixing

"dangerous" processes

2. $[(\pi pp)p]ee$ – molecule formation („DH“) ? significant radiative decay modes ?

ϵ_{had}

MOLECULAR POTENTIALS

"Vesman" mechanism for excited states: $\pi p_{nl} + H_2 \rightarrow [(\pi p p)_{njv} \cdot p] e e_{Kv}$

experiment R. Pohl et al., *Hyp. Int.* 138 (2001) 35

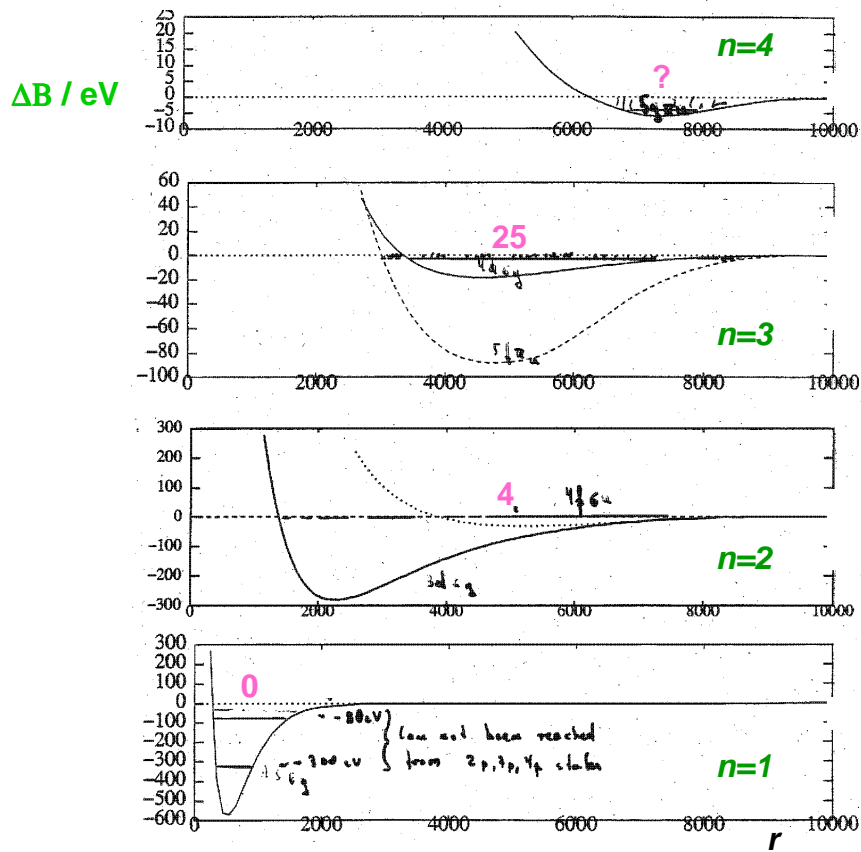
theory

S.Hara et al.

I.Shinamura

V.I.Korobov, ...

quenching of μp_{2s} via $[(\mu p p)p] e e$ formation



potential curves scaled from Sharp, *Atomic data* 2 (1971)119

consequences for $\pi H (np \rightarrow 1s)$ transitions

$$E_x \rightarrow E_x - \Delta E ?$$

(how many) bound states below dissociation limit of 4.5 eV ?

Jonsell, Froelich and Wallenius for $n=1,2,3$
Phys. Rev A 59 (1999) 3440

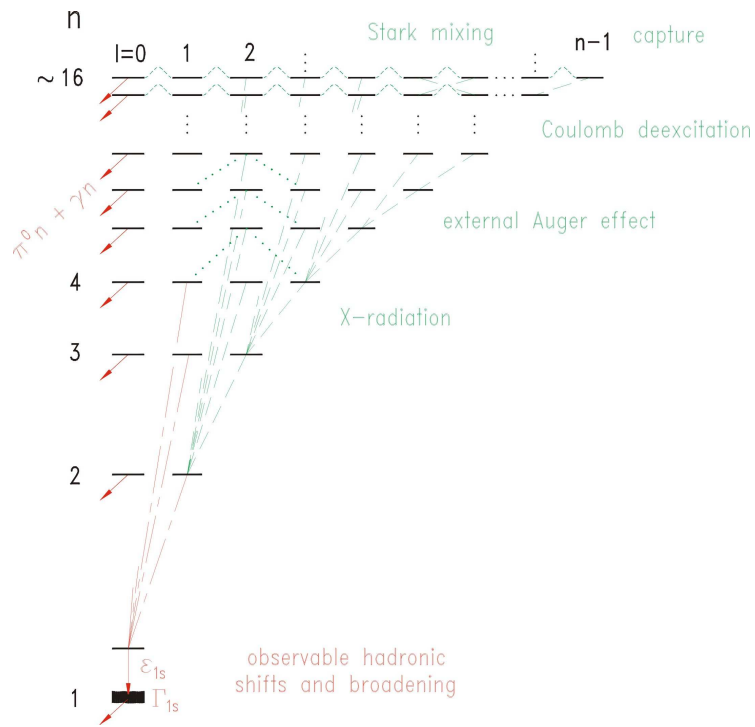
$$\Gamma_{X\text{-ray}} / \Gamma_{\text{total}} \approx \begin{matrix} pp\mu & dd\mu \\ 0.03 & \approx 1 \end{matrix}$$

Lindroth, Wallenius and Jonsell
Phys. Rev A 68 (2003) 032502

Kilic, Karr and Hilico
to be published

πp not an isolated system !

CASCADE - COLLISIONAL PROCESSES $\pi p + H_2$



1. Stark mixing

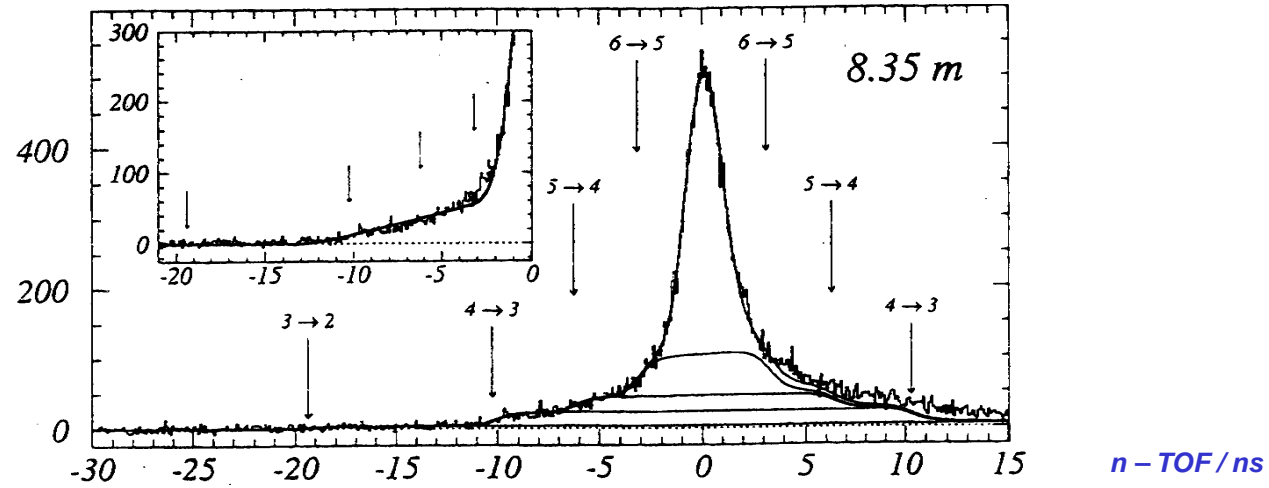
2. $[(\pi p p)p]e e$ - molecule formation („DH“)?

3. Coulomb - de-excitation !

non radiative process $n_i \rightarrow n_f + \text{kinetic energy}$
Doppler broadening

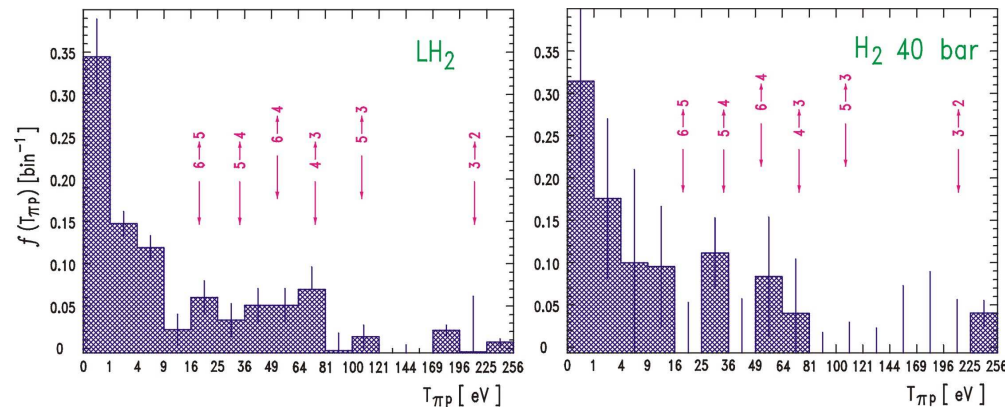
$\bullet \Gamma_{\text{had}}$

NEUTRON - TOF $(\pi^- p)_{ns} \rightarrow \pi^0 n$



Coulomb de-excitation $(\pi^- H)_n + H=H \rightarrow (\pi^- H)_{n-1} + H + H + \text{kinetic energy}$

⇓
quasi-discrete
velocity profile



A. Badertscher et al., Eur. Phys. Lett. 54 (2001) 313

"environment independent"

determination

of

HADRONIC EFFECTS

STRATEGY

study of the atomic cascade ↔ *collisional effects vary with density !*

I.

ENERGY

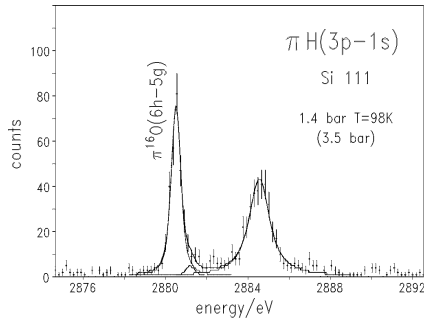
 ϵ had

novel calibration method

hydrogen-like πA

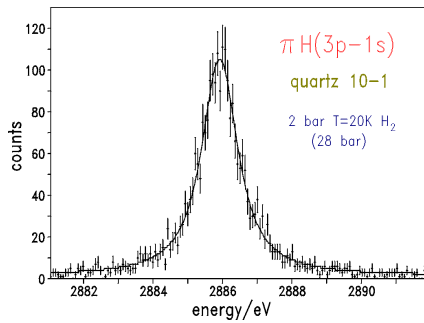
$\pi H(3p-1s)$ - density dependence

PSI experiment R-98.01 (PIONIC HYDROGEN)



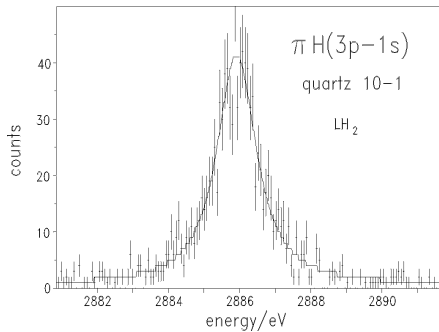
mixture $H_2 / {}^{16}O_2$
 (98%/2%)
 1.2 bar @ $T = 85K$
 ≈ 4 bar equivalent density

$\pi H / \pi O$
 energy calibration
 simultaneously

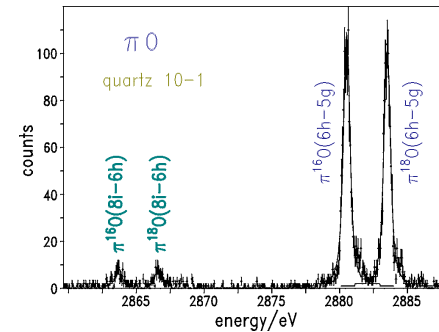


H_2
 2 bar @ $T = 20K$
 ≈ 28.5 bar equivalent density

πO
 mixture ${}^4He / {}^{16}O_2 / {}^{18}O_2$
 ($\approx 80\%/10\%/10\%$)
 2 bar @ $T = 86K$



H_2
 1 bar @ $T = 17K$
 LH_2
 first time

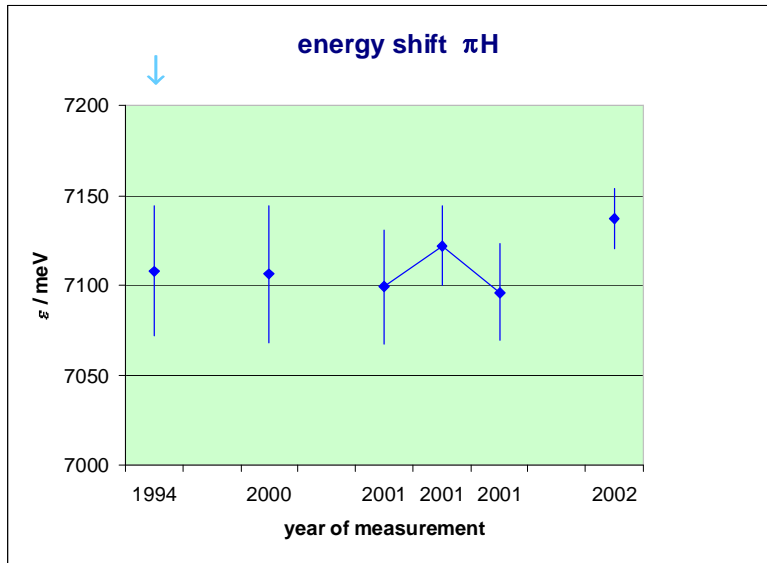


$\pi\text{H}(3p-1s)$

no density dependence identified

previous experiment
H.-Ch.Schröder et al.
Eur.Phys.J.C 1(2001)473

ϵ_{1s} in agreement with previous experiment



R-98.01

Maik Hennebach, thesis Cologne 2003

$$\epsilon_{1s} = + 7.120 \pm 0.008 \pm 0.009 \text{ eV}$$



$\Delta E_{\text{QED}} = \pm 0.006 \text{ eV}!$
P. Indelicato, priv. comm.

! πD prediction radiative decay from molecule increases

! πT " " " " " dominates

II.

LINE WIDTH

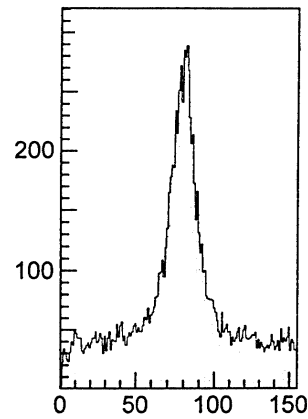
→ Γ_{had}

II a

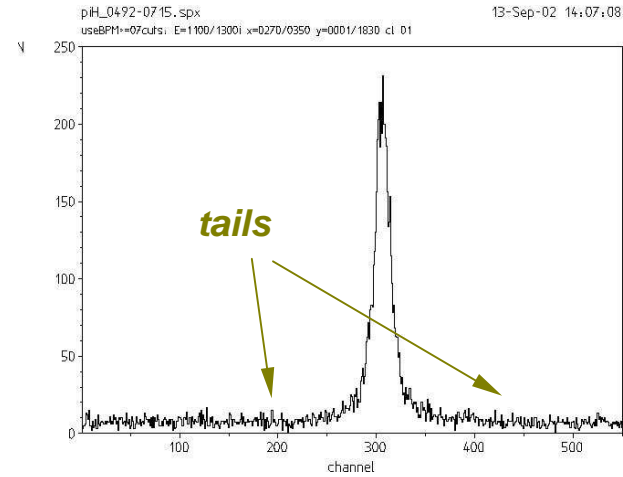
PEAK / BACKGROUND !

Peak-to-background and fit interval

1 m concrete shielding!
large-area X-ray detector



↑
previous experiment

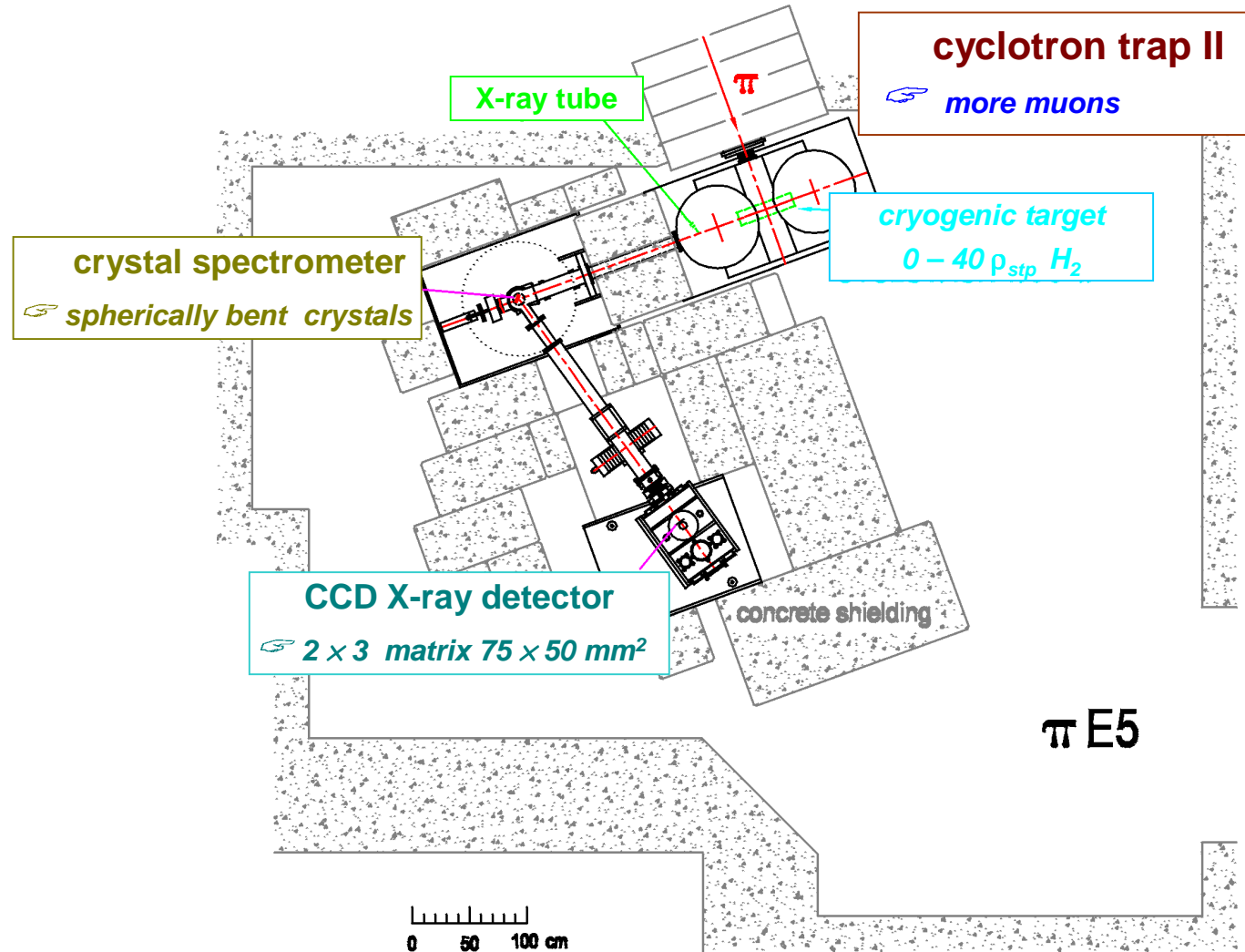


↑
new experiment

concrete *good peak-to-background*
detector *coverage of tails*

SET-UP at PSI

R-98.01 (PIONIC HYDROGEN)



II b

$$\text{MEASURED LINE SHAPE} = \mathbf{R} \otimes \mathbf{L} \otimes \Sigma \mathbf{D}$$

<i>crystal resolution</i>	Γ_{1s} ↑	Doppler broadening <i>Coulomb de-excitation</i>
<i>ECRIT</i>	$\pi\mathbf{H}$	<i>muonic hydrogen</i>

RESOLUTION FUNCTION

novel method

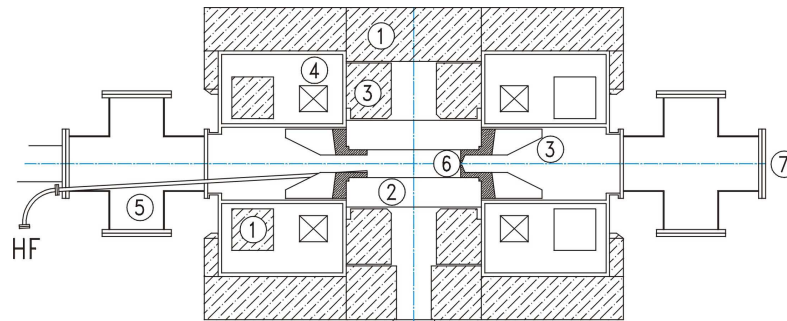
helium-like electronic atoms

RESPONSE FUNCTION II

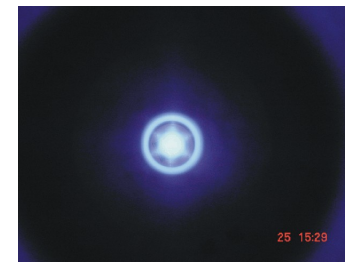
Electron Cyclotron Resonance Ion Trap

cyclotron trap + hexapole magnet

D. Hitz et al., Rev. Sci. Instr., 71 (2000) 1116



FIRST PLASMA



"burning" argon

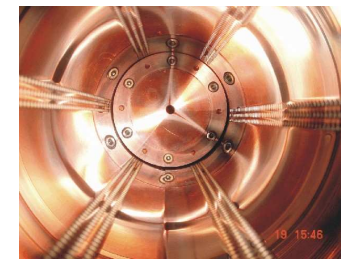
H- and He-like electronic atoms

$T_{ion} \leq 5 \text{ eV}$ "cold" plasma !

⇒ narrow X-ray transitions

$\Gamma_x = 10 - 40 \text{ meV}$

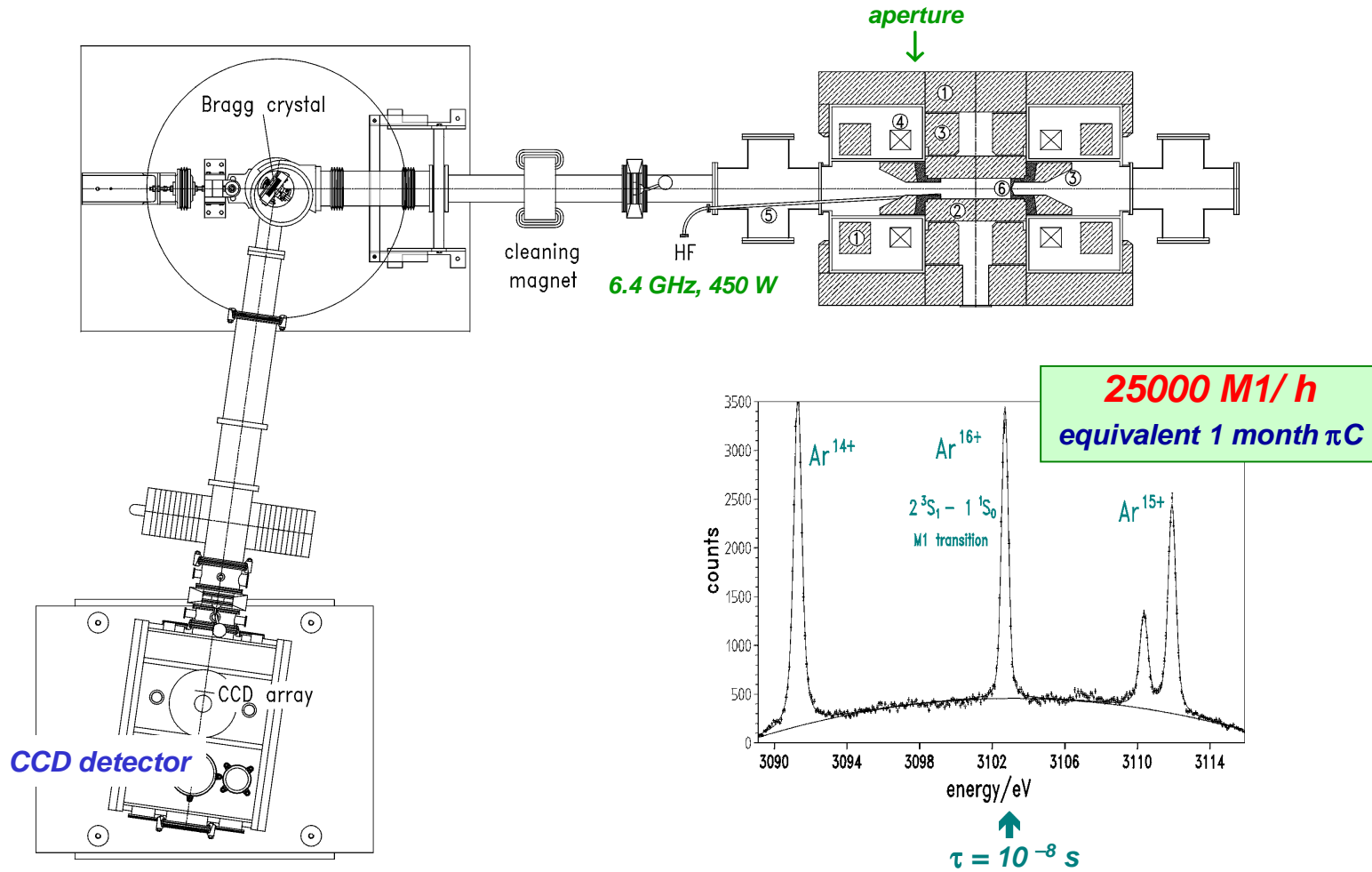
INSIDE HEXAPOLE



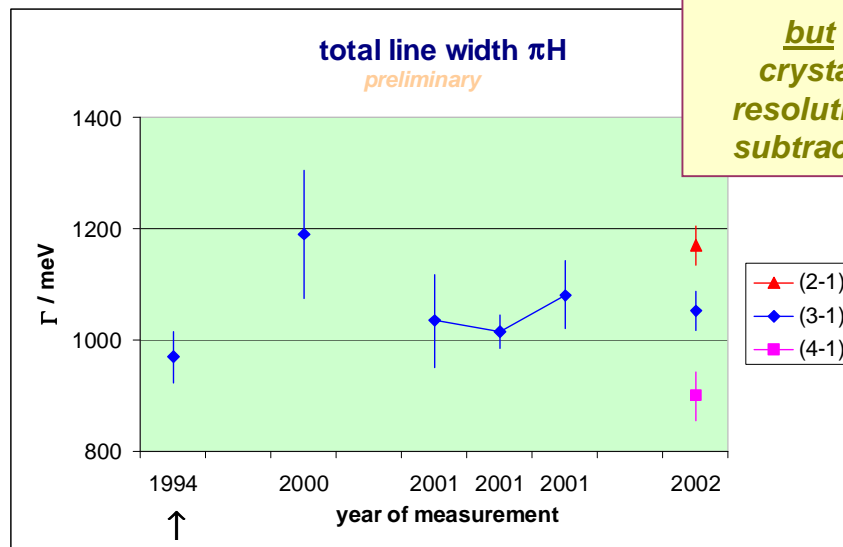
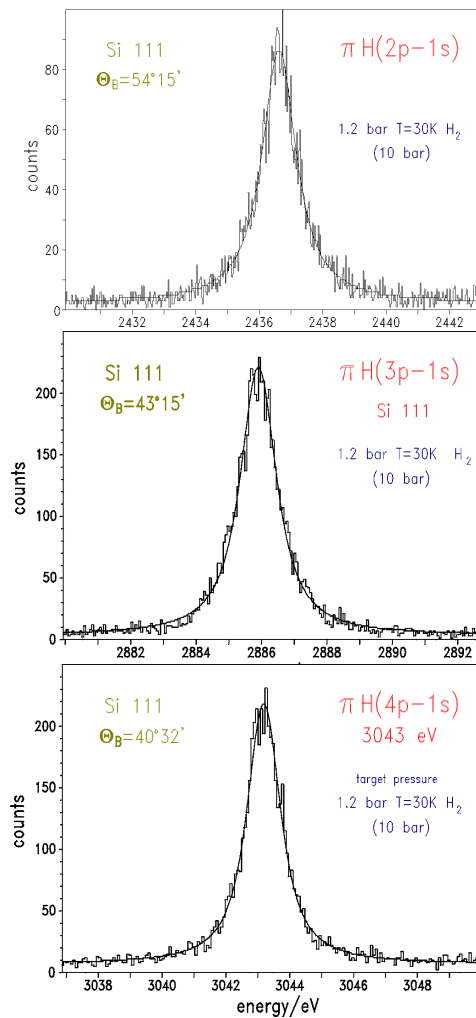
Cu end flange

PSI ECRIT and CRYSTAL SPECTROMETER

D.F.Anagnostopoulos et al., Nucl. Instr. Meth. B 205 (2003) 9; subm. to Nucl. Instr. Meth. B 8/2004



LINE WIDTH and INITIAL STATE



not corrected for Coulomb de-excitation

but crystal resolution subtracted

previous experiment

H.-Ch.Schröder et al.
Eur.Phys.J.C 1(2001)473

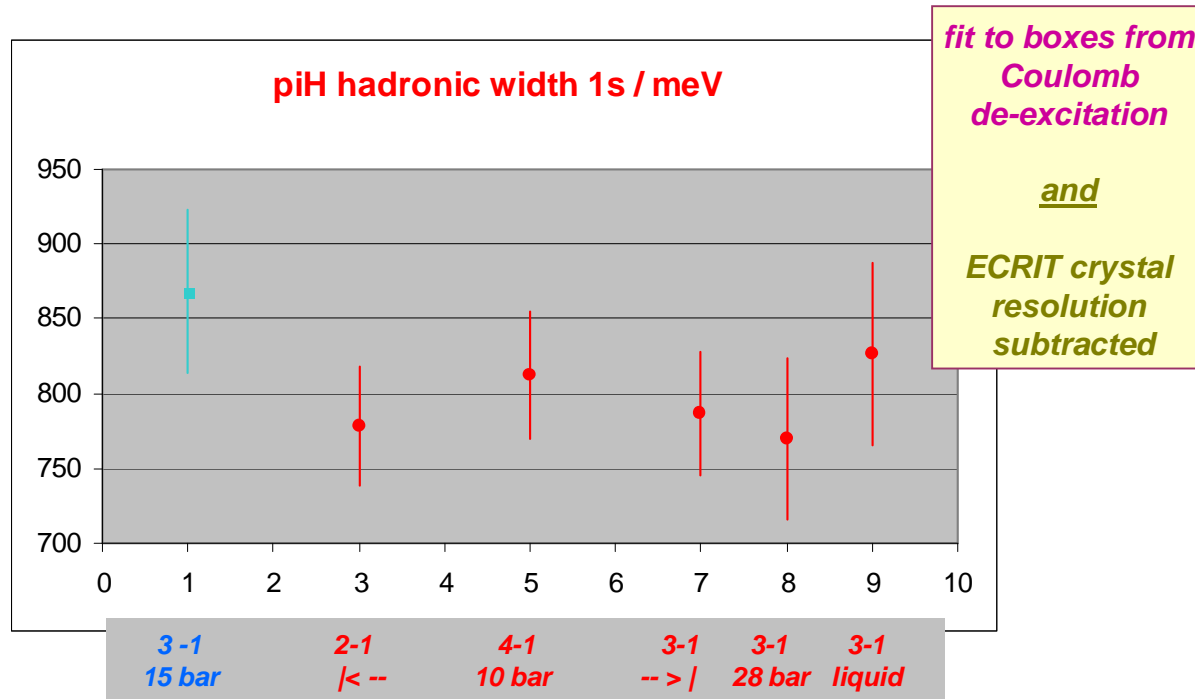
$$\Gamma_{1s} < 850 \text{ meV}$$

Maik Hennebach, thesis Cologne 2003

PEAK-TO-BACKGROUND ratio improved by one order of magnitude !

FIRST (2002) ECRIT RESULTS and HADRONIC WIDTH

$\Gamma_{1s} \approx 865 \pm 69 \text{ meV (7\%)}$
 →
 previous experiment
 H.-Ch.Schröder et al.
 Eur.Phys.J.C 1(2001)473



R-98.01 $\Gamma_{1s} \approx 800 \pm 30 \text{ meV}$ (3-4%) preliminary
 with forthcoming ECRIT measurements (→ 2.5% - 3%)

π N SCATTERING LENGTHS

πH - hadronic shift ϵ_{1s}
&
 πN s-wave isospin scattering lengths

Deser formula → incl. Coulomb - strong-int. interference

$$\epsilon_{1s} = -2\alpha^3 \mu_c^2 \mathcal{A}(1 - 2\alpha\mu_c (\ln \alpha - 1)\mathcal{A}) + \dots$$

2nd order χ PT

$$\begin{aligned} \mathcal{A} &= a_{0+}^+ + a_{0+}^- + \epsilon \\ &= \frac{1}{8\pi(m_p + M_{\pi^+})F_\pi^2} \\ &\quad \times \left\{ m_p M_{\pi^+} - \frac{g_A^2 m_p M_{\pi^+}^2}{m_n + m_p + M_{\pi^+}} \right. \\ &\quad \left. + m_p (-8c_1 M_{\pi^0}^2 + 4(c_2 + c_3)M_{\pi^+}^2 \right. \\ &\quad \left. - 4e^2 f_1 - e^2 f_2) \right\}, \end{aligned}$$

$O(\delta^2)$ in $\delta = q$,

$$\alpha = 1/137,$$

$$(m_d - m_u)$$

LECs f_1, f_2, c_1

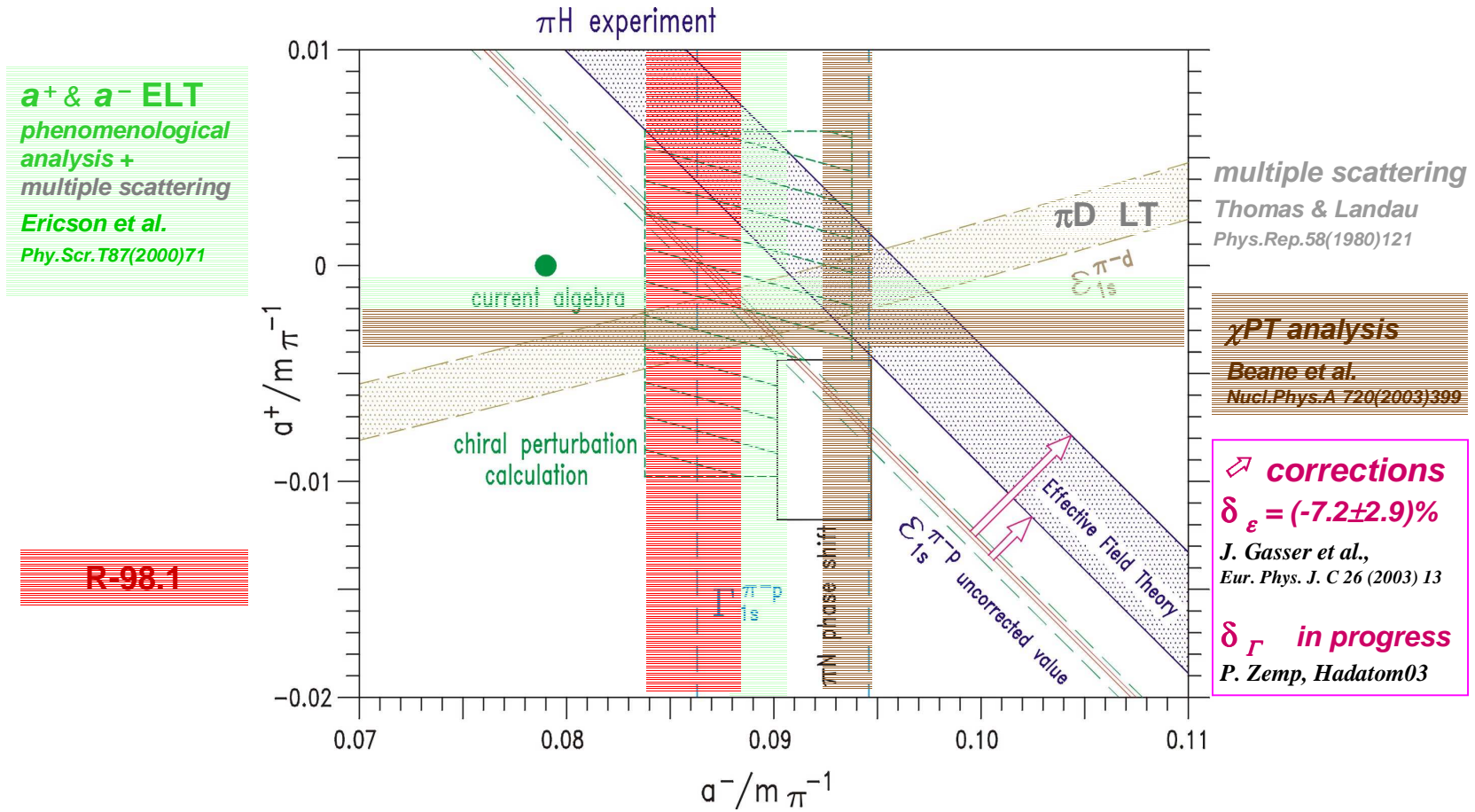
contribute to isospin breaking in $O(\mathcal{E})$

accuracy of prediction $O(10\%)$

V.E. Lyubovitskij & A. Rusetsky,
Phys. Lett. B 494(2000)9

V.E. Lyubovitskij et al.,
Phys. Lett. B 520(2001)204

πN scattering lengths a^\pm



● current algebra Weinberg, Tomozawa '66
 -- HB χ PT 3rd order Fettes, Meissner, Steininger
 NP A640(1998)199

πN phase shift KH 1980

πN coupling constant $f_{\pi N}^2$

Goldberger- Miyazawa-Oehme
(GMO)
sum rule

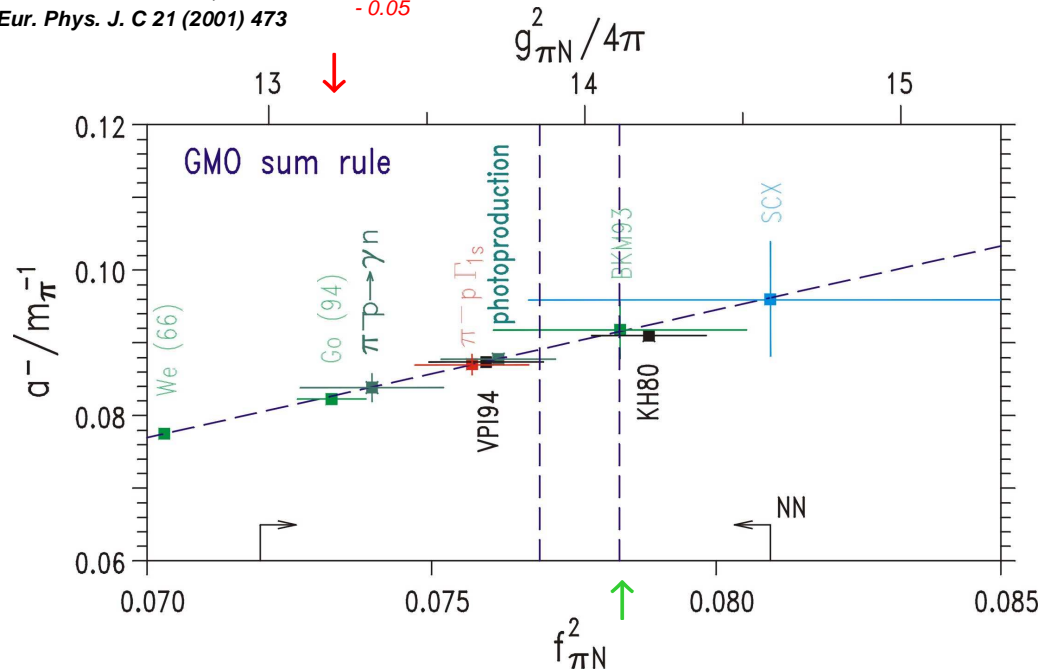
$$\left(1 + \frac{m_\pi}{M}\right) \frac{a^-}{m_\pi} = \frac{2f_{\pi N}^2}{m_\pi^2 - (m_\pi^2/2M)^2} + \frac{1}{2\pi^2} \int_0^\infty \frac{\sigma_{\pi^- p}^{tot}(k_\pi) - \sigma_{\pi^+ p}^{tot}(k_\pi)}{2\omega(k_\pi)} dk_\pi$$

$\Delta f \approx 1\%$

previous πH exp.

H.-Ch. Schröder et al.,
Eur. Phys. J. C 21 (2001) 473

$13.21^{+0.11}_{-0.05}$



$13.89^{+0.23}_{-0.11}$

14.11 ± 0.20 Ericson, Loiseau & Thomas

Phys. Rev. C 66 (2002) 014005

$$\begin{aligned} \epsilon_{1s} \pi^- H \quad a_{\pi^- p \rightarrow \pi^- p} \\ \epsilon_{1s} \pi^- D \quad a^+ &= a_{\pi^- p \rightarrow \pi^- p} + a_{\pi^+ p \rightarrow \pi^+ p} \\ &\equiv a_{\pi^- p \rightarrow \pi^- p} + a_{\pi^- n \rightarrow \pi^- n} \\ &\text{charge symmetry} \end{aligned}$$

πD - hadronic shift ϵ_{1s} & πN s-wave isospin scattering lengths

$d \approx p + n$ corrections! $a_{\pi-p} + a_{\pi-n} = (a_{1/2} + 2a_{3/2})/3 = 2a^+$ *isoscalar scatt. length*

$$\frac{\epsilon_{1s}}{B_{1s}} = -\frac{4}{r_B} \Re a_{\pi d}^{\text{had}} \quad \text{Deser formula}$$

$$\Re a_{\pi d}^{\text{had}} = 4 \frac{M + m_\pi}{2M + m_\pi} a^+ + \text{SS} + \text{DS} + \text{HC} + \text{AB}$$

SS single scattering
 DS double scattering ($\approx 60\%$)
 HC higher orders
 AB absorptive corrections

↓

$$\Re a_{\pi d} = -0.0261 \pm 0.0005 / m_\pi$$

experiments

D. Chatellard et al., NPA 625(1997)855

P. Hauser et al., PRC 58(1998)R1869

↓

$$\Re a_{\pi d} \leftrightarrow a^\pm$$

calculations

Beane, Bernard, Lee, Meissner, PR 57 (1998) 424

Ericson, Loiseau & Thomas, PR C 66, 014005 (2002)

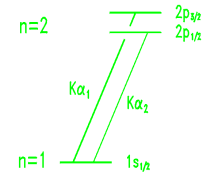
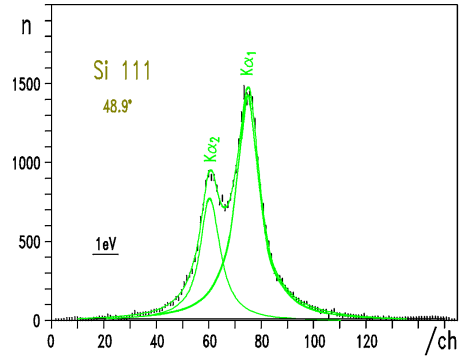
Beane, Bernard, Epelbaum, Meissner, Phillips NPA 720 (2003)399

Rusetski et al., in progress

...

PIONIC DEUTERIUM

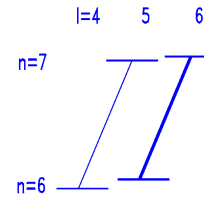
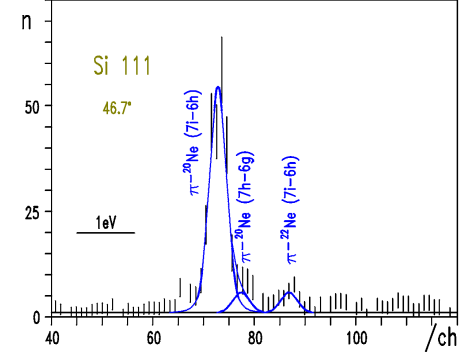
energy calibration I



Cl Kα
2.62 keV

15 min

response function I



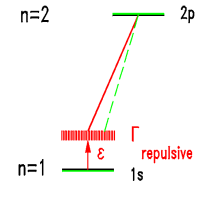
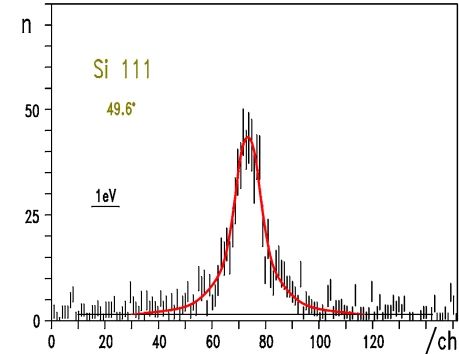
πNe(7-6)
2.72 keV

12 h

strong interaction

$$\epsilon_{1s} = -2.469 \pm 0.055 \text{ eV}$$

$$\Gamma_{1s} = 1.093 \pm 0.129 \text{ eV}$$



πD(2p-1s)
2.60 keV

15 h

P. Hauser et al., PR C 58 (1998)R1869

$$E_{2-1}^{\text{QED}} (\langle r_p \rangle = 2.138 \text{ fm})$$

final approach to

COULOMB DE-EXCITATION

muonic hydrogen

MEASURED LINE SHAPE

=

R

⊗

~~**L**~~

⊗

Σ D

crystal
resolution

~~Γ_{1s}~~

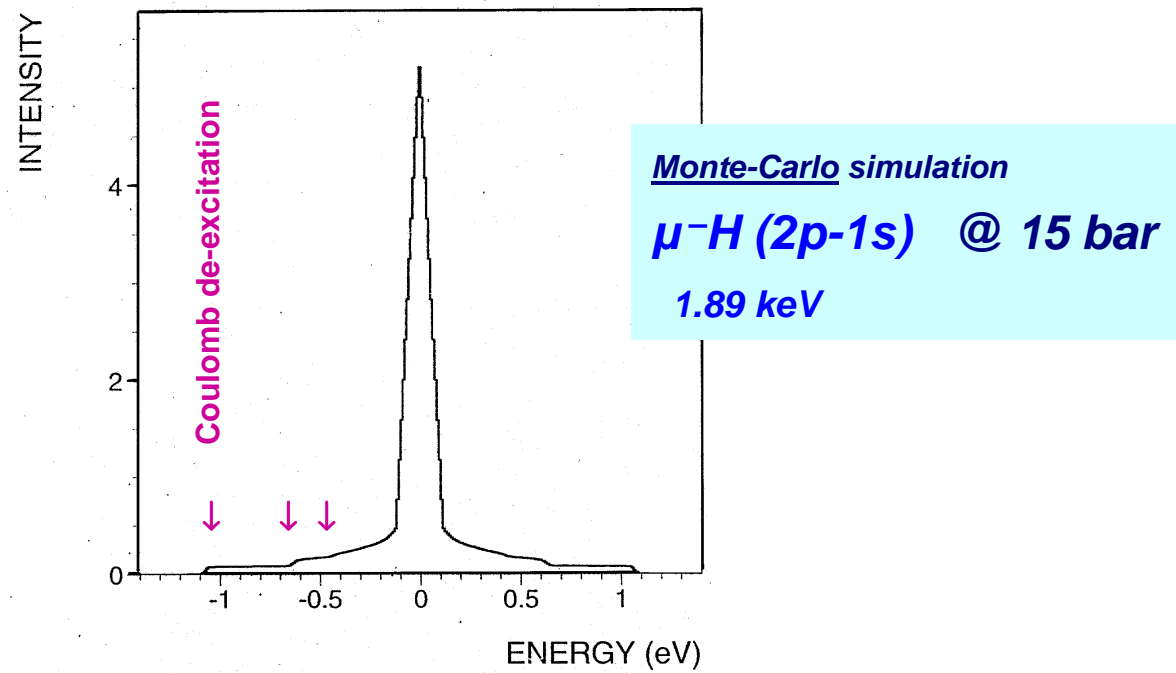
↑

Doppler broadening
Coulomb de-excitation

MUONIC HYDROGEN

to quantify Coulomb de-excitation

Line shape of X-ray transitions



cascade model calculation (V.E. Markushin – PSI)

KAONS

kaon - nucleon interaction

*low-energy approach of QCD - χ PT
including the "heavy" light s quark*

no dedicated kaon facility in the world

KEK experiment PS-E-228

first unambiguous observation of K^-H X-rays

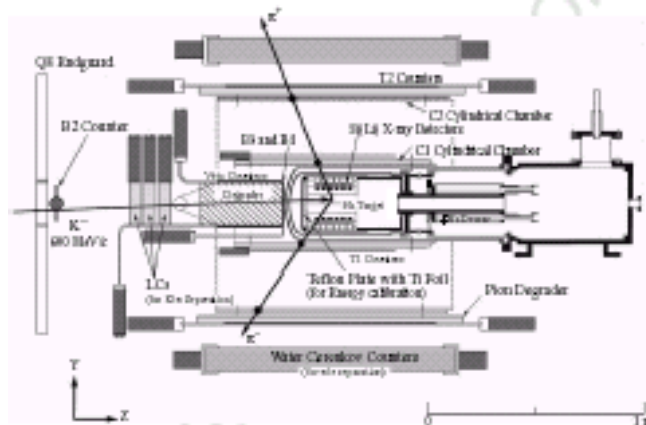
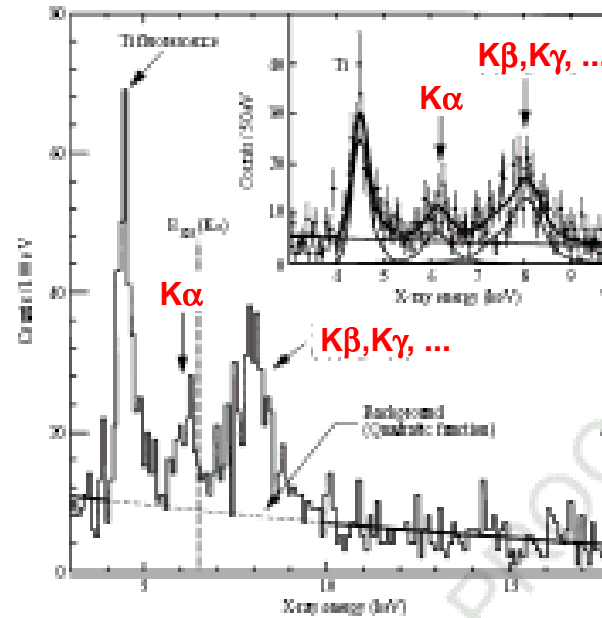


Fig. 8. The set-up of the atomic hydrogen experiment at KEK (from [216]). Kions are stopped in hydrogen gas cooled to 100 K at a pressure of 4 bar.

$\pi/K=90$

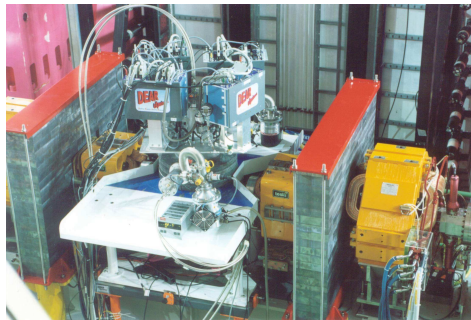
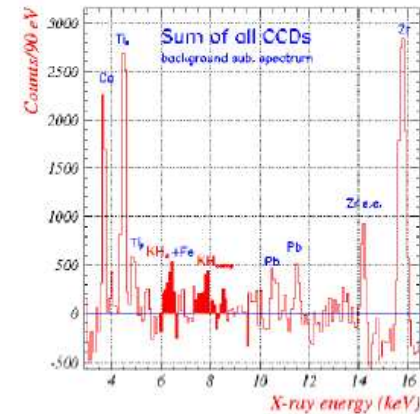
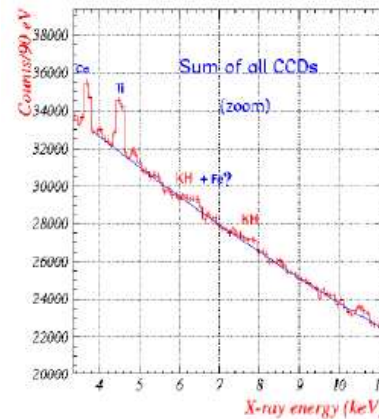
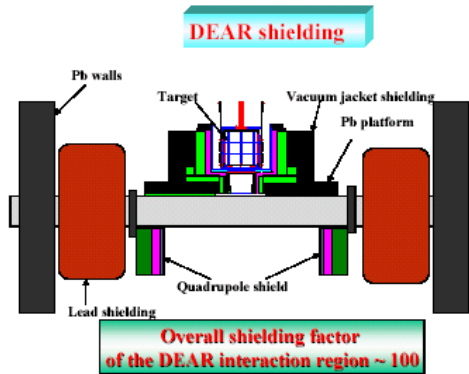
trigger on decay products necessary



M. Iwasaki et al., Phys. Rev. Lett. 78 (1997) 3067

T. M. Ito et al., Phys. Rev. C 58 (1998) 2366

DEAR collaboration @ e⁺ e⁻ collider DAΦNE

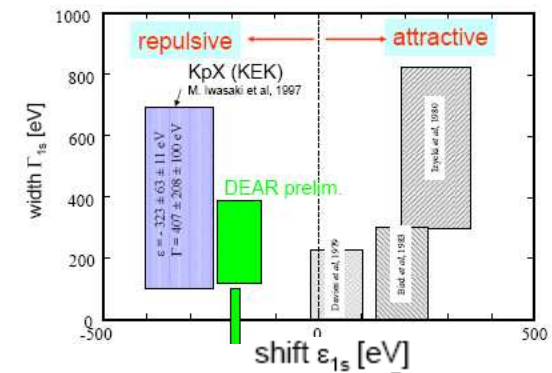


$$K_{\alpha} = 3100 \pm 1300 \text{ eV}$$

$$K_{\text{complex}} = 6800 \pm 2400$$

$$\epsilon = (162 \pm 40) \text{ eV}$$

$$\Gamma = \sim (200 \pm 80) \text{ eV}$$



next step - triggerable X-ray detectors

→ silicon drift detectors SIDDHARTA

again

KH

for the first time

KD

SUMMARY

LIGHT PIONIC ATOMS

		$\Delta\varepsilon_{1s}/\varepsilon_{1s}$	$\Delta\Gamma_{1s}/\Gamma_{1s}$	χ_{PT}
πH	D. R-98.01	0.2%	1% (2005)	$a^+, a^-, f_{\pi N}$
πD	D. Chatellard et al. (1994) P. Hauser et al. (1998)	2%	12%	$\pi^- p \leftrightarrow \pi^- n$ isospin breaking (1-2%)
$\pi^3 He$	I. Schwanner et al. (1979) NP A 412 (1984) 253	10%	25%	$\pi^3 He \pm \pi T$
πT		---	---	$\Rightarrow a^+, a^-$

LIGHT KAONIC ATOMS

		$\Delta\varepsilon_{1s}/\varepsilon_{1s}$	$\Delta\Gamma_{1s}/\Gamma_{1s}$	
KH	DEAR	25%	40%	a_{Kp} <i>χPT including s quarks</i>
	SIDDHARTA	few %	≥ 2006	
KD	SIDDHARTA	few %	planned	a_{Kn} isospin amplitudes a_0, a_1
K⁴He		25%	60% no plans	puzzling !!!

~~KAON / EHF~~



NOAK

LIGHT ANTIPROTONIC ATOMS

$\bar{p}p$

s- and p-wave

$^1S_0 / ^3S_1$

$\bar{p}d$

ground state

**spin-spin
interaction**

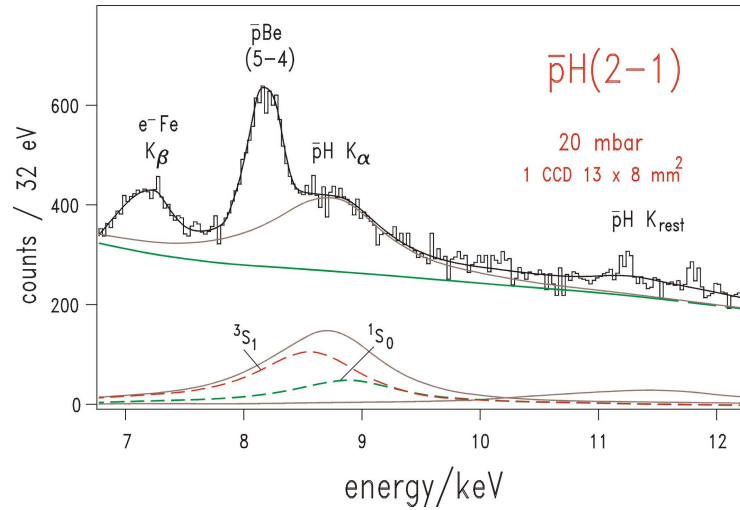
light \bar{p} atoms

$\bar{p}p$ and $\bar{p}n$

**annihilation
strength (A)**

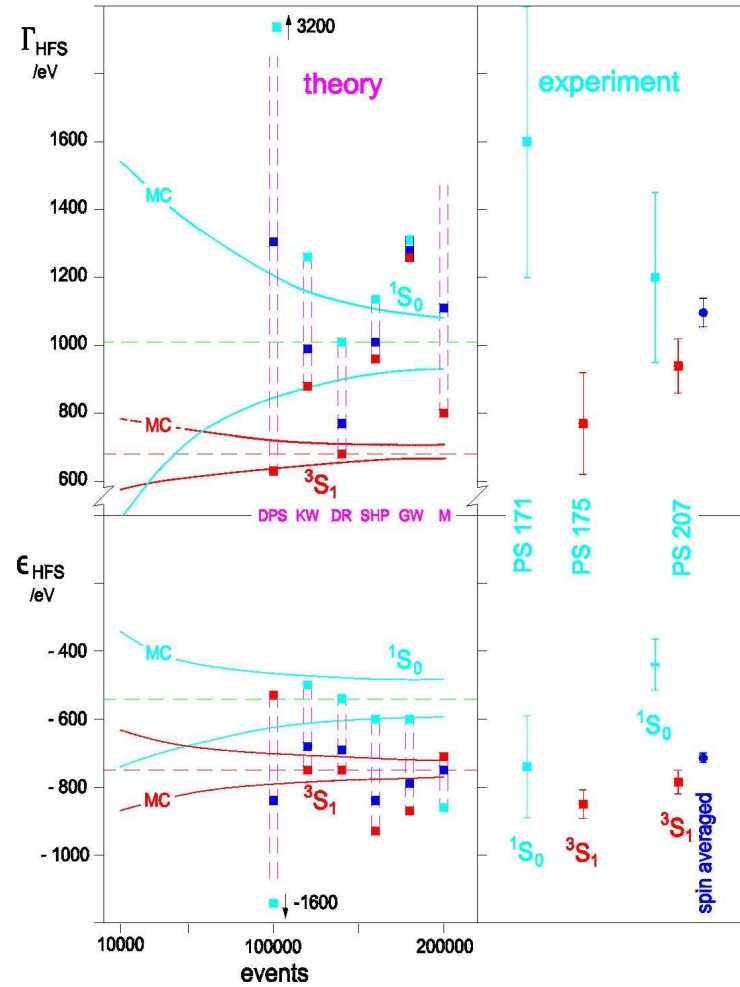
AD / FLAIR GSI ?

PROTONIUM ground state



	ϵ / eV	Γ / eV
Spin average	-714 ± 14	1097 ± 42
1S_0	-440 ± 75	$1200 \pm 250^*$
3S_1	-785 ± 35	$940 \pm 80^*$

* fixed $^1S_0/{}^3S_1$ ratio
background from $\bar{p}D$



M. Augsburger et al., NP A 658 (1999) 149

fight (for survival) at PSI

prepare for FLAIR