

# Formation of the $^1S_0$ diproton in the reaction $pp \rightarrow \{pp\}_s \pi^0$ in the $\Delta$ isobar region

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The reactions with the diproton  $pp(^1S_0)$  in the final or initial state can give more insight onto the short-range dynamics of the reaction and the nucleon-nucleon interaction in addition to the corresponding reactions with the deuteron. Indeed, the contribution of non-short range mechanisms related to excitation of the  $\Delta$ -isobars in intermediate states of the considered reactions is expected to be considerably suppressed for the case of the diproton (or the spin-singlet deuteron), as compared to the deuteron case due to isospin symmetry and conservation of angular momentum and parity [1, 2].

According to ANKE-COSY measurements [3], the cross section of the reaction  $pp \rightarrow \{pp\}_s \pi^0$ , where  $\{pp\}_s$  is the proton pair in the  $^1S_0$  state at small excitation energy  $E_{pp} < 3$  MeV, demonstrates a clear bump at beam energy  $\sim 0.6 - 0.7$  GeV for the cms diproton scattering angle  $\theta_{cm} = 0^\circ$ . The microscopical model [4], which includes  $\Delta(1232)$ -isobar excitation via coupled channel and the  $s$ -wave  $\pi N$ -rescattering and successfully applied to the  $pp \rightarrow d\pi^+$  reaction, fails to describe the data [3]. In view of this failure, a more simpler approach that is the one pion exchange model (OPE) which includes the on-mass-shell subprocesses  $\pi^0 p \rightarrow \pi^0 p$  and accounts for the final state  $pp$ -interaction, was used in theoretical analysis of this reaction [5]. It was found that the OPE model fairly well explains the shape of the observed bump and suggests that it is related the  $\Delta(1232)$  isobar excitation [5].

Here we present results of calculations [6] performed using the box diagram (Fig. 1) with explicit consideration of the  $\Delta$ -isobar. The direct term (Fig. 1a) can be written as

$$A_{\sigma_1 \sigma_2}^{dir} = -8m_p^2 m_\Delta \left( \frac{f_{\pi NN}}{m_\pi} \right) \left( \frac{f_{\pi N \Delta}}{m_\pi} \right)^2 \int \frac{d^3 q}{(2\pi)^3} \frac{4\pi f(q, k_{pp}; E_{pp})}{k_{pp}^2 - \mathbf{q}^2 + i\varepsilon} \frac{F_{\pi NN}(t)}{m_\pi^2 - t - i\varepsilon} \frac{F_{\pi N \Delta}(t)}{m_\Delta^2 - P_\Delta^2 - im_\Delta \Gamma} \Re_{\sigma_1 \sigma_2}(\mathbf{k}, \mathbf{k}', \mathbf{Q}), \quad (1)$$

where  $f(q, k_{pp}; E_{pp})$  is the half-off-shell amplitude of the  $pp$ -scattering in the  $^1S_0$  state at on-shell momentum  $k_{pp} = \sqrt{E_{pp} m_p}$ ,  $t = k_\pi^2$  is the squared 4-momentum of the intermediate pion,  $P_\Delta$ ,  $m_\Delta$  and  $\Gamma_\Delta$  are the 4-momentum, mass and the full energy-dependent width of the  $\Delta$ -isobar, respectively;  $f_{\pi NN}$  and  $F_{\pi NN}$  are the  $\pi NN$  coupling constant and the  $\pi NN$  form factor, respectively;  $f_{\pi N \Delta}^2 / 4\pi = 0.0796$ ,  $F_{\pi NN}(k^2_\pi) = \frac{\Lambda^2 - m_\pi^2}{\Lambda^2 - k^2_\pi}$ ;  $f_{\pi N \Delta} = 2.15$  is the  $\pi N \Delta$  coupling constant; the 3-momentum  $\mathbf{Q}$  is determined by the  $\pi NN$  vertex, the spin-tensor  $\Re_{\sigma_1 \sigma_2}$  is related to the amplitude of the subprocess  $\pi^0 p \rightarrow \Delta \rightarrow \pi^0 p$  and depends on the spin-projections of the initial protons  $\sigma_i$  and 3-momenta of the intermediate ( $\mathbf{k}$ ) and final ( $\mathbf{k}'$ )  $\pi$ -mesons.

One can see from Fig. 2 that an explicit consideration of the  $\Delta$ -isobar contribution within the box-diagram model is less successful in explanation of the data [3] than the OPE model [5, 6]. We found that neither energy and angular dependencies of the cross section are reproduced. However, for energy dependence the agreement becomes better if the  $\Delta$ -propagator is taken off the loop integral. In this approximation the box-diagram is close to the OPE model and provides a similar agreement with the data.

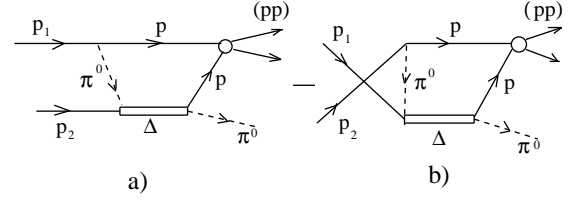


Fig. 1: The box-diagrams of the  $\Delta$  mechanism: direct (a) and exchange (b) terms.

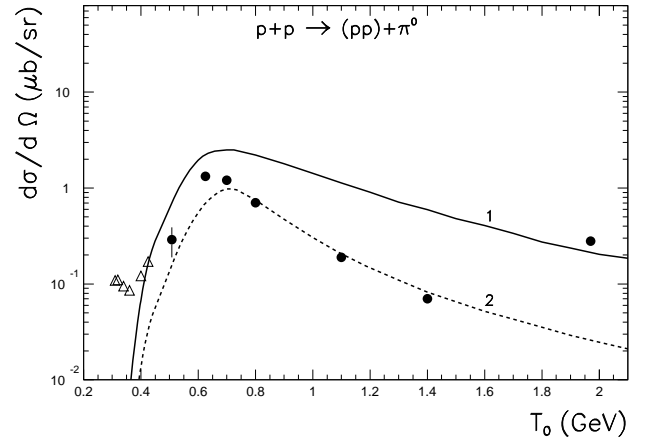


Fig. 2: The forward differential cross section of the reaction  $pp \rightarrow \{pp\}_s \pi^0$  versus the beam energy. The curves show the box-diagram calculations with the  $\Delta$ -propagator being under the loop integral (1) and outside the integral (2). The curve 2 is multiplied by the factor 0.2. Data ( $\bullet$ ) are taken from Ref. [3].

Very similar result we have got when applying the box diagram to the  $pp \rightarrow d\pi^+$  reaction at beam energies 0.5-1.5 GeV.

## References:

- [1] O. Imambekov, Yu.N. Uzikov, *Yad. Fiz.* 52 (1990) 1361
- [2] Yu.N. Uzikov, *Pis'ma v ZHETF*, **75** (2002) 7.
- [3] V. Kurbatov et al., *Phys. Lett.* **B 661**, (2008) 22.
- [4] J.A. Niskanen, *Phys. Lett.* **B 642**, (2006) 34.
- [5] Yu.N. Uzikov, in *Proc: 19th International Baldin Seminar on High Energy Physics Problem*, (September, 2008, Dubna), Eds. A.N. Sissakian et al. (JINR, Dubna, Russia, 2008), v. 2 p. 307; arXiv:0803.2342 [nucl-th]
- [6] O.Imambekov, Yu.N. Uzikov: In *proc. of XX Int. Baldin Seminar on High Energy Physics Problem* (September, 2010, Dubna) (in press).

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